

NOSA-ITACA documentation

Version 1.1

Vincenzo Binante, Maria Girardi, Cristina Padovani, Giuseppe Pasquinelli, Daniele Pellegrini, Margherita Porcelli, Leonardo Robol

Istituto di Scienza e Tecnologie dell'Informazione "Alessandro Faedo" Consiglio Nazionale delle Ricerche, Pisa, Italy

May 2017



Contents

1	The	NOSA-I	TACA code	1
	1.1	Introdu	ction	1
	1.2	NOSA-	ITACA Documentation	3
	1.3	REFER	ENCES	4
2	SAL	OME N	losa User's Guide	7
	2.1	Create	Materials	9
		2.1.1	About Materials	9
		2.1.2	Defining a material behaviour	10
		2.1.3	Editing materials	12
	2.2	Specify	the Type of Element	13
		2.2.1	About NOSA Element Library	13
		2.2.2	Specifying an element type	14
		2.2.3	Editing element types	16
	2.3	Define	Element Section Thickness	17
		2.3.1	About Element Cross-Section Properties	17
		2.3.2	Defining element cross-section properties	18
		2.3.3	Editing element cross-section	19
	2.4	Define	Concentrated Masses to Nodes	20
		2.4.1	About Concentrated Masses	20
		2.4.2	Defining concentrated masses to nodes	21
		2.4.3	Editing nodal properties	22
	2.5	Define	local reference systems	23
		2.5.1	About Local Reference Systems	23
		2.5.2	Defining local reference systems	23
		2.5.3	Editing local reference systems	25
	2.6	Define	Rotation Axes	26
		2.6.1	About Rotation Axis	26

CONTENTS

	2.6.2	Defining a rotation axis	26
	2.6.3	Editing rotation axes	28
2.7	Set Init	tial Conditions	29
	2.7.1	About Initial Conditions	29
	2.7.2	Specifying an initial condition	29
	2.7.3	Editing initial condition	31
2.8	Set Bo	undary Conditions	32
	2.8.1	About Boundary Conditions	32
	2.8.2	Specifying a boundary condition	33
	2.8.3	Editing boundary condition	35
	2.8.4	Showing/Hiding boundary condition	36
2.9	Define	Loads	37
	2.9.1	About NOSA Load Library	37
	2.9.2	Specifying a load type	38
	2.9.3	Editing loads	40
	2.9.4	Showing/Hiding load	41
2.10	Define	Multipoint Constraints	42
	2.10.1	About Multipoint Constraints	42
	2.10.2	Specifying a multipoint constraint	43
	2.10.3	Editing multipoint constraints	45
	2.10.4	Showing/Hiding multipoint constraint	46
2.11	Set Sol	lution Controls	47
	2.11.1	About Solution Controls	47
	2.11.2	Setting solution controls	47
	2.11.3	Editing solution controls	49
2.12	Set Da	mping	50
	2.12.1	About Damping	50
	2.12.2	Specifying damping	50
	2.12.3	Editing damping	52
2.13	Define	Load-Steps	53
	2.13.1	Overview	53
	2.13.2	Setup Load-Steps	54
	2.13.3	Editing Load-Steps	55
2.14	Specify	y Output Requests	56
	2.14.1	Overview	56
	2.14.2	Specifying output variables	57

		2.14.3	Editing of	output requests	59
	2.15	Define	Jobs		60
		2.15.1	Overviev	v	60
		2.15.2	Creating	jobs	61
		2.15.3	Editing j	obs	63
		2.15.4	Writing i	input file	64
	2.16	Submi	t a Job .		65
	2.17	Monito	or a Job .		66
	2.18	Create	a ".med" f	file	67
3	NOS	A Theo	ory Manu	al	69
	3.1	Histori	cal overvi	ew of the NOSA code	. 70
	3.2	Theore	tical back	ground of the NOSA code	. 70
	3.3	REFEI	RENCES	-	. 71
	3.4	Materi	als		. 72
		3.4.1	Overviev	v	. 72
	3.5	NOSA	Element l	Library	72
		3.5.1	Overview	v	. 72
		3.5.2	Element	1: 3D 20-node hexahedron	. 74
			3.5.2.1	Nodal Connectivity	. 74
			3.5.2.2	Integration Points	. 74
			3.5.2.3	Distributed loads	75
			3.5.2.4	Collapsed forms of the element	. 77
			3.5.2.5	Nodal Coordinates	. 77
			3.5.2.6	Degrees of freedom	. 77
			3.5.2.7	Field Output	. 77
			3.5.2.8	Analysis types	. 77
		3.5.3	Element	2: Plane stress 8-node quadrilateral	. 77
			3.5.3.1	Nodal Connectivity	78
			3.5.3.2	Integration Points	78
			3.5.3.3	Geometrical Attributes	. 78
			3.5.3.4	Distributed loads	. 79
			3.5.3.5	Collapsed forms of the element	80
			3.5.3.6	Nodal Coordinates	80
			3.5.3.7	Degrees of freedom	80
			3.5.3.8	Field Output	80
			3.5.3.9	Analysis types	81

CONTENTS

3.5.4	Element	3: Plane strain 8-node quadrilateral	81
	3.5.4.1	Nodal Connectivity	81
	3.5.4.2	Integration Points	81
	3.5.4.3	Geometrical Attributes	82
	3.5.4.4	Distributed loads	82
	3.5.4.5	Collapsed forms of the element	84
	3.5.4.6	Nodal Coordinates	84
	3.5.4.7	Degrees of freedom	84
	3.5.4.8	Field Output	84
	3.5.4.9	Analysis types	84
3.5.5	Element	4: Axisymmetric 8-node quadrilateral	84
	3.5.5.1	Nodal Connectivity	84
	3.5.5.2	Integration Points	85
	3.5.5.3	Distributed loads	85
	3.5.5.4	Collapsed forms of the element	87
	3.5.5.5	Nodal Coordinates	87
	3.5.5.6	Degrees of freedom	87
	3.5.5.7	Field Output	87
	3.5.5.8	Analysis types	87
3.5.6	Element	5: Thin shell 8-node quadrilateral	87
	3.5.6.1	Nodal Connectivity	88
	3.5.6.2	Integration Points	88
	3.5.6.3	Geometrical Attributes	88
	3.5.6.4	Distributed loads	89
	3.5.6.5	Collapsed forms of the element	90
	3.5.6.6	Nodal Coordinates	90
	3.5.6.7	Degrees of freedom	90
	3.5.6.8	Field Output	90
	3.5.6.9	Analysis types	90
	3.5.6.10	Local reference frame	91
3.5.7	Element	6: Plane strain 4-node quadrilateral	91
	3.5.7.1	Nodal Connectivity	91
	3.5.7.2	Integration Points	91
	3.5.7.3	Geometrical Attributes	92
	3.5.7.4	Distributed loads	92
	3.5.7.5	Collapsed forms of the element	94

	3.5.7.6	Nodal Coordinates	94
	3.5.7.7	Degrees of freedom	94
	3.5.7.8	Field Output	94
	3.5.7.9	Analysis types	94
3.5.8	Element	7: Axisymmetric 4-node quadrilateral	94
	3.5.8.1	Nodal Connectivity	94
	3.5.8.2	Integration Points	95
	3.5.8.3	Distributed loads	95
	3.5.8.4	Collapsed forms of the element	97
	3.5.8.5	Nodal Coordinates	97
	3.5.8.6	Degrees of freedom	97
	3.5.8.7	Field Output	97
	3.5.8.8	Analysis types	97
3.5.9	Element	8: 3D 8-node hexahedron	97
	3.5.9.1	Nodal Connectivity	97
	3.5.9.2	Integration Points	98
	3.5.9.3	Distributed loads	98
	3.5.9.4	Collapsed forms of the element	100
	3.5.9.5	Nodal Coordinates	101
	3.5.9.6	Degrees of freedom	101
	3.5.9.7	Field Output	101
	3.5.9.8	Analysis types	101
3.5.10	Element	9: Beam 2-node segment	101
	3.5.10.1	Nodal Connectivity	101
	3.5.10.2	Integration Points	101
	3.5.10.3	Geometrical Attributes	102
	3.5.10.4	Distributed loads	102
	3.5.10.5	Nodal Coordinates	103
	3.5.10.6	Degrees of freedom	103
	3.5.10.7	Field Output	103
	3.5.10.8	Analysis types	104
3.5.11	Element	10: Thick shell 4-node quadrilateral	104
	3.5.11.1	Nodal Connectivity	104
	3.5.11.2	Integration Points	104
	3.5.11.3	Geometrical Attributes	105
	3.5.11.4	Distributed loads	105

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

	3.5.11.5	Collapsed forms of the element	106
	3.5.11.6	Nodal Coordinates	106
	3.5.11.7	Degrees of freedom	107
	3.5.11.8	Field Output	107
	3.5.11.9	Analysis types	107
	3.5.11.10	Local reference frame	107
3.5.12	Element	11: Plane heat transfer 8-node quadrilateral	107
	3.5.12.1	Nodal Connectivity	108
	3.5.12.2	Integration Points	108
	3.5.12.3	Distributed fluxes	108
	3.5.12.4	Collapsed forms of the element	109
	3.5.12.5	Nodal Coordinates	109
	3.5.12.6	Degrees of freedom	109
	3.5.12.7	Field Output	109
	3.5.12.8	Analysis types	109
3.5.13	Element	12: Plane heat transfer 4-node quadrilateral	110
	3.5.13.1	Nodal Connectivity	110
	3.5.13.2	Integration Points	110
	3.5.13.3	Distributed fluxes	110
	3.5.13.4	Collapsed forms of the element	111
	3.5.13.5	Nodal Coordinates	111
	3.5.13.6	Degrees of freedom	111
	3.5.13.7	Field Output	111
	3.5.13.8	Analysis types	111
3.5.14	Element	13: Axisymmetric heat transfer 8-node quadrilateral	111
	3.5.14.1	Nodal Connectivity	112
	3.5.14.2	Integration Points	112
	3.5.14.3	Distributed fluxes	112
	3.5.14.4	Collapsed forms of the element	113
	3.5.14.5	Nodal Coordinates	113
	3.5.14.6	Degrees of freedom	113
	3.5.14.7	Field Output	113
	3.5.14.8	Analysis types	113
3.5.15	Element	14: Axisymmetric heat transfer 4-node quadrilateral	114
	3.5.15.1	Nodal Connectivity	114
	3.5.15.2	Integration Points	114

	3.5.15.3	Distributed fluxes	14
	3.5.15.4	Collapsed forms of the element	15
	3.5.15.5	Nodal Coordinates	15
	3.5.15.6	Degrees of freedom	15
	3.5.15.7	Field Output	15
	3.5.15.8	Analysis types	15
3.5.16	Element	15: 3D heat transfer 8-node hexahedron	15
	3.5.16.1	Nodal Connectivity	16
	3.5.16.2	Integration Points	16
	3.5.16.3	Distributed fluxes	17
	3.5.16.4	Collapsed forms of the element	17
	3.5.16.5	Nodal Coordinates	17
	3.5.16.6	Degrees of freedom	17
	3.5.16.7	Field Output	18
	3.5.16.8	Analysis types	18
3.5.17	Element	16: 3D heat transfer 20-node hexahedron 1	18
	3.5.17.1	Nodal Connectivity	18
	3.5.17.2	Integration Points	18
	3.5.17.3	Distributed fluxes	19
	3.5.17.4	Collapsed forms of the element	20
	3.5.17.5	Nodal Coordinates	20
	3.5.17.6	Degrees of freedom	20
	3.5.17.7	Field Output	20
	3.5.17.8	Analysis types	20
3.5.18	Element	17: Shell heat transfer 4-node quadrilateral	20
	3.5.18.1	Nodal Connectivity	20
	3.5.18.2	Integration Points	21
	3.5.18.3	Geometrical Attributes	21
	3.5.18.4	Distributed fluxes	22
	3.5.18.5	Collapsed forms of the element	22
	3.5.18.6	Nodal Coordinates	23
	3.5.18.7	Degrees of freedom	23
	3.5.18.8	Field Output	23
	3.5.18.9	Analysis types	23
3.5.19	Element	18: Plane stress 4-node quadrilateral	23
	3.5.19.1	Nodal Connectivity	23

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

CONTENTS

	3.5.19.2	Integration Points	123
	3.5.19.3	Geometrical Attributes	124
	3.5.19.4	Distributed loads	124
	3.5.19.5	Collapsed forms of the element	126
	3.5.19.6	Nodal Coordinates	126
	3.5.19.7	Degrees of freedom	126
	3.5.19.8	Field Output	126
	3.5.19.9	Analysis types	126
3.5.20	Element	19: Plane stress 3-node triangle	126
	3.5.20.1	Nodal Connectivity	126
	3.5.20.2	Integration Points	126
	3.5.20.3	Geometrical Attributes	127
	3.5.20.4	Distributed loads	127
	3.5.20.5	Nodal Coordinates	128
	3.5.20.6	Degrees of freedom	128
	3.5.20.7	Field Output	128
	3.5.20.8	Analysis types	129
3.5.21	Element	20: Plane stress 6-node triangle	129
	3.5.21.1	Nodal Connectivity	129
	3.5.21.2	Integration Points	129
	3.5.21.3	Geometrical Attributes	129
	3.5.21.4	Distributed loads	130
	3.5.21.5	Nodal Coordinates	131
	3.5.21.6	Degrees of freedom	131
	3.5.21.7	Field Output	131
	3.5.21.8	Analysis types	131
3.5.22	Element	21: Plane strain 3-node triangle	131
	3.5.22.1	Nodal Connectivity	131
	3.5.22.2	Integration Points	131
	3.5.22.3	Geometrical Attributes	132
	3.5.22.4	Distributed loads	132
	3.5.22.5	Nodal Coordinates	133
	3.5.22.6	Degrees of freedom	133
	3.5.22.7	Field Output	133
	3.5.22.8	Analysis types	134
3.5.23	Element	22: Plane strain 6-node triangle	134

	3.5.23.1	Nodal Connectivity
	3.5.23.2	Integration Points
	3.5.23.3	Geometrical Attributes
	3.5.23.4	Distributed loads
	3.5.23.5	Nodal Coordinates
	3.5.23.6	Degrees of freedom
	3.5.23.7	Field Output
	3.5.23.8	Analysis types
3.5.24	Element	23: Axisymmetric 3-node triangle
	3.5.24.1	Nodal Connectivity
	3.5.24.2	Integration Points
	3.5.24.3	Distributed loads
	3.5.24.4	Nodal Coordinates
	3.5.24.5	Degrees of freedom
	3.5.24.6	Field Output
	3.5.24.7	Analysis types
3.5.25	Element	24: Axisymmetric 6-node triangle
	3.5.25.1	Nodal Connectivity
	3.5.25.2	Integration Points
	3.5.25.3	Distributed loads
	3.5.25.4	Nodal Coordinates
	3.5.25.5	Degrees of freedom
	3.5.25.6	Field Output
	3.5.25.7	Analysis types
3.5.26	Element	25: 3D 4-node tetrahedron
	3.5.26.1	Nodal Connectivity
	3.5.26.2	Integration Points
	3.5.26.3	Distributed loads
	3.5.26.4	Nodal Coordinates
	3.5.26.5	Degrees of freedom
	3.5.26.6	Field Output
	3.5.26.7	Analysis types
3.5.27	Element	26: 3D 10-node tetrahedron
	3.5.27.1	Nodal Connectivity
	3.5.27.2	Integration Points
	3.5.27.3	Distributed loads

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

CONTENTS

	3.5.27.4	Nodal Coordinates	147
	3.5.27.5	Degrees of freedom	147
	3.5.27.6	Field Output	147
	3.5.27.7	Analysis types	147
3.5.28	Element	27: Thick shell 3-node triangle	147
	3.5.28.1	Nodal Connectivity	147
	3.5.28.2	Integration Points	147
	3.5.28.3	Geometrical Attributes	148
	3.5.28.4	Distributed loads	148
	3.5.28.5	Nodal Coordinates	149
	3.5.28.6	Degrees of freedom	149
	3.5.28.7	Field Output	149
	3.5.28.8	Analysis types	150
	3.5.28.9	Local reference frame	150
3.5.29	Element	28: Plane heat transfer 3-node triangle	150
	3.5.29.1	Nodal Connectivity	150
	3.5.29.2	Integration Points	150
	3.5.29.3	Distributed fluxes	151
	3.5.29.4	Nodal Coordinates	152
	3.5.29.5	Degrees of freedom	152
	3.5.29.6	Field Output	152
	3.5.29.7	Analysis types	152
3.5.30	Element	29: Plane heat transfer 6-node triangle	152
	3.5.30.1	Nodal Connectivity	152
	3.5.30.2	Integration Points	152
	3.5.30.3	Distributed fluxes	153
	3.5.30.4	Nodal Coordinates	153
	3.5.30.5	Degrees of freedom	154
	3.5.30.6	Field Output	154
	3.5.30.7	Analysis types	154
3.5.31	Element	30: Axisymmetric heat transfer 3-node triangle	154
	3.5.31.1	Nodal Connectivity	154
	3.5.31.2	Integration Points	154
	3.5.31.3	Distributed fluxes	155
	3.5.31.4	Nodal Coordinates	155
	3.5.31.5	Degrees of freedom	155

	3.5.31.6	Field Output	155
	3.5.31.7	Analysis types	155
3.5.32	Element	31: Axisymmetric heat transfer 6-node triangle	155
	3.5.32.1	Nodal Connectivity	156
	3.5.32.2	Integration Points	156
	3.5.32.3	Distributed fluxes	156
	3.5.32.4	Nodal Coordinates	157
	3.5.32.5	Degrees of freedom	157
	3.5.32.6	Field Output	157
	3.5.32.7	Analysis types	157
3.5.33	Element	32: 3D heat transfer 4-node tetrahedron	157
	3.5.33.1	Nodal Connectivity	157
	3.5.33.2	Integration Points	158
	3.5.33.3	Distributed fluxes	158
	3.5.33.4	Nodal Coordinates	159
	3.5.33.5	Degrees of freedom	159
	3.5.33.6	Field Output	159
	3.5.33.7	Analysis types	159
3.5.34	Element	33: 3D heat transfer 10-node tetrahedron	159
	3.5.34.1	Nodal Connectivity	159
	3.5.34.2	Integration Points	160
	3.5.34.3	Distributed fluxes	160
	3.5.34.4	Nodal Coordinates	161
	3.5.34.5	Degrees of freedom	161
	3.5.34.6	Field Output	161
	3.5.34.7	Analysis types	161
3.5.35	Element	34: Shell heat transfer 3-node triangle	161
	3.5.35.1	Nodal Connectivity	161
	3.5.35.2	Integration Points	161
	3.5.35.3	Geometrical Attributes	162
	3.5.35.4	Distributed fluxes	162
	3.5.35.5	Nodal Coordinates	163
	3.5.35.6	Degrees of freedom	163
	3.5.35.7	Field Output	163
	3.5.35.8	Analysis types	164
3.5.36	Element	35: Three-dimensional 2-node truss	164

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

CONTENTS

			3.5.36.1 Nodal Connectivity
			3.5.36.2 Integration Points
			3.5.36.3 Geometrical Attributes
			3.5.36.4 Distributed loads
			3.5.36.5 Nodal Coordinates
			3.5.36.6 Degrees of freedom
			3.5.36.7 Field Output
			3.5.36.8 Analysis types
1	NOS	A Kow	vords Poference Cuide 167
•	A 1	Introdu	letion 168
	4.1	Descri	ntion of the crd file 168
	4.2	Contro	A Section 168
	ч.5	431	BEAM SECT 170
		432	COMMENT 171
		433	COMPOSITE 171
		4.3.4	CONTACT 172
		4.3.5	DAMPING 172
		4.3.6	DEFORMABLE
		4.3.7	DIST LOADS
		4.3.8	DYNAMIC
		4.3.9	ELASTIC
		4.3.10	ELEMENTS
		4.3.11	END
		4.3.12	ENERGY
		4.3.13	FILM
		4.3.14	FINITE STRAIN
		4.3.15	FOLLOWER FORCES
		4.3.16	FRICTION
		4.3.17	HARDENING 179
		4.3.18	HEAT TRANSFER
		4.3.19	HHT
		4.3.20	ITRESS
		4.3.21	LUMPED MASS
		4.3.22	MASONRY
		4.3.23	MATERIALS
		4.3.24	MODAL 184

	4.3.25	OPTIMIZE
	4.3.26	POTENTIAL
	4.3.27	PRINT LEVEL
	4.3.28	RESTART
	4.3.29	SCALE
	4.3.30	SETNAME
	4.3.31	SHELL SECT
	4.3.32	SIZING
	4.3.33	STOP
	4.3.34	TEMP TABLES 191
	4.3.35	THERMAL LOADS
	4.3.36	TIE
	4.3.37	TITLE 193
4.4	Model	Section
	4.4.1	Introduction
	4.4.2	BODY 195
	4.4.3	BOUNDARY CONDITIONS 196
	4.4.4	COMMENT
	4.4.5	COMPOSITION
	4.4.6	CONNECTIVITY 199
	4.4.7	CONTROL
	4.4.8	COORDINATES
	4.4.9	DAMPING 203
	4.4.10	DEFINE
	4.4.11	DYNAMIC
	4.4.12	END OPTION 206
	4.4.13	FILM COEFFICIENT
	4.4.14	FIXED ACCELERATION
	4.4.15	FIXED DISPLACEMENT
	4.4.16	FIXED TEMPERATURE 212
	4.4.17	FRICTION
	4.4.18	GEOMETRY 214
	4.4.19	HARDENING 216
	4.4.20	INITIAL DISPLACEMENT
	4.4.21	INITIAL TEMPERATURE 220
	4.4.22	INITIAL VELOCITY

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

	4.4.23	LOCAL AXIS
	4.4.24	LUMPED MASS
	4.4.25	MASONRY
	4.4.26	MASSES
	4.4.27	POST
	4.4.28	POTENTIAL HILL
	4.4.29	PROPERTY 232
	4.4.30	ROTATION AXIS
	4.4.31	SELECTIVE INTEGRATION
	4.4.32	SURFACE
	4.4.33	TEMP TABLE
	4.4.34	TYING
4.5	Load S	ection
	4.5.1	AUTO LOAD
	4.5.2	BOUNDARY CHANGE
	4.5.3	COMMENT 245
	4.5.4	CONTROL
	4.5.5	DISTRIBUTED FLUXES 247
	4.5.6	DISTRIBUTED LOADS
	4.5.7	ELPRINT
	4.5.8	END INCREMENT
	4.5.9	FIXED ACCELERATION
	4.5.10	FIXED DISPLACEMENT
	4.5.11	FIXED TEMPERATURE 255
	4.5.12	MODAL 257
	4.5.13	NODPRINT
	4.5.14	POINT FLUXES
	4.5.15	POINT LOADS
	4.5.16	POST
	4.5.17	PRINT CHOICE
	4.5.18	PROPORTIONAL INCREMENT 264
	4.5.19	SAVE INCREMENT
	4.5.20	STEPSIZE
	4.5.21	SURFACE CHANGE
	4.5.22	THERMAL LOADS
	4.5.23	TIME STEP

		4.5.24 TYING CHANGE	270
5	User	Subroutines Reference Guide	271
	5.1	Introduction	272
	5.2	Compiling and linking utility routines	272
	5.3	Utility routines	272
	5.4	СРНІ	273
	5.5	CPSI, CPS1	274
	5.6	FORCEM	276
	5.7	PLOTV	279
	5.8	UBND	287
	5.9	UDSPI	290
	5.10	UFILM	291
	5.11	UFRI	292
	5.12	UGEOM	293
	5.13	ULAXIS	294
	5.14	UMOTIO	295
	5.15	UPLOAD	296
	5.16	UPMAS	297
	5.17	URDTEM	297
	5.18	UTEMPI	298
	5.19	UTIE	299
	5.20	UVELI	306
6	Miss		207
U	6.1	Description of the COMMON blocks	307
	0.1	6.1.1 /CNTP/	300
		6.1.2 /CONVPC/	312
		6.1.2 /CONVRO/	312
		6.1.4 (DVNA)	313
		6.1.5 /ELEM/	314
		6.1.6 /ENEPC/	314
		6.1.7 /ENERO/	215
		6.1.9 /EIKOD/	215
		6.1.0 /FILES/	313
		6.1.10 /L OADS/	217
		61.11 /LOCAL/	217
		0.1.11 /LUCAL/	31/

	6.1.12	/LSIZE/
	6.1.13	/MOTION/
	6.1.14	/POST/
	6.1.15	/SHFUN/
	6.1.16	/SIZE/
	6.1.17	/TIMCPU/
	6.1.18	/TITL/
	6.1.19	/TMPPST/
6.2	Descrip	ption of the NOSA-ITACA files
	6.2.1	File "jobname.crd"
	6.2.2	File "jobname.prt"
	6.2.3	File "jobname.msh"
	6.2.4	File "jobname.rst"
	6.2.5	Files "jobname.t16" and "jobname.t19"
	6.2.6	Files "jobname.t25" and "jobname.t26"
	6.2.7	File "jobname.med"
	6.2.8	File "jobname.sta"
	6.2.9	File "jobname_modal.t19"
	6.2.10	File "fort.83"
	6.2.11	File "jobname.1"
	6.2.12	File "jobname.2"
	6.2.13	File "jobname.3"
	6.2.14	File "jobname.4"
6.3	Error C	Codes

Chapter 1

The NOSA-ITACA code

1.1 Introduction

NOSA-ITACA is the result of the integration of the finite element code **NOSA** into the open-source **SA-LOME** platform (Figure 1.1).

The finite element code NOSA (Non-Linear Structural Analysis) [1] has been developed by the Mechanics of Materials and Structures Laboratory of the ISTI-CNR with the aim of testing new constitutive models for materials. It has moreover been applied to checking the algorithms used for integrating the equations of motion, as well as other numerical techniques for solving structural engineering problems. The development of NOSA began in 1980 and has continued over the ensuing years along the research lines of the Lab.

The first version of the code included plane, three-dimensional and axisymmetric isoparametric elements [2] and allowed for elastic and elastic-plastic analyses in the presence of infinitesimal strains with the work-hardening models described in [3]. The code has subsequently been extended to include cases of finite strains and contact problems, based on studies performed on both the constitutive equations [4 - 7] and the methods for numerical integration of the equations of motion, in the presence of follower forces [8, 9, 10].

Over recent decades, constitutive models and calculation techniques have become available that enable realistic description of the static behaviour of masonry structures. Several studies [11 - 16] have led to a better understanding of the constitutive equation of materials not withstanding tension, known in the literature as masonry-like or no-tension materials. Within this framework, masonry is modelled as a nonlinear elastic material, with zero tensile strength and infinite or bounded compressive strength.

In order to study real problems, the equilibrium problem of masonry structures can be solved via the finite element method. To this end, suitable numerical techniques have been developed [13]-[16] based on the Newton-Raphson method for solving the nonlinear system obtained by discretising the structure into finite elements. Their application requires that the derivative of the stress with respect to the strain be explicitly known, as this is needed in order to calculate the tangent stiffness matrix. The numerical method studied has therefore been implemented into the NOSA code to enable determination of the stress state and the presence of any cracking. It can moreover be applied to modelling needed restoration and reinforcement operations on constructions of particular architectural interest [17].

The code has been further enhanced to be able to perform nonlinear heat-conduction analysis on solids even in the non-stationary case, with boundary conditions concerning temperature and thermal fluxes. Today, the code provides for thermo-mechanical analysis of no-tension solids whose mechanical characteristics depend on temperature in the presence of thermal loads [18], [19], [16]. Finally, numerical solution of dynamic problems requires direct integration of the equations of motion [20]. In fact, due to the nonlinearity of the adopted constitutive equation, the mode-superposition method is meaningless. With an aim to solving such problems, we have instead implemented the Newmark [21] method in NOSA to perform the integration with respect to time of the system of ordinary differential equations obtained by discretising the structure into finite elements. Moreover, the Newton-Raphson scheme, needed to solve the nonlinear algebraic system obtained at each time step, has been adapted to the dynamic case. In the framework of this formulation, the uniqueness of the solution of the dynamic problem in not guaranteed, even in terms of stress, which on the contrary holds for the static case [16]. In order to overcome this drawback, a viscous stress depending linearly on the strain rate has been introduced, thanks to which the uniqueness of the displacement, strain and stress fields is ensured [22].

The code has been successfully applied to the analysis of arches and vaults [23], as well as some buildings of historical and architectural interest, amongst which the chimney of the Vecchi Macelli [24], the Medici Arsenal [25, 16] and the San Pietro in Vinculis Church [26] in Pisa, the San Nicolo' Motherhouse in Noto [27], the Goldoni Theatre in Livorno [28], the Baptistery of the Volterra Cathedral, the bell tower of Buti [29], the church of Santa Maria Maddalena in Morano Calabro [16], the church of San Ponziano in Lucca [30], the church of Santa Maria della Roccella in Roccelletta di Borgia [31] and the Rognosa tower in San Gimignano [32, 33].

Development of the code has been made possible through the funding of the C.N.R. (progetto finalizzato Informatica, progetto finalizzato Materiali Speciali per Tecnologie Avanzate, progetto finalizzato Beni Culturali, progetto COMES - Network for Computational Solid Mechanics), the Italian Ministry of Universities and Research (MIUR - Fondo Speciale per la Ricerca di Interesse Strategico "Diagnostica e salvaguardia di manufatti architettonici con particolare riferimento agli effetti derivanti da eventi sismici e altre calamita' naturali") and the region of Tuscany (structural funds, Regional High Tech Network and, last but not least, the NOSA-ITACA project).

Over the past twenty years many engineering students at the University of Pisa have collaborated on the development of the code as part of their degree or doctorate thesis preparation.

Within the framework of the NOSA-ITACA project founded by the Region of Tuscany (2011-2013), the NOSA code has been substantially modified and deeply improved, in the light of the FORTRAN 90 specifications, and equipped with new finite elements, thus enhancing its application capabilities. The subroutine OUTSYM devoted to the solution to linear systems via the modified LU factorization has been optimized. The performances of the code are now improved, in particular, a speed-up of about 7.3 with respect to the original version has been obtained.

An efficient implementation of numerical methods for constrained eigenvalue problems, specialized for the modal analysis of structures taking into account both the sparsity of the matrices and the features of masterslave constraints (tying or multipoint constraints) has been moreover analysed. The implementation [34] is based on open-source packages embedded in NOSA: SPARSEKIT [35] to manage matrices in sparse format (allocation, matrix-vector products) and ARPACK¹ [36], which implements a method based on the Lanczos factorization combined with spectral techniques that improve the convergence. In particular, for using ARPACK a linear system solver is necessary, with the coefficient matrix given by the stiffness or mass matrix. The package ICFS is used, which provides an advanced implementation of the conjugate gradient method, accelerated with a preconditioner based on the incomplete Cholesky factorization [37].

The implementation of the NOSA-ITACA code for the structural analysis of historical masonry constructions has been then completed, by integrating the finite element code NOSA with the open source graphic interactive code SALOME [38].

In particular, the integration implements the NOSA code within the SALOME architecture (developed mostly in the C/C++ and Python languages) as an additional module on a par with those already existing (MESH, GEOM, PARAVIS).

The SALOME Nosa module allows the user to define physical quantities to be associated to the mesh (materials, elements' thickness, boundary conditions, loads, type of analysis, etc.), display the load applied

¹Copyright (c) 1996-2008 Rice University. Developed by D.C. Sorensen, R.B. Lehoucq, C. Yang, and K. Maschhoff. All rights reserved.



Figure 1.1: The NOSA-ITACA structure

to the structure, generate the input file for the running and monitoring of the finite element analysis, etc. The module includes the executable file "nosao" and several CORBA interfaces (with extension ".idl") for data exchange between the SALOME Nosa module and the MESH and modules. The executable nosao carries out the numerical analysis using as input the card ".crd" created via the SALOME Nosa module. Moreover, the SALOME Nosa module allows the user to monitor the analysis. Finally, NOSA transmits the results of the numerical study to the module for the post processing by means of the resulting ".med" output file.

Over the last three years NOSA-ITACA has been updated on the version NOSA-ITACA 1.0 released in 2014 and replaced by NOSA-ITACA 1.1 (May 2017). In particular, the algorithm for the reduction of the profile and wavefront of the stiffness matrix described in [39] has been implemented in NOSA-ITACA 1.1. Furthermore the Nosa module for SALOME has been updated to work with the new releases of SALOME (v7.2 or higher). The new releases feature an update to all the internal modules, along with a new module for the post processing step (now called PARAVIS), which replaces POST-PRO that was previously included.

Among other improvements, this allows an easier distribution of the software, simplifying the installation process. The user can now download a precompiled package for the correct Linux distribution and run the nosaitaca script.

Applications of the NOSA-ITACA code are described in [40]-[43].

For a complete and detailed description of the theories and algorithms used in the NOSA-ITACA, the interested reader is referred to the following bibliography.

1.2 NOSA-ITACA Documentation

The documentation is organized as follows:

- SALOME Nosa User's Guide, which describes how to use SALOME Nosa module to define physical properties (e.g., materials, boundary conditions, loads, etc.), and assign them to mesh items.
- NOSA Theory Manual, which describes basic theory of the NOSA solver.
- NOSA Keywords Reference Guide, describing all keywords used to generate the input file crd, and processed by Nosa solver.
- User Subroutines Reference Guide, showing fortran utility routines required by Nosa solver to perform numerical analyses.
- Miscellanea, dealing with miscellaneous arguments, such as COMMON blocks used by the NOSA fem code, error codes returning by a fem analysis, output files, and so on.

1.3 REFERENCES

[1] DEGL'INNOCENTI S., LUCCHESI M., PADOVANI C., PAGNI A., PASQUINELLI G., ZANI N. "The finite element code NOSA Version 2.0 - User's Manual". Internal note ISTI-006/2007.

[2] HINTON E., OWEN D. R. J., Finite Element Programming, Academic Press, 1977.

[3] GUIDOTTI P, LUCCHESI M, PAGNI A., PASQUINELLI G., "Elastic-Plastic Behaviour with Work Hardening: an Appropriate Model for Structural Software". Meccanica 19, 1984.

[4] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part I". Arch. Rat. Mech. Anal., 102, pp. 23-43, 1988.

[5] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part II". Arch. Rat. Mech. Anal., 110, pp. 9-42, 1990.

[6] LUCCHESI M., OWEN D. R., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part III. Approximate Constitutive Relations". Arch. Rat. Mech. Anal., 117, pp. 53-96, 1992.

[7] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range and the Possibility of Stress Oscillations in Pure Shear". Proc. Int. Conf. on Comp. Plasticity, Model, Software and Applications, Barcelona, 6-10 April 1987.

[8] GUIDOTTI P., LUCCHESI M., "A Numerical Method for Solving Boundary-Value problems in Finite Plasticity". Meccanica, 23, pp. 43-54, 1988.

[9] DEGL'INNOCENTI S., PADOVANI C., PASQUINELLI G., "An improved numerical method to integrate the equation of motion in finite elastoplasticity problems". Complas II, Second International Conference on Computational Plasticity, Barcelona, September 1989.

[10] PASQUINELLI G., "Simulation of Metal-Forming Processes by the Finite Element Method". Int. J. Plasticity, 11, pp. 623-651, 1995.

[11] DI PASQUALE S., "New trends in the analysis of masonry structures". Meccanica, 27, pp. 173-184, 1992.

[12] DEL PIERO G., "Constitutive equation and compatibility of the external loads for linearly-elastic masonry-like materials". Meccanica, 24 pp.150-162, 1989.

[13] LUCCHESI M., PADOVANI C., PAGNI A., "A numerical method for solving equilibrium problems of masonry-like solids". Meccanica, 24, pp. 175-193, 1994.

[14] LUCCHESI M., PADOVANI C. and PASQUINELLI G., "On the numerical solution of equilibrium problems of elastic solids with bounded tensile strength". Comput. Methods Appl. Mech. Engrg. 127, pp. 37-56, 1995.

[15] LUCCHESI M., PADOVANI C. and ZANI N., "Masonry-like materials with bounded compressive strength". Int. J. Solids Structures 33, pp. 1961-1994, 1996.

[16] LUCCHESI M., PADOVANI C., PASQUINELLI G., ZANI N., "Masonry constructions: mechanical models and numerical applications", Series: Lecture Notes in Applied and Computational Mechanics, Vol. 39, Berlin Heidelberg, Springer-Verlag, 2008.

[17] PASQUINELLI G., "On the modeling of the reinforcement rings in masonry buildings: an example". Proceedings of the Third International Conference on Contact Mechanics, Contact Mechanics III, Madrid 1997.

[18] LUCCHESI M., PADOVANI C., PASQUINELLI G., "Thermodynamics of no-tension materials". Int. J. Solids and Structures 37, pp. 6581-6604, 2000.

[19] PADOVANI C., PASQUINELLI G., ZANI N., "A numerical method for solving equilibrium problems of no-tension solids subjected to thermal loads". Comput. Methods Appl. Mech. Engrg., 190, pp. 55-73, 2000.

[20] DEGL'INNOCENTI S., PADOVANI C. & PASQUINELLI G., "Numerical methods for the dynamic analysis of masonry structures". Structural Engineering and Mechanics, 22, pp.107-130, 2006.

[21] BATHE, JK. J., WILSON, WE. L., "Numerical methods in finite element analysis", Prentice-Hall, Inc., Englewood Cliffs, New Jersey, 1976.

[22] PADOVANI C., PASQUINELLI G., ŠILHAVÝ M., "Processes in masonry bodies and the dynamical significance of collapse". Mathematics and Mechanics of Solids, 13, pp.573-610, 2008.

[23] LUCCHESI M., PADOVANI C., PASQUINELLI G., ZANI N., "Static analysis of masonry vaults, constitutive model and numerical analysis". Journal of Mechanics of Materials and Structures, 2, pp. 221-244, 2007.

[24] LUCCHESI M., ZANI N., "Analisi sismica di tipo statico della ciminiera dei Vecchi Macelli, Via Nicola Pisano (Pisa)". Relazione Tecnica Consorzio Pisa Ricerche, 29/04/1997.

[25] LUCCHESI M., ZANI N., "Analisi sismica di tipo statico dell'arsenale mediceo situato in Pisa, lungarno Simonelli". Relazione Tecnica Consorzio Pisa Ricerche, 12/11/1996.

[26] BERNARDESCHI K., PADOVANI C., PASQUINELLI G., "Studio del comportamento statico del muro della navata destra della chiesa di San Pietro in Vinculis a Pisa". Bollettino Ingegneri, 8/9, pp. 9-17, 2003.

[27] LUCCHESI M., PADOVANI C., ZANI N., "Studio del comportamento statico di alcuni elementi strutturali della Chiesa Madre S. Nicolo' di Noto". Relazione Tecnica Consorzio Pisa Ricerche, 09/03/1998.

[28] LUCCHESI M., DE FALCO A., ZANI N., "Studio del comportamento statico dell'arco scenico del Teatro Goldoni di Livorno". Relazione Tecnica Consorzio Pisa Ricerche, 20/05/1998.

[29] BERNARDESCHI K., PADOVANI C., PASQUINELLI G., "Numerical modelling of the structural behaviour of Buti's bell tower". International Journal of Cultural Heritage, 5(4), pp. 371-378, 2004.

[30] GIRARDI M., PADOVANI C., PAGNI A., PASQUINELLI G., "Static analysis of masonry vaults and domes". International workshop IN SITU MONITORING OF MONUMENTAL SURFACES (Firenze, 27-29 October 2008). Proceedings, pp. 335 - 340. P. Tiano and C. Pardini (eds.). Edifir - Edizioni Firenze, 2008.

[31] GIRARDI M., LUCCHESI M, PASQUINELLI G., ZANI N., "Analisi strutturale della chiesa di Santa Maria di Roccella", Technical Report n° cnr.isti/2009-TR-051, 2009.

[32] GIRARDI M., PADOVANI C., PAGNI A., PASQUINELLI G., "Numerical modeling of masonry towers: the case study of the Rognosa Tower in San Gimignano", Advances and Trends in Structural Engineering, Mechanics and Computation, A. Zingoni (Editor), CRC Press/Balkema, AK Leiden, The Netherlands, 2010.

[33] CALLIERI M., CORSINI M., GIRARDI M., PADOVANI C., PAGNI A., PASQUINELLI G., Scopigno R., "The Rognosa Tower in San Gimignano: digital acquisition and structural analysis", CST 2010 – Proceedings of The Tenth International Conference on Computational Structures Technology, art. n 138. Topping B.H.V., Adam J. M., Pallarés F.J., Bru R., Romero M.L. (Editors), Civil Comp Press, 2010.

[34] PORCELLI M., BINANTE V., GIRARDI M., PADOVANI C., PASQUINELLI G., "A solution procedure for constrained eigenvalue problems and its application within the structural finite-element code NOSA-ITACA ", Calcolo (2015) 52: 167.

[35] SAAD Y., "SPARSKIT: A basic tool kit for sparse matrix computations". Technical Report, Computer Science Department, University of Minnesota, June 1994.

[36] LEHOUCQ R. B., SORENSEN D. C., YANG C., "ARPACK Users Guide: Solution of Large-Scale Eigenvalue Problems with Implicitly Restarted Arnoldi Methods". SIAM, 1998.

[37] LIN C.-J., MORE' J. J., "Incomplete Cholesky Factorizations with Limited Memory". SIAM J. Sci. Comput., 21(1), 24-45, 1999.

[38] http://www.salome-platform.org/

[39] SLOAN S.W., "A FORTRAN program for profile and wavefront reduction", International Journal for Numerical Methods in Engineering, 28(11), 2651-2679, 1989.

[40] BINANTE V., GIRARDI M., PADOVANI C., PAGNI A., PASQUINELLI G., "The NOSA-ITACA code for the modelling of the structural behaviour of historic masonry constructions", 5th International Congress on Science and Technology for the Safeguard of Cultural Heritage in the Mediterranean Basin (Istanbul, Turkey, 22-25 November 2011). Proceedings, vol. II (1st part) pp. 40 - 48. Valmar, 2012.

[41] GIRARDI M., LUCCHESI M., PADOVANI C., PINTUCCHI B., PASQUINELLI G., ZANI N., "Numerical methods for slender masonry structures: a comparative study", CST 2012 - The Eleventh International Conference on Computational Structures Technology (Dubrovnik, Croatia, 4-7 September 2012). Proceedings, article n. 118. B.H.V. Topping (ed.). Civil-Comp Press, 2012.

[42] BINANTE V., BRICCOLI BATI S., GIRARDI M., LUCCHESI M., PADOVANI C., PELLEGRINI D., "A Case Study for the NOSA-ITACA Project: the "Voltone" in Livorno", CC2013 - 14th International Conference on Civil, Structural and Environmental Engineering Computing (Cagliari, Italy, 3-6 September 2013).

[43] GIRARDI M., PADOVANI C., PELLEGRINI D. "The NOSA-ITACA code for the safety assessment of ancient constructions: A case study in Livorno", Advances in Engineering Software, Elsevier, 89, 64-76, 2015.

Chapter 2

SALOME Nosa User's Guide

This section describes how to use the **Nosa** module to define physical properties and assign them to the mesh items previously created through the **Mesh** module.

😵 🖱 🐵 SALOME 5.1.6 - [volta]					
File Edit View Nosa Run Tools Wind	low Help	NOSA-ITACA 1			
🗋 📄 🔜 🗶 🗈 📾 📟 Nos	e 🖳 🖳 📾 📓 🛸 🖺 🗗 🖬 📩 🙏 🛉 🗛 🌈 🎢 🎢 🎢 🔛 🚺 🔺 🏟 🚇				
Object Browser 🔠 🔤	VTK scene:1 - viewer:1	22			
Name					
🔄 😂 Geometry					
🗄 🐌 Mesh					
in Mosa					
A Element Types					
- GT Section Properties					
Nodal Properties					
Boundary Conditions	7				
🟲 Loads	y v				
Tyings					
Solution Controls					
🔁 Steps	×				
Output Requests					
- 💠 Rotation Axes					
Dathan Canada	1				
Python Console					
Python 2.4.4 (#1, Nov 5 2009, 1	15:04:54)				
[GCC 4.1.2 20061115 (prefeleas	se) (Debian 4.1.1-21) on linux2				
>>>					

In particular, the guide allows us to:

- Create Materials
- Specify the Type of Element
- Define Element Section Thickness
- Define Concentrated Masses to Nodes
- Define local reference systems
- Define Rotation Axes
- Set Initial Conditions
- Set Boundary Conditions
- Define Loads
- Define Multi-Point Constraints
- Set Solution Controls
- Set Damping
- Define Load-Steps
- Specify Output Requests
- Define Jobs
- Submit a Job
- Monitor a Job

All Nosa module functionalities are accessible via Nosa module Python interface.

Figure 2.1: Example of a masonry construction constrained at the base and partially subjected to its own weight.

2.1 Create Materials

2.1.1 About Materials

The user can describe the behaviour of four kinds of material; they are:

- linear-elastic material;
- elastic-plastic material, with different hardening rules and isotropic and/or anisotropic plasticity;
- masonry-like material, with different options about compressive and tensile strength;
- heat-transfer analysis .

With reference to elastic-plastic materials, NOSA-ITACA software supplies a wide range of material behaviours; thus, ideal-plasticity, isotropic-hardening, kinematic-hardening as well as mixed-hardening can be described. Both infinitesimal and finite strains can be modelled. Anisotropic behaviour is also supported according to the Hill's theory.

For masonry-like material, the user can choose a finite or unbounded compressive strength as well as null and/or bounded tensile strength; constituive modelling of a masonry material is made under the assumption of infinitesimal deformations.

For each material, a non-linear behaviour of mechanical properties can be described; in particular, the user can model the dependence of a material property on the temperature field (temperature dependent property).

Elastic-plastic and heat transfer analyses are not available in the present version of NOSA-ITACA.



Further details can be found at NOSA Theory Manual

2.1.2 Defining a material behaviour

Definition of a material behaviour consists of:

- selecting a material type among those above mentioned;
- defining the mechanical properties (e.g. Young modulus, Poisson ratio, density, etc...);
- defining temperature dependence of material parameters, if this is the case;
- assigning the material behaviour to groups of mesh elements.

To define a material behaviour:

1. in the Nosa menu select Create Material or click "Create Material" button in the toolbar.

5

Figure 2.2: Create Material button

the following dialog box will appear:

aterial Name :		
inear Elastic Iastic-Plastic	🗹 Linear Elastic Material (Ielas)	
Aasonry Teat Material	Elastic Properties	
	Young Modulus	Poisson ratio
	1 3.0e+09	0.3
	¢	•
	(Temperature-Dependent-Properti	es (TDPs)
	Temp Tables	
	Maximum number of data tables	(Mttemp)
	Max number of data pairs in eac	h table (Mttab)
	Number of Mttemp x Mattab	
	Nr of data pairs (Ittemp	(3)) Property ID (Ittemp(
	1	
	<u>></u> ∉	*
Assign material to	element groups:	
Catena2		^
catena1	M.	[]]
n archi		4

- 2. type the name of the material to be defined into the "*Material Name*" box; if no name is specified, a default name "*Mat-1*" is assigned. Then select a material type, from the list view on the left; the corresponding page on the right is update, where mechanical properties of the selected material must be defined.
- 3. enable the push button to define the material parameters (e.g. in the above figure enable the "*Linear Elastic Material (Ielas*)" push button); in the single row table insert values of the mechanical properties. If a cell (i.e. material property) is left blank a null value is associated to this property.
- 4. to define temperature dependence of a material parameter, enable the *"Temp Tables"* push button; then specify the number of tables and for each table the maximum number of rows; for a material you can specify one or more temperature tables, depending whether one or more material properties depend on temperature field. In the below table, with (number of tables x maximum number of rows) rows and 4 columns, specify:
 - in the first column, the exact number, N, of rows used to define the temperature dependence of a material property; this number must be repeated for the following N rows;
 - in the second column, the identification number of the material property, *propID*, whose values are shown in Table 2.1; *propID* must be repeated for the following N rows;
 - in the third column, specify the J-th value of the temperature (with J = 1, 2, ..., N)
 - in the fourth column, specify the value of the material property specified by *propID* and associated with the J-th temperature value.
- 5. from the list box select one or more element groups which the material so defined must be applied to.
- 6. click on the "*Apply*" button to create the material and define a new one, or "*Apply and Close*" to create the material and quit from the material dialog box. The material object so created will be stored into the **Object browser**;



from here, it is possible to edit the material object, by right clicking on it and selecting "Edit Material"

Remarks:

 For groups of shell elements with COMPOSITE option, material cannot be assigned to every layer of shell; that is, all shell layers will be made of the same material, as applied through the create/edit material dialog box. Shell element with multiple material behaviours can be defined only by means of the input file usage (see also COMPOSITE and Nosa Keywords Reference Guide: COMPOSITION).

