

Mapping the nonequilibrium order parameter of a quasi-two dimensional charge density wave system

Check for updates

C. J. Sayers ¹, Y. Zhang ², C. E. Sanders², R. T. Chapman², A. S. Wyatt ², G. Chatterjee³, E. Springate ², G. Cerullo ¹, D. Wolverson ⁴, E. Da Como ⁴ ⊗ & E. Carpene ⁵ ⊗

The driving force of a charge density wave (CDW) transition in quasi-two dimensional systems is still debated, while being crucial in understanding electronic correlation in such materials. Here we use femtosecond time- and angle-resolved photoemission spectroscopy combined with computational methods to investigate the coherent lattice dynamics of a prototypical CDW system. The photo-induced temporal evolution of the periodic lattice distortion associated with the amplitude mode reveals the dynamics of the free energy functional governing the order parameter. Our approach establishes that optically-induced screening rather than CDW melting at the electronic level leads to a transiently modified potential which explains the anharmonic behaviour of the amplitude mode and discloses the structural origin of the symmetry-breaking phase transition.

Charge density waves (CDWs) are quantum states of matter in which the electronic charge density acquires a periodic spatial modulation characterized by one (or more) complex order parameter (OP) $\psi = \psi_0 e^{i\phi_0 t}$. The electronic ordering epitomizes an instability and is normally accompanied by a lattice reconstruction that lowers the crystal symmetry: both the charge density and the lattice undergo a periodic distortion $\sim \psi_0 \cos(\mathbf{q} \cdot \mathbf{r} + \phi_0)$ with collective excitation of ψ_0 and ϕ_0 named amplitude and phase modes, respectively. According to the original idea outlined in the 1950s by Peierls² and Fröhlich³ for one dimensional (1D) systems, the instability originates from the divergent behavior of the Lindhard response function $\chi(q)$ at the wavevector $q = 2k_F$ connecting two opposite sides of the Fermi surface, leading to the so-called Fermi surface nesting (FSN) condition⁴. However, this picture rarely succeeds in explaining CDWs in real systems with dimensionality greater than 1D. Johannes and Mazin⁵ demonstrated the extreme fragility of the Peierls transition: small deviations from perfect nesting, given for instance by a finite temperature or by an electron-electron collision term, can easily suppress the instability. Furthermore, using NbSe₂, TaSe₂ and CeTe₃ as prototypical examples of quasi-two dimensional (2D) systems, they showed that a CDW can be thought of as a structural phase transition driven by a momentum-dependent electron-phonon coupling (EPC). These results are in broad agreement with the seminal work of Cowley⁶, who illustrated that changes in the crystallographic structure will occur if either the EPC or the electronic susceptibility becomes sufficiently large, implicitly establishing that FSN is not a necessary condition to trigger a CDW. For these reasons, the mechanism driving a CDW phase transition in quasi-2D systems is still debated. Although disentangling the electronic order from the lattice displacement seems unachievable due to their inherent coupling, time-resolved spectroscopies employing sub-100 fs light pulses can overcome this issue by exploiting the Born-Oppenheimer approximation, in other words the different response time of electrons and ions to a perturbation lasting less than the natural lattice dynamics⁷⁻¹².

Here, we combine time- and angle-resolved photoemission spectroscopy (tr-ARPES) with computational methods to investigate the dynamics of the CDW amplitude mode (AM) and map the nonequilibrium free energy G(u) of the OP u characteristic of the symmetry-broken state in the quasi-2D CDW material 1T-TaSe₂. The photo-induced band structure oscillations probed by tr-ARPES reveal the strong anharmonicity of the AM, which is a fingerprint of lattice instability. A quantitative analysis based on the time-dependent Landau model and density functional theory (DFT) calculations allows us to extrapolate the shape and temporal evolution of the free energy functional, determine the role of electronic screening on the OP and establish the structural nature of the CDW phase transition.

Results

1T-TaSe₂ features an incommensurate (ICDW) to commensurate (CCDW) transition at 473 K. The undistorted 1T phase is expected at higher temperatures, although it first transforms into the trigonal prismatic (2*H* or 3*R*) polytype above 600 K¹³. Ab initio calculations of the the undistorted

¹Dipartimento di Fisica, Politecnico di Milano, 20133 Milano, Italy. ²STFC Central Laser Facility, Research Complex at Harwell, Harwell Campus, Didcot, OX11 0QX, UK. ³SLAC National Accelerator Laboratory, 2575 Sand Hill Road, Menlo Park, CA, 94025, USA. ⁴Centre for Nanoscience and Nanotechnology, Department of Physics, University of Bath, BA2 7AY Bath, UK. ⁵CNR-IFN, c/o Dipartimento di Fisica, Politecnico di Milano, 20133 Milano, Italy. ^{Ge}-mail: edc25@bath.ac.uk; ettore.carpene@polimi.it