Analysis type	Value of propID
	propID = 1 : Young's modulus, E
Stress analysis	propID = 2 : Poisson's ratio, ν
	propID = 3 : coefficient of the linear thermal expansion, α^{th}
	propID = 1 : thermal conductivity, κ
heat transfer analysis	propID = 2 : specific heat per unit mass, c
	propID = 3 : emissivity, ϵ

Table 2.1: Id number of material property depending on the temperature field

2.1.3 Editing materials

To edit a material, right click on the material object from the Object browser, and select "Edit Material";



the create/edit material dialog box will appear:

Naterial Name :	Mat-1	
Linear Elastic Linear Elastic Material (Ielas) (Elastic Properties)		
	Young Modulus Poisson	ratio
	1 300000000.0 0.3	
	•	\$
	(Temperature-Dependent-Properties (TDPs)	
	Temp Tables	
	Maximum number of data tables (Mttemp)	
	Max number of data pairs in each table (Mttab)	
	Number of Mttemp x Mattab	
	Nr of data pairs (Ittemp(3)) Property ID	(Ittemp(:
	2	*
Assign material to	element groups: >	
✓ catena2 □ catena1 □ catena3		↑ :: ↓

from here, you can edit the material name, material properties, disable/enable temperature dependence and changing the element sets to which material applies. Click on "Apply" or "Apply and Close" button to store the changes.

2.2 Specify the Type of Element

2.2.1 About NOSA Element Library

Mesh elements can be classified by means of their space dimension (e.g., 1-D, 2-D, 3-D elements), shape (e.g., 2-D elements can be grouped into triangle, quadrangle subsets) and/or connectivity (e.g., quadrangle elements can be grouped into quad4 or quad8 classes, depending whether the number of cell nodes is 4 or 8). In addition to this topological classification (used by the Mesh module of NOSA-ITACA software) there is another one, based on mathematical and physical aspects, which are on the basis of the finite element programming (e.g., degrees of freedom of an element, output variables available for a particular element, isoparametric space,...etc). **NOSA Element Library** belongs to the last kind of element classification, and the user must bear clearly in mind its difference from the Mesh Element Library. According to NOSA Element Library, elements can be classified by means of:

- analysis type (i.e. static, dynamic, modal and heat transfer analysis);
- geometric order (i.e, linear or quadratic isoparametric elements);
- problem type (e.g., axisymmetric, plane strain, plane stress, etc ...);

Currently, only seventeen element types are implemented into NOSA-ITACA software; the next release will be update to thirty-six element types.

Further details can be found at NOSA Theory Manual: Element Library

2.2.2 Specifying an element type

The choice of an element type consists of:

- selecting an element type among those available into NOSA Element Library;
- defining some properties, when it is required;
- assigning the element type to groups of mesh elements.

To choose an element type of the NOSA Element Library:

1. in the **Nosa** menu select **Nosa Element Library** or click on "*Nosa Element Library*" button in the toolbar.



Figure 2.3: Nosa Element Library button

the following dialog box will appear:

Ø Define Element Type				
Nosa Element Library	(Element Family >			
O Static/Dynamic	beam element (linear)	^		
Heat Transfer	plane stress element (quadratic)	Ê		
0	plane strain element (linear) plane strain element (quadratic)			
Geometric Order	axisymmetric element (linear)			
	axisymmetric element (quadratic) thin shell element			
⊖ <u>L</u> inear	thick shell element			
Quadratic	plane heat transfer element (linear) plane heat transfer element (guadratic)	4		
	, , , , , , , , , , , , , , , , , , ,			
Element Options				
2-node isoparametric e	lement; shape functions are linear.			
	⁶ / ² / ²			
	×,			
Note: a local reference syste	m (e1,e2,e3) must be specified by using AXIS option.			
(Integration)				
Nr. of integration points along the local x1-axis on the cross section (Mbint1)				
Nr. of integration points along the local x2-axis on the cross section (Mbint2)				
Element type: 9				
Assign element type to groups:				
□ catena2				
catena1				
archi		4		
	Apply Apply and Close	Dismiss		

- 2. from the "*Nosa Element Library*" group box select the analysis type to be performed (by clicking on one between the radio buttons available).
- 3. from the "Geometric Order" group box specify the type of isoparametric element (by clicking on one between the radio buttons available).
- 4. now, the list view of the "*Element Family*" group box will contain only those elements with the above specified attributes; from this list, select the element type required.
- 5. the "*Element Options*" group box will show a picture of the selected element type together with a brief description of this element, some notes and element attributes to be defined (not all element types require further specifications).
- 6. from the list box select one or more element groups which the element type so defined must be applied to.
- 7. click on the "*Apply*" button to specify the element type and define a new one, or "*Apply and Close*" to specify the element type and quit from the dialog box. The element type object so created will be stored into the **Object browser**;

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Element Type"

2.2.3 Editing element types

To edit an element type, right click on the element type object from the Object browser, and select "*Edit Element Type*";



the define element type dialog box will appear:



from here, you can edit the element type, element attributes, and changing the element set to which element type applies. Click on "*Apply*" or "*Apply and Close*" button to store the changes.

2.3 Define Element Section Thickness

2.3.1 About Element Cross-Section Properties

Once a master element of NOSA Element Library has been defined and associated with some element groups, the next step could require further element attributes to be defined; that is, the cross-section of the selected master element has to be specified. This is done by assigning the thickness(es) of the cross-section for:

- homogeneous plane strain/stress elements;
- homogeneous shell elements;
- composite shell elements;
- homogeneous beam elements;
- composite beam elements.

For other element types no further attribute must be specified, and thus the user can ignore this step.

2.3.2 Defining element cross-section properties

The definition of the cross-section of a master element consists of:

- selecting a cross-section type among those above mentioned;
- specifying the thickness(es);
- assigning these attributes to groups of mesh elements.

To define the cross-section of a master element:

1. in the **Nosa** menu select **Element Section Thickness** or click on "*Element Section Thickness*" button in the toolbar.

оT

Figure 2.4: Element Section Thickness button

the following dialog box will appear:

8 Assign/Edit Section Thickness(s)				
Name:				
Section:	homogenous beam	₽		
Element Section Thickness	\rangle	ſ		
thickness along the 1st local direction (t1): 0.2 thickness along the 2nd local direction (t2): 0.3				
Assign thickness to element groups:				
[▼] catena2				
	Apply Apply and Clos	e <u>D</u> ismiss		

- 2. into the "Name" box type the name of the section to be defined; if no name is specified, a default name "Prop-1" is assigned.
- 3. from the "Section" drop-down list box select the section type to be defined.
- 4. the "*Element Section Thickness*" group box will show a picture of the selected cross-section type together with the thickness(es) to be specified.
- 5. from the list box select one or more element groups which these attributes applied to.
2.3 Define Element Section Thickness

 click on the "Apply" button to create the element cross-section and define a new one, or "Apply and Close" to create the element cross-section and quit from the dialog box. The element cross-section object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Element Section"

Remarks:

• When a wrong cross-section is defined for a given element set, an error dialog box will appear, and the creation of the cross-section will be aborted:



for example, this occurs when homogeneous plane stress/strain cross-section is defined for the element set "*catena2*", which is made up of beam elements.

2.3.3 Editing element cross-section

To edit an element cross-section, right click on the element section object from the Object browser, and select "*Edit Element Section*";



the following dialog box will appear:

Assign/Edit Section Thickness(s)		
Name:	Prop-2	
Section:	homogenous beam	₽
Element Section Thickness		
thickness along the 1st local direction (t1): 0.2 thickness along the 2nd local direction (t2): 0.3		
Assign thickness to element group	D5:	
Catena2		
	Apply Apply and Close Dismis	SS

from here, you can edit the element cross-section type, thickness(es), and change the element set to which element cross-section applies. Click on "Apply" or "Apply and Close" button to store the changes.

2.4 Define Concentrated Masses to Nodes

2.4.1 About Concentrated Masses

When it is required for a particular structural analysis, generalized concentrated mass(es) can be applied to one or more mesh nodes; it is also possible to associate masses to node sets.

2.4.2 Defining concentrated masses to nodes

The definition of a concentrated mass consists of:

- specifying the value of the concentrated mass, directly or by means of the user subroutine **UPMASS** (see User Subroutines Reference Guide: UPMASS);
- applying the concentrated mass(es) to groups of mesh nodes.

To apply a concentrated mass to node sets:

1. in the Nosa menu select Nodal Property or click on "Nodal Property" button in the toolbar.

•	
m	

Figure 2.5: Nodal Property button

the following dialog box will appear:

8 Create/Edit Concentrate	d mass
Name :	
Concentrated masses:	1
masses will be evaluated by n	neans of the user subroutine UPMASS
m1: 1000.0	m4 :
m2 : 500.0	m5 :
m3 : 1000.0	m6 :
Select node sets:	
☑ fix-y	Ŷ
retained	
inca2	
∏ inca4	•
	Apply Apply and Close Dismiss

- 2. in the "*Name*" box type the name of the nodal property to be defined; if no name is specified, a default name "*Mass-1*" is assigned.
- 3. in the "Concentrated masses" group box specify the value(s) of the mass(es); enable the push button for specifying that the values will be defined through the user routine UPMASS (in such a case every value typed into the mass boxes will be overwritten by the user routine, thus you can leave them blank), or define mass values directly by typing them into the mass boxes.

- 4. in the list view of the "Select node sets" group box select one or more nodal groups to which concentrated masses apply.
- 5. click on the "*Apply*" button to assign concentrated masses and define a new one, or "*Apply and Close*" to assign concentrated masses and quit from the dialog box. The concentrated masses object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Nodal Property"

2.4.3 Editing nodal properties

To edit a nodal property, right click on the mass object from the Object browser, and select "Edit Nodal Property";



the mass dialog box will appear:

😣 Create/Edit Con	centrated mass
Name :	Mass-1
Concentrated masses:	>
🗌 masses will be evalu	uated by means of the user subroutine UPMASS
m1: 1000.0	m4 :
m2 : 500.0	m5 :
m3 : 1000.0	m6 :
Select node sets:	
 ✓ fix-y ✓ fix+x ⊂ catenode fixpen tied retained inca1 inca2 	₽
☐ inca3 ☐ inca4	*
	Apply Apply and Close Dismiss

from here, you can edit the mass values and changing the node sets to which masses apply. Click on "*Apply*" or "*Apply and Close*" button to store the changes.

2.5 Define local reference systems

2.5.1 About Local Reference Systems

Local reference systems must be defined only when beam elements are involved in the mesh; for other element types this is not required. The user must bear in mind that the definition of a local reference system used to write output results along user-defined local directions can be done by means of the user routine **PLOTV** (see User Subroutines Reference Guide: PLOTV) and not with this procedure.

2.5.2 Defining local reference systems

The definition of a local reference system for beam elements consist of:

- specifying the values of the components of the unit vector v1, defining the first local direction perpendicular to beam axis; this can be done directly or by means of the user subroutine ULAXIS (see User Subroutines Reference Guide: ULAXIS);
- specifying groups of mesh elements with this reference system.

To define a local reference system:

1. in the Nosa menu select Local Reference System or click on "Local Reference System" button in the toolbar.

大

Figure 2.6: Local Reference System button

the following dialog box will appear:

Screate/Edit Local Reference System
Name :
Local Sys for beam elements:
local sys will be defined by means of the subroutine ULAXIS
** × 2
v1x: 0.0 v1y: 0.0 v1z: 1.0
Note: v3 unit vector is the beam axis, while v2 unit vector is calculated as: v2 = v3 x v1.
Select element sets:
⊠ficatena2
Apply Apply and Close Dismiss
Ehby, which are Free Free

- 2. in the "*Name*" box type the name of the local system to be defined; if no name is specified, a default name "*Sys-1*" is assigned.
- 3. in the *"Local sys for beam elements"* group box specify the values of the components of the unit vector **v1**; enable the push button for specifying that the components will be defined through the user routine ULAXIS (in such a case the values typed into the component boxes will be overwritten by the user routine, thus you can leave them blank), or define the components directly by typing them into the component boxes.
- 4. in the list view of the "Select element sets" group box select one or more element groups for which local system has been defined.
- 5. click on the "*Apply*" button to create the local system and define a new one, or "*Apply and Close*" to create the local system and quit from the dialog box. The local system object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Local Ref System"

2.5.3 Editing local reference systems

To edit a local reference system, right click on the system object from the Object browser, and select "*Edit Local Ref System*";



the system dialog box will appear:

8 Create/Edit Local Reference System	
Name : Sys-1	
(Local Sys for beam elements: >	
local sys will be defined by means of the subroutine ULAXIS	
* 1 z	
v1x: v1y: v1z: 1.0	
Note: v3 unit vector is the beam axis, while v2 unit vector is calculated as: v2 = v3 x v1.	
Select element sets:	1
I catena2	-
	_
Apply Apply and Close Dismis	is

from here, you can edit the local direction and changing the element sets to which local system applies. Click on "*Apply*" or "*Apply and Close*" button to store the changes.

2.6 Define Rotation Axes

2.6.1 About Rotation Axis

The definition of rotation axes is required when centrifugal forces must be applied on a structure; in problems where such forces are not involved the user can ignore this procedure.

2.6.2 Defining a rotation axis

The definition of a rotation axis consist of:

- specifying the space dimension of the problem (i.e., mesh build up in 2D or 3D space);
- assigning the coordinates of a reference point which the rotation axis passes through;
- specifying the components of the unit vector defining the rotation axis (only for 3D problems).

To define a rotation axis:

1. in the Nosa menu select Rotation Axis or click on "Rotation Axis" button in the toolbar.

Φ

Figure 2.7: Rotation Axis button

the following dialog box will appear:

😕 Define/Edit Rotat	ion Axis	
Name :		1
⊙ 2D ○ 3D		
Specify axis drection cos	sine: >	1
α:	β:	γ:
Specify global coordinate	es of the ref point: 🚿	[
x: 0.5	y : 0.5	z :
	<u>Apply</u> Ap	ply and <u>C</u> lose <u>D</u> ismiss

- 2. in the "*Name*" box type the name of the axis to be defined; if no name is specified, a default name "*Axis-1*" is assigned.
- 3. enable the "2D" button to specify a two-dimensional problem or the "3D" button else.
- 4. If it is enabled, in the "Specify axis direction cosine" group box define the components of the normalized rotation axis.
- 5. specify the coordinates of a reference point which the rotation axis passes through.
- 6. click on the "*Apply*" button to create the rotation axis and define a new one, or "*Apply and Close*" to create the rotation axis and quit from the dialog box. The axis object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Rotation Axis".

Remarks:

For 2D problems the rotation axis is perpendicular to the plane of the structure, and, thus, only the coordinates x and y of the reference point are required. For axisymmetric problems, the rotation axis coincides with the axis of simmetry; in such a case the user must disregard this procedure.

2.6.3 Editing rotation axes

To edit a rotation axis, right click on the axis object from the Object browser, and select "Edit Rotation Axis";



the following dialog box will appear:

🛞 Define/Edit Rotatio	n Axis	
Name : Axis-1		1
⊙ 2D ○ 3D		RP x z
Specify axis drection cosin	ie:	1
α:	β:	γ:
Specify global coordinates	of the ref point: $>$	
x : 0.5	y : 0.0	z :
	<u>A</u> pply	Apply and <u>C</u> lose <u>D</u> ismiss

from here, you can edit the components of the rotation axis and the coordinates of the reference point. Click on "Apply" or "Apply and Close" button to store the changes.

2.7 Set Initial Conditions

2.7.1 About Initial Conditions

Usually, the reference configuration of a body - i.e. a configuration which a structure lies in before applying a deformation process - is undeformed and characterized by a null state of stresses and strains; when the reference configuration is different from the undeformed one, the user must define the conditions describing the initial configuration of the structure. Initial conditions regard the following fields:

- displacement;
- velocity;
- temperature;
- stress.

Each of these conditions applies to a particular analyis to be solved and one or more sets of mesh nodes.

2.7.2 Specifying an initial condition

The definition of an initial condition consists of:

- selecting the initial condition type according to the analysis to be performed;
- specifying the values of the degrees of freedom to be constrained, directly or by means of user routines;
- applying these conditions to groups of mesh nodes.

To define an initial condition:

1. in the Nosa menu select Initial Conditions or click on "Initial Conditions" button in the toolbar.

Ω_{μ}

Figure 2.8: Initial Conditions button

the following dialog box will appear:

😣 Define	e/Edit Initia	al Condition	
Name :			
Initial Con	dition Type	Initial Condition Family	1
⊙ <u>S</u> tatic		displacement	
O Dynam	ic	stress	
⊖ <u>H</u> eat Tr	ansfer		
DOFs			
User-D	efiend Condit user define con	ton adition is checked the user fortran routine UDSPI will be used.	
Ul	0.0	UR1	
U2	-0.05	UR2	
U3	0	UR3	
Assign init	tial condition	to node groups:	
<pre>✓ inca1</pre>			 ◆ ◆
		Apply Apply and Close Dismi	ss

- 2. into the "*Name*" box type the name of the initial condition to be defined; if no name is specified, a default name "*IC-1*" is assigned.
- 3. in the *"Initial Condition Type"* group box select the analysis type to be performed (by clicking on one between the radio buttons available).
- 4. the list view of the "Initial Condition Family" group box will contain only the initial conditions which can be imposed with the specified analysis type; from this list, select the initial condition to be defined.
- 5. in the "DOFs" group box you can specify the values of degrees of freedom to be constrained, or enable the push button to specify that initial condition will be defined by means of the user routines.
- 6. from the list view select one or more node groups which the initial condition refers to.
- 7. click on the "*Apply*" button to create the initial condition and define a new one, or "*Apply and Close*" to create the initial condition and quit from the dialog box. The initial condition object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Initial Cond"

2.7.3 Editing initial condition

To edit an initial condition, right click on the object from the Object browser, and select "Edit Initial Cond";



the initial condition dialog box will appear:

Ø Define/Edit Ir	itial Condition
Name :	IC-1
(Initial Condition Typ	e Initial Condition Family
⊙ <u>S</u> tatic	displacement
⊖ <u>D</u> ynamic	
○ <u>H</u> eat Transfer	
DOFs	_
User-Defiend Co Note: when user defin	nditon e condition is checked the user fortran routine UDSPI will be used.
U1 0.1	UR1
U2 -0.05	UR2
U3 0.1	UR3
Assign initial condit	ion to node groups:
 ✓ inca1 □ inca2 □ inca3 □ inca4 □ fix-x 	*
☐ fix+y │□ fix-v	*
	Apply Apply and Close Dismiss

from here, you can edit the values of the degrees of freedom, and changing the node set to which initial condition applies. Click on "*Apply*" or "*Apply and Close*" button to store the changes.

See also:

- User Subroutines Reference Guide: UDSPI
- User Subroutines Reference Guide: UVELI
- User Subroutines Reference Guide: UTEMPI
- User Subroutines Reference Guide: INSTRE

2.8 Set Boundary Conditions

2.8.1 About Boundary Conditions

In NOSA-ITACA software it is possible to define boundary conditions in terms of:

- displacement;
- acceleration;
- temperature;
- film coefficient;

• damping.

Each of these conditions applies to a particular analyis to be solved and one or more sets of mesh items. As an example, a displacement boundary condition is used in static analyses to constrain one or more degrees of freedom of mesh nodes belonging to a mesh group. In such a case, the user can impose a null or finite value for one or more components of the displacement field; the imposed values will be retained during the whole analysis. If a load increment requires that a degree of freedom can change with evolving the analysis, the user must redefine (i.e. create a new one) the boundary condition for this load increment.

2.8.2 Specifying a boundary condition

The definition of a boundary condition consists of:

- selecting the boundary condition type according to the analysis to be performed;
- specifying the values of the degrees of freedom to be constrained;
- applying these conditions to groups of mesh elements/nodes.

To define a boundary condition:

1. in the **Nosa** menu select **Boundary Conditions** or click on "Boundary Conditions" button in the toolbar.

Ç

Figure 2.9: Boundary Conditions button

the following dialog box will appear:

🛞 Define/Edit Boundar	ry Condition
Name :	
Boundary Condition Type	Boundary Condition Family
⊙ <u>S</u> tatic	displacement
O <u>D</u> ynamic	
) <u>H</u> eat Transfer	
	I
DOFs	
User-Defiend Conditon	
Note: when user define conditio	n is checked the user fortran routine UBND will be used.
U1 0.0	UR1
U2 0.0	UR2
U3 0.0	UR3
Assign boundary condition	to groups:
murop	•
incal	
inca2	
☐ inca4 ☐ fix-x	•
	Apply Apply and Close Dismiss

- 2. into the "*Name*" box type the name of the boundary condition to be defined; if no name is specified, a default name "*BC-1*" is assigned.
- 3. in the *"Boundary Condition Type"* group box select the analysis type to be performed (by clicking on one between the radio buttons available).
- 4. the list view of the "Boundary Condition Family" group box will contain only the boundary conditions associated with the specified analysis type; from this list, select the boundary condition to be applied.
- 5. in the "DOFs" group box specify the values of degrees of freedom to be constrained.
- 6. from the list view select one or more element/node groups which the boundary condition refers to.
- 7. click on the "*Apply*" button to create the boundary condition and define a new one, or "*Apply and Close*" to create the boundary condition and quit from the dialog box. The boundary condition object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, as well as show it into the "VTK-view" window

2.8.3 Editing boundary condition

To edit a boundary condition, right click on the object from the Object browser, and select "*Edit Boundary Cond*";



the boundary condition dialog box will appear:

Ø Define/Edit Boundary Condition		
Name :	BC-1	
Boundary Condition Type	Boundary Condition Family	
⊙ <u>S</u> tatic	displacement	
O <u>D</u> ynamic		
○ <u>H</u> eat Transfer		
DOFs		
User-Defiend Conditon	is checked the user fortran routine UBND will be used.	
U1 0.0	UR1	
U2 0.0	UR2	
U3 0.0	UR3	
Assign boundary condition to	o groups:	
arcox	<u> </u>	
incal		
	•	
	Apply Apply and Close Dismiss	

from here, you can edit the values of the degrees of freedom, and changing the element/node set to which boundary condition applies. Click on "Apply" or "Apply and Close" button to store the changes.

2.8.4 Showing/Hiding boundary condition

To show a boundary condition in a VTK-view window, right click on the object from the Object browser, and select "Show";



in the current VTK-view window the boundary condition is shown together with all other objects displayed:



the set of nodes or elements will be shown with **red dot-markers** and a text will be displayed specifying the values of the degrees of freedom constrained.

By selecting the commands "Show Only" or "Hide" from the popup-menu it is possible to view only the boundary condition object in the current window or hide it, respectively.

2.9 Define Loads

2.9.1 About NOSA Load Library

In NOSA Load Library loads are grouped into the following categories:

• analysis type (i.e. static/dynamic or heat transfer analysis);

- load type (i.e, concentrated or distributed loads);
- element type (e.g., surface load for shell elements, distributed fluxes for heat transfer elements, etc ...);

Furthermore, a load can be defined in the global reference system or in the local system of the element, and its components can be defined by means of the user routine FORCEM (see User Subroutines Reference Guide: FORCEM) or specifying the components value directly.

An identifier key is associated with each load; more precisely, for each load type there are several identifier codes depending on the above classification and the element constituents (e.g, edges or faces of an element) where load must be applied.

Further details can be found at NOSA Theory Manual: Load Library

2.9.2 Specifying a load type

The definition of a load consists of:

- selecting an analysis type;
- specifying the load type among those available into NOSA Load Library;
- defining the values of load components, directly or by means of the user routine FORCEM;
- specifying the mesh constituents where load is to be applied (e.g. element edges/faces/surface, nodes);
- assigning the load to groups of mesh elements or nodes.

To define a load of the NOSA Load Library:

1. in the Nosa menu select Loads or click on "Loads" button in the toolbar.



Figure 2.10: Loads button

the following dialog box will appear:

😣 Create/Edit Loa	b	
Name :		
Nosa Load Library	Load Family	
⊙ <u>S</u> tatic/Dynamic	body force	^
) <u>H</u> eat Transfer	body force (forcem) centrifugal force	
Load Type	global pressure on edge	
Oconcentrated	local pressure on edge	
⊙ <u>D</u> istributed		+
(Load Components		
This load applies to al	Il elements for static/dynamic analyses; load components are expressed	d in
the global reference s	system	
Load Components	>	
F1		
F2		
F3	-10	00.
Load type: 1		
Load type. 1		
Assign load to groups		
Catena2	-	<u></u>
□ catena1 □ catena3		
archi		
		+
	Apply Apply and Close	<u>D</u> ismiss

- 2. into the "*Name*" box type the name of the load to be defined; if no name is specified, a default name "*Load-1*" is assigned.
- 3. from the "*Nosa Load Library*" group box select the analysis type to be performed (by clicking on one between the radio buttons available).
- 4. from the "*Load Type*" group box specify the kind of load to be applied (by clicking on one between the radio buttons available).
- 5. now, the list view of the "Load Family" group box will contain only those load type with the above specified attributes; from this list, select the load type required.
- 6. in the "Load Components" group box specify the element constituents (i.e. edges or faces) where the load is to be applied, and the components value, when they are available for this kind of load; here, a brief description of the load is supplied together with some notes and the load identifier key (according to the NOSA Load Library).
- 7. from the list box select one or more element/node groups which the load so defined must be applied to.
- click on the "Apply" button to create the load and define a new one, or "Apply and Close" to create the load and quit from the dialog box. The load object so created will be stored into the Object browser;



from here, it is possible to edit the object, as well as show it into the "VTK-view" window

2.9.3 Editing loads

To edit a load, right click on the load object from the Object browser, and select "Edit Load";



the load dialog box will appear:

🛞 Create/Edit Loa	d				
Name :		Loa	d-1		
Nosa Load Library	Load Family	_			
 Static/Dynamic 	body force				
) <u>H</u> eat Transfer	body force (forcem)				
Load Type					
O Concentrated					
 <u>D</u>istributed 					
Load Components					
This load applies to a	ll elements for static/dy	namic analyse	s; load comp	onents are expresse	ed in
the global reference s	system				
Load Components	>				
F1					
52				-	
F2				_	
F3				-1	0.000
Load type: 1					
Assign load to groups					
catena2					^
catena3					
☐ archi ☑ navata					-
			Apply	Apply and Close	Dismiss

from here, you can edit the values of load components, and changing the element/node set which load applies on. Click on "Apply" or "Apply and Close" button to store the changes.

2.9.4 Showing/Hiding load

To show an applied load in a VTK-view window, right click on the object from the Object browser, and select "Show";



in the current VTK-view window the load is shown together with all other objects displayed:



red-coloured arrow-glyphs show the load direction and the mesh region where load is applied; furthermore a text will be displayed on the bottom of the window, specifying the magnitude of this load.

By selecting the commands "Show Only" or "Hide" from the popup-menu it is possible to view only the load object in the current window or hide it, respectively.

2.10 Define Multipoint Constraints

2.10.1 About Multipoint Constraints

In the field of structural finite element analysis, constraints enforce relationships between degrees of freedom (DOFs). A simple example of a constraints is the imposition Dirichlet boundary conditions which usually consists in setting certain DOF to some known value (most commonly zero). This kind of constraints is referred to **single-point or fixed constraint** and is of the form

$$U_i = 0, (2.1)$$

where U_i is the displacement of a single DOF. With NOSA-ITACA software this kind of constraints can be imposed by means of the boundary conditions (see Applying boundary conditions) A next step in complexity involves **multipoint constraints** (MPCs) which relate more than one DOF including interface elements surface and contact conditions. Among linear multipoint constraints, a special role is played by the so called *master-slave constraints* (MSCs). A MSC is a condition imposed such that the displacement of a node (called the slave) depends linearly on the displacement of another node (called the master). Masterslave constraints may relate the displacements of a slave node in different directions to different master nodes. MSCs can be expressed as follows: there exist subsets

$$I_S \subset \{1, ..., n\}$$
 and $I_{M_S} \subset \{1, ..., n\} \setminus I_S$ (2.2)

such that

$$U_S = \sum_{m \in I_{M_S}} c_{sm} U_M, \qquad s \in I_S, m \in I_{M_S}.$$
(2.3)

The U_s DOF is the slave (or tied) DOF whereas U_m are the master (or guide) DOF. These constraints are also known as mutual constraints, or tying relations, and are crucial, e.g., in modeling the contact interaction between masonry and reinforcement.

MPCs can be defined in two different ways:

- 1 tabular form;
- 2 specifying the name of the sets of slave nodes and master nodes.

By using the first mode, the user must fill a table $n \ge 2$, where n is the number of slave nodes; for each slave node the user must specify a sequence of master nodes involved into the master-slave relationship. At this scope the user must also furnish the maximum number of master nodes involved into a relationship. In a MPC relationship only a slave node is involved; multiple slave nodes are not allowed. For a given row, in the first column of this table the node label (or identification number, id) of a slave node must be supplied; in the second column one or more master node ids (comma separated) must be supplied. If the second way of defining the MPCs is used, the user must take care that slave and master sets are ordered in accordance with the multipoint relationship; that means i-th item of the slave set is in relationship with the i-th item of the master set. It is clear that if a DOF of the slave node depends on DOFs of several master nodes, this way of defining MPCs is not suitable, and, thus, the user must use the tabular form.

2.10.2 Specifying a multipoint constraint

The definition of a multipoint constraint consists of:

- specifying master and slave nodes according one of the way of defining the MPC (above discussed);
- defining the MPC relationship among master and slave nodes by means of the user routine UTIE (see User Subroutines Reference Guide: UTIE).

To define a multipoint constraint:

1. in the Nosa menu select MPCs or click on "MPCs" button in the toolbar.



Figure 2.11: MPCs button

the following dialog box will appear:

8 Define/Edit Multi Point Constraints (MPCs)					
Name :					
Assign MBCs in a tabular form					
Mode 1					
Model					
Number of slave nodes	Number of slave nodes				
Maximum number of master nodes fo	or each slave node				
slave node Id	list of master node Ids				
1					
2					
3					
4					
5					
Note: Only one item must be inserted in the	first column, whereas, if one or more items are				
in the 2nd column, they must be comma sep	arated.				
\odot Define MPCs using node set names					
(Mode 2)					
Name of the slave node set:	tied 🗸				
Name of the master node set:					
Note: The i-th item in the slave node set is in	relationship with the i-th item in the master node				
set; thus, if one slave node is constrained to	two or more master nodes, please refer to Mode 1.				
Note: MPCs equations must be defined in the	Note: MPCs equations must be defined in the user-routine UTIE.				
	Apply Apply and Close Dismiss				

- 2. into the "*Name*" box type the name of the MPC to be defined; if no name is specified, a default name "*MPC-1*" is assigned.
- 3. select the way of specifying the master and slave nodes involved in the MPC relationship (by clicking on one between two radio buttons available).
- 4. click on the "*Apply*" button to create the MPC and define a new one, or "*Apply and Close*" to create the MPC and quit from the dialog box. The MPC object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, as well as show it into the "VTK-view" window

2.10.3 Editing multipoint constraints

To edit a multipoint constraint, right click on the mpc object from the Object browser, and select "*Edit MPC*";



the MPC dialog box will appear:

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Ø Define/Edit Multi Point Constraints (MPCs)			
Name :	MPC-1		
O Assign MPCs in a tabular form			
Mode 1			
Number of slave nodes			
Maximum number of master no	odes for each slave node		
slave node Id	list of master node Ids		
1			
2			
3			
4			
5			
Note: Only one item must be inserted	in the first column, whereas, if one or more items are		
in the 2nd column, they must be com	ima separated.		
 Define MPCs using node set na 	ames		
Mode 2			
Name of the slave node set:	tied 🗣		
Name of the master node set:	retained 🗸		
Note: The i-th item in the slave node	set is in relationship with the i-th item in the master node		
set; thus, if one slave node is constrai	ined to two or more master nodes, please refer to Mode 1.		
Note: MPCs equations must be defined	l in the user-routine UTIE.		
	<u>Apply</u> Apply and <u>Close</u> <u>Dismiss</u>		

from here, you can edit the name of the MPC, the master/slave sets and the way of specifying them. Click on "Apply" or "Apply and Close" button to store the changes.

2.10.4 Showing/Hiding multipoint constraint

To show in a VTK-view window master and slave nodes involved in a multipoint constraint, right click on the object from the Object browser, and select "Show";



in the current VTK-view window the MPC is shown together with all other objects displayed.

By selecting the commands "Show Only" or "Hide" from the popup-menu it is possible to view only the MPC object in the current window or hide it, respectively.

2.11 Set Solution Controls

2.11.1 About Solution Controls

Through this procedure the user can set some parameters governing the resolution of a numerical analysis; in most cases, default values of these parameters are able to achieve the solution convergence, however, there will be problems where solution parameters must be changed. For example, for non-linear analysis involving contact problems or multipoint constraints default values are no longer suitable to achieve numerical convergence.

2.11.2 Setting solution controls

The setting of solution parameters consists of:

- specifying the maximum number of load increments to be applied after which analysis will be aborted;
- specifying the maximum number of iterations used to achieve numerical convergence;
- choosing the numerical algorithm to be used to perform a numerical analysis;
- specifying the convergence criteria and other parameters.

To define solution controls :

1. in the Nosa menu select Solution Controls or click on "Solution Controls" button in the toolbar.



Figure 2.12: Solution Controls button

the following dialog box will appear:

8 Create/Edit Solution Control				
Name :				
Maximum number of increments:	1000			
Maximum number of iterations per increment:	1000			
(Solver Algorithms >				
O Initial Stiffness Matrix Method				
⊙ Newton-Raphson Method				
O Modified Newton-Raphson Method				
(Convergence Criterion)				
● <u>B</u> ased on the norm of total force				
\bigcirc Based on the change in the displacement field	\$			
Ratio (%) between the norm of residual force and the total force:	0.1			
Minimum value of the norm of total force:	1e-08			
Minimum change in the displacement field:	1e-12			
Minimum change in the temperature field:	1e-08			
Max temeperature change in automatic time stepping mode:	20.0			
Apply and <u>C</u> lose	Dismiss			

- 2. in the "*Name*" box type the name of the solution controls to be defined; if no name is specified, a default name "*SolCtrl-1*" is assigned.
- 3. specify all parameters in the dialog box if their values must be different from the default ones.
- 4. click on the "*Apply*" button to create the set of solution controls and define a new one, or "*Apply and Close*" to create the set of solution controls and quit from the dialog box. The solution controls object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Solution Ctrl"

2.11.3 Editing solution controls

To edit a set of solution controls, right click on the object from the Object browser, and select "*Edit Solution Ctrl*";



the following dialog box will appear:

8 Create/Edit Solution Cont	rol		
Name :	SolCtrl-1		
Maximum number of increments:	Maximum number of increments:		1000
Maximum number of iterations per increment:			1000
Solver Algorithms			-
O Initial Stiffness Matrix Method			
⊙ <u>N</u> ewton-Raphson Method			
O Modified Newton-Raphson Meth	od		
Convergence Criterion			
\odot $\underline{B}ased on the norm of total force$	e		
\bigcirc Based on the change in the displacement field			
Ratio (%) between the norm of residual force and the total force:			0.1
Minimum value of the norm of total force:			1e-08
Minimum change in the displacement field:			1e-12
Minimum change in the temperature field:			1e-08
Max temeperature change in automatic time stepping mode:		20.0	
		Apply and Close	Dismiss

from here, you can edit the values of solution parameters. Click on "Apply" or "Apply and Close" button to store the changes.

2.12 Set Damping

2.12.1 About Damping

When a dynamic analysis is performed, in NOSA-ITACA software it is possible to consider damping coefficients according to the Rayleigh assumption. The user can apply different values of damping coefficients to different groups of mesh elements.

2.12.2 Specifying damping

The definition of damping consists of:

- specifying the values of damping coefficients;
- applying these conditions to groups of mesh elements.

To define damping:

1. in the Nosa menu select Damping or click on "Damping" button in the toolbar.

 -	-	

Figure 2.13: Damping button

the following dialog box will appear:

😣 💷 Create/Edit Dampings	
Name:	
Mass viscous damping	0.6
Stiffness viscous damping	0.3
Numerical damping	
<pre>catene caricoP f pil1 pil2 arco</pre>	
Dismiss Apply and Clos	e <u>A</u> pply

- 2. into the "*Name*" box type the name of the damping to be defined; if no name is specified, a default name "*Damping-1*" is assigned.
- 3. in the "DAMPING COEFFICIENTS" group box specify the values of the multiplier of the mass matrix for viscous damping (coeff1) and/or the values of the multiplier of the stiffness matrix for viscous damping (coeff2) and/or the values of the multiplier of the stiffness matrix for numerical damping.
- 4. from the list view select one or more element groups which the damping refers to.
- 5. click on the "*Apply*" button to create the damping and define a new one, or "*Apply and Close*" to create the damping and quit from the dialog box. The damping object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, as well as show it into the "VTK-view" window

2.12.3 Editing damping

To edit damping, right click on the object from the Object browser, and select "Edit Damping";



the damping dialog box will appear:



from here, you can edit the values of the damping, and changing the element set to which damping applies. Click on "*Apply*" or "*Apply and Close*" button to store the changes.

2.13 Define Load-Steps

2.13.1 Overview

In NOSA-ITACA code loads are applied incrementally to the structure. This can be done within the code by defining various Load-Steps taking into account that:

- performing a modal analysis other types of analysis cannot be run, so if a modal step has been defined, the code will not take into account for other load steps;
- the "activated" option in the load section, applies the load value in the current step while the "deactivated" option set to zero the load increment;
- the "activated" option in the boundary condition section (and in the MPC section), imposes those constraints while the "deactivated" option does not impose the constraint in the current load step.

2.13.2 Setup Load-Steps

To define Load Steps :

1. in the Nosa menu select Step or click on "Step" button in the toolbar.

	+STEP
--	-------

Figure 2.14: Load Steps button

the following dialog box will appear:

8	Create/Edit Step(s)	
lame : (Select BC(s) >	Select Load(s)	Step-1
BC name Status BC-1 activated BC-2 activated BC-2 activated Select solution controls: Load Incrementation Cutomatic load/heat flux increment Number of load/heat flux increment Number of load/heat flux increments: Fixed load increments are used Variable load increments are defined Variable load increments are defined	Load name Status Load-1 activated Load-2 deactivated y Print Frequency	SolCtri-1
Define a scale factor to be applied to a loa	d increment:	1.0
Step Size Moda Imaximum number of step size Minial step size Total time step Automatic step size Initial acceleration is to be evaluated	ll ⊖ <u>D</u> ynamic) Heat Transfer

- 2. in the "*Name*" box type the name of the step to be defined; if no name is specified, a default name "*Step-1*" is assigned.
- 3. activate or deactivate loads and boundary conditions for that increment.
- 4. choose the Solution Control to use.
- 5. specify the kind of step (static, modal, dynamic or thermal). In case of dynamic or thermal step specify all parameters in the dialog box.
- 6. click on the "*Apply*" button to create the load step and define a new one, or "*Apply and Close*" to create the load step and quit from the dialog box. The step object so created will be stored into the **Object browser**;


from here, it is possible to edit the object, by right clicking on it and selecting "Edit Step"

2.13.3 Editing Load-Steps

To edit a load step, right click on the object from the Object browser, and select "Edit Step ";



the following dialog box will appear:

ime :					Step-1			
Select BC(s)		Select	Load(s)		Se	elect MPC(s)		
BC name	Status	L	oad name	Status		MPC name	Status	1
BC-1	activated	Load	-1	activated			deactivated	11
BC-2	activated	Load	-2	deactivated			deactivated	
							deactivated	4
elect solution con	trols:				SolCtri-	1		-
load Increment:	tion Output Freque	Print	Frequency					-
Number of load Since the second seco	heat flux increment /heat flux increments: crements are used l increments are define	ed in user-sub	routines					
Automatic load Number of loac O Fixed load in O Variable load	heat flux increment) /heat flux increments: crements are used increments are defini .tor to be applied to a	ed in user-sub	routines				1.0	
Automatic load Number of loac Fixed load in Variable load Define a scale fac	heat flux increment) /heat flux increments: crements are used increments are define tor to be applied to a	ed in user-sub load incremer	routines nt:	O Duramir		Other	1.0	
Automatic load Number of loac Fixed load ir. Variable load Define a scale fac Step Size	heat flux increment) /heat flux increments: crements are used increments are define :tor to be applied to a	ed in user-sub load incremer	routines	⊖ <u>D</u> ynamic		⊖ <u>H</u> eat	1.0 Transfer	
Automatic load Number of loac O Fixed load ir O Variable load Define a scale fac tep Size O Static Aaximum number	heat flux increment) /heat flux increments crements are used increments are define tor to be applied to a 	ed in user-sub load incremer	routines) Dynamic		⊖ <u>H</u> eat	1.0 Transfer	
Automatic load Number of loac Fixed load ir Variable load Define a scale fac tep Size Static Aaximum numbe nitial step size	heat flux increment) /heat flux increments: crements are used increments are define :tor to be applied to a 	ed in user-sub load incremen	routines) Dynamic) Heat	1.0 Transfer	
Automatic load Number of loac Fixed load ir Variable load Define a scale fac tep Size Static Aaximum number nitial step size otal time step	heat flux increment) /heat flux increments crements are used increments are define .tor to be applied to a 	load incremen	routines ht:) Dynamic		⊖ <u>H</u> eat	1.0 Transfer	
Automatic load Number of loac Fixed load ir Variable load Variable load Composition Static Automatic step Automatic step	heat flux increment) /heat flux increments crements are used increments are defined increments are defined increments are defined or of step size p size	load incremen	routines ht:	O Dynamic		⊖ Heat	1.0 Transfer	

from here, you can edit the load step. Click on "Apply" or "Apply and Close" button to store the changes.

2.14 Specify Output Requests

2.14.1 Overview

Through this procedure the user can select the output variables required for post-processing the results of a numerical analysis. The accessibility of a particular output variable depends on:

- the analysis type (e.g, static, dynamic, modal or heat transfer analysis);
- material type (e.g, plastic strain, crashing or fracture strain, thermal, and so on);
- mesh element type (e.g, beam elements, shells, heat transfer elements or nodes).

Furthermore, it is possible to require output variables which are not directly available from numerical calculation of the equilibrium solution; this is the case when derived field outputs are required by manipulating default variables (e.g, requiring the principal stress/strain from the output stress/strain tensor, or evaluating the maximum eccentricity in a masonry structure induced by the combined compressive and bending stress). Derived fields can be available by requiring *solution dependent variables* (**SDVs**); for them the user must provide a name for each SDV, and supply the equations which they are obtained from. These equations must be defined by means of the user routine PLOTV (see User Subroutines Reference Guide: PLOTV)

Table 2.2 shows the output variables available for a given analysis type, material and element types.

The user can decide of requiring only some components of a tensor field; as an example, one can require only normal stress along a particular direction, and, thus, the other components can be disregarded. All

Field	Analysis type	Material	Element Type
Stress tensor	static, dynamic	elastic-plastic, masonry	1-4, 5*, 6-8, 9*, 10*
Total strain tensor	static, dynamic	elastic-plastic, masonry	1-4, 5*, 6-8, 9*, 10*
Plastic strain tensor	static, dynamic	elastic-plastic	1-4, 6-8
Fracture strain tensor	static, dynamic	masonry	1-4, 5*, 6-8, 9*, 10*
Crushing strain tensor	static, dynamic	masonry	1-4, 5*, 6-8, 9*, 10*
Displacement	static, dynamic, modal	elastic-plastic, masonry	mesh nodes
Velocity	dynamic	elastic-plastic, masonry	mesh nodes
Acceleration	dynamic	elastic-plastic, masonry	mesh nodes
Reaction forces	static, dynamic, modal	elastic-plastic, masonry	mesh nodes
Energy	dynamic	elastic-plastic, masonry	1-10
Thermal	heat transfer	heat transfer	11-17
Stress resultants	static, dynamic	elastic, masonry	5, 10
Strain resultants	static	elastic, masonry	5, 10
SDVs	all	all	all

Table 2.2: Overview of the output variables available in the NOSA-ITACA

fields defined on mesh nodes are given in the global reference system; unlike nodal fields, element variables (i.e. those defined at the integration points of the element) can be given or in the global reference system or in the local one (i.e. the othonormal reference system of the element). Thus, for shell and beam elements output variables are given in the local reference system of the element. Anyway, an element field can be expressed in a system different from the reference one, by considering linear transformations; this can be done by means of the routine PLOTV. In such a case, the element field (even though it is a default field) must be defined as derived one and, thus, the user must require a SDV field. For instance, let us consider a finite element mesh made up of only shell elements and for them we want to require the normal stress σ_{11} along the global reference system. For this we require a SDV, named as "s11-global"; if the default stress tensor or σ_{11} has been also required, this is given in the local reference system of the shell, while the variable "s11-global" is given in the global reference system.

For beam elements, stress and total strain tensor represent the stress and strain resultants rather than the fields calculated for other element types. Further details about output fields can be found in NOSA Theory Manual: Element Library

Usually, output fields are stored in the post file at the end of each load increment; however, the user can specify a different frequency of writing.For instance, output variables can be written every M iterations at N load increments.

Finally, for shell elements, the user can require output variables at one or more layers rather than the middle surface; this can be done specifying a sequence of layers for which output fields must be written to the post file.

2.14.2 Specifying output variables

Requiring an output field consists of:

- selecting the output variables among those available for a given analysis type, material and element type;
- specifying the frequency of writing to the post files;
- selecting the format of the post file;
- specifying the layers which the fields refer to (only for shell elements);

To require a field output:

1. in the Nosa menu select Output Requests or click on "Output Requests" button in the toolbar.



Figure 2.15: Output Requests button

the following dialog box will appear:

🛞 Create/Edit Output Request
Name :
Domain: Whole Model
Frequency: Every N increments V : 1 M : 0
(Formatted post file:
⊙ formatted text (*.t19) ○ binary (*.t16)
Restart Option
Element connectivity and nodal coords are not printed in the post file
Element connectivity and nodal coords are printed in the post file
Output Variables
Select from list below
☐ Total Strain Tensor (id = 301) ☐ Total Strain Tensor (id = 301) ☐ Total Strain Tensor (id = 321) ☐ Fracture Strain Tensor (for masonry-like materials) (id = 321) ☐ Crashing Strain Tensor (for masonry-like materials) (id = 381) ☐ Displacement/Velocity/Acceleration
⊢ g Reaction Forces ⊕ □ Energy (for dynamic analyses) ⊕ □ Thermal
Stress characteristic (for shell elements) Strain characteristic (for shell elements) Strain characteristic (for shell elements) Strain characteristic (for shell elements)
Specify a sequence of SDV names (comma separeted values):
Output for shell and beam section points:
Use defaults Specify the sequence of layer(s)/fiber(s):
Specify the SDV names for the selected layer(s)/fiber(s):
<u>Apply</u> Apply and <u>Close</u> <u>D</u> ismiss

- 2. in the "Name" box type the name of the output request to be defined; if no name is specified, a default name "OutRequest-1" is assigned.
- from the drop-down list box select the frequency of writing, among the options available; the user can decide to store output variables at the end of every N load increments or at every M iterations of every N load increments.
- 4. specify the format of the post file (i.e., formatted text file or binary file); default value is formatted ascii file.
- 5. specify the options for a restart analysis; when a restart analysis is not required, the user can disregard these options. On the other hand, for a restart analysis it is important that node coordinates and element connectivity are stored in a post file; in this case the user must select the non-default option.

- 6. from the list view select the output variables required for post-processing numerical results of the analysis.
- 7. if a SDV variable is required, specify its name using this format "NN:OO" where NN it's the identification code of the variable in user routine PLOTV and OO its name.
- 8. for shell elements select the layers for which the variables are to be written to the post file; by default, output fields refer to the middle surface of the shell.
- 9. click on the "*Apply*" button to create the output request and define a new one, or "*Apply and Close*" to create the output request and quit from the dialog box. The output request object so created will be stored into the **Object browser**;



from here, it is possible to edit the object, by right clicking on it and selecting "Edit Output Request"

2.14.3 Editing output requests

To edit an output request, right click on the object from the Object browser, and select "Edit Output Request";



the following dialog box will appear:

😣 Create/Edit	Output Request						
Name :		OutRequest	t-1				
Domain:					Whole Model		₽
Frequency:	Every N increments	÷	N :	1	M: 0	0	
Formatted post	file:						
 formatted tex 	kt (*.t19) 🔿 binary (*.t16)						
Restart Option							
 Element conr 	nectivity and nodal coords are n	ot printed in th	e pos	t file			
 Element conr 	nectivity and nodal coords are p	rinted in the po	ost file	9			
Output Variables	\triangleright						
 Select from li 	st below 🔘 Select Predefined I	Fields 🔾 Selec	t All				
E Stress Te	nsor (id = 311)					1	Ŷ
Stress co	mponents: (id = 11)					_	
- S22	(id = 12)					1	
- 🗹 533	(id = 15) (id = 14)						
- S23	(id = 15) (id = 16)						
- Stress in	variants:						
SMISE	ES (id = 17) in Tensor (id = 301)						
□ Inter Street	rain Tensor (id = 301)					4	ŀ
Specify a seque	nce of SDV names (comma sepa	areted values):					
Output for the	II and bases anothing a sinter						
Output for she	and beam section points.		_				
 Use default 	s O Specify the sequence of la	ayer(s)/fiber(s):					
Specify the SL	v names for the selected layer(s)/fiber(s):					
		<u>A</u> pp	ly	Арр	ly and <u>C</u> lose	<u>D</u> ismis	s

from here, you can edit the output request. Click on "Apply" or "Apply and Close" button to store the changes.