Fig. 1 | **Periodic lattice distortion, static and dynamic band structure of 1***T***-TaSe**₂. **a** Sketch of the star-like lattice reconstruction in the CDW phase of 1*T*-**TaSe**₂. For clarity, only the Ta atoms are represented: blue atoms lie at the center of each star, green atoms are their nearest neighbors, yellow atoms lie at the tips of each star. Vectors **a** and **b** define the in-plane unit cell of the undistorted phase, **a**_C and **b**_C define the in-plane unit cell of the undistorted phase, **a**_C and **b**_C define the in-plane unit cell of the reconstruction. **b** Surface-projected BZ of the undistorted phase: the red dashed lines identify the electron pockets close to the Fermi level. The blue bold line indicates the measured path through the BZ. **c** Measured ARPES maps along the $\overline{\Gamma} - \overline{C}$ direction in equilibrium, before pump arrival. **d** Photo-induced dynamics of the band structure at $k_{\parallel} \simeq 0.3$ Å⁻¹ along $\overline{\Gamma} - \overline{C}$. All measurements are performed with the sample at 80 K.

phase¹⁴⁻¹⁷ predict the existence of imaginary phonon frequencies in the acoustic branches along both $\Gamma - M$ and $\Gamma - K$ directions of the Brillouin zone (BZ), suggesting that the harmonic lattice term must have an energy maximum rather than a minimum. As a consequence, the crystal undergoes a reconstruction with atomic displacements associated with the AM, which can be clearly seen in Raman experiments^{18,19} and in oscillations of the electronic bands observed by tr-ARPES^{7,20}. The periodic lattice distortion (PLD) of 1*T*-TaSe₂ consists of a star-like pattern with a $\sqrt{13} \times \sqrt{13}$ in-plane lattice reconstruction (vectors $\mathbf{a}_{\mathbf{C}}$ and $\mathbf{b}_{\mathbf{C}}$ in Fig. 1a). The main displacement involves 12 Ta atoms converging towards the one at the center of each star¹³. Ta-5d electrons determine the metallic character in the undistorted phase, shaping the large electron-like Fermi surface pockets with elliptical shape centered at the \overline{M} points of the BZ²¹⁻²⁴, represented by the red dashed lines in Fig. 1b. In our recent work²⁵ we established that, in entering the CDW phase, charge-transfer from the tips to the inner part of each star splits the Tadominant states into a fully populated band below E_F and an unoccupied one above it. The occupied states are localized on the Ta atom at the center of the star and on its nearest neighbors⁷ forming a regular hexagon (blue bonds of equal length in Fig. 1a). We will refer to these occupied Ta states as the valence band (VB).

In our experimental approach, photo-excitation almost resonant with the charge-transfer gap is provided by 90 fs pulses at 0.6 eV with a fluence of 3 mJ/cm², while photoemission spectra are acquired with 21 eV pulses produced via high harmonic generation (HHG), granting access to the entire first BZ of 1*T*-TaSe₂ (see Supplementary Note 1). Holding the sample temperature at 80 K, deep in the CCDW phase (T_C = 473 K), and employing a fluence of 3 mJ/cm² (see Supplementary Note 2), we do not observe complete melting of the CDW²⁵, allowing us to study the effects of the photo-induced screening on the OP dynamics. To investigate the largest portion in reciprocal space of the states close to E_F , the sample is oriented along $\overline{\Gamma} - \overline{C}$ (the midpoint between \overline{M} and \overline{K} , see Fig. 1b), where the VB is weakly dispersing for $k_{\parallel} < 0.9$ Å⁻¹, as shown by the ARPES map in Fig. 1c.



Fig. 2 | **Anharmonic coherent lattice dynamics in 1T-TaSe₂. a** Photo-induced VB oscillations (black symbols) at $k_{||} = 0.3$ Å⁻¹ along $\overline{\Gamma} - \overline{C}$. Energy scale $E - E_F$ (right axis) is converted to lattice displacement scale $u - u_i$ (left axis, u_i is the steady-state displacement relative to the undistorted phase) with DFT calculations (see Supplementary Note 4). The red solid line is the best fit based on the time-dependent Landau equation (Eq. (3)). The blue dashed line in the transient minimum of the potential, $u_{min}(t)$ (see Methods, Eq. (9)), around which oscillations occur. The inset depicts the photo-induced Lorentzian line broadening $w_L(t)$ (cyan symbols) of the EDCs shown in Fig. 1d. The cyan solid line is a phenomenological fit. **b** Sliding Window Fourier Transform (SWFT) analysis of the oscillations shown in panel (**a**) within the 0.4–4.8 ps time interval identified by the gray dotted lines. The black symbols mark the maxima of the FFT amplitude, the cyan dashed line is the AM frequency inferred from the solution of the time-dependent Landau equation (see Methods, Eq. (11)).

The energy distribution curve (EDC) extracted at $k_{\parallel} \simeq 0.3$ Å⁻¹ and displayed in Fig. 1d reveals large photo-induced coherent oscillations of the VB, lasting several picoseconds. Identical dynamics are observed over the whole range $0.3 < k_{\parallel} < 0.9$ Å⁻¹ (see Supplementary Note 3). Fitting the EDCs with pseudo-Voigt line profiles comprised of a linear combination of a Gaussian and a Lorentzian we extrapolate the binding energy $E - E_F$ of the VB as a function of pump-probe delay.

Figure 2a shows the results of the fitting analysis. Binding energy oscillations as large as 0.12 eV (right vertical axis in Fig. 2a) are converted into lattice displacement (left vertical axis in Fig. 2a) with the help of DFT calculations. The procedure is described in the Supplementary Note 4. The inset in Fig. 2a shows the photo-induced linewidth broadening w_L of the Lorentzian component used to fit the EDCs: its prompt increase at the pump arrival is caused by the hot electronic distribution through enhanced electron-electron (ee) scattering processes ($w_L \sim \hbar/\tau_{ee}$) and the subsequent decay with time constant $\tau_{ep} \sim 0.7$ ps represents the electron-phonon thermalization. The energy shift of the VB towards E_F corresponds to a photoinduced expansion of the star triggered by a displacive mechanism^{25,26}. The ~ 0.5 ps period of the oscillations identifies the AM^{7,8}, corresponding to a coherent expansion and contraction of the star. Here, the most remarkable observation is a strong anharmonicity of the mode frequency. Figure 2b reports Sliding Window Fourier Transform (SWFT) analysis of the oscillations shown in Fig. 2a (see Supplementary Note 5). At early pump-probe delay (<1 ps) the mode softens considerably ($\nu \le 2$ THz) and a few picoseconds after the optical excitation it converges to $v \sim 2.2$ THz with time constant ~ τ_{ep} , indicating that the simple harmonic approximation cannot adequately describe the observed lattice motion.

While a reduction of the mode frequency with increasing temperature is generally attributed to anharmonic terms in the potential and is the signature of a lattice instability eventually leading to a structural phase transition^{6,27,28}, here the softening occurs immediately with the photo-excitation, even before the lattice has reached local thermal equilibrium with the electrons, in accordance with previous findings on other quasi-2D CDW systems²⁹. Therefore, the observed time dependence of the mode frequency is not driven by the photo-induced increase of the lattice temperature, but it demonstrates the significant role of the photoexcited out-of-equilibrium electronic distribution in shaping the transient OP potential.

Discussion

The common description of a symmetry-breaking phase transition is the well-known phenomenological model by Landau³⁰, according to which the free energy *G* of the system is written in terms of powers (up to the 4th) and gradients of the OP. McMillan proposed a development specifically focused on the CDW phases of TaSe₂ polytypes³¹: the charge density ρ of the *d*-band electrons is represented as a linear combination of three complex OPs satisfying the relation $\rho \sim Re[\psi_1 + \psi_2 + \psi_3]$, with $\psi_i(\mathbf{r}) = \psi_0 e^{i\mathbf{q_i r}}$ and $\mathbf{q_i}$ being three wavevectors of equal length, 120° apart. The mutual linear coupling between ψ_0 , ρ and the PLD *u* (see Supplementary Note 6 for further details on McMillan's model) allows the free energy to be written as:

$$\frac{G(u)}{M} = -\frac{\alpha(T)}{2}u^2 + \frac{\beta'}{3}u^3 + \frac{\beta}{4}u^4$$
(1)