2.15 Define Jobs

2.15.1 Overview

Through this procedure the user defines the job for the current analysis to be performed. It represents the input of the NOSA solver to carry out numerical calculation and solve equilibrium equations. More precisely, the job of the current analysis consists of:

- selecting the analysis type to be run;
- for a given analysis, setting the analysis parameters;
- specifying the memory allocation for performing the analysis; this option is obsolete;
- specifying options for printing numerical results in the print file (i.e., the file with extension "*.prt");
- specifying further options.

With NOSA-ITACA code, the user can perform the following analysis types:

• static analyses;

- modal analyses;
- dynamic analyses;
- heat transfer analyses.

For a modal analysis, the user must supply the number of eigenvalues (that means the number of modes) to be evaluated; if no number is specified, NOSA solver will extract the first 10 frequencies.

For a dynamic analysis, the user must specify the algorithm to be used to perform the numerical calculation; one can choose the Newmark algorithm or the Hilber-Hughes-Taylor (HHT) method. For both of them the user must specify the parameters of the algorithm.

Other options can be specified; for instance, the user can enable:

- finite strain formulations (this option is relevant to only elastic-plastic materials);
- follower forces;
- restart analysis;
- scale option;
- stop option;
- use of lumped mass matrix for carrying out dynamic analyses;
- reduced selective integration, as far as it is recommended in finite strain analyses.

2.15.2 Creating jobs

Defining a job consists of:

- selecting the analysis type to be performed;
- specifying the parameters of the current analysis;
- setting the desired options among those available;

To create a job:

1. in the Nosa menu select Jobs or click on "Jobs" button in the toolbar.



Figure 2.16: Jobs button

the following dialog box will appear:

8 Create/Edit Job
Name :
Analysis Title :
Select output request: OutRequest-1
Job Type Memory Print Option Other Options
Static Analysis
Modal Analysis
Number of eigenvalues to be evaluated:
Dynamic Analysis
Newmark Algorithm
Gamma Coefficient: Beta Coefficient:
Hilber-Hughes-Taylor Algorithm
Alfa Coefficient:
Damping Option (Idamp)
Heat Transfer Analysis
Film Option (lifilm)
[ob Option]
Finite Strain Formulation (Ifini) Restart Option (Irest)
Scale Option (Iscal)
Follower Forces (Ifoll)
<u>Apply</u> Apply and <u>Close</u> <u>D</u> ismiss

- 2. in the "*Name*" box type the name of the job to be run; if no name is specified, a default name "*Job-1*" is assigned.
- 3. in the "Analysis Title" box type the name of the analysis; if no name is specified, a default name "Untitled" is assigned.
- 4. from the drop-down list box select the output requests, previously defined;
- 5. from the Job Type tab select the analysis type to be run; also specify the parameters of the analysis.
- 6. from the *Memory* tab specify the amount of memory to be allocated to perform numerical calculation (this command is obsolete)
- 7. from the Print Option tab specify the results to be written to the prt file;
- 8. from the *Other Options* tab enable "lumped mass matrix" or "selective integration" options, if required.
- click on the "Apply" button to create the output request and define a new one, or "Apply and Close" to create the job and quit from the dialog box. The job object so created will be stored into the Object browser;



from here, it is possible to edit the object, write the input file ("*.crd"), submit the job and monitor the analysis.

2.15.3 Editing jobs

To edit a job, right click on the object from the Object browser, and select "Edit Job";



the following dialog box will appear:

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

😣 Create/Edit Job	
Name :	Job-1
Analysis Title :	analisi_statica
Select output request:	OutRequest-1
Job Type Memory Print C	option Other Options
Static Analysis	
Modal Analysis	
Number of eigenvalues to be	evaluated:
Dynamic Analysis	
Newmark Algorithm	
Gamma Coefficient:	Beta Coefficient:
Hilber-Hughes-Taylor Algor	ithm
Alfa Coefficient:	
Damping Option (Idamp)	
Heat Transfer Analysis	
Film Option (Iifilm)	
(Job Option	
Finite Strain Formulation (I	fini) 🔲 Restart Option (Irest)
Scale Option (Iscal)	Stop Option (Istop)
Follower Forces (Ifoll)	
	Apply Apply and Close Dismiss

from here, you can edit the job parameters. Click on "Apply" or "Apply and Close" button to store the changes.

2.15.4 Writing input file

Once the job has been created, the user can decide to write the crd file as input for the NOSA solver, and submit the job later; in so doing, the user can read this file and verify that all data have been written right or specify further analysis options not available in NOSA-ITACA/GUI. To write a crd file, right click on the object from the Object browser, and select "Write Input";



the input file will be generated; the user can find this file at the current working directory.

2.16 Submit a Job

To submit a job:

1. in the Run menu select Submit the analysis or click on "Submit the analysis" button in the toolbar.



Figure 2.17: Submit the analysis button

the following dialog box will appear:

😣 Submit the Job			
Select Job:			1
Job: Job-1			Ŧ
	<u>W</u> rite input	Run	Dismiss

- 2. from the drop-down list box select a job among those available in the Object Browser.
- 3. click on the "Write input" button to create the input file, or "Run" to submit the job.

Alternatively, the user can select the job directly from the Object Browser and by right clicking select "Submit the analysis"



2.17 Monitor a Job

Once the job has been submitted, the user can verify the status of the current analysis; in particular, it is possible to check:

- for a given load increment, the convergence status of each iteration;
- for a given load increment, the residual at each iteration;
- warnings and/or errors arisen during the numerical calculation;

Furthermore, when the numerical calculation shows a slowly convergence or the numerical problems arise the user can abort the job.

To monitor a job:

1. in the Run menu select Job Monitor or click on "Job Monitor" button in the toolbar.



Figure 2.18: Job Monitor button

the following dialog box will appear:

Job Mo	nitor				
elect the job	:	4			Status :
Step	Increment	Iteration	Total Time	Residue	Status
					*
Log Erro	ors Warnings	Output Prt File	Status File		
1					1

- 2. from the drop-down list box select a job among those available in the Object Browser; the dialog box will display several information relevant to this job
- 3. click on the "*Reload*" button to update all information about analysis progress, or "*Kill Job*" to abort the job, when numerical problems arise.

Alternatively, the user can select the job directly from the Object Browser and by right clicking select "Monitor the analysis"



2.18 Create a ".med" file

When the analysis is finished, the user can create a ".med" output file clicking on **Write Med** button in the toolbar.

	Ъ.		
	1		
 	1.7	κ.	
_	33	э.	
- 10-	-	e.	
- 70	~		

Figure 2.19: Write Med button

At this point, the user can view the analysis results by importing the ".med" file into the Paravis module of Salome.

Chapter 3

NOSA Theory Manual

3.1 Historical overview of the NOSA code

The finite element code **NOSA** (*Non-linear Structural Analysis*) [1] has been developed by the team of Mechanics of Materials and Structures Laboratory of the Institute of Computer Science and Technologies "A. Faedo" (ISTI-CNR). The work's primary goal has been the development of a suitable set of tools for experimentation on engineering problems involving material constitutive equations and algorithms for integrating the equation of motion as well as other numerical techniques of research interest to the group.

A first version of the code, written in the early 1980's, included plane, three-dimensional and axisymmetric isoparametric elements [2], and it was able to perform elastic-plastic analyses, under the assumption of small scale yielding (SSY), with several work-hardening models as described in [3]. The code has subsequently been extended to finite strain conditions, based on studies carried out on both constitutive equations [4 - 7] and methods of numerical integration of the equation of motion [8 - 10] in the presence of follower forces, and contact problems. At the same time, the element library of the code was enhanced of shell elements (thin and thick shells) [11].

Since 1990, nonlinear elastic materials, with null or bounded tensile strength and infinite or bounded resistance to compression, have been added to the material library of the code, in order to describe static behaviour of masonry structures; the numerical modelling of such materials (known in the literature as *masonry-like* or *no-tension* materials) has been refined over recent decades, once constitutive models and newer numerical techniques for their implementation into a finite element code have become available, and several studies [12 - 18] have led to a better understanding of the constitutive equations governing the behaviour of masonry-like materials.

Since 2000, the code has been enhanced to be able to perform nonlinear heat-conduction analyses, even in non-stationary cases, with boundary conditions concerning temperature and thermal fluxes; nowadays, the code provides for thermo-mechanical analyses of no-tension solids, whose mechanical characteristics depend on temperature in the presence of thermal loads [17, 19 - 20].

At the same time, the numerical analyses available within the code have been increased to account for dynamic problems in structures; dynamic analyses can be carried out by using Hilber-Hughes-Taylor alogorithm or Newmark one [21 - 22], and the uniqueness of the solution can be restored by introducing a viscous stress depending linearly on the strain rate [23].

Within the framework of the NOSA-ITACA project, the NOSA code has been substantially modified and deeply improved; in particular, the code has been rewritten according to the FORTRAN 90-95 specifications, and equipped with new finite elements, thus enhancing its application capabilities. The element library has been completed with the triangular and tetrahedral elements, and, today, contains 35 element types. Furthermore, the performances of the code are now improved, in particular, a speed-up of about 7.3 with respect to the original version has been obtained.

In addition, the code has been enabled to perform modal analyses of structures, by means of an efficient implementation of numerical methods for constrained eigenvalue problems; the numerical implementation is based on open-source packages embedded in NOSA, such as *SPARSEKIT* [24], *ARPACK* [25] and *ICFS*. In particular, ARPACK implements a method based on the Lanczos factorization combined with spectral techniques that improve the convergence; the package ICFS provides an advanced implementation of the conjugate gradient method, accelerated with a preconditioner based on the incomplete Cholesky factorization [26].

Over these years, the development of the NOSA code has also been possible thanks to the work of many engineering students of the University of Pisa, as part of their thesis research.

3.2 Theoretical background of the NOSA code

This section describes the theoretical basis of the fem code; in particular, it is organized as:

- Materials, which deals with material behaviours modelled into the fem code;
- NOSA Element Library, which deals with the element types used to perform numerical analyses;
- NOSA Load Library, which describes loads to be applied on a structure;
- Analyses and Procedures, describing the numerical analyses and procedures which can be performed with the Nosa code.

3.3 REFERENCES

[1] DEGL'INNOCENTI S., LUCCHESI M., PADOVANI C., PAGNI A., PASQUINELLI G., ZANI N. "The finite element code NOSA Version 2.0 - User's Manual". Internal note ISTI-006/2007.

[2] HINTON E., OWEN D. R. J., Finite Element Programming, Academic Press, 1977.

[3] GUIDOTTI P, LUCCHESI M, PAGNI A., PASQUINELLI G., "Elastic-Plastic Behaviour with Work Hardening: an Appropriate Model for Structural Software". Meccanica 19, 1984.

[4] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part I". Arch. Rat. Mech. Anal., 102, pp. 23-43, 1988.

[5] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part II". Arch. Rat. Mech. Anal., 110, pp. 9-42, 1990.

[6] LUCCHESI M., OWEN D. R., PODIO GUIDUGLI P., "Materials with Elastic Range: a Theory with a view toward Applications. Part III. Approximate Constitutive Relations". Arch. Rat. Mech. Anal., 117, pp. 53-96, 1992.

[7] LUCCHESI M., PODIO GUIDUGLI P., "Materials with Elastic Range and the Possibility of Stress Oscillations in Pure Shear". Proc. Int. Conf. on Comp. Plasticity, Model, Software and Applications, Barcelona, 6-10 April 1987.

[8] GUIDOTTI P., LUCCHESI M., "A Numerical Method for Solving Boundary-Value problems in Finite Plasticity". Meccanica, 23, pp. 43-54, 1988.

[9] DEGL'INNOCENTI S., PADOVANI C., PASQUINELLI G., "An improved numerical method to integrate the equation of motion in finite elastoplasticity problems". Complas II, Second International Conference on Computational Plasticity, Barcelona, September 1989.

[10] PASQUINELLI G., "Simulation of Metal-Forming Processes by the Finite Element Method". Int. J. Plasticity, 11, pp. 623-651, 1995.

[11] GUIDOTTI P., LUCCHESI M., PAGNI A., PASQUINELLI G., "Application of Shell Theory to Structural Problem Using the Finite Element Method". Quaderni de "La Ricerca Scientifica", 115, 1986.

[12] DI PASQUALE S., "New trends in the analysis of masonry structures". Meccanica, 27, pp. 173-184, 1992.

[13] DEL PIERO G., "Constitutive equation and compatibility of the external loads for linearly-elastic masonry-like materials". Meccanica, 24 pp.150-162, 1989.

[14] LUCCHESI M., PADOVANI C., PAGNI A., "A numerical method for solving equilibrium problems of masonry-like solids". Meccanica, 24, pp. 175-193, 1994.

[15] LUCCHESI M., PADOVANI C. and PASQUINELLI G., "On the numerical solution of equilibrium problems of elastic solids with bounded tensile strength". Comput. Methods Appl. Mech. Engrg. 127, pp. 37-56, 1995.

[16] LUCCHESI M., PADOVANI C. and ZANI N., "Masonry-like materials with bounded compressive strength". Int. J. Solids Structures 33, pp. 1961-1994, 1996.

[17] LUCCHESI M., PADOVANI C., PASQUINELLI G., ZANI N., "Masonry constructions: mechanical models and numerical applications", Series: Lecture Notes in Applied and Computational Mechanics, Vol. 39, Berlin Heidelberg, Springer-Verlag, 2008.

[18] PASQUINELLI G., "On the modeling of the reinforcement rings in masonry buildings: an example". Proceedings of the Third International Conference on Contact Mechanics, Contact Mechanics III, Madrid 1997.

[19] LUCCHESI M., PADOVANI C., PASQUINELLI G., "Thermodynamics of no-tension materials". Int. J. Solids and Structures 37, pp. 6581-6604, 2000.

[20] PADOVANI C., PASQUINELLI G., ZANI N., "A numerical method for solving equilibrium problems of no-tension solids subjected to thermal loads". Comput. Methods Appl. Mech. Engrg., 190, pp. 55-73, 2000.

[21] DEGL'INNOCENTI S., PADOVANI C. & PASQUINELLI G., "Numerical methods for the dynamic analysis of masonry structures". Structural Engineering and Mechanics, 22, pp.107-130, 2006.

[22] BATHE, JK. J., WILSON, WE. L., "Numerical methods in finite element analysis", Prentice-Hall, Inc., Englewood Cliffs, New Jersey, 1976.

[23] PADOVANI C., PASQUINELLI G., ŠILHAVÝ M., "Processes in masonry bodies and the dynamical significance of collapse". Mathematics and Mechanics of Solids, 13, pp.573-610, 2008.

[24] SAAD Y., "SPARSKIT: A basic tool kit for sparse matrix computations". Technical Report, Computer Science Department, University of Minnesota, June 1994.

[25] LEHOUCQ R. B., SORENSEN D. C., YANG C., "ARPACK Users Guide: Solution of Large-Scale Eigenvalue Problems with Implicitly Restarted Arnoldi Methods". SIAM, 1998.

[26] LIN C.-J., MORE' J. J., "Incomplete Cholesky Factorizations with Limited Memory". SIAM J. Sci. Comput., 21(1), 24-45, 1999.

[27] PORCELLI M., BINANTE V., GIRARDI M., PADOVANI C., PASQUINELLI G., PELLEGRINI D., "On the numerical solution of constrained eigenvalue problems in structural engineering", Recent Advances on Optimization (Toulouse, France, 24-26 July 2013), poster session.

3.4 Materials

3.4.1 Overview

In the NOSA fem code the following material behaviours have been modelled:

- elastic materials;
- elastic-plastic materials (not available in the present version of NOSA-ITACA);
- masonry-like materials;
- heat transfer analysis (not available in the present version of NOSA-ITACA).

3.5 NOSA Element Library

3.5.1 Overview

The elements available in NOSA fem code are listed in Table 3.1

Structural type	Element	Shape Functions Order	Element Topology
three-dimensional	1	quadratic	20-node hexahedron
plane stress	2	quadratic	8-node quadrilateral
plane strain	3	quadratic	8-node quadrilateral
axisymmetric	4	quadratic	8-node quadrilateral
thin shell	5	linear for displacements quadratic for rotations	8-node quadrilateral
plane strain	6	linear	4-node quadrilateral
axisymmetric	7	linear	4-node quadrilateral
three-dimensional	8	linear	8-node hexahedron
straight beam	9	linear	2-node segment
thick shell	10	linear	4-node quadrilateral
plane heat transfer	11	quadratic	8-node quadrilateral
plane heat transfer	12	linear	4-node quadrilateral
axisymmetric heat transfer	13	quadratic	8-node quadrilateral
axisymmetric heat transfer	14	linear	4-node quadrilateral
3D heat transfer	15	linear	8-node hexahedron
3D heat transfer	16	quadratic	20-node hexahedron
heat transfer shell	17	linear	4-node quadrilateral
plane stress	18	linear	4-node quadrilateral
plane stress	19	linear	3-node triangle
plane stress	20	quadratic	6-node triangle
plane strain	21	linear	3-node triangle
plane strain	22	quadratic	6-node triangle
axisymmetric	23	linear	3-node triangle
axisymmetric	24	quadratic	6-node triangle
three-dimensional	25	linear	4-node tetrahedron
three-dimensional	26	quadratic	10-node tetrahedron
thick shell	27	linear	3-node triangle
plane heat transfer	28	linear	3-node triangle
plane heat transfer	29	quadratic	6-node triangle
axisymmetric heat transfer	30	linear	3-node triangle
axisymmetric heat transfer	31	quadratic	6-node triangle
3D heat transfer	32	linear	4-node tetrahedron
3D heat transfer	33	quadratic	10-node tetrahedron
heat transfer shell	34	linear	3-node triangle
elastic truss	35	linear	2-node segment

Table 3.1: Overview of the element types available in the NOSA Element Library

Table 3.1:completed

Remarks:

Currently, **only the first 17 element types** of the NOSA Element Library have been implemented into the NOSA-ITACA software; future releases will make all element types available to any applications.

3.5.2 Element 1: 3D 20-node hexahedron

This element is a 20-node isoparametric brick whose shape functions are quadratic; its main characteristic is that to ensure a quickly convergence for three-dimensional analyses. For thick-shell situations, one element through the thickness will usually provide an acceptable solution for both displacement and stress. The length to thickness ratio should not exceed a value of 20.

3.5.2.1 Nodal Connectivity

The element has 20 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.1.



Figure 3.1: Nodal connectivity of the 20-node isoparametric hexahedric element

3.5.2.2 Integration Points

The element is integrated numerically using twenty-seven points (Gaussian quadrature); the plane of the first series of 9 integration points is shown in Figure 3.2.



Figure 3.2: Gauss points of the 20-node isoparametric hexahedric element

3.5.2.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.2

Load Identifier Number	Description
1	Body force; the three components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the three global components of the force per unit volume are
	calculated in the user subroutine FORCEM.
3	Centrifugal force; the rotation axis must be defined, and the angular ve-
	locity (in revolutions per unit time) must be specified in the field reserved
	for the force magnitudes.
11	Pressure on the 1-2-3-4 face; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2-3-4 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 1-2 direction;
	the third component is orthogonal to the face and is positive if directed to-
	wards the interior of the element, the second component has the direction
	given by the vector product of the first and third directions.
13	Pressure on the 1-2-3-4 face in the global reference system; the three
	components of the force per unit area on the eight nodes of the face are to
	be specified in the user subroutine FORCEM .
14	Pressure on the 1-2-3-4 face in the local reference system; the three com-
	ponents of the force per unit area on the eight nodes of the face are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 5-8-7-6 face; the force per unit area is defined in the global
	reference system.

Table 3.2: Distributed loads relevant to the 20-node hexahedric element

NOSA Theory Manual

Table 3.2: continue from the previous page

Load Identifier Number	Description
22	Pressure on the 5-8-7-6 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 5-8 direction;
	the third component is orthogonal to the face and is positive if directed to-
	wards the interior of the element. The second component has the direction
	given by the vector product of the first and third directions.
23	Pressure on the 5-8-7-6 face in the global reference system; the three
	components of the force per unit area on the eight nodes of the face are to
	be specified in the user subroutine FORCEM .
24	Pressure on the 5-8-7-6 face in the local reference system; the three com-
	ponents of the force per unit area on the eight nodes of the face are to be
	specified in the user subroutine FORCEM .
31	Pressure on the 1-5-6-2 face; the force per unit area is defined in the global
	reference system.
32	Pressure on the 1-5-6-2 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 1-5 direction,
	the third component is orthogonal to the face and is positive if directed to-
	wards the element's interior; the second component has the direction given
	by the vector product of the first and third directions.
33	Pressure on the 1-5-6-2 face in the global reference system; the three
	components of the force per unit area on the eight nodes of the face are to
	be specified in the user subroutine FORCEM .
34	Pressure on the 1-5-6-2 face in the local reference system; the three com-
	ponents of the force per unit area on the eight nodes of the face are to be
	specified in the user subroutine FORCEM .
41	Pressure on the 2-6-7-3 face ; the force per unit area is defined in the global
	reference system.
42	Pressure on the 2-6-7-3 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 2-6 direction,
	the third component is orthogonal to the face and is positive if directed to-
	wards the element's interior; the second component has the direction given
42	by the vector product of the first and third directions.
43	Pressure on the 2-0-7-3 face in the global reference system; the three
	components of the loce per unit area on the eight hodes of the face are to
4.4	Despective on the 2.6.7.3 face in the local reference system: the three com-
44	popents of the force per unit area on the eight nodes of the face are to be
	specified in the user subroutine FORCEM
51	Pressure on the 3-7-8-4 face: the force per unit area is defined in the global
51	reference system
52	Pressure on the 3-7-8-4 face in the local reference system: the first com-
52	popent of the force per unit area is tangential to the face in the 3-7 direction
	the third component is orthogonal to the face and is positive if directed to-
	wards the element's interior: the second component has the direction given
	by the vector product of the first and third directions.
53	Pressure on the 3-7-8-4 face in the global reference system: the three
	components of the force per unit area on the eight nodes of the face are to
	be specified in the user subroutine FORCEM.
54	Pressure on the 3-7-8-4 face in the local reference system: the three com-
	ponents of the force per unit area on the eight nodes of the face are to be
	specified in the user subroutine FORCEM .
	Table 5.2: continue in the next page

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

Load Identifier Number	Description
61	Pressure on the 4-8-5-1 face ; the force per unit area is defined in the global reference system.
62	Pressure on the 4-8-5-1 face in the local reference system; the first component of the force per unit area is tangential to the face in the 4-8 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions.
63	Pressure on the 4-8-5-1 face in the global reference system; the three components of the force per unit area on the eight nodes of the face are to be specified in the user subroutine FORCEM .
64	Pressure on the 4-8-5-1 face in the local reference system; the three components of the force per unit area on the eight nodes of the face are to be specified in the user subroutine FORCEM .

Table 3.2: continue from the previous page

Table 3.2:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.2.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangular prism or a tetrahedron.

3.5.2.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.2.6 Degrees of freedom

Three degrees of freedom u, v, w (the displacements along the global coordinate directions).

3.5.2.7 Field Output

1 = xx, 2 = yy, 3 = zz, 4 = xy, 5 = yz, 6 = xz.

3.5.2.8 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.3 Element 2: Plane stress 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral whose shape functions are quadratic.

3.5.3.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.3.



Figure 3.3: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.3.2 Integration Points

The element is integrated numerically using nine points (Gaussian quadrature); the integration points are shown in Figure 3.4.



Figure 3.4: Gauss points of the 8-node isoparametric quadrilateral element

3.5.3.3 Geometrical Attributes

For this element the user must specify the thickness of the element cross-section; by default, a thickness equal to 1 is assigned.



Figure 3.5: Element thickness

3.5.3.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.3

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is orthogonal to the plane of the element, and the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes.
11	Pressure on the 1-2-5 edge ; the force per unit area is defined in the global reference system.
12	Pressure on the 1-2-5 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 1-2 direction.
13	Pressure on the 1-2-5 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
14	Pressure on the 1-2-5 edge in the local reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
21	Pressure on the 2-3-6 edge ; the force per unit area is defined in the global reference system.
22	Pressure on the 2-3-6 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 2-3 direction.
23	Pressure on the 2-3-6 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
24	Pressure on the 2-3-6 edge in the local reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
31	Pressure on the 3-4-7 edge ; the force per unit area is defined in the global reference system.

Table 3.3: Distributed loads relevant to the 8-node plane stress element

Table 3.3: continue in the next page

_

|--|

Load Identifier Number	Description
32	Pressure on the 3-4-7 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 3-4 direction.
33	Pressure on the 3-4-7 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
34	Pressure on the 3-4-7 edge in the local reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
41	Pressure on the 4-1-8 edge ; the force per unit area is defined in the global reference system.
42	Pressure on the 4-1-8 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 4-1 direction.
43	Pressure on the 4-1-8 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
44	Pressure on the 4-1-8 edge in the local reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .

Table 3.3:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.3.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.3.6 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.3.7 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.3.8 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.3.9 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.4 Element 3: Plane strain 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral whose shape functions are quadratic.

3.5.4.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.6.



Figure 3.6: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.4.2 Integration Points

The element is integrated numerically using nine points (Gaussian quadrature); the integration points are shown in Figure 3.7.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen



Figure 3.7: Gauss points of the 8-node isoparametric quadrilateral element

3.5.4.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.



Figure 3.8: Element thickness

3.5.4.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.4.

Table 3.4: Distributed loads relevant to the 8-node plane	strain element
---	----------------

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is orthogonal to the plane of the ele- ment, and the angular velocity (in revolutions per unit time) must be spec- ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2-5 edge ; the force per unit area is defined in the global reference system.

Table 3.4: continue in the next page

Table 3.4: continue from the previous page

Load Identifier Number	Description
12	Pressure on the 1-2-5 edge in the local reference system; the first compo-
	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior; the second component is tangential
	to the edge in the 1-2 direction.
13	Pressure on the 1-2-5 edge in the global reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2-5 edge in the local reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 2-3-6 edge ; the force per unit area is defined in the global
22	reference system.
22	Pressure on the 2-3-6 edge in the local reference system; the first compo-
	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior; the second component is tangential
22	to the edge in the 2-3 direction.
23	Pressure on the 2-3-6 edge in the global reference system; the two com-
	ponents of the loce per unit area on the three hodes of the edge are to be
24	Pressure on the 2.3.6 adds in the local reference system: the two com
24	popents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM
31	Pressure on the 3-4-7 edge: the force per unit area is defined in the global
51	reference system
32	Pressure on the 3-4-7 edge in the local reference system: the first compo-
52	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior: the second component is tangential
	to the edge in the 3-4 direction.
33	Pressure on the 3-4-7 edge in the global reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM.
34	Pressure on the 3-4-7 edge in the local reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
41	Pressure on the 4-1-8 edge; the force per unit area is defined in the global
	reference system.
42	Pressure on the 4-1-8 edge in the local reference system; the first compo-
	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior; the second component is tangential
	to the edge in the 4-1 direction.
43	Pressure on the 4-1-8 edge in the global reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
4.4	specified in the user subroutine FORCEM.
44	Pressure on the 4-1-8 edge in the local reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM.
	Table 3.4:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.4.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.4.6 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.4.7 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.4.8 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.4.9 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.5 Element 4: Axisymmetric 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral whose shape functions are quadratic.

3.5.5.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.9.



Figure 3.9: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.5.2 Integration Points

The element is integrated numerically using nine points (Gaussian quadrature); the integration points are shown in Figure 3.10.



Figure 3.10: Gauss points of the 8-node isoparametric quadrilateral element

3.5.5.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.5.

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned
2	Body force ; the two global components of the force per unit volume are
3	calculated in the user subroutine FORCEM.
5	the angular velocity (in revolutions per unit time) must be specified in the
11	field reserved for the force magnitudes.
11	Pressure on the 1-2-5 edge ; the force per unit area is defined in the global reference system
12	Pressure on the 1.2.5 edge in the local reference system: the first compo-
12	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior; the second component is tangential
12	to the edge in the $1-2$ direction.
15	popents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM
14	Pressure on the 1-2-5 edge in the local reference system: the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM.
21	Pressure on the 2-3-6 edge; the force per unit area is defined in the global
22	reference system. Dressure on the 2.3.6 adge in the local reference system: the first compo-
22	Pressure on the 2-3-0 edge in the local reference system; the first compo-
	directed towards the element's interior: the second component is tangential
	to the edge in the 2-3 direction.
23	Pressure on the 2-3-6 edge in the global reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3-6 edge in the local reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
21	specified in the user subroutine FORCEM.
31	Pressure on the 3-4-7 edge ; the force per unit area is defined in the global reference system
32	Pressure on the 3-4-7 edge in the local reference system: the first compo-
52	nent of the force per unit area is orthogonal to the edge and is positive if
	directed towards the element's interior: the second component is tangential
	to the edge in the 3-4 direction.
33	Pressure on the 3-4-7 edge in the global reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
34	Pressure on the 3-4-7 edge in the local reference system; the two com-
	ponents of the force per unit area on the three nodes of the edge are to be
41	specified in the user subroutine FORCEM.
41	reference system
	1010101100 59810111.

Table 3.5: Distributed loads relevant to the 8-node axisymmetric element

Table 3.5: continue in the next page

Load Identifier Number	Description
42	Pressure on the 4-1-8 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 4-1 direction.
43	Pressure on the 4-1-8 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .
44	Pressure on the 4-1-8 edge in the local reference system; the two components of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .

Table 3.5: continue from the previous page

Table 3.5:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.5.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.5.5 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.5.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.5.7 Field Output

 $1 = zz, 2 = rr, 3 = \theta\theta, 4 = zr.$

3.5.5.8 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.6 Element 5: Thin shell 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral, whose shape functions are linear for displacement and quadratic for rotations.

3.5.6.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.11.



Figure 3.11: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.6.2 Integration Points

Numerical integration is performed both on the middle surface of the element and within the thickness; for the former integration four-point Gaussian quadrature is used, whose integration points are shown in Figure 3.12. The latter integration is performed using the Simpson method, with the number of integration points depending on the number of layers of the shell (see SHELL SECT; the default value is 3, the maximum number of layers is 99).



Figure 3.12: Gauss points of the 8-node isoparametric quadrilateral element

3.5.6.3 Geometrical Attributes

For this element the user must specify the thickness(es) of the element cross-section; for homogeneous shells it is enough to define the thickness of the whole cross-section. For non-homogeneous shells, the thickness of each layer must be provided (COMPOSITE option).

The thickness of the whole shell or each layer can be specified at each corner node by using the user routine **UGEOM**.



Figure 3.13: Layers thickness for composite shells

3.5.6.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.6.

Load Identifier Number	Description
1	Body force ; the three components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the three global components of the force per unit volume for each shell layer are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis must be defined (see ROTATION AXIS), and the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit length is defined in the global reference system.
13	Pressure on the 1-2 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit length is defined in the global reference system.
23	Pressure on the 2-3 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
31	Pressure on the 3-4 edge ; the force per unit length is defined in the global reference system.
33	Pressure on the 3-4 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
41	Pressure on the 4-1 edge ; the force per unit length is defined in the global reference system.
43	Pressure on the 4-1 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
51	Pressure on the surface of the element; the force per unit area is defined in the global reference system.
52	Pressure on the surface of the element in the local reference system, as defined below.

Table 3.6: Distributed loads relevant to the 8-node thin shell element

Table 3.6: continue in the next page

Table 5.0:Continue from the previous page	
Load Identifier Number	Description
53	Pressure on the surface of the element in the global reference system; the three components of the force per unit area on the four nodes of the element
54	are to be specified in the user subroutine FORCEM. Pressure on the surface of the element in the local reference system; the three components of the force per unit area on the four nodes of the element are to be specified in the user subroutine FORCEM.

Table 3.6: continue from the previous page

Table 3.6:completed

Concentrate loads are point loads applied on corner nodes; moreover, the element may be subjected to concentrated moments on mid-side nodes and thermal dilatation loads.

3.5.6.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle; in such a case, the collapsed edge has zero rotational stiffness.

3.5.6.6 Nodal Coordinates

Three global coordinates in the x, y and z directions; the coordinates of the midside nodes are recalculated inside the program in such a way to put them halfway between the corresponding corner nodes.

3.5.6.7 Degrees of freedom

The corner nodes have three degrees of freedom u, v and w (the displacements along the global coordinate directions); the degree of freedom of the mid-side nodes is the rotation q about the corresponding edge (positive if counterclockwise as seen by the corner node with the higher (external) node number).

3.5.6.8 Field Output

Strains are printed for the four Gauss points of the mean surface of the shell. The components of the strain are given in the local orthonormal reference system s, t, n in the following order:

1 = ss, 2 = tt, 3 = st.

The three values of stress are printed for the four integration points for each layer of the element. The stress components are given in the local orthonormal reference system s, t, n in the following order:

1 = ss, 2 = tt, 3 = st.

3.5.6.9 Analysis types

- Linear elasticity.
- Masonry-like materials.
3.5.6.10 Local reference frame

The element is defined geometrically by the (x, y, z) coordinates of the four corner nodes.

Due to the bilinear interpolation, the surface forms a ruled surface which is allowed to degenerate to a plate.

The stress-strain output is given in local orthogonal surface directions v_1 , v_2 , and v_3 which, for the centroid, are defined in the following way:

First, the vectors tangent to the curves with constant isoparametric coordinates ξ_1 and ξ_2 are normalized

$$t_1 = \frac{\frac{\partial f_1}{\partial \xi_1}}{\|\frac{\partial r}{\partial \xi_1}\|}, t_2 = \frac{\frac{\partial f_2}{\partial \xi_2}}{\|\frac{\partial r}{\partial \xi_2}\|},$$

Now a new basis is being defined as:

 $s = t_1 + t_2, d = t_1 - t_2,$

After normalizing these vectors by:

$$\hat{s} = \frac{s}{\sqrt{2\|s\|}}, \hat{d} = \frac{d}{\sqrt{2\|d\|}}.$$

The local orthogonal directions are then obtained as:

$$v_1 = \hat{s} + \hat{d}, v_2 = \hat{s} - \hat{d}, v_3 = v_1 \times v_2.$$

In this way, the vectors t_1 , t_2 and v_1 , v_2 have the same bisecting plane.

The local directions for the Gaussian integrations points are found by projection of the centroid directions. Hence, if the element is flat, the directions at the Gauss points are identical to those at the centroid.

3.5.7 Element 6: Plane strain 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral, whose shape functions are bilinear.

3.5.7.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.14.

3.5.7.2 Integration Points

The element is integrated numerically using four points (Gaussian quadrature); the integration points are shown in Figure 3.14.

If selective reduced integration is required, the hydrostatic part of the strain is calculated using one integration point, namely the centroid of the element.



Figure 3.14: Nodal connectivity and integration points of the 4-node isoparametric quadrilateral element

3.5.7.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.



Figure 3.15: Element thickness

3.5.7.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.7.

Table 3.7: Distributed loads relevant to the 4-node	plane strain element
---	----------------------

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
	Table 3.7:continue in the next page
	Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxyger

Table 3.7: continue from the previous page

Load Identifier Number	Description
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force : the rotation axis is orthogonal to the plane of the ele-
	ment, and the angular velocity (in revolutions per unit time) must be spec-
	ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 1-2 direction.
13	Pressure on the 1-2 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
21	specified in the user subroutine FORCEM.
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
$\gamma\gamma$	Pressure on the 2.3 adge in the local reference system: the first component
22	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 2-3 direction
23	Pressure on the 2-3 edge in the global reference system: the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
31	Pressure on the 3-4 edge; the force per unit area is defined in the global
	reference system.
32	Pressure on the 3-4 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
22	edge in the 3-4 direction.
33	Pressure on the 3-4 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
34	Pressure on the 3-4 adge in the local reference system: the two compo-
54	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM
41	Pressure on the 4-1 edge : the force per unit area is defined in the global
11	reference system.
42	Pressure on the 4-1 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 4-1 direction.
43	Pressure on the 4-1 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.

Table 3.7: continue in the next page

Load Identifier Number Description 44 Pressure on the 4-1 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM.	Table 3.7:continue from the previous page		
44 Pressure on the 4-1 edge in the local reference system; the two compo- nents of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .	Load Identifier Number	Description	
	44	Pressure on the 4-1 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .	

Table 3.7:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.7.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.7.6 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.7.7 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.7.8 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.7.9 Analysis types

- Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

3.5.8 Element 7: Axisymmetric 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral whose shape functions are bilinear.

3.5.8.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.16.

3.5.8.2 Integration Points

The element is integrated numerically using four points (Gaussian quadrature); the integration points are shown in Figure 3.16.

If selective reduced integration is required, the hydrostatic part of the strain is calculated using one integration point, namely the centroid of the element.



Figure 3.16: Nodal connectivity and integration points of the 4-node isoparametric quadrilateral element

3.5.8.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.8.

Load Identifier Number	Description
1	Body force; the two components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the two global components of the force per unit volume are
	calculated in the user subroutine FORCEM .
	Table 3.8: continue in the next page

Table 3.8: Distributed loads relevant to the 4-node axisymmetric element

ıg

Table 3.8: continue from the previous page

Load Identifier Number	Description
3	Centrifugal force; The rotation axis coincides with the axis of symmetry,
	the angular velocity (in revolutions per unit time) must be specified in the
	field reserved for the force magnitudes.
11	Pressure on the 1-2 edge; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 1-2 direction.
13	Pressure on the 1-2 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
01	specified in the user subroutine FORCEM.
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
22	Dreasure on the 2.2 adapting the local reference system: the first common ant
22	of the force per unit area is orthogonal to the adda and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 2-3 direction
23	Pressure on the 2-3 edge in the global reference system: the two com-
25	popents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM
24	Pressure on the 2-3 edge in the local reference system: the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
31	Pressure on the 3-4 edge ; the force per unit area is defined in the global
	reference system.
32	Pressure on the 3-4 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 3-4 direction.
33	Pressure on the 3-4 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
2.4	specified in the user subroutine FORCEM.
34	Pressure on the 3-4 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
4.1	specified in the user subroutine FORCEM.
41	Pressure on the 4-1 edge ; the force per unit area is defined in the global
40	Program on the 4.1 adds in the local reference system, the first component.
42	Pressure on the 4-1 edge in the local reference system; the first component of the force per unit area is orthogonal to the adge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 4-1 direction
43	Pressure on the 4-1 edge in the global reference system: the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
	T

Table 3.8: continue in the next page

Table 3.8: continue from the previous page		
Load Identifier Number	Description	
44	Pressure on the 4-1 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .	

Table 3 8: continue from the .

Table 3.8:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.8.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.8.5 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.8.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.8.7 Field Output

 $1 = zz, 2 = rr, 3 = \theta\theta, 4 = zr.$

3.5.8.8 Analysis types

- Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

Element 8: 3D 8-node hexahedron 3.5.9

This element is a 8-node isoparametric brick whose shape functions are bilinear; it is suitable for threedimensional analysis with finite strains.

3.5.9.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.17.



Figure 3.17: Nodal connectivity of the 8-node isoparametric hexahedric element

3.5.9.2 Integration Points

The element is integrated numerically using eight points (Gaussian quadrature); the plane of the first series of 4 integration points is shown in Figure 3.18.

If selective reduced integration is required, the hydrostatic part of the strain is calculated using one integration point, namely the centroid of the element.



Figure 3.18: Gauss points of the 8-node isoparametric hexahedric element

3.5.9.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.9.

Table 3.9: Distributed loads relevant to the 8-node hexahedric element

Load Identifier Number	Description
1	Body force; the three components of the force per unit volume in the global
	reference system must be assigned.
2	Body force ; the three global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force; the rotation axis must be defined, and the angular ve-
	locity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes
11	Pressure on the 1-2-3-4 face: the force per unit area is defined in the global
11	reference system.
12	Pressure on the 1-2-3-4 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 1-2 direction;
	the third component is orthogonal to the face and is positive if directed to-
	wards the interior of the element, the second component has the direction
	given by the vector product of the first and third directions.
13	Pressure on the 1-2-3-4 face in the global reference system; the three
	components of the force per unit area on the four nodes of the face are to
	be specified in the user subroutine FORCEM .
14	Pressure on the 1-2-3-4 face in the local reference system; the three com-
	ponents of the force per unit area on the four nodes of the face are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 5-8-7-6 face ; the force per unit area is defined in the global
	reference system.
22	Pressure on the 5-8-7-6 face in the local reference system; the first com-
	ponent of the force per unit area is tangential to the face in the 5-8 direction;
	the third component is orthogonal to the face and is positive if directed to-
	wards the interior of the element. The second component has the direction
22	given by the vector product of the first and third directions.
25	Pressure on the 5-6-7-0 face in the global felerence system; the three components of the force per unit area on the four nodes of the face are to
	be specified in the user subroutine FORCEM
24	Pressure on the 5-8-7-6 face in the local reference system: the three com-
24	ponents of the force per unit area on the four nodes of the face are to be
	specified in the user subroutine FORCEM
31	Pressure on the 1-5-6-2 face : the force per unit area is defined in the global
	reference system.
32	Pressure on the 1-5-6-2 face in the local reference system: the first com-
	ponent of the force per unit area is tangential to the face in the 1-5 direction,
	the third component is orthogonal to the face and is positive if directed to-
	wards the element's interior; the second component has the direction given
	by the vector product of the first and third directions.
33	Pressure on the 1-5-6-2 face in the global reference system; the three
	components of the force per unit area on the four nodes of the face are to
	be specified in the user subroutine FORCEM .
34	Pressure on the 1-5-6-2 face in the local reference system; the three com-
	ponents of the force per unit area on the four nodes of the face are to be
	specified in the user subroutine FORCEM .
41	Pressure on the 2-6-7-3 face; the force per unit area is defined in the global
	reference system.

Table 3.9: continue in the next page

NOSA Theory Manual

Table 3.9: continue from the previous page

Load Identifier Number	Description
42	Pressure on the 2-6-7-3 face in the local reference system; the first component of the force per unit area is tangential to the face in the 2-6 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions
43	Pressure on the 2-6-7-3 face in the global reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM .
44	Pressure on the 2-6-7-3 face in the local reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM .
51	Pressure on the 3-7-8-4 face ; the force per unit area is defined in the global reference system.
52	Pressure on the 3-7-8-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 3-7 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions.
53	Pressure on the 3-7-8-4 face in the global reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM .
54	Pressure on the 3-7-8-4 face in the local reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM .
61	Pressure on the 4-8-5-1 face ; the force per unit area is defined in the global reference system.
62	Pressure on the 4-8-5-1 face in the local reference system; the first component of the force per unit area is tangential to the face in the 4-8 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions.
63	Pressure on the 4-8-5-1 face in the global reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM
64	Pressure on the 4-8-5-1 face in the local reference system; the three components of the force per unit area on the four nodes of the face are to be specified in the user subroutine FORCEM .

Table 3.9:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.9.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a tetrahedron.

3.5.9.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.9.6 Degrees of freedom

Three degrees of freedom u, v, w (the displacements along the global coordinate directions).

3.5.9.7 Field Output

1 = xx, 2 = yy, 3 = zz, 4 = xy, 5 = yz, 6 = xz.

3.5.9.8 Analysis types

- · Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

3.5.10 Element 9: Beam 2-node segment

This element is a 2-node isoparametric line segment, whose shape functions are linear for both displacements and rotations.

3.5.10.1 Nodal Connectivity

The element has 2 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.19. Moreover, a local reference system (e_1, e_2, e_3) has to be specified, by using the AXIS option; e_1 and e_2 define the principal directions on the cross-section and e_3 is the axial direction, from node 1 to node 2.



Figure 3.19: Nodal connectivity and local reference frame of the 2-node isoparametric element

3.5.10.2 Integration Points

Numerical integration is performed both along the element axis and on the element cross-section; for the former integration one-point Gaussian quadrature (the centroid) is used. The latter integration is performed

using the Simpson method, with the number of integration points depending on the number of fibers of the beam (see BEAM SECT; the default value is 3x3, the maximum number of fibers is 21x21).

3.5.10.3 Geometrical Attributes

For this element the user must specify the thickness of the beam cross-section, which, by default, is assumed to have a rectangular shape; for homogeneous beams it is enough to define the thickness of the whole cross-section along e_1 and e_2 directions. For non-homogeneous beams, the thickness of each fiber must be provided along the two principal directions of the cross-section (COMPOSITE option), as shown in Figure 3.20.

The thicknesses of the whole beam cross-section or each fiber can be given on a nodal basis by using the user routine **UGEOM**.

	21	22	23	24	25
	16	17	18	19	20
e ₂ 🔺	11	12	13	14	15
	6	7	8	9	10
	1	2	3	4	5
		e	1		

Figure 3.20: Numbering scheme for the fibers of the beam on a 5x5 example

Shapes of the beam cross-section different from the rectangular one can also be defined; in such cases, the shape is derived from the rectangular one. The user must enable the COMPOSITE option and, for each fiber of a rectangular cross-section, define mechanical properties of a given material; the final shape of the beam cross-section is obtained by giving null material properties to those fibers of the rectangular cross-section, which don't make up the current cross-section.

3.5.10.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.10.

Load Identifier Number	Description
1	Body force and/or moment; the three components of the force and/or
	moment per unit volume in the global reference system must be assigned.
2	Body force and/or moment; the three global components of the force
	and/or moment per unit volume are calculated in the user subroutine
	FORCEM.
3	Centrifugal force; the rotation axis must be provided (see ROTATION
	AXIS option), and the angular velocity must be specified in the field re-
	served for the force magnitudes.
	Table 2 10 continue in the next page
	Table 3.10: continue in the next page

Table 3.10: Distributed loads relevant to the 2-node beam element

Load Identifier Number	Description
11	Pressure on beam axis; the force per unit length is defined in the global
	reference system.
12	Pressure on beam axis in the local reference system (e_1, e_2, e_3) .
13	Pressure on beam axis in the global reference system; the components of
	the force per unit length at the two nodes of the beam are to be specified in
	the user subroutine FORCEM .
14	Pressure on beam axis in the local reference system; the components of
	the force per unit length at the two nodes of the beam are to be specified in
	the user subroutine FORCEM .

Table 3.10: continue from the previous page

Table 3.10:completed

Moreover the element may be subjected to point loads, concentrated moments and/or thermal loads on nodes.

3.5.10.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.10.6 Degrees of freedom

Six degrees of freedom u, v, w (the displacements along the global coordinate directions) and qx, qy, qz (the rotations, counterclockwise positive, around the global coordinate directions).

3.5.10.7 Field Output

Strains and stress resultants are printed for the unique Gauss point; the components of the strain resultants are given in the local reference system (e_1, e_2, e_3) in the following order:

- 1. ϵ axial stretch,
- 2. κ_1 curvature change around e_1 axis,
- 3. κ_2 curvature change around e_2 axis,
- 4. ψ twist around e_3 axis,
- 5. γ_1 shear deformation on the e_1 - e_3 plane,
- 6. γ_2 shear deformation on the e_2 - e_3 plane.

Similarly, for the stress resultants we have:

- 1. N axial force,
- 2. M_1 moment around e_1 axis,
- 3. M_2 moment around e_2 axis,

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

- 4. M_3 torque around e_3 axis,
- 5. Q_1 shear force on the e_1 - e_3 plane,
- 6. Q_2 shear force on the e_2 - e_3 plane.

3.5.10.8 Analysis types

- Linear elasticity.
- Masonry-like materials.

3.5.11 Element 10: Thick shell 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral, whose shape functions are linear for both displacements and rotations.

3.5.11.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.21.



Figure 3.21: Nodal connectivity of the 4-node isoparametric quadrilateral element

3.5.11.2 Integration Points

Numerical integration is performed both on the middle surface of the element and within the cross-section thickness; for the former integration four-point Gaussian quadrature is used, whose integration points are shown in Figure 3.22. The latter integration is performed using the Simpson method, with the number of integration points depending on the number of layers of the shell (see SHELL SECT; the default value is 3, the maximum number of layers is 99).