where *M* is the reduced mass, *T* is the temperature and $\alpha(T) = \kappa(1 - T/T^*)$ $(\kappa > 0 \text{ and } \beta > 0 \text{ are phenomenological constants})$. Neglecting temporarily the third order term, for $\alpha(T) > 0$ the free energy has the typical double-well shape with one local maximum at u = 0 and two symmetric minima at $u_0 = \pm \sqrt{\alpha/\beta}$. The phase transition occurs at the critical temperature T^* above which the double-well potential turns into a single minimum one. McMillan's model clarifies the physical meaning of the two symmetric minima at $\pm u_0$. In quasi-1D CDW systems such as $K_{0,3}MOO_3^{32}$, layered materials with unidirectional CDWs such as TbTe39,29 or quasi-2D CDWs such as 1T-TiSe2 characterized by alternating antiphase-locked distortion of adjacent layers³³, the photo-induced "inverted" CDW phase $(+ u_0)$ is equivalent to the original one $(-u_0)$, differing only by the phase of the OP. On the other hand, in 1T-TaSe₂ the third order term in Eq. (1) (that is essential to describe a first order phase transition like the ICDW-CCDW) makes the two minima energetically inequivalent: for $\beta' > 0$, the global minimum at $-u_0$ corresponds to an electron-like CDW leading to the starlike lattice reconstruction with reduced bond lengths, while for $\beta' < 0$ the global minimum at $+ u_0$ would imply a hole-like CDW with an expanded star-like distortion, that is clearly not the ground state of 1T-TaSe₂ experimentally observed, although the creation of a photo-induced inverted phase has been recently claimed³⁴. Based on the experimental observation that thermal hysteresis across the ICDW-CCDW transition temperature is negligibly small¹³ it can be shown that the third order term in Eq. (1) has a minor influence on the dynamics of the order parameter (see Supplementary Note 7). Thus, for the sake of simplicity and following McMillan, we will assume $\beta' = 0$ and consider the electron-like solution. When the CDW phase of 1T-TaSe2 sets in below the critical temperature, Ta atomic positions evolve from the unstable local maximum at u = 0 (corresponding to the undistorted lattice with all identical Ta-Ta bond lengths a_0) to the local minimum at $-u_0$, where lattice distortion leads to shorter Ta-Ta bonds $a = a_0 - u_0$ and the formation of the star-like reconstruction. The 24 bond lengths within a single star are visualized as a histogram in Fig. 3a. With respect to the undistorted lattice parameter ($a_0 = 3.461$ Å, from DFT), the average value of a (blue and green bonds in Fig. 3a) is 3.275 Å, which allows us to estimate the ground state OP as $-u_0 = a - a_0 = -0.186$ Å. Using the fact that $u_0(T=0) = \sqrt{\kappa/\beta}$, then $\beta = \kappa/u_0^2$ and the "shape" of the doublewell potential (up to the proportionality constant κ) can be readily determined, as shown in Fig. 3a (dark red curve), with the local maximum at a_0 and two symmetric minima separated by $2u_0 = 0.372$ Å.



Fig. 3 | Free energy functional of the CDW phase in 1*T*-TaSe₂. a Histogram of the 24 Ta-Ta bond lengths within the CCDW star-like reconstruction (the color of the bars correspond to the color of the bonds shown in the inset). The dark red solid line is the double-well potential (Eq. (1)): its local maximum lies at the lattice parameter $a_0 = 3.461$ Å of the undistorted phase, its global minimum is located at $u_0 = 0.186$ Å shorter bond length. **b** Temporal evolution of the two-component quadratic coefficient $A(T, t) = \alpha(T) + \eta(t)$ (gray solid line) in Eq. (3), the lattice temperature term $\alpha(T)$ (blue dashed line) and the screening term $-\eta(t)$ (red dashed line). The latter is compared with the photo-induced VB Lorentzian line broadening $w_L(t)$ (are given in Methods, Eqs. (6)–(8). (c) Photo-induced evolution of the double-well potential: the red solid line is the solution of the time-dependent Landau equation (Eq. 3) that fits the experimental oscillations (same as Fig. 2a), plotted on the G(u, t)/M potential surface.

Having established the characteristic shape of the OP potential under equilibrium conditions, now we focus on the description of the photoinduced oscillations reported in Fig. 2. Starting from Eq. (1), the general equation of motion is obtained differentiating G with respect to the OP³⁵:

$$-\frac{1}{M}\frac{dG}{du} = \frac{d^2u}{dt^2} + \gamma \frac{du}{dt}$$
(2)

The last term in Eq. (2) includes possible damping of the coherent motion through the phenomenological coefficient $\gamma > 0$. During and immediately after pump excitation, a strongly non-thermal electronic distribution

Table 1 | Fitting parameters of the oscillations shown in Fig. 2a according to Eqs. (3), (6)–(8)

Parameter	Value
к	129 THz ²
ΔΤ	64 K
Н	51 THz ²
γ	1.1 THz

develops, modifying the free energy potential (as inferred form the prompt AM softening discussed in Fig. 2b). Consequently, equilibrium parameters such as the temperature and the coefficient $\alpha(T)$ are poorly defined. Landau's model is still valid provided that $\alpha(T)$ in Eq. (1) is replaced by a time- and temperature-dependent term $A(T, t)^{29,32,35}$, so that the equation of motion becomes:

$$\frac{d^2u}{dt^2} = A(T,t)u - \beta u^3 - \gamma \frac{du}{dt}$$
(3)

The coefficient A(T, t) is unknown, but an analytical form can be deduced on the basis of some phenomenological considerations. Under thermal equilibrium, it is identical to the usual term $\alpha(T)$ that depends linearly on the temperature T. Sub-100 fs light pulses modify the electronic environment on a timescale faster than the period of a lattice vibration, reshaping the potential G(u) within the pump duration. However, a temperature cannot be properly determined until local thermal equilibrium between electrons and lattice is established, which occurs on a timescale ~ τ_{ep} . Only after this time lapse, does A(T, t) revert to $\alpha(T)$, possibly with an overall increased temperature. Therefore, A(T, t) significantly differs from $\alpha(T)$ only within the time window $0 < t \leq \tau_{ep}$. Assuming $A(T, t) = \alpha(T) + \eta(t)$, the prompt AM softening suggests that $\eta(t) < 0$ (see Eq. (8) in Methods) and $\eta(t) \rightarrow 0$ with time constant ~ τ_{ep} . The univocal candidate is $\eta(t) \propto - w_L(t)$ with the following physical meaning: the time-dependent coefficient incorporates non-thermal transient processes that weakens the OP potential at the electronic level through screening by hot photo-induced carriers, while $\alpha(T)$ is the usual Landau-like term related to the lattice temperature. Here, we anticipate that enhanced screening by hot electrons can be fully justified on the basis of the Thomas-Fermi model when the density of states develops a gap at the Fermi level, that is typically the case in the CDW phase. Detailed calculations are provided in Methods, Eqs. (4) and (5).

With the explicit forms of $\alpha(T)$ and $\eta(t)$ and the proper initial conditions (see Methods, Eqs. (6)–(8)), Eq. (3) is numerically solved as a function of only 4 parameters, the values of which are obtained by fitting the AM oscillations. The red solid line shown in Fig. 2a is the fitting curve obtained with the parameters reported in Table 1. Using these values, $\alpha(T)$ and $\eta(t)$ are quantified and their temporal profiles are shown in Fig. 3b. The pump induces a maximum 40% reduction of the quadratic coefficient A(T, t), ascribed to photo-enhanced electronic screening via $\eta(t)$. A few picoseconds after the pump arrival, A(T, t) recovers, although its value is 12% lower than prior to the optical excitation due to a ~ 60 K increase of lattice temperature. The resulting temporal evolution of the free energy G(u, t)/M is reported in Fig. 3c: the prompt change at zero delay shifts the local minimum to higher energy and, most importantly, towards u = 0. Subsequently, the electronic distribution thermalizes with the lattice, $\eta(t) \rightarrow 0$ and the potential relaxes, but it does not reach the initial shape due to lattice heating, as pointed out previously. The optically-induced modification of the potential is the driving force that triggers the oscillations of the OP and the corresponding fitting curve is shown on the G(u, t)/M surface (red solid line in Fig. 3c, same as Fig. 2a). The anharmonic behavior is essentially determined by the timedependent curvature of G(u, t)/M around its local minimum, as described by Eq. (11) in the Methods. Predicted mode softening matches the experimental result quite accurately (Fig. 2b).

To summarize, starting from the oscillations of the VB triggered by an ultrashort laser pulse in a tr-ARPES experiment, we deduced the free energy governing the OP and its photo-induced dynamics on the basis of the timedependent Landau equation. We identified the distinct contributions of lattice temperature and transient electronic distribution to the potential landscape. Its shape outlines the lattice reconstruction in the CDW phase that lowers the energy (minimum at $a = a_0 - u_0$), while its photo-induced dynamics launches anharmonic oscillations that soften promptly upon the pump arrival. We established that the AM softening is a consequence of the photo-induced weakening of OP potential, which stems from increased screening by the hot electronic distribution excited on a sub-100 fs timescale. We determined that photo-enhanced screening commonly occurs when a local minimum of the density of states appears at the Fermi level, a typical signature of charge-ordered phases. In our previous investigation²⁵, we showed that the CDW gap in the Ta-5*d* band (along the $\overline{\Gamma} - \overline{M}$ direction of the BZ) responds to a sub-100 fs pulse on a time scale matching half the period of the AM, despite the prompt electronic temperature exceeding 10³ K (i.e. a transient Lorentzian linewidth exceeding 0.1 eV, Fig. 2a). Combining with the present experimental evidence, we conclude that the CDW is robust against strong electronic perturbation and hot electrons do not substantially alter the CDW, but act indirectly, transiently weakening the OP potential. These facts lead us to conclude that the instability driving the phase transition lies in the lattice degree of freedom rather than the electronic counterpart and firmly endorse the structural origin of the chargeordered phase in 1T-TaSe₂. To further support our conclusion, we recall that previous ab initio calculations revealed imaginary phonon frequencies of the undistorted phase¹⁴⁻¹⁷, symptomatic of lattice instabilities, and moderate peaks in the electronic susceptibility^{6,36}, suggesting poor Fermi nesting. Considering that (i) depletion of states at E_F when a CDW sets in and (ii) prompt photo-induced softening of the AM are common features shared by a wide class of quasi-2D CDW systems²⁹, we believe this scenario is not limited to Tantalum dichalcogenides, but has far-reaching validity.