Figure 3.22: Gauss points of the 4-node isoparametric quadrilateral element

3.5.11.3 Geometrical Attributes

For this element the user must specify the thickness(es) of the element cross-section; for homogeneous shells it is enough to define the thickness of the whole cross-section. For non-homogeneous shells, the thickness of each layer must be provided (COMPOSITE option).

The thickness of the whole shell or each layer can be specified at each corner node by using the user routine **UGEOM**.



Figure 3.23: Layers thickness for composite shells

3.5.11.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.11.

Load Identifier Number	Description		
1	Body force ; the three components of the force per unit volume in the global reference system must be assigned.		
	Table 3.11:continue in the next page		

Table 3.11: continue from the previous page			
Load Identifier Number	Description		
2	Body force ; the three global components of the force per unit volume for each shell layer are calculated in the user subroutine FORCEM .		
3	Centrifugal force ; the rotation axis must be defined (see ROTATION AXIS), and the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes.		
11	Pressure on the 1-2 edge; the force per unit length is defined in the global		

reference system. Pressure on the 1-2 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM.

21	Pressure on the 2-3 edge; the force per unit length is defined in the global
	reference system.
23	Pressure on the 2-3 edge in the global reference system; the three com-

Tressure on the 2-5 edge in the global reference system, the three com-
ponents of the force per unit length on the two nodes of the edge are to be
specified in the user subroutine FORCEM.

31 Pressure on the 3-4 edge; the force per unit length is defined in the global reference system. the 3-1 add 41-- 41

33	Pressure on the 3-4 edge in the global reference system; the three com-
	ponents of the force per unit length on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
41	Pressure on the 4-1 edge: the force per unit length is defined in the global

Pressure on the 4-1 edge; the force per unit length is defined in the global reference system.

- 43 Pressure on the 4-1 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM.
- 51 Pressure on the surface of the element; the force per unit area is defined in the global reference system.
- Pressure on the surface of the element in the local reference system, as 52 defined below.
- 53 Pressure on the surface of the element in the global reference system; the three components of the force per unit area on the four nodes of the element are to be specified in the user subroutine FORCEM. 54

Pressure on the surface of the element in the local reference system; the three components of the force per unit area on the four nodes of the element are to be specified in the user subroutine FORCEM.

Table 3.11:completed

Moreover, the element may be subjected to point loads and/or concentrated moments on nodes, and thermal dilatation loads.

3.5.11.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.11.6 Nodal Coordinates

Three global coordinates in the x, y and z directions.

13

3.5.11.7 Degrees of freedom

Six degrees of freedom u, v, w (the displacements along the global coordinate directions) and q_x , q_y , q_z (the rotations, counterclockwise positive, around the global coordinate directions).

3.5.11.8 Field Output

Strains are printed for the four Gauss points of the mean surface of the shell; the components of the strain are given in the local orthonormal reference system s, t, n in the following order :

1 = ss, 2 = tt, 3 = st, 4 = tn, 5 = sn.

The values of stress are printed for the four integration points for each layer of the element; the stress components are given in the local orthonormal reference system s, t, n in the following order :

1 = ss, 2 = tt, 3 = st, 4 = tn, 5 = sn.

3.5.11.9 Analysis types

- Linear elasticity.
- · Masonry-like materials.

3.5.11.10 Local reference frame

The element is defined geometrically by the (x, y, z) coordinates of the four corner nodes.

Due to the bilinear interpolation, the surface forms a ruled surface which is allowed to degenerate to a plate.

The stress-strain output is given in local orthogonal surface directions $(v_1, v_2, \text{ and } v_3)$ which, for the centroid, are defined in the following way:

First, the vectors tangent to the curves with constant isoparametric coordinates ξ_1 and ξ_2 are normalized

$$t_1 = \frac{\frac{\partial r}{\partial \xi_1}}{\|\frac{\partial r}{\partial \xi_1}\|}, t_2 = \frac{\frac{\partial r}{\partial \xi_2}}{\|\frac{\partial r}{\partial \xi_2}\|},$$

Now a new basis is being defined as:

$$s = t_1 + t_2, d = t_1 - t_2,$$

After normalizing these vectors by:

$$\hat{s} = \frac{s}{\sqrt{2\|s\|}}, \hat{d} = \frac{d}{\sqrt{2\|d\|}}.$$

The local orthogonal directions are then obtained as:

$$v_1 = \hat{s} + \hat{d}, v_2 = \hat{s} - \hat{d}, v_3 = v_1 \times v_2$$

In this way, the vectors t_1 , t_2 and v_1 , v_2 have the same bisecting plane.

The local directions for the Gaussian integrations points are found by projection of the centroid directions. Hence, if the element is flat, the directions at the Gauss points are identical to those at the centroid.

3.5.12 Element 11: Plane heat transfer 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

3.5.12.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.24.



Figure 3.24: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.12.2 Integration Points

The element is integrated numerically using nine points (Gaussian quadrature); the integration points are shown in Figure 3.25.



Figure 3.25: Gauss points of the 8-node isoparametric quadrilateral element

3.5.12.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.12.

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2-5 edge (heat per unit length and unit time).
13	Edge flux on the 1-2-5 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3-6 edge (heat per unit length and unit time).
23	Edge flux on the 2-3-6 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-4-7 edge (heat per unit length and unit time).
33	Edge flux on the 3-4-7 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
41	Edge flux on the 4-1-8 edge (heat per unit length and unit time).
43	Edge flux on the 4-1-8 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .

Table 3.12: Distributed heat fluxes relevant to the 8-node plane heat transfer element

Table 3.12:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.12.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.12.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.12.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.12.7 Field Output

Temperature gradient defined on Gauss points of the element.

1 = x, 2 = y.

3.5.12.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.13 Element 12: Plane heat transfer 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.13.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.26.

3.5.13.2 Integration Points

The element is integrated numerically using four points (Gaussian quadrature); the integration points are shown in Figure 3.26.





3.5.13.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.13.

Table 3.13: Distributed heat fluxes relevant to the 4-node plane heat transfer element

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
	Table 3.13:continue in the next page

Flux Identifier Number	Description	
21	Edge flux on the 2-3 edge (heat per unit length and unit time).	
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the	
	two nodes of the edge is to be specified in the user subroutine FORCEM .	
31	Edge flux on the 3-4 edge (heat per unit length and unit time).	
33	Edge flux on the 3-4 edge; the heat per unit length and unit time on the	
	two nodes of the edge is to be specified in the user subroutine FORCEM .	
41	Edge flux on the 4-1 edge (heat per unit length and unit time).	
43	Edge flux on the 4-1 edge; the heat per unit length and unit time on the	
	two nodes of the edge is to be specified in the user subroutine FORCEM.	

Table 3.13: continue from the previous page

Table 3.13:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.13.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.13.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.13.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.13.7 Field Output

Temperature gradient defined on Gauss points of the element. 1 = x, 2 = y.

3.5.13.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.14 Element 13: Axisymmetric heat transfer 8-node quadrilateral

This element is a 8-node isoparametric quadrilateral whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.14.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.27.



Figure 3.27: Nodal connectivity of the 8-node isoparametric quadrilateral element

3.5.14.2 Integration Points

The element is integrated numerically using nine points (Gaussian quadrature); the integration points are shown in Figure 3.28.



Figure 3.28: Gauss points of the 8-node isoparametric quadrilateral element

3.5.14.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.14.

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2-5 edge (heat per unit length and unit time).
13	Edge flux on the 1-2-5 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3-6 edge (heat per unit length and unit time).
23	Edge flux on the 2-3-6 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-4-7 edge (heat per unit length and unit time).
33	Edge flux on the 3-4-7 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
41	Edge flux on the 4-1-8 edge (heat per unit length and unit time).
43	Edge flux on the 4-1-8 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .

Table 3.14: Distributed heat fluxes relevant to the 8-node axisymmetric heat transfer element

Table 3.14:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.14.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.14.5 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.14.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.14.7 Field Output

Temperature gradient defined on Gauss points of the element.

1 = z, 2 = r.

3.5.14.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.15 Element 14: Axisymmetric heat transfer 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.15.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.29.

3.5.15.2 Integration Points

The element is integrated numerically using four points (Gaussian quadrature); the integration points are shown in Figure 3.29.



Figure 3.29: Nodal connectivity and integration points of the 4-node isoparametric quadrilateral element

3.5.15.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.15.

Table 3.15:	Distributed	heat fluxes	s relevant	to the	4-node	axisyn	ımetric
heat transfer	element						

Flux Identifier Number	Description			
1	Surface flux ; the heat quantity per unit area and unit time must be assigned.			
2	Surface flux; the heat quantity per unit area and unit time is calculated in			
	the user subroutine FORCEM .			
	Table 3.15:continue in the next page			

Flux Identifier Number	Description
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-4 edge (heat per unit length and unit time).
33	Edge flux on the 3-4 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
41	Edge flux on the 4-1 edge (heat per unit length and unit time).
43	Edge flux on the 4-1 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.

 Table 3.15:continue from the previous page

Table 3.15:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.15.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.15.5 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.15.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.15.7 Field Output

Temperature gradient defined on Gauss points of the element.

1 = z, 2 = r.

3.5.15.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.16 Element 15: 3D heat transfer 8-node hexahedron

This element is a 8-node isoparametric brick whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.16.1 Nodal Connectivity

The element has 8 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.30.



Figure 3.30: Nodal connectivity of the 8-node isoparametric hexahedric element

3.5.16.2 Integration Points

The element is integrated numerically using eight points (Gaussian quadrature); the plane of the first series of 4 integration points is shown in Figure 3.31.



Figure 3.31: Gauss points of the 8-node isoparametric hexahedric element

3.5.16.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.16.

Table 3.16:	Distributed	heat flu	xes rele	vant to	the 8	8-node	hexahedr	ic el-
ement								

Flux Identifier Number	Description
1	Volumetric flux; the heat quantity per unit volume and unit time must be
	assigned.
2	Volumetric flux; the heat quantity per unit volume and unit time is calcu-
	lated in the user subroutine FORCEM .
11	Surface flux on the 1-2-3-4 face (heat per unit area and unit time).
13	Surface flux on the 1-2-3-4 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
21	Surface flux on the 5-8-7-6 face (heat per unit area and unit time).
23	Surface flux on the 5-8-7-6 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
31	Surface flux on the 1-5-6-2 face (heat per unit area and unit time).
33	Surface flux on the 1-5-6-2 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
41	Surface flux on the 2-6-7-3 face (heat per unit area and unit time).
43	Surface flux on the 2-6-7-3 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
51	Surface flux on the 3-7-8-4 face (heat per unit area and unit time).
53	Surface flux on the 3-7-8-4 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
61	Surface flux on the 4-8-5-1 face (heat per unit area and unit time).
63	Surface flux on the 4-8-5-1 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .

Table 3.16:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.16.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangular prism or to a tetrahedron.

3.5.16.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.16.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.16.7 Field Output

Temperature gradient defined on Gauss points of the element. 1 = x, 2 = y, 3=z.

3.5.16.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.17 Element 16: 3D heat transfer 20-node hexahedron

This element is a 20-node isoparametric brick whose shape functions are quadratic. This element is not available in the present version of NOSA-ITACA.

3.5.17.1 Nodal Connectivity

The element has 20 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.32.



Figure 3.32: Nodal connectivity of the 20-node isoparametric hexahedric element

3.5.17.2 Integration Points

The element is integrated numerically using twenty-seven points (Gaussian quadrature); the plane of the first series of 9 integration points is shown in Figure 3.33.



Figure 3.33: Gauss points of the 20-node isoparametric hexahedric element

3.5.17.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.17.

Flux Identifier Number	Description
1	Volumetric flux; the heat quantity per unit volume and unit time must be
	assigned.
2	Volumetric flux; the heat quantity per unit volume and unit time is calcu-
	lated in the user subroutine FORCEM .
11	Surface flux on the 1-2-3-4 face (heat per unit area and unit time).
13	Surface flux on the 1-2-3-4 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
21	Surface flux on the 5-8-7-6 face (heat per unit area and unit time).
23	Surface flux on the 5-8-7-6 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
31	Surface flux on the 1-5-6-2 face (heat per unit area and unit time).
33	Surface flux on the 1-5-6-2 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
41	Surface flux on the 2-6-7-3 face (heat per unit area and unit time).
43	Surface flux on the 2-6-7-3 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
51	Surface flux on the 3-7-8-4 face (heat per unit area and unit time).
53	Surface flux on the 3-7-8-4 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM .
61	Surface flux on the 4-8-5-1 face (heat per unit area and unit time).
63	Surface flux on the 4-8-5-1 face; the heat per unit area and unit time on the
	four nodes of the face is to be specified in the user subroutine FORCEM.

Table 3.17: Distributed heat fluxes relevant to the 20-node hexahedric element

Table 3.17:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.17.4 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangular prism or a tetrahedron.

3.5.17.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.17.6 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.17.7 Field Output

Temperature gradient defined on Gauss points of the element. 1 = x, 2 = y, 3=z.

3.5.17.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.18 Element 17: Shell heat transfer 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral, whose shape functions are linear. This element is not available in the present version of NOSA-ITACA.

3.5.18.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.34.



Figure 3.34: Nodal connectivity of the 4-node isoparametric quadrilateral element

3.5.18.2 Integration Points

Numerical integration is performed both on the middle surface of the element and within the thickness; for the former integration four-point Gaussian quadrature is used, whose integration points are shown in Figure 3.35. The latter integration is performed using the Simpson method, with the number of integration points depending on the number of layers of the shell (see SHELL SECT; the default value is 3, the maximum number of layers is 99).



Figure 3.35: Gauss points of the 4-node isoparametric quadrilateral element

3.5.18.3 Geometrical Attributes

For this element the user must specify the thickness(es) of the element; for homogeneous shells it is enough to define the thickness of the whole cross-section. For non-homogeneous shells, the thickness of each layer must be provided (COMPOSITE option).

The thickness of the whole shell or each layer can be specified at each corner node by using the user routine **UGEOM**.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen



Figure 3.36: Layers thickness for composite shells

3.5.18.4 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.18.

Table 3.18:	Distributed	heat	fluxes	relevant	to	the	4-node	plane	heat
transfer elen	nent								

Flux Identifier Number	Description
1	Volumetric flux; the heat quantity per unit volume and unit time must be
	assigned.
2	Volumetric flux; the heat quantity per unit volume and unit time is calcu-
	lated in the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-4 edge (heat per unit length and unit time).
33	Edge flux on the 3-4 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
41	Edge flux on the 4-1 edge (heat per unit length and unit time).
43	Edge flux on the 4-1 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
51	Surface flux (heat per unit area and unit time).
53	Surface flux; the heat per unit area and unit time on the four nodes is to be
	specified in the user subroutine FORCEM.

Table 3.18:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.18.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.18.6 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.18.7 Degrees of freedom

ITYRD degrees of freedom (temperatures) per node (the value of the ITYRD parameter is specified into the HEAT TRANSFER option)

ITYRD=2 (linear distribution trough the thickness)

- 1. Top surface temperature
- 2. Bottom surface temperature

ITYRD=3 (parabolic distribution trough the thickness)

- 1. Top surface temperature
- 2. Bottom surface temperature
- 3. Mid surface temperature.

3.5.18.8 Field Output

The components of the temperature gradient are given in the local reference system of the shell. Namely, the first two components are along the local tangent directions, as defined for shell element type 10, whereas the third component is along the shell normal unit vector.

3.5.18.9 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.19 Element 18: Plane stress 4-node quadrilateral

This element is a 4-node isoparametric quadrilateral, whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.19.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.37.

3.5.19.2 Integration Points

The element is integrated numerically using four points (Gaussian quadrature); the integration points are shown in Figure 3.37.



Figure 3.37: Nodal connectivity and integration points of the 4-node isoparametric quadrilateral element

3.5.19.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.



Figure 3.38: Element thickness

3.5.19.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.19.

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is orthogonal to the plane of the ele- ment, and the angular velocity (in revolutions per unit time) must be spec- ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global reference system.
	Table 3.19: continue in the next page

Table 3.19: Distributed loads relevant to the 4-node plane stress element

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

Table 3.19: continue from the previous page

Load Identifier Number	Description
12	Pressure on the 1-2 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 1-2 direction.
13	Pressure on the 1-2 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
14	specified in the user subroutine FORCEM.
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	specified in the user subroutine FOPCEM
21	Pressure on the 2-3 edge: the force per unit area is defined in the global
21	reference system
22	Pressure on the 2-3 edge in the local reference system: the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 2-3 direction.
23	Pressure on the 2-3 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
21	specified in the user subroutine FORCEM.
31	Pressure on the 3-4 edge ; the force per unit area is defined in the global
32	Pressure on the 3-4 edge in the local reference system: the first component
52	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 3-4 direction.
33	Pressure on the 3-4 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
34	Pressure on the 3-4 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
41	specified in the user subroutine FORCEM.
41	Pressure on the 4-1 edge ; the force per unit area is defined in the global
42	Prossure on the 4.1 adds in the local reference system: the first component
42	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 4-1 direction.
43	Pressure on the 4-1 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
44	Pressure on the 4-1 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .

Table 3.19:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.19.5 Collapsed forms of the element

By suitably repeating node numbers in the connectivity, the element may be reduced as far as a triangle.

3.5.19.6 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.19.7 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.19.8 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.19.9 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.20 Element 19: Plane stress 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.20.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.39.

3.5.20.2 Integration Points

The stiffness and the mass matrix of this element are evaluated using four points of integration (Gaussian quadrature); the integration points are shown in Figure 3.39 (cross points), where the first Gauss point is located at the centroid of the element.




3.5.20.3 Geometrical Attributes

For this element the user must specify the thickness of the element cross-section; by default, a thickness equal to 1 is assigned.

3.5.20.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.20.

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is orthogonal to the plane of the ele- ment, and the angular velocity (in revolutions per unit time) must be spec- ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 1-2 direction.
	Table 3.20:continue in the next page

Table 3.20: Distributed loads relevant to the 3-node plane stress element

NOSA Theory Manual

Table 3	3.20:continue	from	the	previous page	

Load Identifier Number	Description
13	Pressure on the 1-2 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
22	reference system.
22	Pressure on the 2-3 edge in the local reference system; the first component
	towards the element's interior; the second component is tengential to the
	edge in the 2-3 direction
23	Pressure on the 2-3 edge in the global reference system: the two com-
25	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.
31	Pressure on the 3-1 edge; the force per unit area is defined in the global
	reference system.
32	Pressure on the 3-1 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
22	edge in the 3-1 direction.
33	Pressure on the 3-1 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
24	specified in the user subroutine FORCEM.
34	ressure on the 5-1 edge in the local reference system; the two compo-
	specified in the user subroutine FORCEM
	specified in the user subroutine FORCEAN .

Table 3.20:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.20.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.20.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.20.7 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.20.8 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.21 Element 20: Plane stress 6-node triangle

This element is a 6-node isoparametric triangle, whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.21.1 Nodal Connectivity

The element has 6 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.40.

3.5.21.2 Integration Points

Numerical integration of this element is carried out by using three-points Gaussian quadrature; the integration points are shown in Figure 3.40 (cross points).





3.5.21.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

3.5.21.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.21.

Load Identifier Number	Description
1	Body force; the two components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the two global components of the force per unit volume are
	calculated in the user subroutine FORCEM .
3	Centrifugal force; the rotation axis is orthogonal to the plane of the ele-
	ment, and the angular velocity (in revolutions per unit time) must be spec-
	ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 1-2 direction.
13	Pressure on the 1-2 edge in the global reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
	reference system.
22	Pressure on the 2-3 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
22	edge in the 2-3 direction.
23	Pressure on the 2-3 edge in the global reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
24	specified in the user subroutine FORCEM.
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the loce per unit area on the three houes of the edge are to be
21	Dressure on the 3.1 adge: the force per unit area is defined in the slobel
51	reference system
32	Pressure on the 3-1 edge in the local reference system: the first component
52	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 3-1 direction
33	Pressure on the 3-1 edge in the global reference system: the two compo-
55	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM
34	Pressure on the 3-1 edge in the local reference system: the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .

Table 3.21: Distributed loads relevant to the 6-node plane stress element

Table 3.21:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.21.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.21.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.21.7 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.21.8 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.22 Element 21: Plane strain 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear. This element is not available in the present version of NOSA-ITACA.

3.5.22.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.41.

3.5.22.2 Integration Points

The stiffness and the mass matrix of this element are evaluated using four points of integration (Gaussian quadrature); the integration points are shown in Figure 3.41 (cross points), where the first Gauss point is located at the centroid of the element.





3.5.22.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.

3.5.22.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.22.

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is orthogonal to the plane of the ele- ment, and the angular velocity (in revolutions per unit time) must be spec- ified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 1-2 direction.
	Table 3.22:continue in the next page

Table 3.22: Distributed loads relevant to the 3-node plane strain element

Table 3.22: continue from the previous page

Load Identifier Number	Description
13	Pressure on the 1-2 edge in the global reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global reference system.
22	Pressure on the 2-3 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 2-3 direction.
23	Pressure on the 2-3 edge in the global reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .
31	Pressure on the 3-1 edge ; the force per unit area is defined in the global reference system.
32	Pressure on the 3-1 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 3-1 direction.
33	Pressure on the 3-1 edge in the global reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .
34	Pressure on the 3-1 edge in the local reference system; the two components of the force per unit area on the two nodes of the edge are to be specified in the user subroutine FORCEM .

Table 3.22:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.22.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.22.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.22.7 Field Output

1 = xx, 2 = yy, 3 = xy.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

3.5.22.8 Analysis types

- Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

3.5.23 Element 22: Plane strain 6-node triangle

This element is a 6-node isoparametric triangle, whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.23.1 Nodal Connectivity

The element has 6 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.42.

3.5.23.2 Integration Points

Numerical integration of this element is carried out by using three-points Gaussian quadrature; the integration points are shown in Figure 3.42 (cross points).





3.5.23.3 Geometrical Attributes

For this element the user must specify the thickness of the element; by default, a thickness equal to 1 is assigned.

3.5.23.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.23.

Load Identifier Number	Description
1	Body force; the two components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the two global components of the force per unit volume are
_	calculated in the user subroutine FORCEM.
3	Centrifugal force; the rotation axis is orthogonal to the plane of the ele-
	ment, and the angular velocity (in revolutions per unit time) must be spec-
11	thed in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global reference system
12	Pressure on the 1-2 edge in the local reference system: the first component
12	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 1-2 direction.
13	Pressure on the 1-2 edge in the global reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
22	reference system.
22	Pressure on the 2-3 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	edge in the 2-3 direction
23	Pressure on the 2-3 edge in the global reference system: the two compo-
20	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM.
31	Pressure on the 3-1 edge; the force per unit area is defined in the global
	reference system.
32	Pressure on the 3-1 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 3-1 direction.

Table 3.23: Distributed loads relevant to the 6-node plane strain element

Table 3.23: continue in the next page

rable bizereentinde from the pr	errous page
Load Identifier Number	Description
33	Pressure on the 3-1 edge in the global reference system; the two components of the force per unit area on the three nodes of the edge are to be
34	Pressure on the 3-1 edge in the local reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be specified in the user subroutine FORCEM .

Table 3.23: continue from the previous page

Table 3.23:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.23.5 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.23.6 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.23.7 Field Output

1 = xx, 2 = yy, 3 = xy.

3.5.23.8 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.24 Element 23: Axisymmetric 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.24.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.43.

3.5.24.2 Integration Points

Numerical integration is performed using four-points Gaussian quadrature; the integration points are shown in Figure 3.43 (cross positions).

If selective reduced integration is required, the hydrostatic part of the strain is calculated using one integration point, namely the centroid of the element.



Figure 3.43: Nodal connectivity and integration points of the 3-node isoparametric triangular element

3.5.24.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.24.

Load Identifier Number	Description
1	Body force ; the two components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the two global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis is the axis of symmetry, the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component of the force per unit area is orthogonal to the edge and is positive if directed towards the element's interior; the second component is tangential to the edge in the 1-2 direction.

Table 3.24: Distributed loads relevant to the 3-node axisymmetric element

Table 3.24: continue in the next page

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

NOSA Theory Manual

|--|

Load Identifien Number	Description
Load Identifier Number	Description
13	Pressure on the 1-2 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
14	Pressure on the 1-2 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit area is defined in the global
	reference system.
22	Pressure on the 2-3 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
22	edge in the 2-3 direction.
23	Pressure on the 2-3 edge in the global reference system; the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
24	specified in the user subroutine FORCEM.
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the loce per unit area on the two nodes of the edge are to be
21	Pressure on the 3.1 edge: the force per unit area is defined in the global
51	reference system
37	Pressure on the 3-1 edge in the local reference system: the first component
32	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior: the second component is tangential to the
	edge in the 3-1 direction
33	Pressure on the 3-1 edge in the global reference system: the two com-
	ponents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM .
34	Pressure on the 3-1 edge in the local reference system; the two compo-
	nents of the force per unit area on the two nodes of the edge are to be
	specified in the user subroutine FORCEM.

Table 3.24:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.24.4 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.24.5 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.24.6 Field Output

 $1 = zz, 2 = rr, 3 = \theta \theta, 4 = zr.$

3.5.24.7 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.25 Element 24: Axisymmetric 6-node triangle

This element is a 6-node isoparametric triangle, whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.25.1 Nodal Connectivity

The element has 6 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.44.

3.5.25.2 Integration Points

Numerical integration is performed using three-points Gaussian quadrature; the integration points are shown in Figure 3.44 (cross positions).





3.5.25.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.25.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Table 3.25:	Distributed	loads	relevant	to	the	6-node	axisymmetric	ele-
ment								

Load Identifier Number	Description
1	Body force; the two components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the two global components of the force per unit volume are
	calculated in the user subroutine FORCEM .
3	Centrifugal force; the rotation axis is the axis of symmetry, the angular
	velocity (in revolutions per unit time) must be specified in the field reserved
	for the force magnitudes.
11	Pressure on the 1-2 edge ; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
12	edge in the 1-2 direction.
15	Pressure on the 1-2 edge in the global reference system; the two compo-
	specified in the user subroutine EOPCEM
14	Pressure on the 1-2 edge in the local reference system: the two components
14	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM
21	Pressure on the 2-3 edge : the force per unit area is defined in the global
21	reference system.
22	Pressure on the 2-3 edge in the local reference system: the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
	edge in the 2-3 direction.
23	Pressure on the 2-3 edge in the global reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
24	Pressure on the 2-3 edge in the local reference system; the two compo-
	nents of the force per unit area on the three nodes of the edge are to be
	specified in the user subroutine FORCEM .
31	Pressure on the 3-1 edge; the force per unit area is defined in the global
	reference system.
32	Pressure on the 3-1 edge in the local reference system; the first component
	of the force per unit area is orthogonal to the edge and is positive if directed
	towards the element's interior; the second component is tangential to the
22	edge in the 3-1 direction.
33	Pressure on the 3-1 edge in the global reference system; the two compo-
	nems of the force per unit area on the three nodes of the edge are to be
34	Pressure on the 3.1 edge in the local reference system: the two common
J 4	nents of the force per unit area on the three nodes of the adda are to be
	specified in the user subroutine FORCEM

Table 3.25:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.25.4 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.25.5 Degrees of freedom

Two degrees of freedom u, v (the displacements along the global coordinate directions).

3.5.25.6 Field Output

 $1 = zz, 2 = rr, 3 = \theta \theta, 4 = zr.$

3.5.25.7 Analysis types

- Infinitesimal elasto-plasticity.
- Masonry-like materials.

3.5.26 Element 25: 3D 4-node tetrahedron

This element is a 4-node isoparametric tetrahedron whose shape functions are linear; it is suitable for three-dimensional analysis with finite strains.

This element is not available in the present version of NOSA-ITACA.

3.5.26.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.45.



Figure 3.45: Nodal connectivity of the 4-node isoparametric tetrahedric element

3.5.26.2 Integration Points

The element is integrated numerically using only one point (Gaussian quadrature), namely the centroid of the element.

3.5.26.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.26.

Load Identifier Number	Description
1	Body force; the three components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the three global components of the force per unit volume are
	calculated in the user subroutine FORCEM .
3	Centrifugal force; the rotation axis must be defined, and the angular ve-
	locity (in revolutions per unit time) must be specified in the field reserved
	for the force magnitudes.
11	Pressure on the 1-2-3 face ; the force per unit area is defined in the global
	reference system.
12	Pressure on the 1-2-3 face in the local reference system; the first compo-
	nent of the force per unit area is tangential to the face in the 1-2 direction;
	the third component is orthogonal to the face and is positive if directed to-
	wards the interior of the element, the second component has the direction
	given by the vector product of the first and third directions.
13	Pressure on the 1-2-3 face in the global reference system; the three com-
	ponents of the force per unit area on the three nodes of the face are to be
	specified in the user subroutine FORCEM.
	Table 3.26:continue in the next page

Table 3.26: Distributed loads relevant to the 4-node tetrahedric element

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

Table 3.26: continue from the previous page

Load Identifier Number	Description
14	Pressure on the 1-2-3 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
21	Pressure on the 1-2-4 face ; the force per unit area is defined in the global reference system.
22	Pressure on the 1-2-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 1-2 direction; the third component is orthogonal to the face and is positive if directed towards the interior of the element. The second component has the direction given by the vector product of the first and third directions.
23	Pressure on the 1-2-4 face in the global reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
24	Pressure on the 1-2-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
31	Pressure on the 2-3-4 face ; the force per unit area is defined in the global reference system.
32	Pressure on the 2-3-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 2-3 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions
33	Pressure on the 2-3-4 face in the global reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
34	Pressure on the 2-3-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
41	Pressure on the 3-1-4 face ; the force per unit area is defined in the global reference system.
42	Pressure on the 3-1-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 3-1 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions.
43	Pressure on the 3-1-4 face in the global reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .
44	Pressure on the 3-1-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .

Table 3.26:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

3.5.26.4 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.26.5 Degrees of freedom

Three degrees of freedom u, v, w (the displacements along the global coordinate directions).

3.5.26.6 Field Output

1 = xx, 2 = yy, 3 = zz, 4 = xy, 5 = yz, 6 = xz.

3.5.26.7 Analysis types

- Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

3.5.27 Element 26: 3D 10-node tetrahedron

This element is a 10-node isoparametric tetrahedron whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.27.1 Nodal Connectivity

The element has 10 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.46; in particular, nodes 1, 2, 3 are the corners of the first face (given in counterclockwise order when viewed from inside the element), and node 4 is on the opposing vertex. Nodes 5, 6, 7 are on the first face between nodes 1 and 2, 2 and 3, 3 and 1, respectively. Nodes 8, 9, 10 are along the edges between the first face and node 4, between nodes 1 and 4, 2 and 4, 3 and 4, respectively.



Figure 3.46: Nodal connectivity of the 10-node isoparametric tetrahedric element

3.5.27.2 Integration Points

The element is integrated numerically using five points (Gaussian quadrature); the first integration point is located at the centroid of the element.

3.5.27.3 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.27.

Load Identifier Number	Description
1	Body force ; the three components of the force per unit volume in the global reference system must be assigned.
2	Body force ; the three global components of the force per unit volume are calculated in the user subroutine FORCEM .
3	Centrifugal force ; the rotation axis must be defined, and the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes.
11	Pressure on the 1-2-3 face ; the force per unit area is defined in the global reference system.

Table 3.27: Distributed loads relevant to the 10-node tetrahedric element

Table 3.27: continue in the next page

NOSA Theory Manual

Table 3	3.27:contir	ue from	the p	revious	page
			···· r		r 0 -

Load Identifier Number	Description
12	Pressure on the 1-2-3 face in the local reference system; the first component of the force per unit area is tangential to the face in the 1-2 direction; the third component is orthogonal to the face and is positive if directed towards the interior of the element, the second component has the direction
13	given by the vector product of the first and third directions. Pressure on the 1-2-3 face in the global reference system; the three com- ponents of the force per unit area on the three nodes of the face are to be specified in the user subroutine FOPCEM
14	Pressure on the 1-2-3 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM
21	Pressure on the 1-2-4 face ; the force per unit area is defined in the global reference system
22	Pressure on the 1-2-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 1-2 direction; the third component is orthogonal to the face and is positive if directed towards the interior of the element. The second component has the direction given by the vector product of the first and third directions.
23	Pressure on the 1-2-4 face in the global reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM
24	Pressure on the 1-2-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM
31	Pressure on the 2-3-4 face ; the force per unit area is defined in the global reference system
32	Pressure on the 2-3-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 2-3 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given
33	by the vector product of the first and third directions. Pressure on the 2-3-4 face in the global reference system; the three com- ponents of the force per unit area on the three nodes of the face are to be area of the system of the system of the face are to be
34	Pressure on the 2-3-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM
41	Pressure on the 3-1-4 face ; the force per unit area is defined in the global reference system
42	Pressure on the 3-1-4 face in the local reference system; the first component of the force per unit area is tangential to the face in the 3-1 direction, the third component is orthogonal to the face and is positive if directed towards the element's interior; the second component has the direction given by the vector product of the first and third directions
43	Pressure on the 3-1-4 face in the global reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .

Table 3.27: continue in the next page

Table 3.27:continue from the previous page					
Load Identifier Number	Description				
44	Pressure on the 3-1-4 face in the local reference system; the three components of the force per unit area on the three nodes of the face are to be specified in the user subroutine FORCEM .				

bla 3 27. c

Table 3.27:completed

Concentrate loads are point loads applied on nodes; moreover, the element may be subjected to thermal dilatation loads.

3.5.27.4 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.27.5 Degrees of freedom

Three degrees of freedom u, v, w (the displacements along the global coordinate directions).

3.5.27.6 Field Output

1 = xx, 2 = yy, 3 = zz, 4 = xy, 5 = yz, 6 = xz.

3.5.27.7 Analysis types

- Infinitesimal elasto-plasticity.
- Finite elasto-plasticity.
- Masonry-like materials.

3.5.28 Element 27: Thick shell 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear for both displacements and rotations.

This element is not available in the present version of NOSA-ITACA.

3.5.28.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.47.

3.5.28.2 Integration Points

Numerical integration is performed both on the middle surface of the element and within the thickness; for the former integration three-point Gaussian quadrature is used, whose integration points are shown in Figure 3.47 (cross points) and located in the middle of the element edges. The latter integration is performed using the Simpson method, with the number of integration points depending on the number of layers of the shell (see SHELL SECT; the default value is 3, the maximum number of layers is 99).



Figure 3.47: Nodal connectivity and Gauss points of the 3-node thick shell

3.5.28.3 Geometrical Attributes

For this element the user must specify the thickness(es) of the element; for homogeneous shells it is enough to define the thickness of the whole cross-section. For non-homogeneous shells, the thickness of each layer must be provided (COMPOSITE option).

The thickness of the whole shell or each layer can be specified at each corner node by using the user routine UGEOM.

3.5.28.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.28.

Load Identifier Number	Description
1	Body force; the three components of the force per unit volume in the global
	reference system must be assigned.
2	Body force; the three global components of the force per unit volume for
	each shell layer are calculated in the user subroutine FORCEM.
	Table 3 28 continue in the next page

Table 3.28: Distributed loads relevant to the 3-node thick shell element

Load Identifier Number	Description
3	Centrifugal force ; the rotation axis must be defined (see ROTATION AXIS), and the angular velocity (in revolutions per unit time) must be specified in the field reserved for the force magnitudes
11	D reasure on the 1.2 addees the force magnitudes.
11	reference system.
13	Pressure on the 1-2 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
21	Pressure on the 2-3 edge ; the force per unit length is defined in the global reference system.
23	Pressure on the 2-3 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
31	Pressure on the 3-1 edge ; the force per unit length is defined in the global reference system.
33	Pressure on the 3-1 edge in the global reference system; the three components of the force per unit length on the two nodes of the edge are to be specified in the user subroutine FORCEM .
41	Pressure on the surface of the element; the force per unit area is defined in the global reference system.
42	Pressure on the surface of the element in the local reference system, as defined below.
43	Pressure on the surface of the element in the global reference system:
15	the three components of the force per unit area on the three nodes of the
	element are to be specified in the user subroutine FORCEM
44	Pressure on the surface of the element in the local reference system: the
	three components of the force per unit area on the three nodes of the ele- ment are to be specified in the user subroutine FORCEM .

Table 3.28:completed

Moreover, the element may be subjected to point loads and/or concentrated moments on nodes, and thermal dilatation loads.

3.5.28.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.28.6 Degrees of freedom

Six degrees of freedom u, v, w (the displacements along the global coordinate directions) and q_x , q_y , q_z (the rotations, counterclockwise positive, around the global coordinate directions).

3.5.28.7 Field Output

Strains are printed for the three Gauss points of the mean surface of the shell; the components of the strain are given in the local orthonormal reference system s, t, n in the following order :

1 = ss, 2 = tt, 3 = st, 4 = tn, 5 = sn.

The values of stress are printed for the three integration points for each layer of the element; the stress components are given in the local orthonormal reference system s, t, n in the following order :

1 = ss, 2 = tt, 3 = st, 4 = tn, 5 = sn.

3.5.28.8 Analysis types

- Linear elasticity.
- Masonry-like materials.

3.5.28.9 Local reference frame

The element is defined geometrically by the (x, y, z) coordinates of the three corner nodes.

The stress-strain output is given in local orthogonal surface directions $(v_1, v_2, \text{ and } v_3)$ which are defined in the following way:

The first unit vector v_1 is going from node 1 to node 2

$$v_1 = \frac{r_2 - r_1}{\|r_2 - r_1\|},$$

the normal unit vector is calculated as follows

$$v_3 = \frac{v_1 \times (r_3 - r_1)}{\|v_1 \times (r_3 - r_1)\|},$$

and the unit vector v_2 is calculated in such a way to form a right handed reference frame

 $v_2 = v_3 \times v_1.$

3.5.29 Element 28: Plane heat transfer 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear. This element is not available in the present version of NOSA-ITACA.

3.5.29.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.48.

3.5.29.2 Integration Points

Numerical integration is performed using four-points Gaussian quadrature; the integration points are shown in Figure 3.48 (cross points), where the first Gauss point is located at the centroid of the element.



Figure 3.48: Nodal connectivity and integration points of the 3-node isoparametric triangular element

3.5.29.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.29.

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-1 edge (heat per unit length and unit time).
33	Edge flux on the 3-1 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .

Table 3.29:	Distributed	heat	fluxes	relevant	to	the	3-node	plane	heat
transfer elen	nent								

Table 3.29:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.29.4 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.29.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.29.6 Field Output

Temperature gradient defined on Gauss points of the element. 1 = x, 2 = y.

3.5.29.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.30 Element 29: Plane heat transfer 6-node triangle

This element is a 6-node isoparametric triangle, whose shape functions are quadratic. This element is not available in the present version of NOSA-ITACA.

3.5.30.1 Nodal Connectivity

The element has 6 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.49.

3.5.30.2 Integration Points

Numerical integration of this element is carried out by using three-points Gaussian quadrature; the integration points are shown in Figure 3.49 (cross points).



Figure 3.49: Nodal connectivity and integration points of the 6-node isoparametric triangular element

3.5.30.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.30.

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-1 edge (heat per unit length and unit time).
33	Edge flux on the 3-1 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .

Table 3.30: Distributed heat fluxes relevant to the 6-node plane heat transfer element

Table 3.30:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.30.4 Nodal Coordinates

Two global coordinates in the x and y directions.

3.5.30.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.30.6 Field Output

Temperature gradient defined on Gauss points of the element. 1 = x, 2 = y.

3.5.30.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.31 Element 30: Axisymmetric heat transfer 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear. This element is not available in the present version of NOSA-ITACA.

3.5.31.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.50.

3.5.31.2 Integration Points

Numerical integration is performed using four-points Gaussian quadrature; the integration points are shown in Figure 3.50 (cross positions).





3.5.31.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.31.

Table .	3.31:	Distributed	heat flu	ixes rele	evant to	the 3	-node a	xisymr	netric
heat tra	ansfei	r element							

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-1 edge (heat per unit length and unit time).
33	Edge flux on the 3-1 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.

Table 3.31:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.31.4 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.31.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.31.6 Field Output

Temperature gradient defined on Gauss points of the element. 1 = z, 2 = r.

3.5.31.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.32 Element 31: Axisymmetric heat transfer 6-node triangle

This element is a 6-node isoparametric triangle, whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.32.1 Nodal Connectivity

The element has 6 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.51.

3.5.32.2 Integration Points

Numerical integration is performed using three-points Gaussian quadrature; the integration points are shown in Figure 3.51 (cross positions).



Figure 3.51: Nodal connectivity and integration points of the 6-node isoparametric triangular element

3.5.32.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.32.

Flux Identifier Number	Description
1	Surface flux; the heat quantity per unit area and unit time must be assigned.
2	Surface flux; the heat quantity per unit area and unit time is calculated in
	the user subroutine FORCEM .
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
31	Edge flux on the 3-1 edge (heat per unit length and unit time).
33	Edge flux on the 3-1 edge; the heat per unit length and unit time on the
	three nodes of the edge is to be specified in the user subroutine FORCEM .
	Table 3.32:completed

Table 3.32: Distributed heat fluxes relevant to the 6-node axisymmetric heat transfer element

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.32.4 Nodal Coordinates

Two global coordinates in the z and r directions.

3.5.32.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.32.6 Field Output

Temperature gradient defined on Gauss points of the element. 1 = z, 2 = r.

3.5.32.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.33 Element 32: 3D heat transfer 4-node tetrahedron

This element is a 4-node isoparametric tetrahedron whose shape functions are linear. This element is not available in the present version of NOSA-ITACA.

3.5.33.1 Nodal Connectivity

The element has 4 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.52.



Figure 3.52: Nodal connectivity of the 4-node isoparametric tetrahedric element

3.5.33.2 Integration Points

The element is integrated numerically using only one point (Gaussian quadrature), located at the centroid of the element.

3.5.33.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.33.

Flux Identifier Number	Description
1	Volumetric flux ; the heat quantity per unit volume and unit time must be assigned.
2	Volumetric flux; the heat quantity per unit volume and unit time is calcu-
	lated in the user subroutine FORCEM.
11	Surface flux on the 1-2-3 face (heat per unit area and unit time).
13	Surface flux on the 1-2-3 face; the heat per unit area and unit time on the
	three nodes of the face is to be specified in the user subroutine FORCEM .
21	Surface flux on the 1-2-4 face (heat per unit area and unit time).
23	Surface flux on the 1-2-4 face; the heat per unit area and unit time on the
	three nodes of the face is to be specified in the user subroutine FORCEM .
31	Surface flux on the 2-3-4 face (heat per unit area and unit time).
33	Surface flux on the 2-3-4 face; the heat per unit area and unit time on the
	three nodes of the face is to be specified in the user subroutine FORCEM .
41	Surface flux on the 3-1-4 face (heat per unit area and unit time).

Table 3.33: Distributed heat fluxes relevant to the 4-node tetrahedric element

Table 3.33: continue in the next page

Table 3.33:continue from the previous page		
Flux Identifier Number	Description	
43	Surface flux on the 3-1-4 face ; the heat per unit area and unit time on the three nodes of the face is to be specified in the user subroutine FORCEM .	

Table 3.33:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.33.4 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.33.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.33.6 Field Output

Temperature gradient defined on Gauss points of the element.

1 = x, 2 = y, 3 = z.

3.5.33.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.34 Element 33: 3D heat transfer 10-node tetrahedron

This element is a 10-node isoparametric tetrahedron whose shape functions are quadratic.

This element is not available in the present version of NOSA-ITACA.

3.5.34.1 Nodal Connectivity

The element has 10 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.53; in particular, nodes 1, 2, 3 are the corners of the first face (given in counterclockwise order when viewed from inside the element), and node 4 is on the opposing vertex. Nodes 5, 6, 7 are on the first face between nodes 1 and 2, 2 and 3, 3 and 1, respectively. Nodes 8, 9, 10 are along the edges between the first face and node 4, between nodes 1 and 4, 2 and 4, 3 and 4, respectively.



Figure 3.53: Nodal connectivity of the 10-node isoparametric tetrahedric element

3.5.34.2 Integration Points

The element is integrated numerically using five points (Gaussian quadrature); the first integration point is located at the centroid of the element.

3.5.34.3 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.34.

Flux Identifier Number	Description
1	Volumetric flux; the heat quantity per unit volume and unit time must be
	assigned.
2	Volumetric flux; the heat quantity per unit volume and unit time is calcu-
	lated in the user subroutine FORCEM .
11	Surface flux on the 1-2-3 face (heat per unit area and unit time).
13	Surface flux on the 1-2-3 face; the heat per unit area and unit time on the
	six nodes of the face is to be specified in the user subroutine FORCEM .
21	Surface flux on the 1-2-4 face (heat per unit area and unit time).
23	Surface flux on the 1-2-4 face; the heat per unit area and unit time on the
	six nodes of the face is to be specified in the user subroutine FORCEM .
31	Surface flux on the 2-3-4 face (heat per unit area and unit time).
	Table 2.24 continue in the next name

Table 3.34: Distributed heat fluxes relevant to the 10-node tetrahedric element

Table 3.34:continue in the next page

Flux Identifier Number	Description
33	Surface flux on the 2-3-4 face ; the heat per unit area and unit time on the six nodes of the face is to be specified in the user subroutine FORCEM .
41	Surface flux on the 3-1-4 face (heat per unit area and unit time).
43	Surface flux on the 3-1-4 face ; the heat per unit area and unit time on the six nodes of the face is to be specified in the user subroutine FORCEM .

Table 3.34: continue from the previous page

Table 3.34:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.34.4 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.34.5 Degrees of freedom

One degree of freedom T (the nodal temperature).

3.5.34.6 Field Output

Temperature gradient defined on Gauss points of the element.

1 = x, 2 = y, 3 = z.

3.5.34.7 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.35 Element 34: Shell heat transfer 3-node triangle

This element is a 3-node isoparametric triangle, whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.35.1 Nodal Connectivity

The element has 3 nodes, and its nodal connectivity is counterclockwise as shown in Figure 3.54.

3.5.35.2 Integration Points

Numerical integration is performed both on the middle surface of the element and within the cross-section thickness; for the former integration three-point Gaussian quadrature is used, whose integration points are shown in Figure 3.54 (cross points) and located in the middle of the element edges. The latter integration

is performed using the Simpson method, with the number of integration points depending on the number of layers of the shell (see SHELL SECT; the default value is 3, the maximum number of layers is 99).



Figure 3.54: Nodal connectivity and Gauss points of the 3-node thick shell

3.5.35.3 Geometrical Attributes

For this element the user must specify the thickness(es) of the element cross-section; for homogeneous shells it is enough to define the thickness of the whole cross-section. For non-homogeneous shells, the thickness of each layer must be provided (COMPOSITE option).

The thickness of the whole shell or each layer can be specified at each corner node by using the user routine **UGEOM**.

3.5.35.4 Distributed fluxes

Heat fluxes applied on this element can be both concentrated and distributed fluxes; the latter ones are shown in Table 3.35.

Flux Identifier Number	Description
1	Volumetric flux ; the heat quantity per unit volume and unit time must be assigned.
2	Volumetric flux ; the heat quantity per unit volume and unit time is calculated in the user subroutine FORCEM .
	Table 3.35:continue in the next page

Table 3.35: Distributed heat fluxes relevant to the 3-node heat transfer thick shell
Flux Identifier Number	Description
11	Edge flux on the 1-2 edge (heat per unit length and unit time).
13	Edge flux on the 1-2 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.
21	Edge flux on the 2-3 edge (heat per unit length and unit time).
23	Edge flux on the 2-3 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.
31	Edge flux on the 3-1 edge (heat per unit length and unit time).
33	Edge flux on the 3-1 edge; the heat per unit length and unit time on the
	two nodes of the edge is to be specified in the user subroutine FORCEM.
41	Surface flux (heat per unit area and unit time).
43	Surface flux; the heat per unit area and unit time on the three nodes is to
	be specified in the user subroutine FORCEM .

 Table 3.35:continue from the previous page

Table 3.35:completed

Moreover, the element may be subjected to point fluxes on nodes and convective fluxes by specifying the film coefficients and sink temperatures for each edge.

3.5.35.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.35.6 Degrees of freedom

ITYRD degrees of freedom (temperatures) per node (the value of the ITYRD parameter is specified into the HEAT TRANSFER option)

ITYRD=2 (linear distribution trough the thickness)

- 1st dof: Top surface temperature
- 2nd dof: Bottom surface temperature

ITYRD=3 (parabolic distribution trough the thickness)

- 1st dof: Top surface temperature
- 2nd dof: Bottom surface temperature
- 3rd dof: Mid surface temperature.

3.5.35.7 Field Output

The components of the temperature gradient are given in the local reference system of the shell. Namely, the first two components are along the local tangent directions, as defined for shell element type 10, whereas the third component is along the shell normal unit vector.

3.5.35.8 Analysis types

• Linear and non-linear transient heat transfer analysis.