Methods

Time-dependent Landau model: photo-enhanced Thomas-Fermi screening

In solids, electrons screen any bare potential ϕ_{bare} by a factor $1/\epsilon$, where ϵ is the dielectric constant, leading to $\phi_{scr} = \phi_{bare}/\epsilon$. Based on the Thomas-Fermi (TF) model, the components of the dielectric constant in reciprocal space have the following form³⁷:

$$\epsilon_{TF}(q) = 1 + \frac{4\pi e^2}{q^2} \int -\frac{\partial f}{\partial \varepsilon} g(\varepsilon) d\varepsilon \tag{4}$$

where *q* is a wavevector, *f* is the Fermi-Dirac distribution and *g* is the density of states (DOS). The previous expression holds in the long wavelength limit (i.e. for small q). At the electronic temperature $T_e = 0$ the derivative of *f* reduces to $-\delta(\varepsilon_F)$ (the delta function at the Fermi level) and the integral equals $g(\varepsilon_F)$, leading to the well known form of the TF screening. The result does not change at any finite temperature $T_e > 0$ provided that the DOS is not varying much within a range of a few $k_B T_e$ around ε_F (see Supplementary Note 7). However, in CDW systems the charge ordering leads to a depletion of states around the Fermi level related to the opening of a gap (or pseudogap). Thus, $g(\varepsilon)$ develops a local minimum around ε_F . In this case, at any finite temperature the integral in Eq. (4) is larger than $g(\varepsilon_F)$ and monotonically increases with T_e (see Supplementary Note 8). To a first order approximation $\varepsilon(q) \approx \varepsilon_0(q) + c(q)k_BT_e$, with both $\varepsilon_0(q)$ and c(q) > 0 being temperature-independent. After replacing $k_BT_e(t)$ with $w_L(t)$ (their temporal profiles are equivalent), the screened potential becomes:

$$\phi_{scr} = \frac{\phi}{\epsilon} \approx \frac{\phi}{\epsilon_0 + cw_L} \approx \frac{\phi}{\epsilon_0} \frac{1}{1 + cw_L/\epsilon_0} \approx \frac{\phi}{\epsilon_0} \left(1 - \frac{c}{\epsilon_0} w_L\right)$$
(5)

(assuming $cw_L/\epsilon_0 \ll 1$). The last term in Eq. (5) represents the reduction of the potential induced by hot electrons. If we envisage the harmonic part of the Landau equation as a screened potential, then $\eta(t) \propto -w_L(t)$ plays precisely the role of the last term in Eq. (5), justifying our hypothesis.

Time-dependent Landau model: analytical forms of the coefficients

Since transient electronic processes are entirely modeled by $\eta(t)$, in the spirit of the two-temperature model³⁸ we assign the temperature in the coefficient $\alpha(T)$ to the lattice: laser-induced heating leads to a time dependence simply quantified as $T(t) = T_0 + \Delta T [1 - \exp(-t/\tau_{ep})]$. In summary:

$$\alpha(T) = \kappa(1 - T/T^*) \tag{6}$$

with
$$T = T_0 + \Delta T [1 - \exp(-t/\tau_{ep})]\Theta(t)$$
 (7)

$$\eta(t) = -H \exp(-t/\tau_{ep})\Theta(t) \propto -w_L(t)$$
(8)

where $\Theta(t)$ is the Heaviside step function, $T^* = 600$ K, $T_0 = 80$ K, $\tau_{ep} = 0.7$ ps. The 4 fitting parameters in Eq. (3) are κ , ΔT , H and γ (all > 0), while the initial conditions at t < 0 are $u_i = u_0 \sqrt{1 - T_0/T^*}$ ($u_0 = -0.186$ Å is the OP at 0 K) and $du_i/dt = 0$. As shown in the main text, the quartic coefficient is $\beta = \kappa/u_0^2$. Eqs. (3), (6)–(8) are used to fit the VB oscillations in Fig. 2a deducing the values of fitting parameters reported in Table 1. With these values, the potential G(u, t)/M is fully determined and its temporal evolution is shown in Fig. 3c. The transient minimum of the potential well lies at:

$$u_{min}(t) = -\sqrt{\frac{\alpha(T) + \eta(t)}{\beta}}$$
(9)

and $u_{min} - u_i$ is plotted in Fig. 2a (blue dashed line). The second derivative of G(u, t) computed at the local minimum $u_{min}(t)$ provides the curvature of the potential, that is the frequency squared of the AM, $\omega_{AM}^2(t)$:

$$\frac{1}{M} \frac{d^2 G}{du^2} \bigg|_{u_{min}} = -[\alpha(T) + \eta(t)] + 3\beta u_{min}^2(t)$$
(10)

$$= 2[\alpha(T) + \eta(t)] = \omega_{AM}^2(t) \tag{11}$$

 $\omega_{AM}(t)/2\pi$ is plotted in Fig. 2b (cyan dashed line), showing an excellent agreement with the experimental SWFT result.

Data availability

All data related to this paper are available from the corresponding authors upon reasonable request.

Received: 11 April 2024; Accepted: 18 November 2024; Published online: 28 November 2024

References

- Grüner, G. The dynamics of charge-density waves. *Rev. Mod. Phys.* 60, 1129–1181 (1988).
- Peierls, R. E. Quantum Theory of Solids, Chapter 5 (Oxford University Press, 1955).
- Fröhlich, H. On the theory of superconductivity: the one-dimensional case. Proc. R. Soc. Lond. Ser. A Math. Phys. Sci. 223, 296–305 (1954).
- 4. Grüner, G. Density Waves in Solids, Chapter 3 (Addison-Wesley, 1994).
- Johannes, M. D. & Mazin, I. I. Fermi surface nesting and the origin of charge density waves in metals. *Phys. Rev. B* 77, 165135 (2008).
- Cowley, R. A. Structural phase transitions I. Landau theory. *Adv. Phys.* 29, 1–110 (1980).
- Shi, X. et al. Ultrafast electron calorimetry uncovers a new long-lived metastable state in 17-TaSe₂ mediated by mode-selective electronphonon coupling. *Sci. Adv.* 5, eaav4449 (2019).
- Zhang, Y. et al. Coherent modulation of the electron temperature and electron-phonon couplings in a 2D material. *PNAS* **117**, 8788–8793 (2020).

- 9. Maklar, J. et al. Nonequilibrium charge-density-wave order beyond the thermal limit. *Nat. Commun.* **12**, 2499 (2021).
- Rohwer, T. et al. Collapse of long-range charge order tracked by timeresolved photoemission at high momenta. *Nature* 471, 490–493 (2011).
- 11. Hellmann, S. et al. Time-domain classification of charge-densitywave insulators. *Nat. Commun.* **3**, 1069 (2012).
- Hedayat, H. et al. Excitonic and lattice contributions to the charge density wave in 17-TiSe₂ revealed by a phonon bottleneck. *Phys. Rev. Res.* 1, 023029 (2019).
- Wilson, J. A., Di Salvo, F. J. & Mahajan, S. Charge-density waves in metallic, layered, transition-metal dichalcogenides. *Phys. Rev. Lett.* 32, 882–885 (1974).
- Yan, J.-A., Dela Cruz, M. A., Cook, B. & Varga, K. Structural, electronic and vibrational properties of few-layer 2*H*- and 1*T*-TaSe₂. *Sci. Rep.* 5, 16646 (2015).
- Liu, Y. et al. Nature of charge density waves and superconductivity in 1*T*-TaSe_{2-x}Te_x. *Phys. Rev. B* 94, 045131 (2016).
- Jiang, T. et al. Two-dimensional charge density waves in TaX₂ (X=S, Se, Te) from first principles. *Phys. Rev. B* **104**, 075147 (2021).
- Ge, Y. & Liu, A. Y. First-principles investigation of the charge-densitywave instability in 17-TaSe₂. Phys. Rev. B 82, 155133 (2010).
- Sugai, S., Murase, K., Uchida, S. & Tanaka, S. Comparison of the soft modes in tantalum dichalcogenides. *Phys. B+C.* 105, 405–409 (1981).
- Tsang, J. C., Smith Jr, J. E., Shafer, M. & Meyer, S. F. Raman spectroscopy of the charge-density-wave state in 1*T*- and 2*H*-TaSe₂. *Phys. Rev. B* 16, 4239–4245 (1977).
- Sayers, C. J. et al. Coherent phonons and the interplay between charge density wave and Mott phases in 17-TaSe₂. *Phys. Rev. B* 102, 161105(R) (2020).
- Sohrt, C., Stange, A., Bauer, M. & Rossnagel, K. How fast can a Peierls-Mott insulator be melted? *Faraday Discuss.* **171**, 243–257 (2014).
- Bovet, M. et al. Pseudogapped Fermi surfaces of 1T-TaS₂ and 1T-TaSe₂: A charge density wave effect. *Phys. Rev. B* 69, 125117 (2004).
- 23. Chen, Y. et al. Strong correlations and orbital texture in single-layer 1*T*-TaSe₂. *Nat. Phys.* **16**, 218–224 (2020).
- Smith, N. V., Kevan, S. D. & DiSalvo, F. J. Band structures of the layer compounds 17-TaS₂ and 2H-TaSe₂ in the presence of commensurate charge-density waves. *J. Phys. C Solid State Phys.* **18**, 3175–3189 (1985).
- Sayers, C. J. et al. Exploring the Charge Density Wave phase of 17-TaSe₂: Mott or Charge-transfer Gap? *Phys. Rev. Lett.* **130**, 156401 (2023).
- Zeiger, H. J. et al. Theory for displacive excitation of coherent phonons. *Phys. Rev. B* 45, 768–778 (1992).
- 27. Weber, F. et al. Electron-Phonon Coupling and the Soft Phonon Mode in TiSe₂. *Phys. Rev. Lett.* **107**, 266401 (2011).
- Diego, J. et al. van der Waals driven anharmonic melting of the 3D charge density wave in VSe₂. Nat. Commun. **12**, 598 (2021).
- Yusupov, R. et al. Coherent dynamics of macroscopic electronic order through a symmetry breaking transition. *Nat. Phys.* 6, 681–684 (2010).
- Landau, L. D. & Lifschitz, E. M. Statistical Physics, Vol. 5, Ch. 143 of Course of Theoretical Physics (Pergamon Press, 1980).
- McMillan, W. L. Landau theory of charge-density waves in transitionmetal dichalcogenides. *Phys. Rev. B* 12, 1187–1196 (1975).
- Huber, T. et al. Coherent Structural Dynamics of a Prototypical Charge-Density-Wave-to-Metal Transition. *Phys. Rev. Lett.* **113**, 026401 (2014).
- Duan, S. et al. Optical manipulation of electronic dimensionality in a quantum material. *Nature* 595, 239–244 (2021).
- Zhang, Y. et al. Creation of a novel inverted charge density wave state. Struct. Dyn. 9, 014501 (2022).
- Giannetti, C. et al. Ultrafast optical spectroscopy of strongly correlated materials and high-temperature superconductors: a nonequilibrium approach. *Adv. Phys.* 65, 58–238 (2016).