3.5.36 Element 35: Three-dimensional 2-node truss

This is a 2-node isoparametric truss element, whose shape functions are linear.

This element is not available in the present version of NOSA-ITACA.

3.5.36.1 Nodal Connectivity

The element has 2 nodes, and the truss axis is in the direction from the first node to the second one.

3.5.36.2 Integration Points

Numerical integration is performed along the element axis using one-point Gaussian quadrature, with the integration point located at the centroid.

3.5.36.3 Geometrical Attributes

The truss cross-section area is to be specified with the GEOMETRY option; it is also possible to define the area on a nodal basis by using the user routine UGEOM.

3.5.36.4 Distributed loads

Loads applied on this element can be both concentrated and distributed loads; the latter ones are shown in Table 3.36.

Load Identifier Number	Description
1	Body force and/or moment; the three components of the force and/or
	moment per unit volume in the global reference system must be assigned.
3	Centrifugal force; the rotation axis must be provided (see ROTATION
	AXIS option), and the angular velocity must be specified in the field re-
	served for the force magnitudes.
11	Pressure on truss axis; the force per unit length is defined in the global
	reference system.

Table 3.36: Distributed loads relevant to the 2-node truss element

Table 3.36:completed

Moreover, the element may be subjected to point loads and/or concentrated moments on nodes. Thermal loads are not yet available.

3.5.36.5 Nodal Coordinates

Three global coordinates in the x, y and z directions.

3.5.36.6 Degrees of freedom

Three degrees of freedom u, v, w (the displacements along the global coordinate directions).

3.5.36.7 Field Output

Strains and stress resultants are printed for the unique Gauss point; the strain characteristic is given as:

1. ϵ axial stretch.

Similarly, the stress characteristic is:

1. N axial force.

3.5.36.8 Analysis types

• Linear elasticity.

Chapter 4

NOSA Keywords Reference Guide

4.1 Introduction

This guide shows all keywords processed by **NOSA** solver to perform numerical analyses, by means of which it is possible to define a mesh model (e.g., nodal coordinates, elements connectivity, groups of elements and/or nodes), and assign physical properties to it (e.g., materials, element section properties, boundary conditions, load histories, etc...). Furthermore, it is possible to define the kind of the analysis to be performed, and set up solution controls (e.g., choose a particular numerical algorithm to solve equilibrium equations, define convergence criteria for solution, etc...).

The keywords make up the NOSA input file (i.e., a file with extension ".crd", and hereinafter referred as **crd file**), which will be described in the next section.

4.2 Description of the crd file

The structure of the NOSA input file can be logically grouped into three sections:

- Control Section : This is the first part of a crd file, necessary to control the program flow, allocate the memory required for carrying out the analysis, and define general features.
- Model Section : This part follows the control section, and describes the mesh model, assigns physical properties, and provides information concerning the algorithm used and the accuracy of analysis.
- Load Section : This is the last part of a crd file, necessary to define the load increments, and allows re-definition of the boundary conditions.

Each part is characterized by a subset of keywords; thus in an input file, the keywords of each section follow one another in the order as above described. Within each section, the keywords can be placed in any order.

The keywords have a free format and fields are separated by blanks and/or commas. Integer or real fields in a card can be constituted by a number with a maximum length of ten characters (including sign, point and exponent). For some keywords (e.g, element connectivity, element and/or node sets definition, etc...) it is required one or more lines of definition; in such cases, each line, except the last one, ends with the character '=', which represents the symbol of continuation of the previous line. The maximum number of continuations is 999.

4.3 Control Section

Below a list of keywords ordered as occurring into the input file.

- BEAM SECT
- COMMENT
- COMPOSITE
- CONTACT
- DAMPING
- DEFORMABLE
- DIST LOADS

- DYNAMIC
- ELASTIC
- ELEMENTS
- END
- ENERGY
- FILM
- FINITE STRAIN
- FOLLOWER FORCES
- FRICTION
- HARDENING
- HEAT TRANSFER
- HHT
- ITRESS
- LUMPED MASS
- MASONRY
- MATERIALS
- MODAL
- OPTIMIZE
- POTENTIAL
- PRINT LEVEL
- RESTART
- SCALE
- SETNAME
- SHELL SECT
- SIZING
- STOP
- TEMP TABLES
- THERMAL LOADS
- TIE
- TITLE

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

4.3.1 BEAM SECT

This command defines the number of integration points on the cross section of the beam elements.

Command syntax :

beam sect n1 n2

where

- n1 is the number of integration points along the first local direction on the cross section of the beam. This number must be an odd number between 3 and 21 (including the extreme values);
- n2 is the number of integration points along the second local direction on the cross section of the beam. This number must be an odd number between 3 and 21 (including the extrem values).



Figure 4.1: Example of a 3 x 3 beam cross section; two integration points along both e1 and e2 directions are used.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 **beam sect 6 5** dist load 19 masonry shell section 11 tie 914 1 end

.....

In the above example, six integration points along the first local direction and five integration points along the second local direction on the cross section of the beam will be used to apply the *Cavalieri-Simpson* quadrature technique rule.

Default value of both n1 and n2 is 3, for which the keyword is optional.

4.3.2 COMMENT

This command is used to insert a comment, anywhere.

Command syntax :

or: $text \leq of \leq comment''$ Input file usage title Example 1 comment This is a first comment sizing 43228 45379 element 109 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry *\$ This is another comment* shell section 11 tie 914 1 end

.....

4.3.3 COMPOSITE

This command indicates that shell elements with sections made of different materials and/or with different thickness will be used.

Command syntax :

composite Input file usage : title Example 1 sizing 43228 45379 composite element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1

end

.....

If composite option is set each layer of a shell element can have a different thickness and a different material.

4.3.4 CONTACT

The keyword is used in contact analyses involving rigid surfaces. Currently, contact analyses apply only to plane strain and axisymmetric problems.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

contact msurf mpart

where

- msurf is the maximum number of rigid surfaces involved into contact problems;
- mpart is the maximum number of basic shapes (e.g., segments, circumference, arcs), of which each rigid surface is made up.

Input file usage

title Example 1 sizing 43228 45379 element 3 materials 3 setname 19 9 45379 **contact 2 5** friction 1 dist load 19 end

.....

In this example there are two rigid surfaces made up of five basic shapes.

4.3.5 DAMPING

The keyword has to be set when viscous and/or numerical damping occurs in dynamic analysis.

Command syntax :

damping

Input file usage

4.3 Control Section

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 **damping** dynamic beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

See also **DYNAMIC**

4.3.6 DEFORMABLE

The keyword is used when deformable bodies are involved in contact problems. Currently, only one deformable body can be considered.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

deformable mdefo

where

• mdefo is the maximum number of deformable bodies (i.e., 1).

Input file usage.

title Example 1 sizing 43228 45379 element 3 materials 4 setname 19 9 45379 deformable 1 contact 2 5 friction 1 dist load 19 end

4.3.7 DIST LOADS

The keyword is used to define the maximum number of distributed loads required by the analysis to be carried out.

Command syntax :

dist loads mdist

where

• mdist is the maximum number of distributed loads.

Default value for mdist is 3.

Input file usage title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist loads 19 masonry shell section 11 tie 914 1 end

In this example a maximum of 19 distributed loads are applied.

4.3.8 DYNAMIC

.....

This command indicates that dynamic analysis using the Newmark or Hylber-Hughes-Taylor methods of integration will be performed.

Command syntax :

dynamic Input file usage title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 9 9 45379 1 dynamic beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end See also HHT

4.3.9 ELASTIC

This keyword is used when a linear elastic analysis with multiple loads must be performed.

Command syntax : elastic Input file usage title Example 1 sizing 43228 45379 element 109 materials 4 setname 19 9 45379 elastic beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

Remarks:

This keyword has to be considered as a kind of analyses (in the same manner as static, dynamic and so on) and not a material behaviour. When the keyword is set, all defined loads will be applied immediately; if not used each load will be applied according to a given loading sequence (i.e., as loads are defined into the input file), and each load after the first one will be considered as a load increment to be added to the previous loads.

4.3.10 ELEMENTS

The keyword defines the element types according to the **NOSA Element Library**, which will be used in the current analysis.

Command syntax :

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

elements ntype1 ntype2 ... ntypeN

where

• ntype1, ntype2...,ntypeN represent the element types and N is the number of different element types used in the current analysis. The maximum number of element types is 30.

Input file usage

title Example 1 sizing 43228 45379 elements 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

•••••

In this example two types of element will be used: thick shells (i.e., element type 10) and beams (i.e., element type 9).

4.3.11 END

Command syntax :

This command indicates the end of the control cards.

end Input file usage title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

Remarks:

This keyword is mandatory.

4.3.12 ENERGY

When this keyword is set the calculation of the mechanical energy (kinetic and potential), as well as the work done by the applied external forces, is required for both dynamic and static analyses.

Command syntax :

energy

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry energy shell section 11 tie 914 1 end

4.3.13 FILM

This command indicates that film coefficients of convective heating/cooling will be read in.

This keyword is not available in the present version of NOSA-ITACA. Command syntax : film Input file usage title Example 1 sizing 43228 45379 element 17 materials 4 setname 19 9 45379 dist load 10 177

film shell section 11 end

4.3.14 FINITE STRAIN

This command indicates that finite deformations will be considered in the analysis.

This keyword is not available in the present version of NOSA-ITACA. **Command syntax :** finite strain Input file usage title Example 1 sizing 43228 45379 element 109 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 finite strain shell section 11 tie 914 1 end

4.3.15 FOLLOWER FORCES

When the keyword is set forces for the current analysis will be applied to the current configuration. This keyword is relevant to only element types 6, 7 and 8 (i.e., plane strain, axisymmetric and brick linear elements).

This keyword is not available in the present version of NOSA-ITACA.

Command syntax : follower forces Input file usage title Example 1 sizing 43228 45379 element 8 materials 4 setname 19 9 45379 dist load 19 **follower forces** end

See also **DIST LOADS**

4.3.16 FRICTION

The keyword is used to define whether or not friction forces will be taken into account, in contact problems.

This keyword is not available in the presence version of the NOSA-ITACA.

Command syntax :

friction ifric

where

• ifric is equal to 0 for frictionless contact and equal to 1 for contact with friction.

Input file usage

title Example 1 sizing 43228 45379 element 3 materials 4 setname 19 9 45379 dist load 19 contact 2 3 friction 1

end

.....

In the above example a problem contact with friction has been considered.

4.3.17 HARDENING

The keyword is used when elastic-plastic materials with work-hardening behaviour will be considered for the current analysis.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

hardening mhard

where

• mhard is the maximun number of data pairs defining every hardening curve (in a tabular form); the default value is 0.

179

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 hardening 20 shell section 11 tie 914 1 end

In this example every hardening curve is defined by means of 20 data pairs.

4.3.18 HEAT TRANSFER

This keyword is used to carry out a transient heat transfer analysis.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

heat transfer ityrd

where

- ityrd defines the number of nodal temperatures and the order of interpolation trough the thickness for the heat transfer shell element type 17. Ityrd can assume the following values:
 - 1, valid for all element types except type 17. This is the default value;
 - 2, for linear interpolation through the thickness; each node will have two degrees of freedom,
 i.e. the temperature at the top and bottom surface of the shell.
 - 3, for parabolic interpolation through the thickness; each node will have three degrees of freedom, i.e. the temperature at the top, bottom and mid surface of the shell.

Input file usage

title Example 1 sizing 43228 45379 element 17 materials 4 setname 19 9 45379 dist load 4 masonry

heat transfer 2

shell section 11 end

In this example we consider a transient heat transfer analysis with linear interpolation.

4.3.19 HHT

This command indicates that the Hiber-Hughes-Taylor method will be used to integrate the equation of motion in a dynamic analysis.

Command syntax :

HHT

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry dynamic **HHT** shell section 11 tie 914 1 end

See also **DYNAMIC**

4.3.20 ITRESS

This command indicates that the initial stress field will be read from a suitable file (FORTRAN unit 22).

This keyword is not available in the present version of NOSA-ITACA.

Command syntax : itress Input file usage title Example 1 sizing 43228 45379

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry **itress** shell section 11 tie 914 1 end

4.3.21 LUMPED MASS

This command indicates that a lumped mass matrix will be used in carrying out dynamic analysis.

Command syntax : lumped Input file usage title Example 1 sizing 43228 45379 element 109 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry dynamic lumped shell section 11 tie 914 1 end See also **DYNAMIC**

4.3.22 MASONRY

The keyword is used to indicate that masonry-like materials are used in the analysis.

Command syntax :

masonry

 Input file usage

 title Example 1

 sizing 43228 45379

 element 10 9

 materials 4

 setname 19 9 45379

 beam sect 6 5

 dist load 19

 masonry

 shell section 11

 tie 914 1

 end

4.3.23 MATERIALS

This keyword sets the maximum number of different materials used in the analysis.

Command syntax :

materials nmats

where

• nmats is the maximum number of different materials.

By default *nmats* is equal to 1.

In this example four different materials are considered.

4.3.24 MODAL

This keyword is used to perform a modal analysis.

Command syntax :

modal nfreq

where

• nfreq is the number of frequencies required.

Input file usage

title Example 1 sizing 43228 45379 element 10 material 4 setname 19 9 45379 dist load 19 shell section 11 dynamic **modal 15** end end option modal end increment

In this example fifteen frequencies are required.

Remarks:

In order to perform a modal analysis the keyword DYNAMIC in control section and MODAL in load section are necessary.

4.3.25 OPTIMIZE

This keyword is used to perform a renumbering of the nodes and elements of the mesh.

Command syntax : optimize Input file usage title Example 1 sizing 43228 45379 element 10

material 4 setname 19 9 45379 optimize dist load 5 shell section 11 end end option end increment In this example a renumbering of elements and nodes of the mesh is performed.

Remarks:

In NOSA-ITACA code this operation is performed automatically.

4.3.26 POTENTIAL

The keyword sets the maximum number of different elastic - plastic materials, whose anisotropic yield is described by means of the Hill's potential theory.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

potential nmaph

where

• nmaph is the maximum number of different materials with plastic anisotropy.

By default, *nmaph* is equal to *nmats*. Anyway, *nmaph* is not greater than *nmats*.

Input file usage
title Example 1
sizing 43228 45379
element 10 9
hardening
materials 4
potential 2
setname 19 9 45379
beam sect 6 5
dist load 19
shell section 11
tie 914 1

end

title Example 2 sizing 43228 45379 element 10 9 hardening materials 4 **potential** setname 19 9 45379 beam sect 6 5 dist load 19 shell section 11 end

In Example 1 two materials with plastic anisotropy have been considered, while in Example 2 all materials (nmaph = nmats) have anisotropic plasticity.

See also:

HARDENING and MATERIALS.

4.3.27 PRINT LEVEL

The keyword is used to set the print output level.

Command syntax :

print lvprt ifreqp nelpr nodpr

where

- *lvprt* is a value greater or equal to 1; when *lvprt* is equal to 1 displacement, reaction, stress and strain fields at the end of each load increment will be written to the **prt file** (i.e., NOSA output file with extension .prt). For *lvprt* > 1 displacement, reaction, stress and strain fields and incremental nodal forces for each element, at the end of each load increment will be written to the prt file. By default, *lvprt* is equal to 1.
- *ifreqp* sets the frequency for which data will be written to prt file; *ifreqp* equal to n (with $n \ge 1$) means that data will be written every n load increments. By default *ifreqp* is equal to 1.
- *nelpr* sets the group of mesh elements which data into prt file refer to; when *nelpr* is equal to 0 data for all elements will be written. For *nelpr* = 1 data of a selected subset of elements will be written to the prt file.
- *nodpr* sets the group of mesh nodes which data into prt file refer to; when *nodpr* is equal to 0 data of all nodes will be written. For *nodpr* = 1 data of a selected subset of nodes will be written to the prt file.

186

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 **print 3 2 1 0** shell section 11 tie 914 1 end

In this example displacement, reaction, stress and strain fields and incremental nodal forces will be written every two load increments for each element of a selected subset of elements and for all nodes.

4.3.28 RESTART

The keyword is used when the analysis to be submitted is a continuation of a previous one. All information about the problem must be read from a suitable fortran file (unit n.99).

Command syntax :

restart

Input file usage

title Example 1

restart

end

•••••

Remarks:

For restarting an analysis as a continuation of a previous one, details relevant to only incremental loads and the frequency to which data will be written to the **post file** (i.e., formattated output file *.t19 or med file) must be supplied. All other necessary information will be read from the **restart file** (i.e., file with extension .rst).

See also:

SAVE INCREMENT

4.3.29 SCALE

This command is used for scaling the results of the problem at the first incremental load in such a way that the points nearest the first yield are brought to that limit.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax : scale Input file usage title Example 1 sizing 43228 45379 scale element 10 9 materials 4 setname 19 9 45379 dist load 19 end

.....

Remarks:

This option works only in the case of infinitesimal elastic-plastic behaviour.

4.3.30 SETNAME

The keyword is used to define how many sets of elements and nodes should be created, as well as how many items should be contained in a set.

Command syntax :

setname neset nnset nitems ncomit

where

- *neset* is the maximum number of element sets;
- *nnset* is the maximum number of node sets;
- *nitems* is the maximum number of items in each set;
- *ncomit* is the maximum number of items in each compound set.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

In the above example nineteen element sets and nine node sets will be defined. Each set can include a maximum number of 45379 items. Because no compound set will be created, *ncomit* can be omitted.

4.3.31 SHELL SECT

This keyword defines the number of integration points within the thickness for shell elements.

Command syntax :

shell sect mshel

where

• *mshel* is the number of integration points; by default *mshel* is equal to 3. Maximum value of *mshel* is equal to 99.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

.....

In the example eleven points will be used for numerical integration within the thickness of shell elements.

Remarks:

The number of integration points must be odd. The *Cavalieri-Simpson* integration points are located on the mean surface of each section for composite shells, whereas for homogeneus shells they are located on the boundary of layers.

4.3.32 SIZING

This keyword defines the analysis dimension.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Command syntax :

sizing nelem npoint eltype where

- *nelem* is the total number of elements ;
- *npoint* is the total numer of points ;
- *eltype* is the element type according to NOSA Element Library; this item can be omitted.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

Remarks:

.....

This keyword is mandatory.

4.3.33 STOP

The keyword is used for estimating the amount of memory required to carried out the analysis. No numerical calculation will be performed.

Command syntax :

stop

Input file usage title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 **stop** end

4.3.34 TEMP TABLES

This keyword is used when mechanical properties of materials (e.g., Young modulus, Poisson ratio and coefficient of thermal expansion) depend on the temperature field. In such a case the dependence on temperature must be supplied in a tabular form.

Command syntax :

temp tables mttemp mttab

where

- *mttemp* is the maximum number of data tables;
- *mttab* is the maximum number of data pairs in each table.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 temp tables 2 10 tie 914 1 end

In this example materials have two mechanical properties depending on temperature field; for each mechanical property, the dependence on the temperature field is described by a table containing ten data pairs.

4.3.35 THERMAL LOADS

Thermal loads due to temperature changes will be taken into account in the analysis; the keyword defines the way of reading the temperature field.

Command syntax :

thermal loads ityrd

where *ityrd* is defined as follows:

- *ityrd* = 1 means that nodal temperature will be read; this case applies to all element types, but shells.
- *ityrd* = 2 means that temperature field along the thickness will be calculated by linear interpolation of the temperature values of the lower and upper layers; this case applies to only shell elements.
- ityrd = 3 means that temperature field along the thickness will be calculated by parabolic interpolation of the temperature values of the lower, middle and upper layers; this case applies to only shell elements.

Input file usage

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 **thermal loads 2** tie 914 1 end

.....

In this example temperature field through the thickness of shell elements will be calculated by linear interpolation of the temperature values of the lower and upper layers.

4.3.36 TIE

The keyword is used when multipoint constraints must be defined.

Command syntax :

tie Nbslave Nbmaster

where

- *Nbslave* is the maximum number of nodes with dependent degree of freedom (slave nodes);
- *Nbmaster* is the maximum number of nodes with independent DOFs (master nodes) for each slave node.

Input file usage

4.3 Control Section

title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 **tie 914 2** end

In Example 1 there are 914 nodes whose degree of freedom are described as dependent linear combination of the dofs of two master nodes.

4.3.37 TITLE

The keyword is used to assign a title to the current analysis.

Command syntax : title Title of analysis Input file usage title Example 1 sizing 43228 45379 element 10 9 materials 4 setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end

Remarks:

This keyword is mandatory. The title can be a string of maximum 70 characters (including blanks), and must be left-aligned.

4.4 Model Section

4.4.1 Introduction

For some keywords it can be necessary to define lists of mesh nodes and/or elements; a list can be specified as follows:

- a sequence of integers (e.g., 1 10 33.... and so on).
- in the way as *n TO m BY k*; if k is not specified, it is assumed equal to 1.
- a sequence of names of sets connected by logic operators (e.g., set1 and set2 and set3)

The logical operators are:

- AND : all items belonging to the set defined on the right side of this operator will be included into the current list of nodes and/or elements;
- EXCEPT : items belonging to the set declared on the right side of this operator will not be included into the current list;
- INTERSECT : all items belonging to the intersection of the sets will be considered.

A series of logical operations are always interpreted from left to right; thus, each operator always acts upon the list resulting from operations performed up to that point (i.e., the result of all operations on its left) and the set declared on its immediate right.

Below a list of keywords ordered as occurring into the input file.

- BODY
- BOUNDARY CONDITIONS
- COMMENT
- COMPOSITION
- CONNECTIVITY
- CONTROL
- COORDINATES
- DAMPING
- DEFINE
- DYNAMIC
- END OPTION
- FILM COEFFICIENT
- FIXED ACCELERATION
- FIXED DISPLACEMENT
- FIXED TEMPERATURE

- FRICTION
- GEOMETRY
- HARDENING
- INITIAL DISPLACEMENT
- INITIAL TEMPERATURE
- INITIAL VELOCITY
- LOCAL AXIS
- LUMPED MASS
- MASONRY
- MASSES
- POST
- POTENTIAL HILL
- PROPERTY
- ROTATION AXIS
- SELECTIVE INTEGRATION
- SURFACE
- TEMP TABLE
- TYING

4.4.2 BODY

This command defines deformable bodies present in the structure.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

```
body

N

L_1

L_2

...

L_N

where
```

- *N* is the number of deformable bodies;
- L_n is the list of elements belonging to the n-th deformable body.

Input file usage

title Example 1 deformable 1 end body 1 35 36 37 38 39 40 41 42 43 = 44 45 46 end option

.....

In this example we define one body with 12 elements. You can also write the elements list in the following ways :

•••••

body

1

35 to 46

..... if the elements numbering is sequential, or

.....

body

1

setName

..... if the elements belong to a set named *setName*.

4.4.3 BOUNDARY CONDITIONS

This command defines displacement boundary conditions.

Command syntax : boundary conditions Npresc₁ ifpre₁ $nset_1$ $presc_2$ ifpre₂ $nset_2$

196

•••••

 $presc_N$

ifpre_N

nset_N

where

- *N* is the number of boundary conditions to be defined;
- *presc_n* is a list of values of the degrees of freedom to be constrained relavant to the n-th boundary condition;
- $ifpre_n$ is a list of the degrees of freedom to be constrained relevant to the n-th boundary condition;
- $nset_n$ is a list of constrained nodes relevant to the n-th boundary condition.

Input file usage

title Example 1 end boundary conditions 2 0 0 0 0 1 3 5 6 base 0 0 2 4 latosud end option

•••••

In this example two boundary conditions have been assigned. For the first boundary condition, null displacement along x and z axes and null rotation around the y and z axes are applied to all nodes belonging to the set *base*; in the second case null displacement along y axis and null rotation around the x axis are applied to all nodes belonging to the set *latosud*.

Remarks:

this keyword is obsolete and the use of FIXED DISPLACEMENT option should be preferred.

4.4.4 COMMENT

This keyword is used to insert a comment; the user can insert a comment anywhere.

Command syntax :

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

comment "comment text"

or

\$ "comment text"

Input file usage

title Example 1

comment this example explain the use of NOSA card

•••••

end option

.....

4.4.5 COMPOSITION

This keyword is used to assign a material (previously defined) to a set of mesh elements.

Command syntax :

composition N mat-1 set-1 mat-2 set-2 mat-N set-N

where

- *N* is the number of sets of elements to which material behavior has to be assigned;
- *mat-n* is the identification number of the n-th material (previously defined);
- *set-n* is the list of elements which the n-th material refers to.

Input file usage

title Example 1

198
```
sizing 543228 45379
.....
end
.....
composition
2
1
arco1
2
arco2
property
2
.....
end option
```

.....

In this example, the first set of elements "arco1" is made of material 1, whose Young Modulus is equal to 1.23e+08 Pa; the other set "arco2" is made of material 2, whose Young modulus is equal to 2.8e+08 Pa.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material

Remarks:

- 1. If the COMPOSITE option has been set, *matN* is a **list** of identification number of the materials associated with each layer of shell elements belonging to n-th set; the number of materials into this list is less or equal to the number of layers of shells (i.e., MSHEL). If it is less than MSHEL, the last material in the list applies to all other layers of shell elements.
- 2. Currently, COMPOSITE option cannot be defined through NOSA-ITACA/GUI.

See also:

- PROPERTY,
- SHELL SECT,
- SALOME Nosa User's Guide: Create Materials

4.4.6 CONNECTIVITY

This keyword is used to define nodal connectivity of mesh elements.

Command syntax :

connectivity

Nelem

elemID elemType nodeI nodeJ nodeK ...

where

- *Nelem* is the number of elements for which nodal connectivity has to be defined. *Nelem* is less or equal to the maximum number of elements of the mesh model;
- *elemID* is the identifier number of an element;
- *elemType* is the type of element, according to NOSA Element Library;
- *nodeI*, *nodeJ*, *nodeK* ... are the identifier numbers of nodes of the element, representing the connectivity; with reference to the theory of **Finite Element Modelling**, the sequence of node Ids into the connectivity of an element is *counterclockwise*, and such that firstly corner nodes are specified and then the mid-side nodes;
- the last line of the command syntax has to be repeated (Nelem -1) times, with each line referring to the nodal connectivity of one element; these line can contain a maximum number of nine items, thus for elements having a number of nodes greater or equal to 8, the connectivity must be continuated to the next line (by means of the symbol "=").

Input file usage

.....

In this example the mesh model is made up of 100 elements; the first element (elemID = 1) is a 4-node thick shell (element type = 10) with nodal connectivity expressed by the node sequence 25, 34, 72, 65; the third element (elemID = 3) is a 2-node beam element (element type = 9) with nodal connectivity given by node Ids 138 and 27. The last element (elemID = 100) is a 20-node hexahedric element (element type = 1) with nodal connectivity given by a sequence of twenty nodes; the last one is defined on three lines.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Nosa Element Library

See also:

- SIZING,
- NOSA Theory Manual: Element Library,
- SALOME Nosa User's Guide: Specify the Type of Element

4.4.7 CONTROL

The keyword is used to set up the parameters for controlling the accuracy of numerical analyses, to choose algorithms to be used to solve equilibrium equations and setting other solution controls.

Command syntax :

control

maxinc miter algoID irsdis

toler fuztol fuzdis fuztmp tmpfin

where

- maxinc is the maximum number of load increments; by default, maxinc is equal to 1000;
- *miter* is the maximum number of iterations for each load increment; the default value is 1000;
- *algoID* is the identifier of the algorithm to be used to solve equilibrium equations; possible values are:
 - *algoID* = 1 : The **initial stiffness matrix method** is used;
 - *algoID* = 2 : The **modified Newton-Raphson method** is used;
 - *algoID* = 3 : The Newton-Raphson method is used; by default, this method is applied to solve equilibrium equations.
- *irsdis* is a flag to set up convergence criteria based on displacement field; when *irsdis* is not null, the displacement based convergence check is turned on in dynamic analyses;
- toler is the ratio in % between the norm of residual force and the norm of total force (including reactions), representing the tolerance used for the convergence of a load increment. For shell and beam elements, the moments are divided by the corresponding thickness to be dimensionally homogeneous to forces. If the convergence check is to be done on displacement variation, it is the ratio between the iteration displacement change and the incremental displacement variation; in such a case, at least two iterations are required in order that an increment can achieve the convergence;
- *fuztol* is the minimum value of the norm of total force; if this norm is less than *fuztol*, the convergence control is skipped (default 1.0D-08) in static analyses, or the displacement based convergence check is automatically turned on in dynamic runs;
- *fuzdis* is the minimum displacements change for dynamic analyses; if the norm of displacement is less than *fuzdis*, the convergence control is skipped (default 1.0D-12);
- *fuztmp* is the minimum temperature change for heat transfer analyses; if the maximum temperature change is less than *fuztmp*, the convergence control is skipped (default 1.0D-08);
- *tmpfin* is the maximum temperature change allowed in automatic time stepping mode (default 20.D0), for heat transfer analyses; if the maximum temperature change is greater than *tmpfin*, the increment is repeated with reduced time step in order that the maximum temperature change is equal to *tmpfin* (this can be obtained with precision in linear cases).

Input file usage

title Example 1 sizing 43228 45379 end control 1000 1000 3 0.10 1.00e-08

end option

.....

In the above example the Newton-Raphson method will be used to solve equilibrium equations; a maximum number of 1000 load increments are allowed, for each of them a maximum number of 1000 iterations will be performed to achieve the numerical convergence; the latter is achieved within a residual equal to 0.1% of the total force. All other parameters have been set to default values.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Solution Controls

See also:

- NOSA Theory Manual: Solution Controls,
- SALOME Nosa User's Guide: Set Solution Controls

4.4.8 COORDINATES

This command defines the coordinates of nodes.

Command syntax :

coordinates

dimSpace nNodes

```
nodeID xcoord ycoord ...
```

where

- *dimSpace* is the maximum number of coordinates per node;
- *nNodes* is the total number of nodes;
- *nodeID* is the identifier number of a node;
- xcoord, ycoord, ... are the coordinates of the nodeID along the x-axis, y-axis ..., respectively.
- The last line of the command syntax has to be repeated (nNodes -1) times with each line representing the coordinates of a single node.

Input file usage

title Example 1 sizing 100 150 end coordinates 3 150 1 0.0 0.0 0.0 2 10.0 10.0 10.0 2 10.0 10.0 10.0 150 23.0 45.0 -2.0 end option

4.4.9 DAMPING

.....

This command defines the damping coefficients in dynamic analyses, according to the Rayleigh assumption.

Command syntax :

```
damping

N

coeff1_1 \ coeff2_1 \ coeff3_1

set_1

coeff1_2 \ coeff2_2 \ coeff3_2

set_2

...

coeff1_N \ coeff2_N \ coeff3_N

set_N

where
```

- *N* is the number of element sets which damping coefficients have to be assigned to;
- $coeffl_n$ is the value of the multiplier of the mass matrix for viscous damping, relevant to n-th set of elements; by default $coeffl_n = 0.0$;
- $coeff_{2n}$ is the value of the multiplier of the stiffness matrix for viscous damping, relevant to n-th set of elements; by default $coeff_{2n} = 0.0$;
- $coeff_{3n}$ is the value of the multiplier of the stiffness matrix for numerical damping, relevant to n-th set of elements; by default $coeff_{3n} = 0.0$;
- set_n is the group of elements for which damping coefficients are defined.

Input file usage

title Example 1 sizing 100 150 element 109 materials 1 setname 2 2 150 damping dynamic shell section 3 end coordinates connectivity damping 2 1.0 1.0 1.0 23 45 19 22 47 93 102 100 87 = 13 2.0 5.0 0.0 33 27 91 end option

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: **Dynamic**, Boundary Boundary Condition Family: **Damping**

See also:

- DYNAMIC,
- DAMPING,
- SALOME Nosa User's Guide: Set Boundary Conditions

4.4.10 DEFINE

This command defines sets of element and/or nodes.

Command syntax :

define element/node (or element/node set) setName

itemList

where

- *setName* is the name of the set (maximum 8 characters);
- *itemList* is a list of elements or nodes constituting the set.

Input file usage

title Example 1 sizing 100 150 element 10 materials 1 setname 1 1 150 shell section 3 end define element set GRUPPO1 23 45 19 22 47 93 102 100 87 = 13 define node set GRUPPO2 33 27 91 end option

Remarks:

- The names of other sets **cannot** be included into the list of set definition.
- A set cannot be referenced into the input data before being defined.

4.4.11 DYNAMIC

This keyword defines the integration coeffients to be used for dynamic analyses.

Command syntax :

dynamic

```
\gamma_{NEW} \beta_{NEW} \alpha_{HHT}
```

where

- γ_{NEW} is the value of the γ -coefficient of the Newmark method; by default, $\gamma_{NEW} = 0.5$.
- β_{NEW} is the value of the β -coefficient of the Newmark method; by default, $\beta_{NEW} = 0.25$.

205

• α_{HHT} is the value of the α -coefficient of the Hilber-Hughes-Taylor method; by default, $\alpha_{HHT} = 0.0$. If the Hilber-Hughes-Taylor method has been chosen, γ_{NEW} and β_{NEW} coefficients will be reset to $0.5 + \alpha_{HHT}$ and $0.25 \cdot (1.0 + \alpha_{HHT})^2$, respectively.

Input file usage

title Example 1

sizing 43228 45379

element 10

materials 1

setname 19 9 45379

dynamic

shell section 3

end

coordinates

.....

connectivity

.....

dynamic

0.6 0.3

.....

end option

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Jobs: Job Type tab: **Dynamic Analysis** -> Newmark Algorithm or Hilber-Hughes-Taylor Algorithm

See also:

- HHT
- DYNAMIC

4.4.12 END OPTION

This command declares the end of the model section of a crd file.

```
Command syntax :
end option
Input file usage
title Example 1
sizing 543228 45379
element 10 9
materials 4
```

setname 19 9 45379 beam sect 6 5 dist load 19 masonry shell section 11 tie 914 1 end coordinates connectivity end option

Remarks:

This command is mandatory.

4.4.13 FILM COEFFICIENT

This command defines film coefficients to be used in heat transfer analyses.

This keyword is not available in the present version of NOSA-ITACA.

```
Command syntax :
film coefficient
N
faceID film sink indfil indsin
```

set-1

where

- N is the number of element sets which film coefficients have to be assigned to;
- *faceID* is the identifier number of a face of elements belonging to the *set-1*;
- *film* is the value of the film coefficient to be applied to the elements belonging to the *set-1*; by default, film = 0.0.
- *sink* is the value of the sink temperature to be assigned to the elements of the *set-1*; by default, *sink* = 0.0.
- *indfil* is a flag such that the film coefficient will be evaluated by means of the user routine **UFILM**, when *indfil* is not null;

- *indsin* is a flag such that the sink temperature will be calculated by means of the user routine **UFILM**, when *indsin* is not null;
- *set-1* is a group of elements which these coefficients refer to.
- the third and the last line have to be repeated (N-1) times, because they are relevant to only one set of elements.

Input file usage

```
title Example 1
sizing 43228 45379
element 15
materials 2
setname 19 9 45379
film
end
.....
film coefficient
2
1 0.5 15 0 0
34 45 97 88 23 12 1 4 5 =
101 107 109
4 0.5 15 0 0
16
end option
```

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Heat Transfer, Boundary Condition Family: Film Coefficient

See also:

- FILM
- SALOME Nosa User's Guide: Set Boundary Conditions
- User Subroutines Reference Guide: UFILM,

4.4.14 FIXED ACCELERATION

This command defines acceleration boundary conditions for dynamic analyses.

Command syntax :

fixed acceleration

N

prsca-1 iprea-1 set-1 prsca-2 iprea-2 set-2 prsca-N iprea-N set-N

where

- *N* is the number of boundary conditions to be defined;
- *prsca-n* is a list of values of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *iprea-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

When the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 dynamic shell section 3 end dynamic 0.6 0.3 fixed acceleration 2 0.3 0.1 1 2 27 28 33 45 120 0.1 0.1 1 -3 GRUPPO1 end option

.....

In the above example two boundary conditions have been assigned. For the first boundary condition finite values have been imposed to the translational accelerations along x and y axes to nodes into the given list; in the second case finite value to the translational acceleration along x-axis have been imposed to all nodes of the set *GRUPPO1*. With reference to the translational acceleration along the z-axis, its value have been defined by means of the user routine UBND.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: **Dynamic**, Boundary Condition Family: **Acceleration**

See also:

- DYNAMIC
- SALOME Nosa User's Guide: Boundary Coditions
- User Subroutines Reference Guide: UBND

4.4.15 FIXED DISPLACEMENT

This command defines displacement boundary conditions.

Command syntax : fixed displacement N presc-1 ifpre-1 set-1 presc-2 ifpre-2 set-2 presc-N ifpre-N set-N where

• *N* is the number of boundary conditions to be defined;

- *presc-n* is a list of values of the degrees of freedom to be constrained, relavant to the n-th boundary condition;
- *ifpre-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

- When the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set.
- For static analyses displacement boundary conditions have to be defined in order to avoid rigid body motions.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 shell section 3 end fixed displacement 2 0.0 0.0 12 27 28 33 45 120 0.0 0.0 3-4 **GRUPPO1** end option

.....

In the above example two boundary conditions have been assigned. For the first boundary condition null values have been imposed to the translation along x and y axes for nodes into the given list; in the second case null value to the translation along z-axis have been imposed to all nodes of the set *GRUPPO1*. With reference to the rotation around the x-axis, the constraint have been defined by means of the user routine UBND.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Static, Boundary Condition Family: Displacement

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

See also:

- SALOME Nosa User's Guide: Set Boundary Conditions
- User Subroutines Reference Guide: UBND

4.4.16 FIXED TEMPERATURE

This command defines temperature boundary conditions for heat transfer analyses.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

fixed temperature

N prsct-1 ipret-1 set-1 prsct-2 ipret-2 set-2 prsct-N ipret-N set-N where

• *N* is the number of boundary conditions to be defined;

- *prsct-n* is a list of values of the degrees of freedom to be constrained, relavant to the n-th boundary condition;
- *ipret-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

When the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set.

Input file usage

title Example 1 sizing 43228 45379 element 17 materials 1

heat transfert 2 setname 3 2 45379 shell section 11 end fixed temperature 2 0.0 5.0 12 27 28 33 45 120 1-5 1-2 **GRUPP01** end option

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Heat Transfer, Boundary Condition Family: Temperature

See also:

- HEAT TRANSFER
- SALOME Nosa User's Guide: Set Boundary Conditions
- User Subroutines Reference Guide: UBND

4.4.17 FRICTION

The keyword is used to define friction coefficients for contact problems.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

friction N Value-1 D-1 S-1 P-1 Value-2 D-2 S-2

P-2
Value-N
D-N
S-N

P-N

where

- *N* is the number of friction coefficients to be defined;
- *Value-n* is the value of the n-th friction coefficient;
- *D-n* is a list of deformable bodies which the n-th friction coefficient refers to;
- *S-n* is a list of rigid surfaces which the n-th friction coefficient refers to;
- *P-n* is a list of basic shapes of the rigid surfaces into the list S-n.

Remarks:

- The values of the friction coefficient will be stored into the 3-D array *CFRICT*, such that CFRICT(I,J,K) represents the friction coefficient of the interface between the K-th deformable body and the I-th part of the J-th rigid surface;
- If *Value-n* is negative, the friction coefficient will be defined by means of the user routine **UFRI**;
- Currently only one deformable body can be defined in the release NOSA-ITACA 1.0.
- This keyword is not implemented into NOSA-ITACA/GUI.

See also:

- DEFORMABLE BODY
- RIGID SURFACE
- User Subroutines Reference Guide: UFRI

4.4.18 GEOMETRY

This keyword is used to define the thickness for plane stress elements (element type 2), plane strain elements (element types 3 and 6) and the thickness of layers/fibers for shell/beam elements (element type 5, 9 and 10). For other element types this keyword is unnecessary.

Command syntax :

geometry N thick-1 set-1 thick-2 set-2 •••••

thick-N

set-N

where

- *N* is the number of element sets for which cross-section property has to be defined;
- *thick-n* is the thickness of elements or layers/fibers; by default *thick-n* = 1.0.
- *set-n* is a list of elements which cross-section property refers to.

Input file usage

title Example sizing 100 150 element 109 shell section 5 beam sect 3 3 materials 1 setname 4 3150 end define element set plate 123456789 = 10 11 define element set cordolo 12 13 14 geometry 2 0.43 plate 0.6 0.6 cordolo end option

.....

In this example, the homogeneous thick shell elements of the first set "plate" have a thickness equal to 0.43 m; the homogeneous beam elements of the set "cordolo" have a thickness equal to 0.6 m along the two local direction of beam cross-section.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Element Section Thickness

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Remarks:

- 1. If the COMPOSITE option has been set, *thick-n* is a **list** of thicknesses, where each item into the list represents the thickness of each layer of shell elements belonging to n-th set; the number of thicknesses into this list is less or equal to the number of layers of shells (i.e., MSHEL). If it is less than MSHEL, the last thickness into the list applies to all other layers of shell elements.
- 2. COMPOSITE option can be also used together with beam elements; in such a case, for each fiber of beam elements two thicknesses have to be defined, each of them referring to a local direction of beam cross-section. Thus, for composite beam elements *thick-n* is a list with size equals to 2*Nfibers and such that the m-th pair into the list represents the thickness along the two local direction of the beam cross-section relevant to the m-th fiber.
- 3. Currently, COMPOSITE option cannot be defined through NOSA-ITACA/GUI.
- 4. Only for shell elements, thick-n can be a negative value (or can contain negative values if composite option has been used); in such a case, the thickness(es) will be evaluated by means of the user routine **UGEOM**.

See also:

- Control Section: BEAM SECT
- Control Section: SHELL SECT
- Control Section: COMPOSITE
- SALOME Nosa User's Guide: Element Section Thickness
- User Subroutines Reference Guide: UGEOM

4.4.19 HARDENING

This keyword is used to define work-hardening behaviour of elastic-plastic materials; hardening curves will be defined in a tabular form.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :						
hardening						
Ν						
(the following	lines	must	be	repeated	Ν	times)
matID M haiso						
h(1,1) h(1,2)						
h(2,1) h(2,2)						
h(M,1) h(M,2)						
where:						

- *N* is the number of hardening curves to be defined;
- *matID* is the identification number of the material (as defined in the PROPERTY keyword), which the hardening curve refers to;
- *M* is the number of rows of the hardening table, *h*, defining the hardening curve;

- *haiso* is a value defining the amount of isotropic behaviour of a combined work-hardening rule; thus, for *haiso* = 0.0 the hardening behaviour is purely kinematic. For *haiso* = 1.0 the hardening rule is purely isotropic;
- *h* is the hardening table, with size M*2, and such that:
 - h(M,1) is the M-th value of the equivalent accumulated plastic strain; in this table h(1,1) is equal to 0.0;
 - h(M,2) is the M-th value of the von-Mises equivalent stress corresponding to the M-th plastic strain.

Input file usage

```
title 2-D plane strain analysis of CT specimen under SSY condition
sizing 863 2716
elements 3
materials 1
setname 1 4 2716
energy
hardening 5
end
coordinates
3 2716
1 2.55000000e+01 0.00000000e+00 0.00000000e+00
2 3.0000000e+01 0.0000000e+00 0.0000000e+00
...
2716 1.05640411e+00 2.44548570e+01 0.00000000e+00
connectivity
863
1 3 2 18 212 17 933 1146 1145 932
2 3 18 3 22 212 934 939 1147 1146
...
863 3 927 172 13 211 2700 1103 1144 2716
property
1
17.1000e+04 3.0000e-01 0.0000e+00 0.0000e+00 6.5000e+02
.....
hardening
1
151.00
0.0000 650.0000
```

0.0001 660.0000

0.0010 680.0000

0.0100 700.0000

0.4000 900.0000

end option

•••

In this example an elastic-plastic material with isotropic hardening behaviour has been considered; hardening rule has been described by means of a table with 5 rows: (0.0;650.0),(1.0e-04;660.0),(1.0e-03;680.0),(1.0e-02;700.0) and (4.0e-01;900.0).

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material : Elastic-Plastic -> Hardening Rules tab

See also:

- Control Section: HARDENING
- PROPERTY
- SALOME Nosa User's Guide: Create Materials

4.4.20 INITIAL DISPLACEMENT

This command defines the initial nodal displacement in dynamic analyses.

Command syntax :

initial displacement N dispi-1 idofs-1 set-1 dispi-2 idofs-2 set-2 dispi-N idofs-N set-N where

- *N* si the number of initial boundary conditions to be defined;
- *dispi-n* is a list of initial values of the components of the displacement field, relavant to the n-th boundary condition;
- *idofs-n* is a list of the degrees of freedom associated with *dispi-n*;

• *set-n* is a list of nodes relevant to the n-th boundary condition, which initial displacement field applies to.

Remarks:

• When the list of degrees of freedom contains negative values, the user routine **UDSPI** will be called to define the initial displacement field relevant to the DOF with negative value of all nodes belonging to the given set.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 dynamic shell section 3 end dynamic 0.6 0.3 initial displacement 2 0.3 0.1 12 27 28 33 45 120 0.1 0.1 1-3 **GRUPP01** end

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Initial Conditions: Initial Condition Type: **Static**, Initial Condition Family: **Displacement**

See also:

- Control Section: DYNAMIC
- DYNAMIC
- SALOME Nosa User's Guide: Set Initial Conditions
- User Subroutines Reference Guide: UDSPI

4.4.21 INITIAL TEMPERATURE

This command defines the initial or reference nodal temperature.

Command syntax :

initial temperature

N tempi-1 iuser-1 set-1 tempi-2 iuser-2 set-2 ... tempi-N iuser-N set-N

where

- *N* is the number of the initial conditions to be defined;
- *tempi-n* is a list of values of the initial nodal temperature; by default the initial nodal temperature is equal to 0.0.
- *iuser-n* is a sequence of integers 1 and/or -1 (i.e. index of the temperature degree of freedom); if negative values are specified into this list, the user routine **UTEMPI** will be called to define the initial temperature for the d.o.f with negative value;
- *set-n* is a list of nodes which the initial temperature condition applies to.

Input file usage

```
title Example 1
sizing 43228 45379
element 15
materials 1
setname 3 2 45379
heat transfert 1
end
.......
initial temperature
2
25.0
1
```

GRUPPO1 1.0 -1 27 28 33 45 120 end option

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Initial Conditions: Initial Condition Type: Heat Transfer, Initial Condition Family: Temperature

See also:

- Control Section: HEAT TRANSFER
- SALOME Nosa User's Guide: Set Initial Conditions
- User Subroutines Reference Guide: UTEMPI

4.4.22 INITIAL VELOCITY

This command defines the initial nodal velocity in dynamic analyses.

Command syntax :

initial velocity N veloi-1 idofs-1 set-1 veloi-2 idofs-2

set-2

•••••

veloi-N

idofs-N

set-N

where

- *N* si the number of initial boundary conditions to be defined;
- *veloi-n* is a list of initial values of the components of the velocity field, relavant to the n-th boundary condition;
- *idofs-n* is a list of the degrees of freedom associated with *veloi-n*;
- set-n is a list of nodes relevant to the n-th boundary condition, which initial velocity field applies to.

Remarks:

• When the list of degrees of freedom contains negative values, the user routine **UVELI** will be called to define the initial velocity field relevant to the DOF with negative value of all nodes belonging to the given set.

Input file usage

```
title Example 1
sizing 43228 45379
element 16
materials 1
heat transfert 2
setname 3 2 45379
dynamic
end
.....
dynamic
0.6 0.3
initial velocity
2
5.0 6.0
12
27 28 33 45 120
0.5 0.7
1-3
GRUPP01
.....
end option
```

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Initial Conditions: Initial Condition Type: Dynamic, Initial Condition Family: Velocity

See also:

- Control Section: DYNAMIC
- DYNAMIC
- SALOME User' Guide: Set Initial Conditions
- User Subroutines Reference Guide: UVELI

4.4.23 LOCAL AXIS

The keyword is used to define local reference systems for beam elements.

Command syntax :

local axis

N

(the following lines must be repeated N times)

iuaxi axis

set

where

- *N* is the number of local systems to be defined;
- *iuaxi* is an integer, if different from zero indicates that the local system will be defined by means of the user routine **ULAXIS**; by default, *iuaxi* = 0
- *axis* is the unit vector v1 along the first local direction of the beam cross section. The third local direction v3 is the beam axis, and the second local direction v2 is defined by the cross product v2 = v3 x v1.
- set is the group of beam elements which the local reference system refers to.

Input file usage

title Example sizing 100 150 element 109 materials 1 setname 4 3150 4 3150 end define element set plate 123456789= 10 11 define element set cordolo 12 13 14 geometry 2 0.43 plate 0.6, 0.6 cordolo local axis

1

224

0 0.0 ,0.0 , 1.0

cordolo

..... end option

.....

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Local Reference System

See also:

- SALOME Nosa User's Guide: Define local reference systems
- User Subroutines Reference Guide: ULAXIS

4.4.24 LUMPED MASS

This command declares the use of lumping in the calculation of the mass matrix.

Command syntax : lumped mass N lump-1 set-1 lump-2 set-2 lump-N set-N where

- *N* is the number of element sets, for which lumping option is active;
- lump-n is an integer, if different from zero indicates that the mass matrix will be lumped by summing a row into the diagonal element; by default, lump-n = 0
- *set-n* is a list of elements with lumping option.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 19 9 45379 lumped dynamic shell section 11 end dynamic 0.6 0.3 lumped mass 2 0 **GRUPP01** 1 **GRUPPO2** end option

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Jobs: Other Options tab -> Lumped Mass Matrix

See also:

• SALOME Nosa User's Guide: Job Options

4.4.25 MASONRY

This command defines masonry-like materials.

Command syntax :

masonry N maso-1 set-1 maso-2 set-2 ... maso-N set-N where

- *N* is the number of element groups made of masonry-like material;
- *maso-n* is an integer defining the kind of masonry-like material; possible values are:

- *maso-n* = 0 for elastic-plastic material;
- maso-n = 1 for masonry material with low tensile strength and infinite compressive strength;
- maso-n = 2 for masonry material with low tensile strength and bounded compressive strength;
- *set-n* is the list of elements with these material properties.

Input file usage

```
title Example 1
sizing 43228 45379
element 10
materials 3
setname 3 2 45379
shell section 3
masonry
end
.....
masonry
3
1
GRUPPO1
2
GRUPPO2
0
GRUPPO3
.....
composition
3
3
GRUPPO1
1
GRUPPO2
2
GRUPPO3
property
3
1 3.0e+04 2.0e-01 1.83e+02 0.0000e+00 1.0000e-01 1.0000e+05
2 2.0e+04 1.0e-01 1.83e+02 0.0000e+00 1.0000e+20 1.0000e+20
3 1.0e+04 1.5e-01 1.83e+02 0.0000e+00 0.0000e+00
```

end option

.....

In this example three sets of elements, GRUPPO1, GRUPPO2 and GRUPPO3 have been defined; GRUPPO1 is made of a masonry-like material with zero tensile strength and unbounded compressive strength. Its mechanical properties are given by the last line of the "PROPERTY" keyword (i.e, from the "COMPOSITION" keyword the material associated with GRUPPO1 has an identification number equal to 3). GRUPPO2 is made of masonry-like material with low tensile strength and bounded compressive strength (see the properties of material id 1). Finally, GRUPPO3 is made of an elasti-plastic material with unbounded tensile and compressive strength (i.e., an elastic material whose properties are referred to material id 2).

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material -> Masonry

See also:

- COMPOSITION
- PROPERTY
- SALOME Nosa User's Guide: Create Materials

4.4.26 MASSES

The keyword is used to define concentrated generalized masses for dynamic analyses.

Command syntax :

masses

Ν

(the following lines must be repeated N times)

iuser pmass

set

where

- *N* is the number of node sets to which concentrated masses have to be applied;
- *iuser* is an integer, if different from zero, the user routine **UPMASS** will be called to define the values of the concentrated masses for each DOF; by default, *iuser* = 0
- *pmass* is a list of values of the concentrated masses;
- set is a list of nodes with concentrated mass.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 19 9 45379 dynamic shell section 11 enddynamic 0.6 0.3 masses 2 0 40 GRUPPO1 1 1 GRUPPO2 end option

In this example two nodal sets, GRUPPO1 and GRUPPO2, have been defined; a concentrated mass of 40 Kg along x-axis has been applied to nodes belonging to GRUPPO1, while the concentrated mass applied to nodes of GRUPPO2 has been defined by means of the user routine UPMASS.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Nodal Property

See also:

- SALOME Nosa User's Guide: Define Concentrated Masses to Nodes
- User Subroutines Reference Guide: UPMASS

4.4.27 POST

The keyword defines the output requests and the format of the output file.

Command syntax :

post

NumVar freq irev format iterFreq icont wrtim

(The following line must be repeated NumVar times)

IdVar nameVar

where

- *NumVar* is the number of variables to be written to the output file; the maximum number of output variables is 200.
- *freq* is the frequency with which output variables will be written to the post-processing file at the end of a load increment. If *freq* is not null, the output will be written at the end of every *freq-th* load increments, after the last written. If *freq* = 0 no data will be written to the output file;

- *irev*, has to be set to its default value (i.e., equal to 0);
- *format* defines the type of the output file:
 - *format* = 0 the output file will be a formatted text file with extension ".**t19**";
 - *format* = 1 the output file will be a binary file with extension ".**t16**";
- *iterFreq* is the frequency with which output variables will be written to the output file at several iterations of each load increment; by default, *iterFreq* = 0, which means no iteration result will be written;
- *icont* is an integer number useful if a restart analysis is required; in such a case:
 - *icont* = 0 means that the initial block of the output file relevant to element connectivity and nodal coordinates will not be printed;
 - *icont* = 1 means that the initial block of the output file will be printed;
- *wrtim* is a deprecated option to be set to its default value (i.e., equal to 0.0);
- *IdVar* is the code number of the output variable (see Table 4.1);
- *nameVar* is the name of the output variable (see Table 4.1); the name is a string of characters not longer than 24.

IdVar	Output Variables
1, 2,, 6	components of the total strain tensor (i.e., E11, E22,, E13)
9	total temperature
11, 12,, 16	components of the Cauchy stress tensor (i.e., S11, S22,,S13)
17	Von Mises equivalent stress (i.e. SMISES)
21, 22,, 26	components of the plastic strain (i.e., EPL11, EPL22,,EPL13)
	or fracture strain for masonry materials (i.e., EF11, EF22,,EF13)
27	equivalent plastic strain (EPLEQV) for elastic-plastic materials
	or norm of the tensile inelastic strain (EFEQV) for masonry materials
21.22.26	components of the compression inelastic strain
51, 52,, 50	(i.e., EC11, EC22,,EC13) for masonry materials
37	norm of the compressive inelastic strain (ECEQV) for masonry materials
41, 42,, 48	components of strain resultants (i.e., EC11, EC22,,EC13) for shell elements
51, 52,, 58	components of stress resultants (i.e., N1, N2, N12, Q23, Q13, M11, M22, M12) for shell elements
71	total enthalpy (kinetic energy plus strain energy
/1	minus the work done by the external forces)
72	total kinetic energy
73	total strain energy
74	total work done by the external forces (including the reactions)
75	total mechanical energy (kinetic plus strain energy)
81	density of the enthalpy
82	density of the kinetic energy
83	density of the strain energy
84	density of the external work
85	density of the mechanical energy
181, 182, 183	components of temperature gradient in heat transfer analysis

Table 4.1: Identification Code of output variables

Remarks:

A negative number of *IdVar* means that the variable will be defined through the user routine **PLOTV**. If an output variable relevant to a particular layer of shell elements must be written to the post file, the variable code must be in the form 1000*I+J, where *I* is the layer and *J* is the variable code as previously defined (or -(1000*I+J) when the user routine PLOTV is required).

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 shell section 3 end post 1710000 51 N11 52 N22 53 N12 54 Q23 55 Q13 56 M11 57 M22 58 M12 -1011 s11-layer1 -1012 s22-layer1 -1014 s12-layer1 -4011 s11-layer4 -4012 s22-layer4 -4014 s12-layer4 -6011 s11-layer6 -6012 s22-layer6 -6014 s12-layer6 end option NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Output Requests

See also:

- SALOME Nosa User's Guide: Output Requests
- User Subroutines Reference Guide: PLOTV

4.4.28 POTENTIAL HILL

This keyword is used to define plastic anisotropy according to the Hill's theory; furthermore, the initial rotation matrix, which defines the principal axes of anisotropy, is defined.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

potential hill

kmaph

(the following lines must be repeated kmaph times)

matID, rx, ry, rz, rxy, ryz, rxz

```
rsp0(1,1), rsp0(1,2), rsp0(1,3), rsp0(2,1), ..., rsp0(2,3), ..., rsp0(3,3)
```

where

- *kmaph* is the number of materials with anisotropic plasticity;
- *matID* is the identifier number of the material, which the data refer to;
- *rx*, *ry*, ..., *rxz* are the ratios between the yield stress values along the different directions and the reference value;
- *rsp0(1,1)*, ..., *rsp0(3,3)* are the items of the initial rotation matrix, evaluated between the global reference system and the anisotropy principal system.

Input file usage

```
title Example
sizing 43228 45379
element 10
materials 1
setname 19 9 45379
potential 1
shell Section 11
end
......
property
1
1 21.000e+10 3.0000e-01 7.8000e+03 0.0000e+00 6.5000e+08 1.0000e+20
potential hill
```

1

1 1.5 0.0 0.0 2.0 2.0 2.0

1.0 0.0 0.0 0.0 -1.0 0.0 0.0 0.0 -1.0

.....

end option

•••••

In this example an elastic- plastic material with anisotropic plasticity has been defined; according to the Hill's theory, plastic behaviour has been modelled by considering six ratios between yield stresses along the principal directions of plastic anisotropy and the reference value (equal to 650 MPa). Principal directions of plastic anisotropy have been evaluated with respect to the global reference system, by means of the rotation matrix.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material: Elastic-Plastic -> Anisotropic Plasticity tab

See also:

- Control Section: POTENTIAL
- SALOME Nosa User's Guide: Create Materials

4.4.29 PROPERTY

This command defines mechanical properties of the material constituting the mesh elements; these properties depend on the type of analysis (static and/or dynamic and heat transfer analyses).

Command syntax :

Static and/or dynamic analyses:

property

nMats

(the following lines must be repeated nMats times)

matID, E, ν , ρ , α_{th} , σ , σ_c , β , α , E_1 , E_2

heat transfer analyses:

property

nMats

(the following lines must be repeated nMats times)

matID, κ , c, ρ , ϵ

where:

- *nMats* is the number of materials, whose mechanical properties have to be defined;
- *matID* is the material identification number;
- *E* is the *Young's modulus*;
- *ν* is the *Poisson's ratio*;
- ρ is the mass density;

232

- α_{th} is the coefficient of thermal expansion;
- σ is the uniaxial tensile yield stress for elastic-plastic materials, or the maximum tensile strength for masonry-like materials; by default, it's equal to 1.0E+20.
- σ_c is the maximum compressive strength for masonry-like materials; default value is 1.0E+20;
- β is the slope of the linear isotropic hardening curve, under the assumption of infinitesimal plasticity;
- α is the characteristic parameter of a kinematic hardening rule, defining the center of the elastic range, under the assumption of infinitesimal plasticity (similar to the *back stress* in finite strain condition);
- E_1 , E_2 are other parameters of a kinematic hardening rule, under the assumption of infinitesimal plasticity;
- κ is the *heat conductivity* (or thermal conductivity) of the material;
- *c* is the specific heat per unit mass;
- ϵ is the *emissivity* of the material.

Remarks:

- Usually isotropic, kinematic and mixed hardening rules are described by means of the user routines **CPHI** and **CPSI** and the keyword "HARDENING".
- This keyword is mandatory.

Input file usage

title Example sizing 43228 45379 element 10 materials 1 setname 19 9 45379 masonry shell section 11 end property 1 1 3.0e+04 2.0e-01 1.83e+02 0.0000e+00 0.00000 1.0000e+20 end option NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

See also:

- Control Section: HARDENING
- HARDENING
- COMPOSITION
- SALOME Nosa User's Guide: Create Materials
- User Subroutines Reference Guide: CPHI
- User Subroutines Reference Guide: CPSI

4.4.30 ROTATION AXIS

This keyword is used to define the components of the normalized rotation axis and the coordinates of a point belonging to this axis, when centrifugal loads must be applied on the structure.

Command syntax :

rotation axis

```
rotax-1 rotax-2 rotax-3
```

x1 x2 x3

where

- rotax-1, rotax-2 and rotax-3 are the components of the unit vector defining the rotation axis;
- *x1*, *x2* and *x3* are the coordinates of the reference point belonging to the rotation axis, with respect to the global reference system;

Remarks:

For 2D problems the rotation axis is perpendicular to the plane of the structure, and, thus, only the coordinates x1 and x2 of the reference point are required. For axisymmetric problems, the rotation axis coincides with the axis of symmetry; in such a case the keyword can be omitted.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 shell section 3 end rotation axis 0.866 0.5 0.00663325 10.0 5.7 12.8 end option
NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Rotation Axis

See also:

• SALOME Nosa User's Guide: Define Rotation Axes

4.4.31 SELECTIVE INTEGRATION

The keyword is used to enable the reduced selective integration option; this feature can be used only for plane strain (element type 6), axisymmetric (element type 7) and brick elements (element type 8). If the option is enabled, reduced integration (i.e., one integration point) of the volumetric part of the deformation will be used.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

selective integration

N sele-1 set-1 sele-2 set-2 ... sele-N sele-N

where

- *N* is the numer of element set for which reduced integration is required;
- *sele-N* is a flag used to enable reduced integration; in particular, it assume the following values:
 - sele-N = 0 full integration is required;
 - *sele-N* = *1* reduced integration is required;
- set-N is the group of elements which reduced/full integration applies to.

Remarks:

The use of this keyword is recommended in finite strain analyses.

Input file usage

title Example 1 sizing 43228 45379 element 8 materials 1 setname 2 1 45379 end

•••••

define element set ALL_ELEM

1 TO 43228

selective integration

1

1

ALL_ELEM

•••••

end option

•••••

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Jobs: Other Options tab -> Selective Integration

See also:

SALOME Nosa User's Guide: Job Options

4.4.32 SURFACE

This command is used to define rigid surfaces for 2D contact problems.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

surface

Nsurf

(the following lines must be repeated Nsurf times)

Npart, x^{RP} , y^{RP} , \dot{x}^{RP} , \dot{y}^{RP} , $\dot{\Omega}^{RP}$

(the following line must be repeated Npart times)

typeId, geometry

where:

- *Nsurf* is the number of rigid surfaces to be defined;
- Npart is the number of basic shapes constituting a rigid surface;
- x^{RP} , y^{RP} are global coordinates of the reference point of the rigid surface;
- \dot{x}^{RP} , \dot{y}^{RP} are the components of velocity of the reference point (measured with respect to the global reference system);
- $\dot{\Omega}^{RP}$ is the angular velocity of the reference point (expressed in rad/sec, and assumed positive if counterclockwise);
- *typeId* is an integer defining the basic shape type; a basic shape of a rigid surface can be:

236

- *typeId* = 1 the basic shape is a segment;
- typeId = 2 the basic shape is a circumference arc (1st approach as shown in Table 4.2);
- typeId = 3 the basic shape is a circumference arc (2nd approach as shown in Table 4.2);
- *geometry* is a sequence of data required to describe the basic shape; depending on the basic shape type, data as shown in Table 4.2;

Basic shape	Data Request
Segment	coordinate x of the first point
	coordinate y of the first point
	coordinate x of the end point
	coordinate y of the end point
Circumference arc (1st approach)	coordinate x of the first point
	coordinate y of the first point
	coordinate x of the center
	coordinate y of the center
	angle in degree at center (positive if counterclockwise)
Circumference arc (2nd approach)	coordinate x of the first point
	coordinate y of the first point
	coordinate x of the end point
	coordinate y of the end point
	radius (positive if the center is within the rigid surface,
	negative otherwise)

Table 4.2: Geometric data required to describe a basic shape of a rigid surface

Remarks:

- A rigid surface must be bounded by a 2D closed curve. The parts constituting the curve must be defined in such a way that the curve is counterclockwise oriented.
- This keyword is not yet implemented into NOSA-ITACA/GUI

Input file usage

title Example 1 sizing 43228 45379 element 3 materials 1 setname 2 1 45379 contact 2 2 end surface 2 2 5.0 7.0 1.0 0.5 0.01 1 -3.0 -2. 0.5 0 7.0

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

2 3.0 2.0 0.0 0.0 60 2 -3.0 -2. 0.5 0 7.0 40 3 3.0 2.0 0.0 0.0 5 2 1.0 0.0 3.0 0.7 0.02 1 -5.0 -4. 0.3 0 1.0 2 3.0 2.0 0.0 0.0 60 1 -3.0 -2. 0.5 0 7.0 3 3.0 2.0 0.0 0.0 -4

end option

.....

See also:

- Control Section: CONTACT
- Control Section: DEFORMABLE
- BODY

4.4.33 TEMP TABLE

This keyword is used to define temperature-dependent variables of a material; the variation of material properties with respect to temperature change will be defined in a tabular form;

Command syntax :

temp table N, matID, propID t1, p1 t2, p2

•••

tN , pN

where

- N is the number of rows of the table used to define the temperature dependence;
- *matID* is the identifier number of the material, which the table refers to;
- *propID* is an identifier number of the material property, which depends on the temperature field; the meaning of *propID* depends whether stress analysis or heat transfer analysis will be carried out, as shown in Table 4.3.
- *tn* is the n-th temperature value;
- *pn* is the n-th value of *propID* associated with *tN*;

Analysis type	Value of propID
Stress analysis	propID = 1 : Young's modulus, E
	propID = 2 : Poisson's ratio, ν
	propID = 3 : coefficient of the linear thermal expansion, α^{th}
heat transfer analysis	propID = 1 : thermal conductivity, κ
	propID = 2 : specific heat per unit mass, c
	propID = 3 : emissivity, ϵ

Table 4.3: Id number of material property depending on the temperature field

Remarks:

• The keyword defines only one material property as temperature dependent variable; if a material has more properties which depend on temperature field, the keyword must be used newly.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 temp tables 1 3 setname 3 2 45379 shell section 3 end property 1 1 2.1e+05 2.0e-01 1.83e+02 0.0000e+00 1.0000e+20 1.0000e+20 temp table 311 0 2.1e+05 25 2.1e+05 100 2.1e+04 end option

In this example the curve defining the dependence of the Young's modulus, E, on the temperature has been described through a table with three rows: (0;2.1e+05),(25;2.1e+05),(100;2.1e+04).

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Create Material

See also:

- Control Section: TEMP TABLES
- SALOME Nosa User's Guide: Create Materials

4.4.34 TYING

The keyword is used to define multipoint constraints (MPCs) between nodal degrees of freedom; this option can be used for mesh refinements, as well as for defining tying relations between the degrees of freedom of different element types and setting the kinematic constraints along directions not aligned with the Cartesian reference axes.

Command syntax :

tying

N

(the following line must be repeated N times)

mpcId, slaveId, masterIds

where

- *N* is the number of multipoint constraints;
- *mpcId* is the identifier number of the tying relation;
- *slaveld* is the identifier number of the tied node (slave) of the tying relation or the name of the node set containing the tied nodes of the tying relation;
- *mastrIds* is a list of identifier numbers of the retained nodes (master) of the tying relation or a list of the names of the node sets containing the retained nodes of the tying relation.

Remarks:

- Multipoint constraints will be defined by means of the user routine UTIE.
- When slave and master nodes are specified by sets, these sets must be in one-to-one correspondence, that is, the i-th items of all master sets will be associated with the i-th item of the slave set into the multipoint constraint relationship. Furthermore, the third line of the command syntax is also the last one, irrespective of the number of MPCs to be defined; this is true because the number of nodes of each set coincides with the number of MPCs.
- A slave node can be in relationship with one or more master nodes (i.e., one or more degrees of freedom of a slave node can be constrained to one or more degrees of freedom of one or more master nodes); viceversa, multipoint constraints which link a master node to several slave nodes is not allowed.
- A node which is master in a multipoint constraint relationship cannot become a slave node into another MPC;

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 shell section 3 tie 420 2 end coordinates

.....

In the above example, multipoint constraints have been defined by specifying slave and master nodes via sets; the number of items in each node set is equal to the number of MPCs defined (i.e., 420). One or more degrees of freedom of a slave node is constrained to one or more degrees of freedom of two master nodes; the constrained degrees of freedom are specified into the user routine UTIE.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> MPCs

See also:

- Control Section: TIE
- SALOME Nosa User's Guide: Define Multi Point Constraints
- User Subroutines Reference Guide: UTIE

4.5 Load Section

Below a list of keywords ordered as occurring into the input file.

- AUTO LOAD
- BOUNDARY CHANGE
- COMMENT
- CONTROL
- DISTRIBUTED FLUXES
- DISTRIBUTED LOADS
- ELPRINT
- END INCREMENT
- FIXED ACCELERATION

- FIXED DISPLACEMENT
- FIXED TEMPERATURE
- MODAL
- NODPRINT
- POINT FLUXES
- POINT LOADS
- POST
- PRINT CHOICE
- PROPORTIONAL INCREMENT
- SAVE INCREMENT
- STEP SIZE
- SURFACE CHANGE
- THERMAL LOADS
- TIME STEP
- TYING CHANGE

4.5.1 AUTO LOAD

The keyword is used to define the number of automatic load or heat flux increments.

Command syntax :

auto load

N, mod

where

- *N* is the number of times the load increment has to be applied;
- mod is an integer specifying how subsequent load increments have to be applied; possible values are:
 - mod = 0 means that subsequent load increments are equal to the first load increment of the loading sequence;
 - mod = 1 means that each load increment of the loading sequence will be defined by means of the user routines FORCEM and UPLOAD.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 shell section 3 end distributed loads 1 1 1 0.0 0.0 -100.0 GRUPPO1 point loads 1 0.0000 0.0000 -1200.0 0.0000 0.0000 GRUPPO2 auto load 10 0 end increment

In this example the distributed body force (i.e. load type 1 according to **Nosa Load Library**) and the point load will be applied ten times.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> *Nosa module* -> *Nosa menu* -> *Steps* : *Load incrementation tab* -> *Automatic load/heat flux* increment

See also:

- SALOME Nosa User's Guide: Define Load-Steps
- User Subroutines Reference Guide: FORCEM
- User Subroutines Reference Guide: UPLOAD

4.5.2 BOUNDARY CHANGE

This command is used to redefine boundary conditions.

Command syntax :

```
boundary change
```

Ν

```
(The following lines must be repeated N times)
```

presc

ifpre

nset

where

• *N* is the number of boundary conditions to be redefined;

- *presc* is a list of values of the degrees of freedom to be constrained relevant to a given boundary condition;
- *ifpre* is a list of the degrees of freedom to be constrained relevant to a given boundary condition;
- nset is list of constrained nodes relevant to a given boundary condition.

Remarks:

- 1. the usage of this keyword implies a completely redefinition of a boundary condition; other boundary conditions which do not change with respect to the previous load increment must be repeated as well.
- 2. the keyword applies to boundary conditions on displacement or temperature fields.
- 3. if a unconstrained degree of freedom is now constrained or viceversa, the analysis requires a new linear-equations system for the equilibrium solution; thus, the CONTROL keyword must be used, and the Newton-Raphson algorithm must be selected.

Input file usage

```
title Example 1
.....
end
.....
boundary conditions
2
0000
1356
base1
00
24
base2
.....
control
1000 1000 3
0.10 1.00e-08
.....
end option
distributed loads
1
11
0.0 0.0 -100.0
GRUPPO1
end increment
```

distributed loads 1 11 0.0 0.0 0.0 GRUPPO1 point loads 1 0.0000 0.0000 -1200.0 0.0000 0.0000 0.0000 GRUPPO2 boundary change 2 0000 1356 base1 00 13 base2

end increment

In this example two boundary conditions on displacement field have been defined; the first one applies to all nodes belonging to the set "base1", and assigns null values to displacements along the x and z-axes and rotations around the y and z axes. The other boundary conditions is relevant to nodes of the set "base2", for which null values to displacement along the y axis and rotation around the x axis have been imposed. These boundary conditions are relative to the first load increment; in the next load increment only the boundary condition relevant to the set "base2" has been changed. However, the boundary condition applied to the set base1 must be repeated.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Static, Boundary Condition Family: Displacement or Temperature

See also:

- Model Section: CONTROL
- CONTROL
- SALOME Nosa User's Guide: Boundary Coditions

4.5.3 COMMENT

This keyword is used to insert a comment; the user can insert a comment anywhere.

Command syntax :

comment "comment text"

or

\$ "comment text"

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

 Input file usage

 title Example 1

 end

 connectivity

 10

 1 10 67 92 37 45

 2 10 29 31 47 89

 comment this example explains the use of NOSA card

end option

.....

4.5.4 CONTROL

The keyword is used to set the parameters for controlling the accuracy of numerical analyses, to choose algorithms to be used to solve equilibrium equations and setting other solution controls.

Command syntax :

control

maxinc miter algoID irsdis

toler fuztol fuzdis fuztmp tmpfin

where

- *maxinc* is the maximum number of load increments; by default, *maxinc* is equal to 1000;
- *miter* is the maximum number of iterations for each load increment; the default value is 1000;
- *algoID* is the identifier of the algorithm to be used to solve equilibrium equations; possible values are:
 - *algoID* = 1 : The **initial stiffness matrix method** is used;
 - *algoID* = 2 : The modified Newton-Raphson method is used;
 - *algoID* = 3 : The Newton-Raphson method is used; by default, this method is applied to solve equilibrium equations.
- *irsdis* is a flag to set convergence criteria based on displacement field; when *irsdis* is not null, the displacement based convergence check is turned on in dynamic analyses;
- toler is a ratio in % between the norm of residual force and the norm of total force (including reactions), representing the tolerance used for the convergence of a load increment. For shell and beam elements, the moments are divided by the corresponding thickness to be dimensionally homogeneous to forces. If the convergence check is to be done on displacement variation, it is the ratio between the iteration displacement change and the incremental displacement variation; in such a case, at least two iterations are required in order that an increment can achieve the convergence;
- *fuztol* is the minimum value of the norm of total force; if this norm is less than *fuztol*, the convergence control is skipped (default 1.0D-08) in static analyses, or the displacement based convergence check is automatically turned on in dynamic runs;

246

- *fuzdis* is the minimum displacements change for dynamic analyses; if the norm of displacement is less than *fuzdis*, the convergence control is skipped (default 1.0D-12);
- *fuztmp* is the minimum temperature change for heat transfer analyses; if the maximum temperature change is less than *fuztmp*, the convergence control is skipped (default 1.0D-08);
- *tmpfin* is the maximum temperature change allowed in automatic time stepping mode (default 20.D0), for heat transfer analyses; if the maximum temperature change is greater than *tmpfin*, the increment is repeated with reduced time step in order that the maximum temperature change is equal to *tmpfin* (this can be obtained with precision in linear cases).

Input file usage

title Example 1 sizing 43228 45379 end control 1000 1000 3 0.10 1.00e-08 end option

In the above example the Newton-Raphson method will be used to solve equilibrium equations; a maximum number of 1000 load increments are allowed, for each of them a maximum number of 1000 iterations will be evaluated to achieve the numerical convergence; the latter is achieved within a residual of nodal force equal to 0.1% of the total force. All other parameters have been set to default values.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Solution Controls

See also:

- NOSA Theory Manual: Solution Controls,
- SALOME Nosa User's Guide: Setting Solution Controls

4.5.5 DISTRIBUTED FLUXES

The command is used to define distributed fluxes on faces or edge of mesh elements.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

distributed fluxes

Ν

(the following lines must be repeated N times)

loadID, sequenceID

```
hf1, hf2,...,hfn
```

eset

where

- *N* is the number of heat fluxes to be defined;
- *loadID* is the identifier code of the flux type (see the library of elements);
- *sequenceID* is the order number of the flux, as specified into the sequence of fluxes to be applied;
- hf1, hf2, ..., hfn are the values of the heat flux applied on the element (see the library of elements);
- *eset* is a list of element which the flux is applied to.

Input file usage

```
title Example 1
sizing 43228 45379
element 11
materials 2
setname 3 4 45379
heat transfer 1
end
.....
distributed fluxes
2
11
2.0
GRUPP01
12
3.0
GRUPPO2
end increment
```

```
NOSA-ITACA/GUI usage
```

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Loads: Nosa Load Library: **Heat Transfer**, Load Type: **Distributed**, Load Family: **heat flux on edge/surface**

See also:

- NOSA Theory Manual: Load Library
- SALOME Nosa User's Guide: Define Loads

4.5.6 DISTRIBUTED LOADS

This command defines distributed loads on faces or edge of elements in the global or local reference system.

Command syntax :

distributed loads

Ν

(the following lines must be repeated N times)

loadID, sequenceID

F1, F2, ..., F6

eset

where

- *N* is the number of distribute loads to be defined;
- *loadID* is the identifier code of the load type, according to the Nosa Load Library;
- sequenceID is the order number of the load, as specified into the sequence of loads to be applied;
- *F1*, *F2*, ... are values of the load components, expressed in a local or the global reference system (see the Nosa Load Library);
- *eset* is the group of elements which the load is applied to.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dist loads 3 end distributed loads 3 21 0.0 0.0 1.0 **GRUPP01** 512 0.0 - 20.0 0.0 **GRUPPO2** 233 0.0 - 20.0 0.0 **GRUPPO3** end increment

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

In this example three loads have been assigned: the first one is a distributed body force, whose components are determined by means of the user routine **FORCEM**, and it is applied to the set "GRUPPO1"; the second applied load (as specified by its order number) is a pressure on the surface of elements belonging to the set "GRUPPO2". The last load is a pressure on the 2-3 edge of elements constituting the set "GRUPPO3".

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Loads: Nosa Load Library: **Static/Dynamic**, Load Type: **Distributed**, Load Family: select from the list of load types

See also:

- NOSA Theory Manual: Load Library
- SALOME Nosa User's Guide: Define Loads
- User Subroutines Reference Guide: FORCEM

4.5.7 ELPRINT

This command is used to specify element sets for which field ouput (e.g. stress, strain fields and so on) must be also written to the prt file (i.e. the output file with extension ".prt").

Command syntax :

elprint N eset-1 eset-2 eset-N

where

- N is the number of element groups, whose output data are to be written to the prt file;
- *eset-n* is the n-th element set.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dist loads 6 end elprint 1 ALL_ELEM

end increment

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Steps : Print Frequency tab

See also:

- PRINT CHOICE
- SALOME Nosa User's Guide: Define Load-Steps

4.5.8 END INCREMENT

This command ends an incremental load. **Command syntax :** end increment Input file usage title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dist loads 2 end distributed loads 1 11 0.0 0.0 100.0 gruppo1 end increment distributed loads 1 11 0.0 0.0 100.0 gruppo2 end increment

Remarks:

• This keyword is mandatory and must be used at the end of the definition of each load increment.

4.5.9 FIXED ACCELERATION

This command defines acceleration boundary conditions for dynamic analyses.

Command syntax :

fixed acceleration

N prsca-1 iprea-1 set-1 prsca-2 iprea-2 set-2 prsca-N iprea-N

set-N

where

- N is the number of boundary conditions to be defined;
- *prsca-n* is a list of values of the degrees of freedom to be constrained, relavant to the n-th boundary condition;
- *iprea-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

- 1. when the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set.
- 2. the usage of this keyword implies a completely redefinition of a boundary condition; other boundary conditions which do not change with respect to the previous load increment must be repeated as well.
- 3. the values assigned to the degrees of freedom through this keyword are total accelerations; therefore, if a unconstrained degree of freedom is now constrained or viceversa, the analysis requires a new linear-equations system for the equilibrium solution. Thus, the CONTROL keyword must be used, and the Newton-Raphson algorithm must be selected.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379

dynamic shell section 3 end dynamic 0.6 0.3 end option fixed acceleration 2 0.3 0.1 12 27 28 33 45 120 0.9 0.7 1-3 **GRUPPO1**

end increment

In the above example two boundary conditions have been assigned. For the first boundary condition finite values have been imposed to the translational accelerations along x and y axes to nodes into the given list; in the second case finite value to the translational acceleration along x-axis have been imposed to all nodes of the set *GRUPPO1*. With reference to the translational acceleration along the z-axis, its value has been defined by means of the user routine UBND. These boundary conditions are relative to the first load increment; in the next load increment only the boundary condition relevant to the set "GRUPPO1" has been changed. However, the other boundary condition which is not changed must be repeated.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: **Dynamic**, Boundary Condition Family: **Acceleration**

See also:

- Model Section: FIXED ACCELERATION
- Model Section: CONTROL
- CONTROL
- DYNAMIC
- SALOME Nosa User's Guide: Boundary Coditions
- User Subroutines Reference Guide: UBND

4.5.10 FIXED DISPLACEMENT

This command defines displacement boundary conditions.

Command syntax :

fixed displacement N presc-1 ifpre-1 set-1 presc-2 ifpre-2 set-2 presc-N ifpre-N

set-N

where

- *N* is the number of boundary conditions to be defined;
- *presc-n* is a list of values of the degrees of freedom to be constrained, relavant to the n-th boundary condition;
- *ifpre-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

- 1. when the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set.
- 2. for static analyses displacement boundary conditions have to be defined in order to avoid rigid body motions.
- 3. the usage of this keyword implies a completely redefinition of a boundary condition; other boundary conditions which do not change with respect to the previous load increment must be repeated as well.
- 4. the values assigned to the degrees of freedom through this keyword are displacements increments; therefore, if a unconstrained degree of freedom is now constrained or viceversa, the analysis requires a new linear-equations system for the equilibrium solution. Thus, the CONTROL keyword must be used, and the Newton-Raphson algorithm must be selected.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 1 setname 3 2 45379 shell section 3 end end option fixed displacement 2 0.0 0.0 1 2 27 28 33 45 120 0.0 0.0 1 2 GRUPPO1

end increment

In the above example two boundary conditions have been assigned. For the first boundary condition null values have been imposed to the translation along x and y axes for nodes into the given list; in the second case null value to the translation along z-axis has been imposed to all nodes of the set *GRUPPO1*. With reference to the rotation around the x-axis, the constraint has been defined by means of the user routine UBND. These boundary conditions are relative to the first load increment; in the next load increment only the boundary condition relevant to the set "GRUPPO1" has been changed. However, the other boundary condition which is not changed must be repeated.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Static, Boundary Condition Family: Displacement

See also:

- Model Section: FIXED DISPLACEMENT
- Model Section: CONTROL
- CONTROL
- SALOME Nosa User's Guide: Boundary Coditions
- User Subroutines Reference Guide: UBND

4.5.11 FIXED TEMPERATURE

This command defines temperature boundary conditions for heat transfer analyses.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

fixed temperature N

prsct-1

ipret-1

set-1 prsct-2 ipret-2 set-2 prsct-N ipret-N

set-N

where

- *N* is the number of boundary conditions to be defined;
- *prsct-n* is a list of values of the degrees of freedom to be constrained, relavant to the n-th boundary condition;
- *ipret-n* is a list of the degrees of freedom to be constrained, relevant to the n-th boundary condition;
- *set-n* is a list of constrained nodes relevant to the n-th boundary condition.

Remarks:

- 1. When the list of degrees of freedom contains negative values, the user routine **UBND** will be called to constrain the DOF with negative value of all nodes belonging to the given set;
- 2. the usage of this keyword implies a completely redefinition of a boundary condition; other boundary conditions which do not change with respect to the previous load increment must be repeated as well.
- 3. the values assigned to the degrees of freedom through this keyword are temperature increments; therefore, if a unconstrained degree of freedom is now constrained or viceversa, the analysis requires a new linear-equations system for the equilibrium solution. Thus, the CONTROL keyword must be used, and the Newton-Raphson algorithm must be selected.

Input file usage

title Example 1 sizing 43228 45379 element 17 materials 1 setname 3 2 45379 heat transfert 2 shell section 3 end end option fixed temperature 2 10.0 20.0 12 27 28 33 45 120 11.0 -9.0 12 **GRUPP01** end increment

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Boundary Conditions: Boundary Condition Type: Heat Transfer, Boundary Condition Family: Temperature

See also:

- Model Section: FIXED TEMPERATURE
- Model Section: CONTROL
- CONTROL
- HEAT TRANSFER
- SALOME Nosa User's Guide: Boundary Coditions
- User Subroutines Reference Guide: UBND

4.5.12 MODAL

This command is used to perform a modal analysis.

Command syntax : modal Input file usage title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dynamic modal 6 end end option modal end increment

See also:

- Control Section: DYNAMIC
- Control Section: MODAL
- SALOME Nosa User's Guide: Define Jobs

4.5.13 NODPRINT

This command is used to specify node sets for which field ouput (e.g. displacement field, nodal reactions and so on) must be also written to the prt file (i.e. the output file with extension ".prt").

Command syntax :

nodprint N nset-1 nset-2 nset-N where

- *N* is the number of node groups, whose output data are to be written to the prt file;
- *nset-n* is the n-th node set.

Input file usage

title Example 1 sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dist loads 6 end nodprint 1 ALL_NODE end increment NOSA-ITACA/GUI usage NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Steps : Print Frequency tab See also:

• PRINT CHOICE

• SALOME Nosa User's Guide: Define Load-Steps

4.5.14 POINT FLUXES

This command defines concentrated heat fluxes applied on the nodes.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

point fluxes N flux-1 nset-1 flux-2 nset-2 ... flux-N nset-N where

- *N* is the number of point fluxes to be defined;
- *flux-n* is a list of values of the n-th concentrated heat flux;
- *nset-n* is the list of nodes to which the n-th flux is applied.

Remarks:

• In any case the user routine **UPLOAD** will be called at the end of the load definition section; thus, it is recommended to check that this routine does not introduce any spurious point flux.

Input file usage

```
title Example 1
sizing 43228 45379
element 11
materials 2
setname 3 4 45379
heat transfer 1
end
......
point fluxes
2
2.0
GRUPPO1
```

3.0

GRUPPO2

end increment

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Loads: Nosa Load Library: Heat Transfer, Load Type: Concentrated, Load Family: concentrated heat flux

See also:

- NOSA Theory Manual: Load Library
- SALOME Nosa User's Guide: Define Loads
- User Subroutines Reference Guide: UPLOAD

4.5.15 POINT LOADS

This command defines concentrated loads applied on the nodes of the structure in the global reference system.

```
Command syntax :

point loads

N

F1

nset-1

F2

nset-2

...

FN

nset-N

where
```

- *N* is the number of point loads to be defined;
- *Fn* is a list of values of the n-th concentrated point load;
- *nset-n* is the list of nodes to which the n-th load is applied.

Remarks:

• In any case the user routine **UPLOAD** will be called at the end of the load definition section; thus, it is recommended to check that this routine does not introduce any spurious point load.

Input file usage

title Example 1 sizing 43228 45379 element 10

260

materials 2 setname 3 4 45379 end point loads 2 2.0 1.0 3.0 0.0 0.0 0.0 GRUPPO1 6.0 0.0 0.0 0.0 3.0 0.0 GRUPPO2 end increment

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Loads: Nosa Load Library: Static/Dynamic, Load Type: Concentrated, Load Family: concentrated force/moment

See also:

- NOSA Theory Manual: Load Library
- SALOME Nosa User's Guide: Define Loads
- User Subroutines Reference Guide: UPLOAD

4.5.16 POST

This command redefines the frequency with which output variables will be written to the post-processing file.

Command syntax :

post

freq, iterFreq, icont, wrtim

where

- *freq* is the frequency with which output variables will be written to the post-processing file at the end of a load increment. If *freq* is not null, the output will be written at the end of every *freq-th* load increment, after the last written. If *freq* = 0 no data will be written to the output file;
- *iterFreq* is the frequency with which output variables will be written to the output file at several iterations of each load increment; by default, *iterFreq* = 0, which means no iteration result will be written;
- *icont* is an integer number useful if a restart analysis is required; in such a case:
 - *icont* = 0 means that the initial block of the output file relevant to element connectivity and nodal coordinates will not be printed;
 - *icont* = 1 means that the initial block of the output file will be printed;
- *wrtim* has to be set to its default value (i.e., equal to 0.0);

Input file usage
title Example 1
sizing 43228 45379
element 10
materials 1
setname 3 2 45379
shell section 3
dist loads 10
end
post
810000
51 N11
52 N22
53 N12
54 Q23
55 Q13
56 M11
57 M22
58 M12
end option
distributed loads
1
21
0.0 0.0 1.0
GRUPPO1
auto load
11 0
post 5 0 0 0

end increment

In this example a distributed load will be applied to the elements of the set "GRUPPO1" eleven times; the frequency with which the output variables will be written on post file is no longer 1 but 5. This means that output data will not be written for each load increment, but only those relevant to the first, 6-th and 11-th load increments will be stored into the post file.

NOSA-ITACA/GUI usage

NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Steps : Output Frequency tab

See also:

- Model Section: POST
- SALOME Nosa User's Guide: Define Load-Steps

4.5.17 PRINT CHOICE

This keyword is used to define the frequency with which output data will be written to the prt file.

Command syntax :

print choice

prtFreq

where

- *prtFreq* is an integer specifying the output frequency; possible values are:
 - prtFreq = 0 means no data will be written to the prt file;
 - *prtFreq* = 1 means that output data will be written once convergence has been achieved (this is the default value);
 - *prtFreq* = 2 means that output data will be written for every iteration.

Input file usage

```
title Example 1
sizing 43228 45379
element 10
materials 2
setname 3 4 45379
dist loads 1
end
.....
end option
print choice
0
distributed loads
1
11
0.0 0.0 1.0
end increment
NOSA-ITACA/GUI usage
NOSA-ITACA/GUI -> Nosa module -> Nosa menu -> Steps : Print Frequency tab
See also:
```

• ELPRINT

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

- NODPRINT
- SALOME Nosa User's Guide: Define Load-Steps

4.5.18 PROPORTIONAL INCREMENT

This command defines the proportionality factor between the next load and the initial load for analyses containing more than one load increment.

Command syntax :

proportional increment

facto

where

• *facto* is a real multiplicative factor of the last defined increment load.

Remarks:

- a defined load is a load determined by the following keywords:
 - DISTRIBUTED LOADS;
 - POINT LOADS;
 - FIXED ACCELERATION;
 - FIXED DISPLACEMENT;
 - BOUNDARY CONDITIONS;
 - BOUNDARY CHANGE;
 - SURFACE;
 - SURFACE CHANGE.

4.5.19 SAVE INCREMENT

This command is used to save the incremental results on a suitable file (unit FORTRAN n.99).

Command syntax :

save increment

ISAVE

where

• *ISAVE* is a parameter greater or equal to 0; when it is equal to 0 the incremental results are unsaved. If positive, the results will be saved every ISAVE increments.

Remarks:

Since the fil is overwritten, it will contain only data from the last increment saved.

Input file usage

title Example 1 sizing 543228 45379 element 10

materials 2 setname 3 4 45379 dist loads 6 end coordinates connectivity end option print choice 0 distributed loads 6 11 0.0 0.0 1.0 save increment 10 end increment See also:

see also:

RESTART

4.5.20 STEPSIZE

This command is used to define magnitude and number of steps in heat transfer or dynamic analysis.

Command syntax :

stepsize

AUTTIM NUMSTP DELTII PERIOD IACCI where

- AUTTIM, if different from zero sets the automatic calculation of step size in heat transfer analysis;
- NUMSTP, maximum number of the steps in this series;
- *DELTII*, initial time step;
- *PERIOD*, time interval to be covered by this series of steps;
- IACCI, if different from zero requires the calculation of the initial acceleration in dynamic analysis.

Remarks:

In case of heat transfer analysis with automatic step size calculation, denoting by DTMAX the absolute value of the maximum temperature change we have to compare it with the maximum temperature change allowed TMPFIN. If DTMAX>TMPFIN, the step will be repeated with a smaller step size DELTIM=DELTIM*TMPFIN/DTMAX, whereas if DTMAX<TMPFIN the step size for the next step will be increased to DELTIM=0.9*TMPFIN/DTMAX.

Input file usage

```
title Example 1
sizing 43228 45379
element 10
materials 1
setname 3 2 45379
dynamic
shell section 3
end
coordinates
.....
connectivity
.....
define node set GRUPPO1
.....
dynamic
0.6 0.3
fixed acceleration
2
0.3 0.1
12
27 28 33 45 120
0.1 0.1
13
GRUPPO1
.....
end option
stepsize
0 100 10 1
distributed loads
.....
```

end increment

4.5.21 SURFACE CHANGE

This command defines the velocity of rigid surfaces used in 2D contact problems.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

surface change NSURF

(the following lines must be repeated NSURF times)
INDSUR SURF(3,1) SURF(4,1) SURF(5,1)

where

- NSURF, number of rigid surfaces whose velocity must be redefined;
- INDSUR, ordinal number of the rigid surface;
- *SURF*(*3*,*1*), first velocity component of the rigid surface's guide node velocity;
- SURF(4,1), second velocity component of the rigid surface's guide node velocity;
- SURF(5,1), Angular velocity of the rigid surface's guide node (rad/sec, positive if counterclockwise).

Input file usage

title Example 1 sizing 43228 45379 element 3 materials 1 setname 2 1 45379 contact 2 2 end surface 2 2 5.0 7.0 1.0 0.5 0.01 1 -3.0 -2.0 5.0 7.0 2 3.0 2.0 0.0 0.0 60 2 1.0 0.0 3.0 0.7 0.02 1 -5.0 -4.0 3.0 1.0 2 3.0 2.0 0.0 0.0 60 1 -3.0 -2.0 5.0 7.0

.....

end option

.....

surface change

1

2 3.0 2.0 0.07

..... end increment

4.5.22 THERMAL LOADS

This command defines the nodal increments of temperature for calculating loads due to thermal dilatation.

Command syntax :

thermal loads

IRDTMP

(the following lines must be used only when IRDTMP is equal to 1)

NDIST

(the following lines must be repeated NDIST times)

TEMPE

NSET

(the following lines must be used only when IRDTMP>1)

INCTMP NAUTO

where

- *IRDTMP:* if equal to 1, nodal temperature values are to be read from cards; if equal to 2, nodal temperature values are to be read from binary post file (Fortran unit 26); if equal to 3 nodal temperature value are to be read from formatted post file; if equal to 4 nodal temperature values are to be calculated by the user routine **URDTEM**;
- NDIST is the number of node groups to which the temperature increments are applied;
- *TEMPE* are the values of the temperature increments applied to the node group;
- NSET is the group of nodes subjected to the temperature increment;
- INCTMP is the number increment of the post file from which temperature data are to be read;
- *NAUTO* is number of thermal load steps necessary to achieve the thermal state read from increment INCTMP.

Remarks:

For shell elements, temperature data are to be indicated at the bottom and top layer when ITYRD=2 and at the bottom, middle and top layer when ITYRD=3.

Input file usage

title Example 1

sizing 43228 45379 element 10 materials 2 setname 3 4 45379 dist loads 6 thermal loads 3 end thermal loads

1

1

25.0 10.0 30.0

GRUPP01

•••••

end increment

See also:

- Control Section: THERMAL LOADS
- User Subroutines Reference Guide: URDTEM

4.5.23 **TIME STEP**

This command defines time increments for calculating the motion of rigid surfaces in two-dimensional contact problems.

This keyword is not available in the present version of NOSA-ITACA.

Command syntax :

time step

iusurf deltii

where

- *iusurf* is a parameter which if different from zero the user routine **UMOTIO** is used for defining the rigid surface's velocity;
- *deltii* is the time increment.

Input file usage

title Example 1

..... time step

.....

02

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

end increment

4.5.24 TYING CHANGE

This keyword is used to re-define multipoint constraints (MPCs).

Command syntax :

tying change

ngtie

The following commands must be repeated NGTIE times. ITIE(1) ITIE(2) ITIE(3....N)

where

- *ITIE(1)*, identifier of the tying relation;
- *ITIE*(2), identifier number of the tied node of the tying relation or the name of the node set containing the tied nodes of the tying relation;
- *ITIE*(3....*N*), identifier numbers of the retained nodes of the tying relation or the names of the node sets containing the retained nodes of the tying relation.

Remarks:

The management of the tying relations is carried out by the user routine UTIE. If the tied and retained nodes are specified by sets, then these sets must be in one to one correspondence in the sense that the i-th items of the sets containing the retained nodes must be the identifiers of the retained nodes pertaining to the tied node identified by the i-th item of the set of tied nodes. If the card tying change is present, the table of tying relations must be completely redefined, even for those parts which did not change with respect to the previous situation.

See also:

UTIE, ref tying_page "TYING"
Chapter 5

User Subroutines Reference Guide

5.1 Introduction

This guide describes all fortran routines which the user can use to define some analysis attributes, when they are not available in NOSA-ITACA/GUI or their definition is not suitable to be described through the input keywords. In particular, these routines allow the user to describe:

- work-hardening behaviour of elastic-plastic materials (isotropic, kinematic and mixed hardening rules);
- non-uniform loads;
- user-defined output variables (such as derived element outputs);
- user-defined reference system with respect to which output variables are written into the post file;
- variable boundary conditions;
- variable initial conditions;
- variable element cross-section thickness;
- multipoint constraints;

Once these routines have been written, the user has to compile and link them to **Nosa library** in order to perform the numerical analysis.