- Dressel, M., Grüner, G. Electrodynamics of Solids, Optical Properties of Electrons in Matter, Part I, Chapter 5 (Cambridge University Press, 2002).
- Anisimov, S. I., Kapeliovich, B. L. & Perel'man, T. L. Electron emission from metal surfaces exposed to ultrashort laser pulses. *Sov. Phys. JETP* 39, 375–377 (1975).

Acknowledgements

We acknowledge financial support by the Italian Ministry of University and Research (grant PRIN 2017BZPKSZ), LaserLab-Europe (grant agreement no. 871124, European Union's Horizon 2020 research and innovation programme) and the European Union's NextGenerationEU Programme with the I-PHOQS Infrastructure [IR0000016, ID D2B8D520, CUP

B53C22001750006] "Integrated infrastructure initiative in Photonic and Quantum Sciences". Access to Artemis at the Central Laser Facility was provided by STFC (experiment no. 20120002) with technical support from Alistair Cox, Phil Rice and Ota Michalek. Computational work was also supported by the University of Bath Cloud Pilot Project and the EU Horizon 2020 OCRE project "Cloud funding for research". Habib Rostami is gratefully acknowledged for fruitful discussions. We thank Aaron M. Ross for providing the transient reflectivity data in the Supplementary.

Author contributions

E.C. and E.D.C. proposed and designed the research; E.D.C. performed the crystal growth; E.C., E.D.C., D.W. and C.J.S. carried out the tr-ARPES measurements with Y.Z., C.E.S., R.T.C., A.S.W., G.Ch. and E.S.; E.C. analyzed the data, performed the DFT calculations with D.W. and wrote the manuscript with E.D.C. and C.J.S., G.C. and D.W.; all authors contributed to the final version of the manuscript.

Competing interests

The authors declare no competing interests.

Additional information

Supplementary information The online version contains supplementary material available at https://doi.org/10.1038/s42005-024-01879-0.

Correspondence and requests for materials should be addressed to E. Da Como or E. Carpene.

Peer review information Communications Physics thanks Yifan Su and the other, anonymous, reviewer(s) for their contribution to the peer review of this work.

Reprints and permissions information is available at http://www.nature.com/reprints

Publisher's note Springer Nature remains neutral with regard to jurisdictional claims in published maps and institutional affiliations.

Open Access This article is licensed under a Creative Commons Attribution 4.0 International License, which permits use, sharing, adaptation, distribution and reproduction in any medium or format, as long as you give appropriate credit to the original author(s) and the source, provide a link to the Creative Commons licence, and indicate if changes were made. The images or other third party material in this article are included in the article's Creative Commons licence, unless indicated otherwise in a credit line to the material. If material is not included in the article's Creative Commons licence and your intended use is not permitted by statutory regulation or exceeds the permitted use, you will need to obtain permission directly from the copyright holder. To view a copy of this licence, visit http://creativecommons.org/licenses/by/4.0/.

© The Author(s) 2024