For each utility routine, this guide shows also one or more examples of usage.

5.2 Compiling and linking utility routines

By default, before running an analysis NOSA-ITACA software checks if utility routines have been modified since last run; if it is true, they are compiled and linked before running a job analysis.

5.3 Utility routines

All utility routines are listed below.

- CPHI
- CPSI, CPS1
- FORCEM
- PLOTV
- UBND
- UDSPI
- UFILM
- UFRI
- UGEOM
- ULAXIS

- UMOTIO
- UPLOAD
- UPMAS
- URDTEM
- UTEMPI
- UTIE
- UVELI

5.4 CPHI

The subroutine CPHI allows one to define the parameters which control the isotropic hardening for elasticplastic materials; more precisely the radius ρ of the elastic range and its derivative $\dot{\rho}$ with respect to the Odqvist parameter ζ are assigned (the Odqvist parameter is defined as the time integral of the norm of the plastic deformation rate). In general, the dependence on the Odqvist parameter is specified through a table containing points belonging to an experimental hardening curve. This routine is called by the subroutines for integration of the constitutive law.

This subroutine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE CPHI (PHI, PHI1, ZETA, NHARD, HAISO, HARD)
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
INCLUDE 'LOCAL'
C
DIMENSION HARD (2, MHARD)
...
user code
...
RETURN
END
```

- *PHI:* Radius of the elastic range $\rho(\zeta)$ (output).
- *PHI1:* Derivative of the radius $\rho(\zeta)$ with respect to ζ (output).
- ZETA: Odqvist parameter ζ (input).
- NHARD: Number of data pairs in the table HARD, which defines the hardening curve (input).
- HAISO: Percent of isotropic hardening present in the hardening curve (input).
- HARD: Table which defines the hardening curve (input), where:
 - HARD(1, I) is the accumulated equivalent plastic strain;
 - HARD(2, I) is the Von Mises equivalent stress.
- MHARD: Max number of data pairs in a hardening table (input from COMMON/CNTR/).

Example of usage

Let us suppose that the function $\sigma(\zeta)$ is given by a monotonic increasing piecewise linear curve with *NHARD* points $(\zeta_i, \sigma(\zeta_i))$, with $\zeta_1 = 0$ and $\sigma(\zeta_1) = \sigma_0$ the initial yield stress. *HAISO* is the percent of the isotropic hardening. In this case we have the following routine:

```
subroutine cphi(phi,phi1,zeta,nhard,haiso,hard)
С
     compute function phi, phil for isotropic hardening
С
     piecewise linear load curve
С
С
  C**
С
C****
С
    version 23/10/2012
C****
С
     implicit real*8 (a-h,o-z)
     include 'cntr'
     include 'local'
     dimension hard(2.mhard)
     sqrt2=1.41421356d0
     phi=sqrt2
     phi1=0.d0
     if(nhard.le.1)return
     c32=dsqrt(1.5d0)
     do i=1,nhard-1
     zet1=hard(1,i)*c32
      zet2=hard(1,i+1)*c32
С
c**** beta(1) is in common/local/c
      beta(1) = haiso*(hard(2, i+1) - hard(2, i))/(zet2-zet1)
      ii=j
     if(zeta.ge.zet1.and.zeta.lt.zet2)goto 11
     enddo
С
c**** if zeta is greater than the last value in the table the values
c**** PHI and PHI1 are hels constant to the last value calculated.
     ii=nhard-1
С
     zet1=hard(1,ii)*c32
11
     continue
     phi=sqrt2*(hard(2,ii)+beta(1)*(zeta-zet1))/hard(2,1)
     phil=sqrt2*beta(1)/hard(2,1)
     return
     end
```

5.5 CPSI, CPS1

The CPSI and CPS1 routines allows definition of the tensor **M** which controls kinematic hardening for elastic-plastic materials; more precisely tensor **M** may depend on the Odqvist parameter ζ , the plastic strain, the tensor orthogonal to the elastic range and, finally the center of the elastic range. Usually the dependence on the Odqvist parameter is specified by a table containing points belonging to an experimental hardening curve. This routine is called by those routines, that integrate the constitutive equation.CPS1 differs from CPSI because the tensors inside the routine are stored in the vectorized form.

This subroutine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE CPSI (ZETA, TC, TEP, TN, TM, NHARD, HAKIN, HARD) C \,
```

```
IMPLICIT REAL*8 (A-H, O-Z)
C
INCLUDE 'CNTR'
INCLUDE 'LOCAL'
С
DIMENSION TC(3, 3), TEP(3, 3), TN(3, 3), TM(3, 3).
DIMENSION HARD (2, MHARD)
user code
RETURN
END
and
SUBROUTINE CPS1 (ZETA, TC, TEP, TN, TM, NHARD, HAKIN, HARD)
С
IMPLICIT REAL*8 (A-H,O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'LOCAL'
DIMENSION TC(LSTR1), TEP(LSTR1), TN(LSTR1), TM(LSTR1).
DIMENSION HARD (2, MHARD)
. . .
user code
. . .
RETURN
END
```

Arguments of the call:

- ZETA: Odqvist parameter ζ (input).
- *TC:* Center of the elastic range (input).
- *TEP:* Plastic strain tensor (input).
- TN: Outward unit normal to the elastic range (input).
- TM: Tensor that controls the kinematic hardening (output).
- NHARD: Number of data pairs in the table HARD, which defines the hardening curve (input).
- HAKIN: Percent of kinematic hardening present in the hardening curve (input).
- HARD: Table defining the hardening curve (input), where:
 - HARD(1, I) is the accumulated equivalent plastic strain;
 - HARD(2, I) is the Von Mises equivalent stress.
- MHARD: Max number of data pairs in a hardening table (input from COMMON/CNTR/).
- LSTR1: Number od components of the tensors TC, TEP, TN and TM in vectorized form.

Example of usage

Let us suppose that the function $\sigma(\zeta)$ be given by a monotonic increasing piecewise linear curve with *NHARD* points $(\zeta_i, \sigma(\zeta_i))$, with $\zeta_1 = 0$ and $\sigma(\zeta_1) = \sigma_0$ the initial yield stress. *HAKIN* is the percent of the kinematic hardening. In this case we have the following routine:

```
subroutine cpsi(zeta,tc,tep,tn,tm,nhard,hakin,hard)
С
С
     compute kinematic hardening tensor
С
     piecewise linear load curve
С
С
C****
     version 23/10/2012
С
C****
С
     implicit real*8 (a-h,o-z)
     include 'cntr'
     include 'local'
     dimension tc(3,3),tep(3,3),tn(3,3),tm(3,3)
     dimension hard(2, mhard)
     sqrt2=1.41421356d0
     sqrt3=dsqrt(3.d0)
     const=yeld(1)/(2.d0*shear(1))
     c32=sqrt3/sqrt2
     tm(1:3,1:3)=0.d0
     if(nhard.le.1) return
     do i=1,nhard-1
      zet1=hard(1,i)*c32
      zet2=hard(1,i+1)*c32
      eta=hakin*(hard(2,i+1)-hard(2,i))/(sqrt3*(zet2-zet1))
      ii=i
      if(zeta.ge.zet1.and.zeta.lt.zet2)goto 11
     enddo
     ii=nhard-1
     zet1=hard(1,ii)*c32
     zet2=hard(1,ii+1)*c32
     eta=hakin*(hard(2,ii+1)-hard(2,ii))/(sqrt3*(zet2-zet1))
 11
    continue
     psi=sqrt2*eta/(2.d0*shear(1))
     tm(1:3,1:3)=tn(1:3,1:3)*psi
     return
     end
```

5.6 FORCEM

The routine FORCEM allows definition of non-uniform distributed loads or fluxes. The library of elements contains the list of the identifier numbers to be declared in the cards DIST LOADS or DIST FLUXES, relative to the definition of loads through this routine. If required, the routine FORCEM is called at the beginning of each increment by the subroutine LOADIN that manages the load increments.

```
SUBROUTINE FORCEM ( LNODS, COORD, MATNO, PROPS, GEOM,
 * DELTAH, ZETSH, TDISP, IELEM, LOACOD, LOANUM, BFORCE,
 * NNODE, NINTEG )
C
IMPLICIT REAL*8 (A-H, O-Z)
C
INCLUDE 'CNTR'
INCLUDE 'CONVRG'
INCLUDE 'CONVRG'
INCLUDE 'FILES'
INCLUDE 'LOCAL'
INCLUDE 'LOCAL'
INCLUDE 'MOTION'
C
DIMENSION
 * BFORCE (LDOFN, NNODE, NINTEG),
```

276

```
* COORD (MCORD, NPOIN),
* DELTAH (LDELTA, LGASP),
* GEOM (MDT, MGEOM),
* LNODS (MNODE),
* MATNO (MTHICK),
* PROPS (MPROP, NMATS),
* TDISP (MDOFN, NPOIN),
* ZETSH(LINT, LGASP)
...
user code
...
RETURN
END
```

- LNODS: Numbers of nodes constituting the element (input).
- COORD: Coordinates of all points of the mesh (input).
- *MATNO:* Array containing the identifier numbers of the materials constituting the element (input). The material constituting the element is always unique, except for shell and beam elements where it may vary from layer to layer or from fiber to fiber.
- PROPS: Array of the properties of the materials present in the mesh (input).
- *GEOM*: Element thickness. For homogeneous shells and beams GEOM(1,I) is the thickness of the first layer or fiber at the I-th node and the other layers or fibers have the same thickness. For non-homogeneous shell GEOM(J, I) is the thickness of the J-th layer or fiber at the I-th node. (input).
- *DELTAH:* Shell or beam thickness. DELTAH(J, I) is the thickness of the J-th layer or fiber at the I-Gauss integration point (input).
- ZETSH: ZETSH(J, I) is the distance from the shell mean surface, or from the beam axis, of the J-th Simpson integration point at the I-th Gauss integration point.
- *TDISP:* Array of the total displacements or temperatures of all degrees of freedom in the mesh (input).
- *IELEM:* Ordinal number of the element (input).
- *LOACOD*: Code of the load or flux to be defined, as declared in the cards DIST LOADS or DIST FLUXES (input).
- LOANUM: Ordinal number of the load or flux to be defined, as declared in the cards DIST LOADS or DIST FLUXES (input).
- *BFORCE:* Magnitude of the load or flux to be defined (output). In the case of body forces or volumetric fluxes, BFORCE must be defined for all global degrees of freedom of all element nodes. In the case of pressures or surface fluxes, BFORCE must be defined for all degrees of freedom (global or local) of the nodes belonging to the face or the edge indicated by the load code in LOACOD.
- *NNODE:* Number of nodes for which BFORCE must be defined (input). In the case of body forces or volumetric fluxes, NNODE is the number of element nodes. In the case of pressures or surface fluxes, NNODE is the number of nodes of the loaded face or edge.
- *NINTEG:* Its value is 1 except for shell or beam elements, in which case it indicates the number of integration points along the thickness or across the section (input).
- LDOFN: Number of degrees of freedom of the element nodes (input from COMMON/LOCAL/).

- LGASP: Number of Gauss integration points of the element (input from COMMON/LOCAL/).
- MCORD: Maximum number of coordinates per node (input from COMMON/CNTR/).
- NPOIN: Total number of nodes in the mesh (input from COMMON/CNTR/).
- *MDT:* For shell or beam elements, it is the number of layers or fibers of the element; for the other types of elements, its value is 1 (input from COMMON/CNTR/).
- LDELTA: Same as MDT (input from COMMON/CNTR/).
- *MTHICK:* For shell or beam elements, it is the number of integration points on the cross section; for the other types of elements, its value is 1 (input from COMMON/CNTR/).
- LINT: Same as MTHICK (input from COMMON/CNTR/).
- MNODE: Maximum number of element nodes (input from COMMON/CNTR/).
- MPROP: Number of mechanical properties of a material (input from COMMON/CNTR/).
- NMATS: Number of different materials contained in the mesh (input from COMMON/CNTR/).

Example of usage



Figure 5.1: FEM model of a part of an ancient church.

In Figure 5.1 the FEM model of a part of an ancient church is shown. We want to study the effect of the wind acting in y direction on the highlighted wall. The pressure of the wind is a function of the height z following the formula:

$$p_y = \begin{cases} 673.0 & for \ z \le 12.0\\ 455. * 23^2 * \log(\frac{z}{0.7}) * (7. + \log(\frac{z}{0.7})) & for \ z > 12. \end{cases}$$

Bearing in mind that the face subjected to the wind is formed by the nodes 1, 5, 6, 2 of the elements, we have the following routine:

```
subroutine forcem(lnods,coord,matno,props,geom,deltah,zetsh,tdisp,
*ielem,loacod,loanum,bforce,nnode,nint)
 implicit real*8 (a-h,o-z)
include 'cntr'
include 'convrg'
include 'files'
include 'local'
include 'motion'
dimension
*bforce(ldofn,nnode,nint),
*coord(mcord, npoin),
*deltah(ldelta,lgasp),
*geom(mdt,mgeom),
*lnods(mnode),
*matno(mthick)
*props(mprop,nmats),
*tdisp(mdofn,npoin),
*zetsh(lint,lgasp)
dimension nodel(4)
data nodel/1,5,6,2/
do inode=1,nnod
 bforce(1:ldofn, inode, 1)=0.d0
 ipoin=lnods(nodel(inode))
  z=coord(3,ipoin)
 if(z.le.12.d0)then
  bforce(2, inode, 1) = 673.d0
  else
  bforce(2, inode, 1) = 455.d0 * .23d0 * * 2*dlog(z/0.7d0) *
  (7.d0+dlog(z/0.7d0))
 endif
enddo
return
end
```

5.7 PLOTV

С

С

The routine PLOTV allows the user to define quantities, on the basis of elemental data, to be written on the post-processing file. The routine PLOTV is called for each layer or fiber (shell and beam elements only) of each integration point of each element.

```
SUBROUTINE PLOTV ( VAR, T, E, EAN, EANC, TEMP, GPCOD,
 * DISGP, VELGP, ACCGP, IELEM, IGASP, ILAY, INDVA, LNODS,
 * COORD, TDISP,GRADT, IFBE, SECT, GEI, DELTAH, ZETSH,
 * GPBASE, CARSTR, CARSTN)
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
INCLUDE 'LOCAL'
```

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

C	
DIMENSI	N
*	ACCGP(LCORD),
*	CARSTN(8),
*	CARSTR(8),
*	COORD (MCORD, NPOIN),
*	DELTAH (MBTHCK) ,
*	DISGP (LCORD)
*	E(6),
*	EAN(6),
*	EANC(6),
*	GEI(2, LGASP),
*	GPBASE(3,3),
*	GPCOD(LCORD),
*	GRADT(LCORD, MCASI, LGASP),
*	IFBE(MBTHCK),
*	LNODS (MNODE, NELEM),
*	SECT(LGASP),
*	TDISP (MDOFN, NPOIN),
*	Τ(6),
*	VELGP(LCORD),
*	ZETSH(MINT)
С	
REAL VAI	R
С	
user co	de
• • •	
RETURN	
END	

- VAR: value of the variable to be defined (output).
- *T*: array of the stress components in the order x-x, y-y, z-z, x-y, y-z, x-z (input).
- *E*: array of the total strain components (input).
- EAN: array of the total plastic strain or, for masonry-like materials, total crack strain(input).
- *EANC:* array of the total crushing strain for masonry-like materials with bounded compressive strength (input).
- TEMP: Value of the total temperature (input).
- GPCOD: Global coordinates of the integration point (input).
- DISGP: Displacement at the integration points (input).
- VELGP: Velocity at the integration points (input).
- ACCGP: Acceleration at the integration points (input).
- *IELEM:* Number of the element (input).
- IGASP: Number of the integration point (input).
- *ILAY:* Number of the layer or fiber(input).
- INDVA: Identifier number of the post processing variable to be defined (input).
- LNODS: Array of the connectivities of all elements (input).

- COORD: Array of the coordinates of all nodes (input).
- TDISP: Array of the total displacement for all degrees of freedom (input).
- GRADT: Values of the temperature gradient (input).
- IFBE: If IFBE(I) is zero it indicates that the I-th fiber of the current beam element is dummy (input).
- SECT: For beam elements is the area of the cross section at the current Gauss point (input).
- *GEI:* For beam elements is the array of the moment of inertia, around the first two local axes, of the cross section at the current Gauss point (input).
- *DELTAH:* Shell or beam thickness. DELTAH is the thickness array of the layers or fibers at the current Gauss integration point (input).
- ZETSH: ZETSH(I) is the distance from the shell mean surface, or from the beam axis, of the I-th Simpson integration point at the current Gauss integration point.
- *GPBASE:* The local base on the midsurface of the shell or on the beam axis at the current Gauss integration point.
- CARSTR: Stress resultants at the current Gauss integration point.
- CARSTN: Strain resultants at the current Gauss integration point.
- LCORD: Number of direction coordinates of the integration point (input from COMMON/LOCAL/).
- *LGASP*: Number of Gauss integration points for the current element (input from COMMON/LO-CAL/).
- MCORD: Maximum number of direction coordinates (input from COMMON/CNTR/).
- NPOIN: Maximum number of nodes in the mesh (input from COMMON/CNTR/).
- MCASI: Number of cross section integration points for shell or beam elements (input from COM-MON/CNTR/).
- MINT: Same as MCASI (input from COMMON/CNTR/).
- MBTHCK: Same as MCASI, for beam elements only (input from COMMON/CNTR/).
- MNODE: Maximum number of nodes in an element (input from COMMON/CNTR/).
- NELEM: Maximum number of elements in the mesh (input from COMMON/CNTR/).

Example of usage

In studying vaulted structures, we must consider that for shell and beam elements the elemental fields, such as stresses and strains, are expressed in the local reference system of the element, so their visualization can lead to "misleading" results due to inconsistency of different reference systems in different parts of the model. To avoid such a kind of problems, very often it is necessary to express the elemental quantities in a reference frame chosing by the user, so it is necessary using the subroutine PLOTV. Given a tensor T, and $\{e_1, e_2, e_3\}$ and $\{f_1, f_2, f_3\}$ two orthonormal bases such that

$\mathbf{f_i} = \mathbf{Q}\mathbf{e_i}$

with Q orthogonal tensor, by indicating with [T], [T]' the matrices of the components of T with respect to the basis $\{f_1, f_2, f_3\}$ and $\{e_1, e_2, e_3\}$, respectively, it holds that

$$[\mathbf{T}]' = [\mathbf{Q}]^T [\mathbf{T}] [\mathbf{Q}]$$

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen



Figure 5.2: FEM model of the "Voltone" in Livorno, Italy

Figure 5.2 shows the mesh model of a structure made up of a vault which, by means of a series of tying constraints, is linked to two side walls, each of them reinforced by a set of transversal buttresses. The mesh model is built up of shell elements. We want to define a user reference system such that the third coordinate axis is parallel to the element normal unit vector; the first coordinate axis must be parallel to the global x axis for the vault and the side walls, and global y axis for the spurs. The second axis will be calculated by means of vector product.

In so doing, in the input file we will write the following instructions:

0

٠	٠	·										
р	0	st										
	3	6		1			0			0	0	
-	5	1	Ν1	1								
-	5	2	N2	2								
-	5	3	Ν1	2								
-	5	4	Q2	3								
-	5	5	Q1	3								
-	5	6	М1	1								
-	5	7	М2	2								
-	5	8	М1	2								
-	6	1	ЕC	C1	L1							
-	6	2	ЕC	C2	22							
-	1	011		s1	L1	1	ay	er		1		
-	1	012	2	sź	22	1	ay	er		1		
-	1	014	ł	s1	L2	1	ay	er		1		
-	4	011		s1	L1	1	ay	er		4		
-	4	012	2	sź	22	1	ay	er		4		
-	4	014	ł	s1	L2	1	ay	er		4		
-	6	011		s1	L1	1	ay	er		6		
-	6	012	2	sź	22	1	ay	er		6		
-	6	014	ł	s1	L2	1	ay	er		6		
-	1	5	s2	3								
-	1	6	s1	3								
-	8	011		s1	L1	1	ay	er		8		
-	8	012	2	sź	22	1	ay	er		8		
-	8	014	ł	s1	L2	1	ay	er		8		
-	1	101	. 1	5	311		la	ye	r	11		
-	1	101	.2	5	522		la	ye	r	11		
-	1	101	4	5	512		la	ye	r	11		
-	1	021	. е	f1	L1	1	ay	er		1		
-	1	022	2 e	f2	22	1	ay	er		1		

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

С

С

С

С

С

С

С

С

С

-1024 ef12 layer 1 -6021 ef11 layer 6 -6022 ef22 layer 6 -6024 ef12 layer 6 -11021 ef11 layer 11 -11022 ef22 layer 11 -11024 ef12 layer 11 . . .

and the plotv subroutine will be:

```
subroutine plotv(var,t,e,ean,eanc,ttemp,gpcod,disgp,
     *velgp,accgp,ielem,igasp,ilay,indva,lnods,coord,tdisp,gradt,
     *ifbe,sect,gei,deltah,zetsh,gpbase,carstr,carstn)
     IMPLICIT REAL*8 (A-H,O-Z)
      include 'cntr'
     include 'files'
     include 'local'
     dimension
     * accgp(lcord),
     * carstr(8),
     * carstn(8),
     * coord(mcord, npoin),
     * deltah(mbthck),
     * disgp(lcord),
     * e(6),
     * ean(6),
     * eanc(6),
     * gei(2,lgasp),
     * gpbase(3,3),
     * gpcod(lcord),
     * gradt(lcord,mcasi,lgasp),
     * ifbe(mbthck),
     * lnods(mnode,nelem),
     * sect(lgasp),
     * tdisp(mdofn,npoin),
     * t(6),
     * velgp(lcord),
     * zetsh(mint)
     real*4 var
     real*8 xmat(3,3),ubase(3,3),tens(3,3),sigma(3,3)
c*** xmat transformation matrix
c*** ubase user defined base
c*** tens tensor in local base
c*** sigma tensor in user base
c*** principal dimensions of the structure (m)
      fuz=0.01d0
      ic=0
     yv=6.765d0
     ym=7.365d0
      var=0.0
     end1=-220.d0
      end2=0.d0
      fuzend=0.01d0
     if(ktype.eq.10)then
c*** vault
       if(gpcod(2).le.yv.or.gpcod(2).ge.-yv)ic=1
```

```
c** +y side wall
       if(dabs(gpcod(2)-ym).le.fuz)ic=2
С
c*** -y side wall
       if(dabs(gpcod(2)+ym).le.fuz)ic=3
С
c*** spurs
       if(gpcod(2).le.-ym-fuz.or.gpcod(2).ge.ym+fuz)ic=4
С
c*** +x end wall
       if(dabs(gpcod(1)-end1).le.fuzend)ic=5
С
\texttt{c} \star \star \star \texttt{x=0} end wall
       if(dabs(gpcod(1)-end2).le.fuzend)ic=6
С
       ind=iabs(indva)
       var=0.0
С
       defel: select case (ic)
С
c*** user base on the vault
С
        case (1) defel
         ubase(1:3,3) = gpbase(1:3,3)
         inode1=lnods(2,ielem)
         inode2=lnods(3,ielem)
         do i=1,3
         ubase(i,1)=coord(i,inode2)-coord(i,inode1)
         enddo
         unorm=dsqrt(ubase(1,1)**2+ubase(2,1)**2+ubase(3,1)**2)
         ubase(1:3,1)=ubase(1:3,1)/unorm
         call vprod(ubase(1,3),ubase(1,1),ubase(1,2))
С
c*** +y side wall
С
        case (2) defel
         ubase(1:3,1:3)=0.d0
         ubase(1,1)=1.d0
         ubase (3, 2) = -1.d0
         ubase(2,3)=1.d0
С
c*** -y side wall
С
        case (3) defel
         ubase(1:3,1:3)=0.d0
         ubase(1,1)=1.d0
         ubase(3, 2) = 1.d0
         ubase(2,3)=-1.d0
С
c*** spursl
С
        case (4) defel
         ubase(1:3,1:3)=0.d0
         ubase(2,1)=1.d0
         ubase(3,2)=1.d0
         ubase(1,3)=1.d0
С
c*** +x end wall
С
        case (5) defel
         ubase(1:3,1:3)=0.d0
         ubase(2,1)=1.d0
         ubase (3, 2) = -1.d0
         ubase(1,3)=-1.d0
С
c \star \star \star x=0 end wall
С
```

284

```
case (6) defel
         ubase(1:3,1:3)=0.d0
         ubase(2,1)=1.d0
         ubase(3,2)=1.d0
         ubase(1,3)=1.d0
       end select defel
С
c*** setting up the transformation matrix
С
       do i=1,3
        do j=1,3
         xmat(j,i)=sprod(ubase(1,i),gpbase(1,j),3,3)
        enddo
       enddo
С
c*** stresses put into local tensor
       if(ind.le.16)then
        tens(1,1)=t(1)
        tens(1,2)=t(4)
        tens(1,3)=t(6)
        tens(2,1)=tens(1,2)
        tens(2,2)=t(2)
        tens(2, 3) = t(5)
        tens(3,1)=tens(1,3)
        tens(3, 2) = tens(2, 3)
        tens(3,3) = 0.d0
С
c*** tranformed stresses
С
        sigma(1:3,1:3)=0.d0
        do i=1,3
         do j=1,3
          do k=1,3
           do 1=1,3
            sigma(j,i)=sigma(j,i)+xmat(j,k)*tens(k,l)*xmat(i,l)
           enddo
          enddo
         enddo
        enddo
        if(ind.eq.11)var=sngl(sigma(1,1))
        if(ind.eq.12)var=sngl(sigma(2,2))
        if(ind.eq.14)var=sngl(sigma(1,2))
        if(ind.eq.15)var=sngl(sigma(2,3))
        if(ind.eq.16)var=sngl(sigma(1,3))
       endif
С
c*** anelastic strains put into local tensor
       if(ind.ge.21.and.ind.le.26)then
        tens(1,1)=ean(1)
        tens(1,2)=ean(4)/2.d0
        tens(1,3)=0.d0
        tens(2,1)=tens(1,2)
        tens(2, 2) = ean(2)
        tens(2,3) = 0.d0
        tens(3, 1) = tens(1, 3)
        tens(3,2)=tens(2,3)
        tens(3,3)=0.d0
С
\texttt{c} \star \star \star transformed anelastic strains
        sigma(1:3,1:3)=0.d0
        do i=1,3
         do j=1,3
          do k=1,3
           do 1=1,3
            sigma(j,i)=sigma(j,i)+xmat(j,k)*tens(k,l)*xmat(i,l)
           enddo
          enddo
```

```
enddo
        enddo
        if(ind.eq.21)var=sngl(sigma(1,1))
        if(ind.eq.22)var=sngl(sigma(2,2))
        if(ind.eq.24)var=sngl(2.d0*sigma(1,2))
       endif
С
\texttt{c}\star\star\star in plane stress resultants % (\texttt{b},\texttt{b},\texttt{b}) put into local tensor
       if(ind.ge.51.and.ind.le.55)then
        tens(1,1) = carstr(1)
        tens(1,2) = carstr(3)
        tens(1,3) = carstr(5)
        tens(2,1)=tens(1,2)
        tens(2,2) = carstr(2)
        tens(2,3) = carstr(4)
        tens(3,1)=tens(1,3)
        tens(3, 2) = tens(2, 3)
        tens(3,3) = 0.d0
С
c*** transformed in plane stress resultants
        sigma(1:3,1:3)=0.d0
        do i=1,3
         do j=1,3
          do k=1,3
           do 1=1,3
             sigma(j,i)=sigma(j,i)+xmat(j,k)*tens(k,l)*xmat(i,l)
enddo
          enddo
         enddo
        enddo
        if(ind.eq.51)var=sngl(sigma(1,1))
        if(ind.eq.52)var=sngl(sigma(2,2))
        if(ind.eq.53)var=sngl(sigma(1,2))
        if(ind.eq.54)var=sngl(sigma(2,3))
        if(ind.eq.55)var=sngl(sigma(1,3))
       endif
С
c*** shear stress resultants
       if(ind.eq.56)
     * var=sngl(carstr(6)*xmat(1,1)**2+
     * 2.d0*carstr(8)*xmat(1,1)*xmat(1,2)+
     * carstr(7) *xmat(1,2) **2)
       if(ind.eq.57)
     * var=sngl(carstr(6)*xmat(2,1)**2+
     * 2.d0*carstr(8)*xmat(2,1)*xmat(2,2)+
     * carstr(7)*xmat(2,2)**2)
       if(ind.eq.58)
     * var=sngl(carstr(6)*xmat(2,1)*xmat(1,1)+
     * carstr(8) * (xmat(1,2) * xmat(2,1) + xmat(1,1) * xmat(2,2)) +
     * carstr(7) *xmat(2,2) *xmat(1,2))
С
c***recalculation of in plane stress resultants
       if(ind.eq.61.or.ind.eq.62)then
        tens(1,1) = carstr(1)
        tens(1,2) = carstr(3)
        tens(1,3) = carstr(5)
        tens(2,1)=tens(1,2)
        tens(2,2) = carstr(2)
        tens(2,3) = carstr(4)
        tens(3,1)=tens(1,3)
        tens(3,2)=tens(2,3)
        tens(3,3) = 0.d0
        sigma(1:3,1:3)=0.d0
        do i=1,3
         do j=1,3
          do k=1,3
           do 1=1,3
```

```
sigma(j,i)=sigma(j,i)+xmat(j,k)*tens(k,l)*xmat(i,l)
           enddo
          enddo
         enddo
        enddo
С
c*** 1-1 eccentricity
        if(ind.eq.61)then
         enne=sigma(1,1)
         emme=carstr(6) * xmat(2,1) * *2+
        2.d0*carstr(8)*xmat(2,1)*xmat(2,2)+
         carstr(7) *xmat(2,2) **2
         if(enne.ne.0.d0)var=sngl(-emme/enne)
        endif
С
c*** 2-2 eccentricity
        if(ind.eq.62)then
         enne=sigma(2,2)
         emme=carstr(6) *xmat(2,1) **2+
         2.d0*carstr(8)*xmat(2,1)*xmat(2,2)+
         carstr(7) *xmat(2,2) **2
         if(enne.ne.0.d0)var=sngl(emme/enne)
        endif
       endif
      else
С
C***
     case of no shell element
       if(ind.le.16)then
        if(ind.eq.11)var=sngl(t(1))
        if(ind.eq.12)var=sngl(t(2))
        if(ind.eq.14)var=sngl(t(4))
        if(ind.eq.15)var=sngl(t(5))
        if(ind.eq.16)var=sngl(t(6))
       endif
      endif
      return
      end
```

Remarks:

output variables with key code "-61" and "-62" are known as eccentricities and are calculated as the minus of the ratio between a bending moment and the corresponding normal force per unit length of the elemental edge.

5.8 UBND

The routine UBND allows definition of kinematic constraints (displacements, temperatures, accelerations), which change with varying position and time; the routine is called as needed at the beginning of each iteration.

```
* TDISP (MDOFN),

* TREAC (MDOFN)

...

user code

...

RETURN

END
```

Arguments of the call:

- *IFFIX:* Fixity code; it is different from zero if the degree of freedom considered has been constrained by means of the keywords BOUNDARY CONDITIONS, BOUNDARY CHANGE, FIXED DISPLACEMENT, FIXED ACCELERATION or FIXED TEMPERATURE (input/output). If the user wants to release the degree of freedom considered, IFFIX must be set to zero (0).
- *KFIX:* Number of the node (input).
- *IDOFN:* Ordinal number of the degree of freedom of the node KFIX whose constraint condition is managed by the routine (input).
- COORD: Array of the KFIX node coordinates (input).
- TDISP: Array of total current displacements of the node KFIX (input).
- TREAC: Array of the total current reactions at the node KFIX (input).
- *FIXED:* If IFFIX is non-zero, it represents the displacement or temperature value prescribed for the degree of freedom IDOFN of the node KFIX (input/output).
- *ICODE:* If set to zero (0), indicates that a displacement or temperature change is to be calculated. If set to one (1), indicates that a total acceleration is to be calculated.
- MCORD: Maximum number of coordinate directions (input from COMMON/CNTR/).
- MDOFN: Maximum number of degrees of freedom per node (input from COMMON/CNTR/).

Example of usage



Figure 5.3: Acceleration time history

In carrying out dynamic analyses, we may need to apply a given acceleration time history to the foundations. In Figure 5.3 is plotted a such kind of time history, and we want to apply it, along the y direction, to the foundations of a structure. The UBND routine, which is used to apply the acceleration is as follows:

```
subroutine ubnd (iffix,kfix,idofn,coord,tdisp,treac,fixed,
     *icode)
      implicit real*8 (a-h,o-z)
      include 'cntr'
      include 'files'
      include 'motion'
     dimension
     *coord(mdofn),
     *tdisp(mdofn),
     *treac(mdofn)
      dimension acc(2,971)
С
c*** acceleration time history like fig. E.3
c*** (not completely shown)
      data ((acc(i,j),i=1,2),j=1,500)/
     *0.00000E+00, 0.00000E+00,
     *0.976000E-02, 0.260000E-02,
     *0.195200E-01, 0.207000E-01,
     *0.292800E-01, 0.312000E-01,
     *0.390400E-01, 0.338000E-01,
     *0.488000E-01, 0.301000E-01,
     *0.585600E-01, 0.238000E-01,
     *0.683200E-01, 0.201000E-01,
     *0.780800E-01, 0.245000E-01,
     *0.878400E-01, 0.369000E-01,
     *0.976000E-01, 0.456000E-01,
     *0.107360E+00, 0.459000E-01,
      . . .
     *0.934032E+01, -.738000E-01,
     *0.935008E+01, -.851000E-01,
     *0.935984E+01, -.968000E-01,
     *0.936960E+01, -.112400E+00,
*0.937936E+01, -.136500E+00,
     *0.938912E+01, -.167100E+00,
     *0.939888E+01, -.196000E+00,
     *0.940864E+01, -.215600E+00,
     *0.941840E+01, -.220200E+00,
     *0.942816E+01, -.160000E-02,
     *0.943792E+01, -.800000E-03,
     *0.944768E+01, -.400000E-03,
     *0.945744E+01, -.200000E-03,
     *0.946720E+01, -.100000E-03/
C***
С
      fuzz=1.d-05
      fixed=0.d0
      tend=0.946720D+01
      if(iincs.gt.1)then
       tt=tottim
       if(tt.gt.tend)then
        fixed=0.d0
       else
        itim=iincs
        if(dabs(acc(1,itim)-tt).gt.fuzz)then
         write(jout,*)' wrong time ',tt,itim,acc(1,itim)
         stop
        endif
        fixed=acc(2,itim)
       endif
```

```
endif
return
end
```

5.9 UDSPI

The routine UDSPI allows definition of initial displacement values; it is called once at the beginning of the analysis.

```
SUBROUTINE UDSPI ( DISPI, COORD, IUSER )
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
C
DIMENSION
* COORD (MCORD)
...
user code
...
RETURN
END
```

Arguments of the call:

- DISPI: Value of the component of initial displacement (output).
- COORD: Coordinates of the node considered (input).
- IUSER: Its absolute value indicates which degree of freedom must be initialized (input).
- MCORD: Maximum number of coordinates of a node (input, from COMMON/CNTR/).

Example of usage

A straight beam is constrained to have a triangle-like initial longitudinal displacement, with the maximum amplitude at the center point. The following routine is used:

```
SUBROUTINE udspi(DISPI,COORD,iuser)
С
С
    variable initial displacements
С
    beam with triangle like displacement
IMPLICIT REAL*8 (A-H,O-Z)
    INCLUDE 'cntr'
    DIMENSION
    *COORD (MCORD)
    amp=1.d-04
    xlen=1.d0
    XM=0.5D0*xlen
    dispi=0.d0
    x=coord(1)
    IF(x.le.xm)then
    DISPI=amp*x/xm
    else
```

```
dispi=amp*(xlen-x)/xm
endif
RETURN
END
```

5.10 UFILM

The routine UFILM allows definition of the film coefficients in heat transfer analysis; it is called once at the beginning of each time step.

This routine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE UFILM ( IFAC, IFILM, LNODS, COORD, TTEMP,
     * FILM, SINK, FILDOT )
С
IMPLICIT REAL*8 (A-H,O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'LOCAL'
C
DIMENSION
     * COORD (MDIME, NPOIN),
     * FILDOT (MSIDE),
      * FILM(MSIDE),
     * IFILM(2),
     * LNODS (MNODE).
     * SINK(MSIDE),
      * TTEMP (MDOFN, MNODE)
. . .
user code
RETURN
END
```

- COORD: Array of the nodal coordinates (input).
- *FILDOT:* Derivative of film coefficient with respect to the temperature at the nodes of the element face (output).
- FILM: Film coefficient at the nodes of the element face (output).
- *IFILM*: If IFILM(1) is different from zero, the film coefficient is to be calculated; if IFILM(2) is different from zero, the sink temperature is to be calculated (input).
- LNODS: Connectivity of the element (input).
- SINK: Sink temperature at the nodes of the element face (output).
- *TTEMP*: Array of the total nodal temperatures.
- MDIME: Maximum number of coordinates for each node (input, from COMMON/CNTR/)
- NPOIN: Total number of nodes in the mesh (input, form COMMON/CNTR/)
- MNODE: Maximum number of nodes for each element (input, from COMMON/CNTR/)

- MSIDE: Maximum number of nodes on an element face or edge (input, from COMMON/CNTR/)
- *MDOFN* =1 for all element types, except for the shell element where it is set to ITYRD (input, from COMMON/CNTR/)

5.11 UFRI

The routine UFRI allows definition of the friction coefficient as a function of position, time and conditions at the interface between the deformable body and a rigid surface. This routine is activated by inserting the character "-" before the value of the coefficient declared in the card FRICTION. The routine UFRI is called as needed at the beginning of each iteration.

This routine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE UFRI ( THRS, REACN, REACT, KFRICT, CFRICT,
      * COORD, VERSN, VERST )
IMPLICIT REAL*8 (A-H, O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'MOTION'
C
DIMENSION
      * COORD (MCORD),
      * VERSN (MDIME),
      * VERST (MDIME)
. . .
user code
. . .
RETURN
END
```

- THRS: Limit value of the friction force (input/output).
- *REACN:* Value of the contact force along the vector orthogonal to the interface between the deformable body and rigid surface (input).
- *REACT:* Value of the force along the vector tangential to the interface between the deformable body and rigid surface (input).
- KFRICT: Code indicating the current condition of the friction (input). Possible values are:
 - *KFRICT* = 1, no friction;
 - *KFRICT* = 2, blockage condition;
 - KFRICT = 3, slipping condition at constant force.
- CFRICT: Friction coefficient (input/output).
- COORD: Array of coordinates of the node considered (input).
- *VERSN:* Unit vector orthogonal to the interface oriented towards the interior of the deformable body (input).
- *VERST:* Unit vector tangential to the interface (VERST can be obtained by rotating VERSN 90° in the counter-clockwise direction) (input).

- *MCORD*: Maximum number of coordinates per node (input, from COMMON/CNTR/).
- MDIME: Dimensions of the structure (2 in this version of NOSA) (input, from COMMON/CNTR/).

5.12 UGEOM

The routine UGEOM allows definition of thickness of the layers of a shell element, or the thickness of the fibers of a beam element, on a nodal basis.

Arguments of the call:

- COORD: Array of coordinates of the node considered (input).
- LNODS: Connectivity of the element (input).
- GEOM: Array of the nodal thickness (output)
- *KTYPE:* Identifier of the element type (input).
- LCORN: Number of the corner nodes of the shell element (input).
- MCORD: Maximum number of coordinates for a node (input from COMMON/CNTR/).
- NPOIN: Maximum number of nodes in the mesh (input from COMMON/CNTR/).
- MDT: Number of layers/fibers of a shell/beam element (input from COMMON/CNTR/).
- MNODE: Maximum number of nodes in an element (input from COMMON/CNTR/).

Example of usage

In studying vaults or domes, we have to model shell structures with variable thickness. In the following example, UGEOM is used to model such a kind of thickness variable dome.

```
subroutine ugeom(coord,lnods,geom,ktype,lcorn)
implicit real*8 (a-h,o-z)
include 'cntr'
include 'elem'
include 'files'
```

```
dimension
     *coord(mcord, npoin),
     *geom(mthick,lcorn),
     *lnods(mnode)
С
c*** bottom level
      bot=10.d0
С
c*** top level
      t \circ p = 15.000
c*** thickness at the bottom level
      thickb=1.d0
c*** thickness at the top level
      thickt=0.5d0
С
      do inode=1,lcorn
       ipoin=lnods(inode)
       quota=coord(3,ipoin)
С
c*** linearly varying thickness with the z level
       thick=thickb-thickt*(quota-bot)/(top-bot)
       thick=thick/dfloat(mshel)
       geom(1:mshel,inode)=thick
      enddo
      return
      end
```

5.13 ULAXIS

The routine ULAXIS allows definition of the local reference system on the cross section of the beam elements.

```
SUBROUTINE ULAXIS ( IELEM, LNODS, COORD, AXIS )
С
IMPLICIT REAL*8 (A-H,O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'FILES'
С
DIMENSION
     * AXIS(MCORD),
      * COORD (MCORD, NPOIN),
     * LNODS (MNODE)
. . .
user code
. . .
RETURN
END
```

- *AXIS:* Components of the unit vector defining the first direction of the local reference system (output).
- COORD: Array of coordinates of the node considered (input).
- *LNODS:* Connectivity of the element (input).
- MCORD: Maximum number of coordinates for a node (input from COMMON/CNTR/).

- NPOIN: Maximum number of nodes in the mesh (input from COMMON/CNTR/).
- MNODE: Maximum number of nodes in an element (input from COMMON/CNTR/).

5.14 UMOTIO

The routine UMOTIO allows definition of the velocity of a rigid surface as a function of the time and the position of the surface.

This routine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE UMOTIO ( SURF, TIM, TIMSTP, JSURF )
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
C
DIMENSION SURF (8, MPART+1, MSURF)
...
user code
...
RETURN
END
```

Arguments of the call:

- SURF: Position and velocity of the rigid surface considered (input/output).
- *TIM:* Total time since the start of the analysis (input).
- TIMSTP: Time increment (input/output).
- JSURF: Ordinal number of the rigid surface under consideration (input).
- *MPART:* Maximum number of parts making up the rigid surface under consideration (input from COMMON/CNTR/).
- MSURF: Maximum number of rigid surfaces (input, from COMMON/CNTR/).

The data relative to the J-th part of the I-th rigid surface are contained in the array SURF as follows:

- SURF(1, 1, I) is the current x coordinate of the surface guide node.
- SURF(2, 1, I) is the current y coordinate of the surface guide node.
- SURF(3, 1, I) is the x component of the current velocity of the surface guide node.
- SURF(4, 1, I) is the y component of the current velocity of the surface guide node.
- SURF(5, 1, I) is the current angular velocity of the surface guide node.
- SURF(6, 1, I) is the initial x coordinate of the surface guide node.
- SURF(7, 1, I) is the initial y coordinate of the surface guide node.
- SURF(8, 1, I) is the current rotation angle of the surface guide node.

If the J-th part is a segment, we have:

- SURF(1, J+1, I) is the current x coordinate of the segment's starting point
- SURF(2, J+1, I) is the current y coordinate of the segment's starting point.
- SURF(3, J+1, I) is the current x coordinate of the segment's end point.
- SURF(4, J+1, I) is the current y coordinate of the segment's end point.

If the J-th part is a circumference arc, we have:

- SURF(1, J+1, I) is the current x coordinate of the arc's starting point.
- SURF(2, J+1, I) is the current y coordinate of the arc's starting point
- SURF(3, J+1, I) is the current x coordinate of the arc's end point.
- SURF(4, J+1, I) is the current y coordinate of the arc's end point.
- SURF(5, J+1, I) is the current x coordinate of the center of the circumference.
- SURF(6, J+1, I) is the current y coordinate of the center of the circumference.
- SURF(7, J+1, I) is the center angle subtended by the arc.
- SURF(8, J+1, I) is the radius of the circumference.

5.15 UPLOAD

This routine allows definition of the point loads or fluxes as functions of position and time.

This routine is not available in the present version of NOSA-ITACA.

```
SUBROUTINE UPLOAD ( IPOIN, COORD, DISP, PLOAD, SELDIS,
      * LNODS, ICKFR )
С
IMPLICIT REAL*8 (A-H,O-Z)
INCLUDE 'CNTR'
INCLUDE 'MOTION'
C
DIMENSION
      * COORD (MCORD),
      * DISP(MDOFN),
      * ICKFR(2, MDOFN),
      * LNODS (MNODE, NELEM),
      * PLOAD (MDOFN),
      * SELDIS (MDOFN, MNODE, NELEM)
. . .
user code
. . .
RETURN
END
```

Arguments of the call:

• IPOIN: Ordinal number of the loaded node (input).

- COORD: Array of the initial coordinates of the loaded node (input).
- DISP: Array of the total current displacements or temperature change of the loaded node (input).
- *ICKFR: ICKFR(1, 1)* indicates the element where the I-th d.o.f of the node IPOIN appears for the first time. *ICKFR(2, 1)* indicates the element where the I-th DOF of the node IPOIN can be eliminated from the solution front (input).
- LNODS: Array of the connectivities for all elements in the mesh (input).
- PLOAD: Array of the point loads or fluxes applied at the node IPOIN (output).
- MCORD: Maximum number of coordinates of a node node (input, from COMMON/CNTR/).
- MDOFN: Maximum number of degrees of freedom of a node (input, from COMMON/CNTR/).

5.16 UPMAS

UPMAS calculates the concentrated masses as a function of the position of the nodes.

```
SUBROUTINE UPMAS ( PMASS, COORD, IUSER.)
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
C
DIMENSION
* COORD (MCORD),
* PMASS (MDOFN)
...
user code
...
RETURN
END
```

Arguments of the call:

- COORD: Array of the initial coordinates of the loaded node (input).
- *PMASS:* Array of the concentrated masses on a node (output). It should be noted that these are real masses only for translational degrees of freedom, whereas inertia moments are connected to rotational degrees of freedom.
- *IUSER:* Fixed to 1 (input).
- MCORD: Maximum number of coordinates of a node (input, from COMMON/CNTR/).
- MDOFN: Maximum number of degrees of freedom of a node (input, from COMMON/CNTR/)

5.17 URDTEM

Routine for calculating the temperature values at the nodes.

```
SUBROUTINE URDTEM(COORD, DTTMP, DTEMP, TEMPE, NAUTO,
      * ICODE )
С
IMPLICIT REAL*8 (A-H,O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'CREAD'
INCLUDE 'ELEM'
INCLUDE 'FILES'
INCLUDE 'TMPPST'
С
DIMENSION
     * COORD (MCORD, NPOIN),
      * DTTMP(ITYRD, NPOIN),
      * DTEMP(ITYRD,NPOIN),
      * TEMPE ITYRD, NPOIN)
. . .
user code
. . .
RETURN
END
```

Arguments of the call:

- COORD: Array of the initial coordinates of the loaded node (input).
- *DTTMP:* Array of the variation of the nodal temperature at the end of the series of NAUTO increments (output).
- DTEMP: Array of the nodal temperature increment (output).
- TEMPE: Array of the current nodal total temperature (input).
- *ITYRD*: Indicator of the interpolation type of the temperature across the thickness of a shell element (input, from COMMON/CNTR/).
- MCORD: Maximum number of coordinates of a node (input, from COMMON/CNTR/).
- NPOIN: Maximum number of nodes in the mesh (input, from COMMON/CNTR/).

5.18 UTEMPI

The routine UTEMPI allows definition of initial temperature values. It is called once at the beginning of the analysis.

This routine is not available in the presence version of NOSA-ITACA.

```
SUBROUTINE UTEMPI ( TEMPI, COORD, ID, ICODE )
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
C
DIMENSION
* COORD (MCORD)
...
user code
...
```

RETURN END

Arguments of the call:

- TEMPI: Value of the component of initial temperature (output).
- COORD: Coordinates of the node considered (input).
- ID: Used for shell elements. Its value varies from 1 to ITYRD (input).
- ICODE: Fixed to 1.
- MCORD: Maximum number of coordinates of a node (input, from COMMON/CNTR/).

5.19 UTIE

Routine for the management of the tying relations (multipoint constraints) among degrees of freedom as functions of position and time. A tying relation means that a degree of freedom (tied) is constrained to assume the value of a linear combination of the values of other degrees of freedom (retained). The routine UTIE is called at the beginning of each load increment.

```
SUBROUTINE UTIE ( ITIE, RTIE, IRTIE, COORD, TDISP, TREAC, M,
      * ITYCH )
С
IMPLICIT REAL*8 (A-H,O-Z)
С
INCLUDE 'CNTR'
INCLUDE 'FILES'
С
DIMENSION
     * COORD (MDOFN, NPOIN),
      * ITIE(M+2),
      * IRTIE (MDOFN, MRET, MDOFN),
      * RTIE (MDOFN, MRET, MDOFN),
      * TDISP(MDOFN, NPOIN),
      * TREAC (MDOFN, NPOIN)
С
LOGICAL ITYCH
. . .
user code
RETURN
END
```

- *ITIE(1)*: Identifier number of the tying relation (input).
- *ITIE*(2): Ordinal number of the tied node (input).
- *ITIE*(3): Ordinal numbers of the retained nodes (input).
- *ITIE*(M+2): Ordinal numbers of the retained nodes (input).

- RTIE(I, K, J): Array of the coefficients of the linear relations among the degrees of freedom of the tied node and the degrees of freedom of the retained node. RTIE(I,K,J) links the J-th degree of freedom of the tied node to the I-th degree of freedom of the K-th retained node (output).
- *IRTIE(I, K, J)*: Map of the non-zero coefficients contained in the array RTIE; if IRTIE(I, K, J) is equal to one (1) then the corresponding coefficient RTIE(I, K, J) is different from zero (output).
- COORD: Array of the coordinates of all nodes in the mesh (input).
- TDISP: Array of the total displacements of all nodes in the mesh (input).
- TREAC: Array of the total reactions of all nodes in the mesh.
- *M*: Number of retained nodes relative to the tied node under consideration (input).
- *ITYCH:* Indicator of a change in the overall structure of the tyings (input/output).
- MDOFN: Maximum number of degrees of freedom per node (input from COMMON/CNTR/).
- NPOIN: Total umber of nodes in the mesh (input from COMMON/CNTR/).
- MRET: Maximum number of retained nodes per tied node (input from CPMMON/CNTR/).

Example of usage Example 1: Connecting a beam to a shell with pin joint



Figure 5.4: beam-shell connection using pin joints

The nodes of the sets "SLAVE" and "MASTER" have the same coordinates, but different numbering: the "SLAVE" nodes are beam nodes, whereas the "MASTER" ones are shell nodes. To set up a pin joint between beams and shells we have to constraint the "SLAVE" nodes to have the same displacements of the "MASTER" ones, whereas the rotations are left free. To do that, we have to use the following UTIE subroutine

```
subroutine utie(itie,rtie,irtie,coord,tdisp,treac,m,ityich)
implicit real*8 (a-h,o-z)
include 'cntr'
include 'files'
dimension
```

```
*coord(mcord, npoin),
     *tdisp(mdofn,npoin),
     *itie(m+2),
     *rtie(mdofn,mret,mdofn),
     *irtie(mdofn,mret,mdofn),
     *treac(mdofn, npoin)
      logical ityich
С
      do 10 idofn=1,mdofn
      do 10 ir=1,mret
      do 10 jdofn=1,mdofn
      irtie(jdofn, ir, idofn)=0
      rtie(jdofn,ir,idofn)=0.d0
10
      continue
С
      rtie(1,1,1)=1.d0
      irtie(1,1,1)=1
      rtie(2,1,2)=1.d0
      irtie(2,1,2)=1
      rtie(3,1,3)=1.d0
      irtie(3,1,3)=1
      return
      end
```

Example 2: Connecting a shell vault and a shell wall with clamped joints

Figure 5.5 shows a vault superimposed on a wall. The thickness of the wall and the vault is 1.0 m and 0.5 m, respectively: so the distance "d" between the middle surfaces of the two structures is 0.25 m. We want to connect the wall and the vault via clumped joints. Denoting by **u** and θ the displacement and rotation vectors of the nodes on the vault ("BOTVAULT" set) and by **v** and ϕ the corresponding vectors of the nodes on the wall ("TOPWALL" set), we have to impose the following set of constraints:

$$u_x = v_x + d \cdot \phi_z,$$

 $u_y = v_y,$
 $u_z = v_z - d \cdot \phi_x,$
 $\theta_x = \phi_x,$
 $\theta_y = \phi_y,$

 $\theta_z = \phi_z,$

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen



Figure 5.5: Shell-to-shell connections using clamped joints

And we use the following subroutine:

```
subroutine utie(itie,rtie,irtie,coord,tdisp,treac,m,ityich)
      implicit real*8 (a-h,o-z)
      include 'cntr'
      include 'files'
      dimension
     *coord(mcord, npoin),
     *tdisp(mdofn,npoin),
     *itie(m+2),
     *rtie(mdofn,mret,mdofn),
     *irtie(mdofn,mret,mdofn),
     *treac(mdofn, npoin)
     logical ityich
С
      do 10 idofn=1,mdofn
      do 10 ir=1,mret
      do 10 jdofn=1,mdofn
      irtie(jdofn, ir, idofn) =0
      rtie(jdofn,ir,idofn)=0.d0
10
   continue
С
      dist=0.25d0
С
      rtie(1,1,1)=1.d0
      irtie(1,1,1)=1
      rtie(4,1,1)=dist
      irtie(4,1,1)=1
      rtie(2,1,2)=1.d0
      irtie(2,1,2)=1
      rtie(3,1,3)=1.d0
      irtie(3,1,3)=1
      rtie(4,1,3)=-dist
      irtie(4,1,3)=1
      rtie(4,1,4)=1.d0
      irtie(4,1,4)=1
      rtie(5,1,5)=1.d0
      irtie(5,1,5)=1
      rtie(6,1,6)=1.d0
```

```
irtie(6,1,6)=1
return
end
```

Example 3: Connecting a shell vault and a 3D wall with clamped joints

Figures 5.6 - 5.7 show a structure similar to that of the previous example. They differs because the wall is modeled by 3D 8-nodes brick elements. In this case, the nodes of the wall have only 3 degrees of freedom, i.e. the displacements, so the ϕ rotations have to calculated by the wall displacements. We recognize that the imposition of a such kind of connection, requires two master DOF for each slave DOF.



Figure 5.6: Shell-to-solid connections using clamped joints



Figure 5.7: Enlarged view of the shell-to-solid connections

In practice, denoting by \mathbf{u} , θ the displacements and rotations of the shell nodes ("BOTVAULT" set) and by \mathbf{v} , \mathbf{w} the displacements of the brick nodes ("TOPWALL1" and "TOPWALL2" respectively) the rotations θ are:

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

$$\phi_x = \theta_x = \frac{v_z - w_z}{2d}$$
$$\phi_z = \theta_z = -\frac{v_x - w_x}{2d}$$
$$\theta_y \ free$$

and the previous constraints became:

$$u_x = \frac{v_x + w_x}{2},$$
$$u_y = v_y,$$
$$u_z = \frac{v_z + w_z}{2},$$
$$\theta_x = \frac{v_z - w_z}{2d},$$
$$\theta_z = -\frac{v_x + w_x}{2d}.$$

And we use the following subroutine:

```
subroutine utie(itie,rtie,irtie,coord,tdisp,treac,m,ityich)
      implicit real*8 (a-h,o-z)
      include 'cntr'
      include 'files'
     dimension
     *coord(mcord, npoin),
     *tdisp(mdofn,npoin),
     *itie(m+2),
     *rtie(mdofn,mret,mdofn),
     *irtie(mdofn,mret,mdofn),
     *treac(mdofn, npoin)
     logical ityich
С
      do 10 idofn=1,mdofn
     do 10 ir=1,mret
      do 10 jdofn=1,mdofn
      irtie(jdofn, ir, idofn)=0
     rtie(jdofn,ir,idofn)=0.d0
10 continue
С
     dist=0.25d0
С
      rtie(1,1,1)=0.5d0
      irtie(1,1,1)=1
      rtie(1,2,1) = 0.5d0
      irtie(1,2,1)=1
      rtie(2,1,2)=1.d0
      irtie(2,1,2)=1
      rtie(3,1,3)=0.5.d0
      irtie(3,1,3)=1
      rtie(3,2,3)=0.5d0
      irtie(3,2,3)=1
      rtie(3,1,4)=1.d0/(2.d0*dist)
      irtie(3,1,4)=1
      rtie(3,2,4)=-1.d0/(2.d0*dist)
      irtie(3,2,4)=1
     rtie(1,1,6)=-1.d0/(2.d0*dist)
      irtie(1,1,6)=1
```

```
rtie(1,2,6)=1.d0/(2.d0*dist)
irtie(1,2,6)=1
return
end
```

Eaxample 4: Imposition of kinematic constraints along boundaries not aligned with coordinate directions

Figure 5.8 shows a portion (30°) of the cross section of a thick-wall cylinder. On the boundary named BASE0, the y component of displacement is constrained to 0, whereas on the boundary named BASE30 the component of displacement along the direction normal to the boundary is constrained to 0. So, on BASE30 the following constraint holds:

$$\mathbf{u} \cdot \mathbf{n} = u_x n_x + u_y n_y = 0,$$

and then

$$u_x = -\frac{n_y}{n_x}u_y.$$

We have to remark that in this case the slave and master DOF are different DOF of the same node. The corresponding UTIE subroutine is:



Figure 5.8: Multipoint constraints in polar coordinates

```
subroutine utie(itie,rtie,irtie,coord,tdisp,treac,m,ityich)
implicit real*8 (a-h,o-z)
include 'cntr'
include 'files'
dimension
*coord(mcord,npoin),
*tdisp(mdofn,npoin),
*titie(m+2),
*rtie(mdofn,mret,mdofn),
*irtie(mdofn,mret,mdofn),
*treac(mdofn,npoin)
logical ityich
```

```
pg=dacos(-1.d0)
С
      do 10 idofn=1,mdofn
      do 10 ir=1,mret
      do 10 jdofn=1,mdofn
      irtie(jdofn,ir,idofn)=0
     rtie(jdofn,ir,idofn)=0.d0
10 continue
С
     angle=30.d0*pg/180.d0
      nx=-dsin(angle)
      ny=dcos(angle)
      coef=-ny/nx
С
      rtie(2,1,1)=coef
      irtie(2,1,1)=1
      return
      end
```

5.20 UVELI

The routine UVELI allows definition of initial velocities values; it is called once at the beginning of the analysis.

```
SUBROUTINE UVELI ( VELOI, COORD, IUSER, NODE )
C
IMPLICIT REAL*8 (A-H,O-Z)
C
INCLUDE 'CNTR'
C
DIMENSION
* COORD (MCORD)
...
user code
...
RETURN
END
```

- *VELOI:* Value of the component of initial velocity (output).
- COORD: Coordinates of the node considered (input).
- IUSER: Its absolute value is the identifier of the displacement component (input).
- *NODE:* Identifier number of the node (input).
- em MCORD: Maximum number of coordinates of a node (input, from COMMON/CNTR/).
Chapter 6

Miscellanea

This documentation deals with miscellaneous subjects; in particular, the following topics are covered:

- Description of the COMMON blocks;
- Description of the NOSA-ITACA output files;
- Error codes.

6.1 Description of the COMMON blocks

In this section a brief description of the variables contained in the various COMMON of the NOSA-CODE will be given. Any fortran routine may access the data contained in a COMMON area, through an instruction *INCLUDE* followed by the name of the COMMON. The following common blocks will be described:

- CNTR: Control parameters;
- CONVRG: Convergence check;
- CREAD: Arrays for reading input data;
- DYNA: Dynamic analysis parameters;
- ELEM: Parameters characteristic of the elements;
- ENERG: Energy and energy density on the mesh;
- ERROD: Parameters for error management;
- FILES: Definition of the I/O units;
- FREQPR: Parameters for management of printing output;
- LOADS: Parameters for management of centrifugal loads;
- LOCAL: Characteristics of the element under consideration;
- LSIZE: Dimensions of the elemental arrays;
- MOTION: Time parameters;
- POST: Parameters for management of the post-processing data;
- SHFUN: Shape functions and derivatives;
- SIZE: Pointers to the arrays in the working areas;
- TIMCPU: CPU timing;
- TITL: Title of the analysis;
- TMPPST: Thermal post-processing file data.

6.1.1 /CNTR/

This COMMON contains most of the control parameters.

COMMON/CNTR/	'ICARD,	IINCS, IITER, IOUTP, ITYRD, ISAVE, KEAREA,
*	KRESL,	LTOTV, MAXBW, MBCASI, LVPRT, MBDT, MBUF1 ,
*	MBUF2,	MBUF3, MBPINT, MBINT(2), MBTHCK, MBSHEL(2),
*	MCASI,	MCHAN, MCHAN1, MCORD, MDEFO, MDIST, MDIME,
*	MDOFN,	MDT, MINT, MPINT, MEAREA, MEVAB, MFAC,
*	MFRON,	MGAUS, MGEOM, MHARD, MITER, MNODE, MPART,
*	MPART0,	MPROP, MRET, MSET, MSETE, MSETEN, MSETN,
*	MSHEL,	MSIDE, MSTIF, MSURF, MTAB, MTHICK, MTIE,
*	MTTEMP,	MTYPE, MVSETE, MVSETN, NALGO, NELEM, NMAPH,
*	NMATS,	NPOIN, NRAPH, MGASPT, NEIGVAL,
*	IALIA,	IBEAM, ICOMP, ICORE, IDAMP, IDYNA, IELAS,
*	IELSH,	IIFILM, IFINI, IFOLL, IFRIC, IHEAT, IMASO,
*	IREST,	IRSDIS, ISCAL, ISTOP, ITRES, FIRST, LUMP,
*	LENER,	IHHT, IELSH5, ITRIA, ITRUSS, IMODAL
LOGICAL	IALIA,	IBEAM, ICOMP, ICORE, IDAMP, IDYNA, IELAS,
*	IELSH,	IIFILM, IFINI, IFOLL, IFRIC, IHEAT, IMASO,
*	IREST,	IRSDIS, ISCAL, ISTOP, ITRES, FIRST, LUMP,
*	LENER,	IHHT, IELSH5, ITRIA, ITRUSS, IMODAL

A brief description of the common variables is given in Table 6.1.

Variable	Description			
FIRST	If .TRUE., the analysis is at the beginning (the first iteration of first increment).			
IALIA	If .TRUE., indicates the presence of element aliases (default .FALSE.).			
IBEAM	If .TRUE., indicates the presence of beam elements (default .FALSE.).			
ICARD	FORTRAN unit for reading the input data (default ICARD = 5).			
ICOMP	If .TRUE., indicates that the sections of the shell or beam element have of non-			
	homogeneous thickness and/or possess non-homogeneous mechanical properties. Ac-			
	tivation is required from the card COMPOSITE (default .FALSE.).			
ICORE	If .TRUE., indicates that an out-of-core analysis will be performed (default .FALSE.,			
	calculated in the routine CORE).			
IDAMP	If .TRUE., indicates that the damping terms have to be calculated in a dynamic anal-			
	ysis (default .FALSE.).			
IDYNA	If .TRUE., indicates a dynamic analysis (default .FALSE.).			
IELAS	If .TRUE., indicates selection of the option ELASTIC and that a linear elastic analysis			
	will therefore be performed (default .FALSE.).			
IELSH	If .TRUE., indicates the presence of shell elements in the mesh (default .FALSE.).			
IELSH5	If .TRUE., indicates the presence of type 5 shell elements (thin shells) in the mesh			
	(default .FALSE.).			
IFINI	If .TRUE., indicates selection of the option FINITE STRAIN and that finite deforma-			
	tion will therefore be considered (default .FALSE.).			
IFOLL	If .TRUE., indicates selection of the option FOLLOWER FORCES for calculation of			
	the local distributed loads in the current configuration (default .FALSE.).			
IFRIC	If .TRUE., indicates the use of friction coefficients in a contact analysis (default			
	.FALSE.).			
IHEAT	If .TRUE., indicates a heat transfer analysis (default .FALSE.).			
IHHT	If .TRUE., indicates that the HHT method will be used in dynamic analyses (default			
	.FALSE.).			

Table 6.1: Variables of the COMMON /CNTR/

Table 6.1: continue in the next page

Variable	Description
IIFILM	If .TRUE. indicates the use of film coefficients in a heat transfer analysis (default
TD LOG	.FALSE.).
IINCS	Number of the current load increment (calculated in the routine PSTRES).
IIIER	Number of the current iteration (calculated in the routine PSTRES).
IMASO	FALSE)
IMODAL	If .TRUE., indicates selection of the option MODAL in the control cards and a cal- culation of the eigenfrequencies an eigenvectors of the structure will be carried out (default .FALSE.).
IREST	If .TRUE., indicates selection of the option RESTART (default .FALSE.).
IRSDIS	If .TRUE., indicates that, in a dynamic analysis, the iteration convergence criterion is
	based on the residual displacements instead on the residual forces (default .FALSE.).
ISAVE	If different from zero, it indicates selection of the option SAVE INCREMENT in the
100.11	load cards and its value represents the saving frequency (default 0, i.e. no saving).
ISCAL	If .TRUE., indicates selection of the option SCALE in the control cards (default FALSE)
ISTOP	If TRUE, indicates selection of the option STOP in the control cards (default
	.FALSE.).
ITRES	If .TRUE., indicates selection of the option ITRESS in the control cards (default
	.FALSE.).
ITRIA	If .TRUE., indicates the presence of triangular elements in the mesh (default
	.FALSE.).
ITRUSS	If .TRUE., indicates the presence of truss elements (type 35) in the mesh (default
VEADEA	.FALSE.).
KEAKEA	elemental data. When the in-core solution is possible, KEAREA is the sum of the dimensions JEAREA for all elements; otherwise it is the maximum value of the elemental JEAREA (calculated in the routine CORE).
LENER	If .TRUE., it indicates selection of the option ENERGY in the control cards (default .FALSE.).
LTOTV	Is Actual total number of DOF in the mesh.
LUMP	If .TRUE., indicates selection of the option LUMPED MASS in the control cards
	(default .FALSE.).
MAXBW	Is Maximum bandwidth calculated for the assembled matrix in the modal analysis.
MBCASI	If beam elements are present, it takes the value MBINT(1) + MBINT(2), otherwise it is set to 1 (default value)
MBDT	If heam elements are present, it takes the value MRSHEI (1) + MRSHEI (2), other-
MIDDI	wise it is set to 1 (default value).
MBINT	If beam elements are present, MBINT(1) is the number of section integration points
	along the first local direction and MBINT(2) is the number of section integration
	points along the second local direction, otherwise they are set to 1 (default value).
MBPINT	If beam elements are present, it takes the value MBSHEL(1) * MBSHEL(2) (i.e. the
	total number of integration points on the cross section of the beam), otherwise it is
MOGUEI	set to 1 (default value).
MBSHEL	II beam elements are present, MBSHEL(1) is the number of section fibers along the
	list local direction and MBIN $I(2)$ is the number of section fibers along the second local direction, otherwise they are set to $I(default values)$
MRTHCV	If hear elements are present, it takes the value MRSHEI (1) * MRSHEI (2) if a the
MDIIICK	total number of fibers on the cross section of the beam) otherwise it is set to 1 (default
	value).
	Table 6.1:continue in the next page

Table 6.1: continue from the previous page

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

6.1 Description of the COMMON blocks

Variable	Description
MBUF1	Dimension of the arrays for the definition of load increments. Its value is NELEM
	in case of in-core solution, whereas it is calculated in the routine CORE in case of
	out-of-core solution.
MBUF2	Dimensions of the arrays used for resolution; it is equal to MDOFN*NPOIN if an
	in-core solution is performed, whereas it is calculated from the routine CORE for the
	out-of-core solution.
MBUF3	Indicates how many elemental work-areas are contained in the EAREA array. Its
	value is NELEM in case of in-core solution, whereas it is calculated in the routine
	CORE in case of out-of-core solution.
MCASI	Maximum number of integration points trough the thickness for shell elements (de-
	fault 3).
MCHAN	Reserved for future development.
MCHANI	Reserved for future development.
MCORD	Maximum number of coordinates per node.
MDEFO	Maximum number of deformable bodies.
MDIST	Maximum number of different (by type or element) distributed loads or fluxes (default
MDIME	3).
MDOEN	Maximum number of dimensions of the structure.
MDOFN	The manimum hatman MSHEL and MDDT
	The maximum between MSHEL and MBD1.
MEAKEA	Maximum number of doctors of freedom per elemental work-area.
MEVAB	Maximum number of degrees of freedom per element.
MEDON	Maximum length of the resolution front (colculated in the routine CUIVSTI)
MGASPT	Maximum length of the resolution front (calculated in the fourthe CHNSTI).
MGAUS	Maximum number of Gauss integration points for analysis direction
MGEOM	Number of nodes per element with variable thickness
MHARD	Maximum number of hardening curves which are present. This value is read from the
WITARD	card HARDENING in the control cards (default 0)
MINT	The maximum between MCASL and MBCASL
MITER	Maximum number of iterations permitted for each load increment (default 3)
MNODE	Maximum number of nodes per element
MPART	Maximum number of parts making up a rigid surface (default ())
MPARTO	Maximum number of post-processing parts making up a rigid surface
MPINT	The maximum between MCASI and MBPINT
MPROP	Maximum number of properties for each material (default 10).
MRET	Maximum number of retained nodes for each tied node in the tying relations (default
	0).
MSET	Maximum number of entity (nodes or elements) making up a set (default 0).
MSETE	Maximum number of sets of elements present in the structure (default 0).
MSETEN	Maximum number of entities in a compound set (set to MSET as default value).
MSETN	Maximum number of sets of nodes present in the structure (default 0).
MSHEL	Maximum number of layers for a shell element (default 2).
MSIDE	Maximum number of nodes belonging to an element face.
MSURF	Maximum number of rigid surfaces present in the structure (default 0).
MTAB	Maximum number of tables of temperature dependent properties (default 0).
MTHICK	The maximum between MSHEL and MBTHCK.
MTIE	Maximum number of tied nodes in the tying relations (default 0).
MTTEMP	Maximum number of data pairs in each table of temperature dependent properties.
MTYPE	Maximum number of different element types present in the structure (default 1).

Table 6.1: continue from the previous page

Table 6.1: continue in the next page

Table 6.1:continue from the previous page			
Variable	Description		
MVSETE	Maximum number of items in an element set.		
MVSETN	Maximum number of items in a node set.		
NEIGVAL	Number of eigenfrequencies and eigenvectors to be calculated (default 0)		
NELEM	Maximum number of elements.		
NMAPH	Maximum number of materials with anisotropic yield stress.		
NMATS	Maximum number of materials present in the structure.		
NPOIN	Maximum number of nodes.		
NRAPH	Maximum number of values for the anisotropic yield stress .		

Table 6.1:completed

6.1.2 /CONVRG/

This COMMON contains the parameters that control the convergence of increments.

```
COMMON/CONVRG/PRESD,DTMAX,PSCMAX,FACTO,TOLER,FUZTOL,

* FUZDIS,FUZTMP,TMPFIN,NCHECK,NCHKOU,

* MAXINC,NUMSTP

LOGICAL NCHECK,NCHKOU
```

A brief description of the common variables is given in Table 6.2.

Variable	Description
DTMAX	Maximum value of the temperature change found in a heat transfer increment.
FACTO	Proportionality factor which multiplies the load increment, as declared in the cards
	PROPORTIONAL INCREMENT (default 1.).
FUZDIS	The minimum value of the norm of the incremental displacements for the displace-
	ment convergence check in dynamic analysis. The displacement convergence check
	is used in dynamic analysis if the norm of total forces, including inertia and damping
	forces, is less than FUZTOL or if this option is explicitly set in the cards CONTROL.
FUZTMP	The minimum value of DTMAX in order to allow the step size variation in heat trans-
	fer analysis.
FUZTOL	The minimum value of the norm of total forces in order that the convergence check
	be done.
MAXINC	Maximum number of increments allowed in an analysis.
NCHECK	If .TRUE. the increment satisfies the convergence criteria, and the next increment can
	be processed.
NCHKOU	Output parameter. If .TRUE. the output of the current increment can be done.
NUMSTP	Maximum number of steps in a series, for heat transfer analysis.
PRESD	Ratio in % between the norm of residual forces/displacements and the norm of the
	total forces or incremental displacements.
PSCMAX	Factor by which the values of elemental quantities must be divided so that the most
	stressed integration point is brought to the first yield limit.
TMPFIN	The maximum value allowed for the temperature change in an increment of the heat
	transfer analysis.

Table 6.2: Variables of the COMMON /CONVRG/

Table 6.2: continue in the next page

10010 0.2.0000	Table 0.2. commue from the previous page			
Variable	Description			
TOLER	The maximum ratio, in percent, between the norm of residual forces/displacements and the norm of the total external forces or the incremental displacements must be less than TOLER, in order that an increment satisfy the convergence criterion (default 0.01%).			

Table 6.2: continue from the previous page

Table 6.2:completed

6.1.3 /CREAD/

This COMMON contains the variables for decoding the input data.

```
COMMON /CREAD/ FLOUT(8000),CARD(160000),IOUT(16000),
* CHAR1(20,16000),LCHAR1(16000)
CHARACTER*1 CARD,CHAR1
```

A brief description of the common variables is given in Table 6.3.

Variable	Description
CARD	Array containing an input data card and its continuations, if any, in formatted charac-
	ters.
CHAR1	Array containing alphanumeric fields (each fields has a maximum number of twenty
	characters) present in an input data card and its continuations, if any.
FLOUT	Array containing the decoding (from formatted characters to double precision real
	number) of fields present in an input data card and its continuations, if any.
IOUT	Array containing the decoding (from formatted characters to integer numbers) of
	fields present in an input data card and its continuations, if any.
LCHAR1	Array containing the lengths, in characters, of alphanumeric fields present in CHAR1.

Table 6.3: Variables of the COMMON /CREAD/

Table 6.3:completed

6.1.4 /DYNA/

This COMMON contains the parameters characteristic Newmark integration method for the dynamic analysis.

COMMON/DYNA/GAMNEW, BETNEW, ALFHHT

A brief description of the common variables is given in Table 6.4.

Variable	Description
BETNEW	Weighting factor of the acceleration in the interpolation of the displacement in the
	Newmark method (default 0.25).
GAMNEW	Weighting factor of the acceleration in the interpolation of the velocity in the New-
	mark method (default 0.5).
ALFHHT	"Alfa" coefficient for the HHT method (default 0.0).

Table 6.4: Variables of the COMMON /DYNA/

Table 6.4: completed

6.1.5 /ELEM/

This COMMON contains the parameters characteristic of the different element types (maximum thirty) used in the analysis.

COMMON	/ELEM/	NCORD(50)	, NCORN (50)	,NDIME(50)	,NDOFN(20,50),
*		NEVAB(50)	,NFAC(50)	,NGASP(50)	,NGAUS(50) ,
*		NNODE(50)	,NPRINC(50)	,NSIDE(50)	,NSTRE(50) ,
*		NSTR1(50)	,NTYPE(50)	,NALIA(50)	

A brief description of the common variables is given in Table 6.5.

Variable	Description		
NALIA(I)	If different from 0, indicates the alias identifier of the I-th element type.		
NCORD(I)	Number of coordinates for each node of the I-th element type.		
NCORN(I)	Number of corner nodes of the I-th element type.		
NDIME(I)	Number of dimensions of the I-th element type.		
NDOFN(J, I)	Number of degrees of freedom of the J-th node of the I-th element type.		
NEVAB(I)	Maximum number of degrees of freedom of the I-th element type.		
NFAC(I)	Number of faces of the I-th element type.		
NGASP(I)	Total number of Gauss integration points of the I-th element type.		
NGAUS(I)	Number of Gauss integration points for each local direction of the I-th element type.		
NNODE(I)	Total number of nodes of the I-th element type.		
NPRINC(I)	Number of principal stress components in each integration point of the I-th element		
	type.		
NSIDE(I)	Number of nodes belonging to a face of the I-th element type.		
NSTRE(I)	Total number of stress components in each integration point of the I-th element type.		
NSTR1(I)	Total number of components of the deviatoric part of the stress in each integration		
	point of the I-th element type.		
NTYPE(I)	Identifier of the I-th element type.		

Table 6.5: Variables of the COMMON /ELEM/

Table 6.5:completed

6.1.6 /ENERG/

This COMMON contains the values of the energy terms in the mesh.

COMMON/ENERG/ENERM, ENERC, ENERP, WORKEX, WORKVI

A brief description of the common variables is given in Table 6.6.

Variable	Description
ENERC	The value of the total kinetic energy.
ENERM	ENERC+ENERP-WORKEX.
ENERP	The value of the total deformation energy.
WORKEX	The value of the total work done by the external forces, including the reaction forces.
WORKVI	The value of the work done by the viscous forces.

Table 6.6: Variables of the COMMON /ENERG/

Table 6.6:completed

6.1.7 /ERROD/

This COMMON contains the parameters for management of accidental errors in the input data.

COMMON /ERROD/ NEROR(200), IFATL, INFTL

A brief description of the common variables is given in Table 6.7.

Variable	Description
IFATL	Number of the errors encountered which prevent the analysis from continuing.
INFTL	Number of the errors encountered which do not prevent the analysis from continuing.
NEROR(I)	Number of errors of type I found in reading and decoding of the input data.

Table 6.7: Variables of the COMMON /ERROD/

Table 6.7:completed

6.1.8 /FILES/

This COMMON contains the numbers of the I/O FORTRAN units.

COMMON /FILES/ JINP ,JOUT, JFIL1, JFIL2, JFIL3, JFIL4, IPOSB, * IPOSF, IPOSM, JREST, JPSTTF, JPSTTB, NFIL2, * KREC2, NREC2 A brief description of the common variables will be given in Table 6.8.

Variable	Description
IPOSB=21	FORTRAN unit for writing the post-processing data in binary format. The filename
	will be name.t16.
IPOSF = 20	FORTRAN unit for writing the post-processing data in character format. The filename will be name.t19.
IPOSM=22	FORTRAN unit for writing in character format the results of modal analysis, if any.
	The filename will be name_modal.t19.
JFIL1 = 1	FORTRAN unit for writing the definition data of distributed loads in case of out-of-
	core resolution. The filename will be temp/name. 1.
JFIL2 = 2	FORTRAN unit for writing the reduced equation in the case of out-of-core resolu-
	tion.The filename will be temp/name.2.
JFIL3 = 3	direct access FORTRAN unit for writing the data contained in the elemental work
	areas in the case of out-of-core solution. The filename will be temp/name.3.
JFIL4 = 4	FORTRAN unit for writing the right-hand members of the reduced equations for out-
	of core back-substitution. The filename will be temp/name.4.
JINP = 5	FORTRAN unit for reading the input data. The filename will be name.crd.
JOUT = 8	FORTRAN unit for printing the results of the analysis. The filename will be name.prt.
JPSTTB=25	FORTRAN unit for reading the binary post-processing file containing temperature
	values for the thermal loads evaluation. The filename will be name.t25.
JPSTTF=26	FORTRAN unit for reading the formatted post-processing file containing temperature
	values for the thermal loads evaluation. The filename will be name.t26.
JREST=99	FORTRAN unit for writing and reading analysis data in the case of saving the load
	increment or restart of an analysis. The filename will be name.rst.
KREC2	Record index into the current file used to store the reduced equations in the case of
	out-of-core solution. It varies from 1 to NREC2.
NFIL2	No more used.
NREC2	Maximum number of records in each file used to store the reduced equations in the
	case of out-of-core solution.

Table 6.8: Variables of the COMMON /FILES/

Table 6.8:completed

Remarks:

The files name.crd, name.t25 and name.t26 if required, must be present in the directory were the run is executed. Moreover, if an out-of-core solution is necessary, a directory temp must be created. The expression 'name' is the name of the file containing the input data, and it will be required by the program at the beginning of a run.

6.1.9 /FREQPR/

This COMMON contains the parameters which manage output data printing.

```
COMMON /FREQPR/IFREQP, NELPR, NODPR
```

A brief description of the common variables is given in Table 6.9.

Variable	Description
IFREQP	Printing frequency of incremental data. If printouts are required, the results will be printed every IFREQP increments (default 1).
NELPR	If different from zero, indicates that a printout of results is required only for a selected set of elements (default 0).
NODPR	If different from zero, indicates that a printout of results is required only for a selected set of nodes (default 0).

Table 6.9: Variables of the COMMON /FREQPR/

Table 6.9:completed

6.1.10 /LOADS/

This COMMON contains the parameters for definition of centrifugal loads.

COMMON /LOADS/ROTAX(6), ICENT

A brief description of the common variables is given in Table 6.10.

Table 0.10. Variables of the COMMON /LOADS	Table 6.10:	Variables	of the	COMMON	/LOADS/
--	-------------	-----------	--------	--------	---------

Variable	Description
ICENT	If different from zero, indicates that a rotation axis has been defined (default 0).
ROTAX(13)	Components of the unit vector corresponding to the angular velocity (default 0., 0.,
	1.).
ROTAX(46)	Coordinates of a point belonging to the rotation axis (default 0., 0., 0.).

Table 6.10:completed

6.1.11 /LOCAL/

This COMMON contains the information relative to the element under consideration. The presence of different values corresponding to different section integration points (up to 441 layers for shells or 21x21 fibers for beams) is meaningful only for non-homogeneous shell/beam elements.

```
COMMON /LOCAL/YOUNG(441), POISS(441), SHEAR(441), ALPH1(441),

* BULK(441), YELD(441), YELC(441), ALFA(441),

* BETA(441), CKE1(441), CKE2(441), RHOO(441),

* COND(441), SPHE(441), DENS(441), EMIS(441),

* ALPHA, ITYPE, KTYPE, LCORD, LCORN, LDIME,

* LDOFN, LEVAB, LFAC, LGASP, LGAUS, LNODE,

* LPRINC, LPROP(441), LSIDE, LSTRE, LSTR1,

* LDELTA, LINS, LINT, LPINT, LTHCK
```

A brief description of the common variables is given in Table 6.11.

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Variable	Description
ALFA(I)	Value of the parameter used in kinematic hardening model for infinitesimal elasto- plasticity, corresponding to the I-th section integration point of the element ¹ .
ALPHA	Reserved for future developments.
ALPH1(I)	Value of the coefficient of thermal dilatation corresponding to the I-th section integra-
	tion point of the element.
BETA(I)	Value of the parameter b used in isotropic hardening model for infinitesimal elasto- plasticity corresponding to the I-th section integration point of the element ¹
BULK(I)	Value of the bulk modulus corresponding to the I-th section integration point of the
CKE1(I)	element. Value of the parameter all used in kinematic bardening model for infinitesimal elasto
CKLI(I)	plasticity corresponding to the L-th section integration point of the element ¹
CKE2(I)	Value of the parameter e2 used in kinematic hardening model for infinitesimal elasto-
	plasticity, corresponding to the I-th section integration point of the element ¹ .
COND(I)	Value of the heat conductivity corresponding to the I-th section integration point of
	the element.
DENS(I)	Value of the density corresponding to the I-th section integration point of the element.
EMIS(I)	Value of the emissivity corresponding to the 1-th section integration point of the ele-
ITVPF	Ordinal number of the element identifier as specified in cards SIZING and/or ELE-
IIIL	MENTS.
KTYPE	Identifier of the element type.
LCORD	Number of coordinates for each node of the element.
LCORN	Number of corner nodes in the element.
LDIME	Number of element dimensions.
LDOFN	Maximum number of degrees of freedom for each node of the element.
LEVAB	Total maximum number of degrees of freedom of the element.
LFAC	Number of faces of the element.
LGASP	Total number of Gauss integration points of the element.
LGAUS	Number of Gauss integration points of the element for each local direction.
LNODE	Total number of element nodes.
	Number of principal stress components for each integration point of the element.
LPROP(I)	Number of nodes belonging to an element feed
LSIDE	Number of stress components for each integration point of the element
LSTR1	Number of components in the deviatoric part of the stress for each integration point
LOIRI	of the element.
POISS(I)	Value of the Poisson ratio corresponding to the I-th section integration point of the
	element.
RHO0(I)	CKE1(I) + CKE2(I).
SHEAR(I)	Value of the shear stiffness modulus corresponding to the I-th section integration point
	of the element.
SPHE(I)	Value of the specific heat per unit mass corresponding to the I-th section integration
	point of the element.
YELC(I)	For masonry-like materials, the value of the compressive strength for the I-th section
	integration point of the element.
YELD(I)	For elastic-plastic materials, the limit value of first shear yield for the I-th section
	integration point of the element. For masonry-like materials the value of the tensile
	strength for the 1-th section integration point of the element.

Table 6.11: Variables of the COMMON /LOCAL/

Table 6.11:continue in the next page

Variable Description YOUNG(I) Value of the Young modulus corresponding to the I-th section integration point of the element.	Table 6.11:cont	inue from the previous page
YOUNG(I) Value of the Young modulus corresponding to the I-th section integration point of the element.	Variable	Description
	YOUNG(I)	Value of the Young modulus corresponding to the I-th section integration point of the element.

Table 6.11:completed

¹: These parameters are valid only for 2d and 3d elements, so only the value in the position 1 is meaningful

6.1.12 /LSIZE/

This COMMON contains the lengths in double words of the arrays making up the work areas EAREA containing the elemental data.

COMM	ON	/LSIZE/					
			KACCA(50)	,KBMAT5(50)	,KBMAT9(50)	,KBMA10(50),	
*			KCBASE (50)	, KCDERV(50)	,KCDER0(50)	,KCENTR(50),	
*			KCMAT(50)	,KCOSTR(50)	,KDMATG(50)	,KDSTRA(50),	
*			KDSTRE(50)	,KDVOLU(50)	, KEMASS(50)	,KENERG(50),	
*			KGEI(50)	,KGPBAS(50)	,KGPCOD(50)	,KGRADT(50),	
*			KIFBE(50)	,KRSPTF(50)	,KRSPTI(50)	,KSDC(50) ,	
*			KSDEPL(50)	,KSDH(50)	,KSDUPL(50)	,KSDZ(50) ,	
*			KSECT(50)	,KSHAP5(50)	,KSTRAP(50)	,KSTRUP(50),	
*			KTHER(50)	,KTHICK(50)	,KTSTRA(50)	,KTSTRE(50),	
*			KTTHEI(50)	,KTTHER(50)	,KZETA(50)	,KZETSH(50)	

A brief description of the common variables is given in Table 6.12.

Variable	Description
KACCA(I)	Dimensions of the array ACCA defining the exponential part of the kinematic hard- ening for each integration point of the I-th type of element.
KBMAT5	Dimensions of the array BMAT5 containing the strain-displacement matrix for each integration point of the thin shell element.
KBMAT9	Dimensions of the array BMAT9 containing the strain-displacement matrix for each integration point of the beam element.
KBMA10	Dimensions of the array BMA10 containing the strain-displacement matrix for each integration point of the thick shell element.
KCBASE	Dimensions of the array CBASE containing the centroidal basis vectors of the shel- l/beam elements.
KCDERV(I)	Dimensions of array CDERV containing the Cartesian derivatives of the shape func- tions for each integration point of the I-th type of element.
KCDER0(I)	Dimensions of array CDER0 containing the Cartesian derivatives of the shape func- tions calculated at the centroid of the I-th type of element.
KCENTR(I)	Dimensions of array CENTR containing the current values of components of the cen- ter of elastic range for each integration point of the I-th type of element
KCMAT	Dimensions of the array CMAT containing the damping matrix used in dynamic anal- ysis.

Table 6.12: Variables of the COMMON /LSIZE/

Table 6.12: continue in the next page

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Table 6.12:continue	from the	e previous	page
---------------------	----------	------------	------

Variable	Description
KCOSTR(I)	Dimensions of array COSTRE containing the corrective term to the stiffness matrix due to the presence of anisotropic yield materials for each integration point of the I-th
	type of element.
KDMATG(I)	Dimensions of array DMAIG containing the constitutive matrix for each integration point of the I-th type of element.
KDSTRA(I)	Dimensions of array DSTRA containing the incremental values of the total deforma- tion components for each integration point of the I-th type of element.
KDSTRE(I)	Dimensions of array SDSTRE containing the incremental values of the Cauchy stress components for each integration point of the I-th type of element.
KDVOLU(I)	Dimensions of array DVOLU containing the elements of volume or surface used in the Gauss quadrature for each integration point of the I-th type of element.
KEMASS(I)	Dimensions of the array EMASS containing the mass matrix terms of the I-th type of element.
KENERG	Dimensions of the array ENERG containing the densities of energy and external work.
KGEI	Dimensions of the array GEI containing the cross section moments of inertia for beam elements.
KGPBAS	Dimensions of the array GPBASE containing the basis vectors for each integration point of the shell elements.
KGPCOD(I)	Dimensions of the array GPCOD containing the values of the Cartesian coordinates of the Gauss integration points of the I-th type of element.
KGRADT(I)	Dimensions of the array GRADT containing the temperature gradient values for each integration point of the L th type of element
KIFBE	Dimensions of the array IFBE containing, in case of beam element, the map of the actual fibers of the cross section
KRSPTF(I)	Dimensions of array RSPTF containing the current values of the rotation matrix from global to principal reference system for each integration point of the I-th type of element
KRSPTI(I)	Dimensions of array RSPTI containing the values, at the beginning of the increment, of the rotation matrix from global to principal reference system for each integration point of the I-th type of element
KSDC(I)	Dimensions of array SDC containing the incremental value of the deformation tensor center of the elastic range for each integration point of the I th type of element
KSDEPL(I)	Dimensions of array SDEP containing the incremental values of the plastic deforma- tion for each integration point of the L th tune of element
KSDH(I)	Dimensions of array SDH containing the incremental values of tensor which defines the exponential part of the kinematic hardening for each integration point of the I-th
KSDUPL(I)	Dimensions of array SDUP containing the incremental values of the crushing defor- mation for each integration point of the I-th type of element
KSDZ(I)	Dimensions of array SDZ containing the incremental values of the accumulated equivalent plastic strain (Odquist parameter) for each integration point of the I-th type of element
KSECT	Dimensions of the array SECT containing the cross section areas of beam elements
KSHAP5	Dimensions of the array SHAP5 containing the shape function values for each inte- gration point of the thin shell element
KSTRAP(I)	Dimensions of array TSTRAP containing the total values of the plastic strain compo- nents for each integration point of the I-th type of element
KSTRUP(I)	Dimensions of array TSTRUP containing the total values of the crushing strain com- ponents for each integration point of the I-th type of element.

Table 6.12: continue in the next page

_

Variable	Description
KTHER(I)	Dimensions of array THERM containing the values of temperature increments for
	each integration point of the I-th type of element.
KTHICK	Dimensions of the array DELTAH containing the thickness of the layers/fibers of
	shell/beam elements.
KTSTRA(I)	Dimensions of array TSTRA containing the values of the total deformation compo-
	nents for each integration point of the I-th type of element.
KTSTRE(I)	Dimensions of array TSTRE containing the total values of the Cauchy stress compo-
	nents for each integration point of the I-th type of element.
KTTHEI(I)	Dimensions of the array TTHERI containing the initial temperature values for each
	integration point of the I-th type of element.
KTTHER(I)	Dimensions of array TTHERM containing the values of the total temperature for each
	integration point of the I-th type of element.
KZETA(I)	Dimensions of array ZETA containing the total values of the accumulated equiva-
	lent plastic strain (Odquist parameter) for each integration point of the I-th type of
	element.
KZETSH	Dimensions of the array ZETSH containing the position of the integration point along
	the thickness of shell/beam element types.

Table 6.12: continue from the previous page

Table 6.12:completed

6.1.13 /MOTION/

This COMMON contains the parameters for time stepping in contact problems, dynamic analyses or heat transfer problems.

COMMON/MOTION/TOTTIM, DELTIM , TOTTII, DELTII, PERIOD, DIAG , AUTTIM , IRDINC, IUTLOA, ITYICH, IUSURF, IUFLUX , IUBND , IDYNCH, IACCI , ITRANS, NAUTO , INCINI * * * LOGICAL AUTTIM, IRDINC, IUTLOA, ITYICH, IUSURF, IUFLUX, * IUBND , IDYNCH, IACCI , ITRANS *

A brief description of the common variables is given in Table 6.13.

Variable	Description
AUTTIM	If .TRUE., indicates that the automatic time stepping procedure will be used in heat transfer analysis.
DELTII	Initial time step of a series of increments.
DELTIM	Time increment corresponding to the current load increment.
DIAG	Estimate of the total mesh dimensions.
IACCI	If .TRUE., indicates that the initial acceleration will be calculated in a dynamic anal-
	ysis.
INCINI	Not used.
IDYNCH	Not used.
	Table 6.13:continue in the next page

Table 6.13: Variables of the COMMON /MOTION/

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Variable	Description
IRDINC	Not used.
ITRANS	Not used.
ITYICH	If set to .TRUE. in the user routine UTIE, it indicates that the structure of the tying
	relations is changed and a recalculation of the front-width will be necessary.
IUBND	Not used.
IUFLUX	Not used.
IUSURF	If .TRUE., indicates that the user routine UMOTIO will be called to redefine the
	velocity of rigid surfaces in a contact analysis.
IUTLOA	Not used.
NAUTO	Indicates how many increments remain to complete a series.
PERIOD	Duration of a series of increments.
TOTTII	Initial total time at the beginning of a series of increments.
TOTTIM	Total time elapsed from the beginning of the analysis

Table 6.13: continue from the previous page

Table 6.13:completed

6.1.14 /POST/

This COMMON contains the parameters managing the post-processing data file.

COMMON/POST/ WRTIM, IBINI, ICONT, NPOST, MVAR, INDVAR(200), * INCSB, LSTINC,IREV, NODREL, CHVAR(48,200) CHARACTER*1 CHVAR LOGICAL IBINI,ICONT

A brief description of the common variables is given in Table 6.14.

Variable	Description
CHVAR(I)	Name (maximum 48 characters) of the I-th elemental variable to be written to the
	post-processing file.
IBINI	If .TRUE., the post-processing file will be written in binary, without any format con-
	trol, otherwise the file will be written in alphanumeric characters in card format.
ICONT	If .TRUE., in the case of restart, the initial part of the post-processing file containing
	the connectivity and nodal coordinates is written.
INCSB	Write frequency of iteration data on the post-processing file (Default 0, i.e. only the
	end-of-increment data will be written).
INDVAR(I)	Identifier (as specified in the card POST) of the I-th elemental variable to be written
	to the post-processing file.
LSTINC	Number of the lastly written increment.
MVAR	Number of the elemental variables which will be written to the post-processing file
	for each integration point.
NODREL	If different from 0, indicates that relative displacements with respect to node
	NODREL will be written in the post file.
	Table 6.14:continue in the next page

Table 6.14: Variables of the COMMON /POST/

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

10010 0.14.001	linue from the previous page
Variable	Description
NPOST	Write frequency for the post-processing file. This file will be written for the first increment and every NPOST increment starting from the increment LSTINC.
WRTIM	Write frequency in time, i.e. data will be written if the time increment is a integer multiple of WRTIM (Default 0.0 and the write frequency is controlled by NPOST).
	Table 6.14:completed

Table 6.14: continue from the previous page

6.1.15 /SHFUN/

This COMMON contains the shape function and their derivatives for each integration point of the element types present in the mesh.

```
common /shfun/shld1(2), shld2(2,2), sh2d4(4,5), sh2d8(8,9),
               sh3d8(8,9),sh3d20(20,27),shsh5(9,4),
               shf2d4(4,2), shf2d8(8,3), shf3d8(8,4),
*
               sf3d20(20,9),shfsh5(4,2),
*
               dr1d1(2),dr1d2(2,2),dr2d4(2,4,5),dr2d8(2,8,9),
*
               dr3d8(3,8,9),dr3d20(3,20,27),drsh5(2,9,4),
               drf2d4(2,4,2),drf2d8(2,8,3),drf3d8(3,8,4),
               df3d20(3,20,9),drfsh5(2,4,2),
*
               wg1d1,wg1d2(2),wg1d3(3),wg2d4(4),wg2d8(9),
               wg3d8(8),wg3d20(27),gp2d4(2,4),
               shtr3(3,4), shtr6(6,4), shth4(4), shth10(10,5),
               shftr3(2,2), shftr6(3,3), shfth4(3), shfth10(6,4),
               drtr3(2,3,4), drtr6(2,6,4), drth4(3,4),
               drth10(3,10,5), drftr3(2,2), drftr6(3,3),
               drfth4(2,3),drfth10(2,6,4),
               wgfth1,wgfth10(4),wgftr2(2),wgftr3(3),
               wgtr(4), wgth4, wgth10(5)
```

A brief description of the common variables is given in Table 6.15.

Variable	Description
DF3D20(I, J, K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the face of the 20-nodes 3D element.
DRFSH5(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the edge of the thin shell element.
DRFTH10(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the face of the 10-nodes thetraedral element.
DRFTH4(I, J)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the integration point of the face of the 4-nodes thetraedral element.
DRFTR3(J, K)	Value of the derivative along the local direction of the J-th shape function calculated
	at the K-th integration point of the edge of the 3-nodes triangular element.
DRFTR6(J, K)	Value of the derivative along the local direction of the J-th shape function calculated
	at the K-th integration point of the edge of the 6-nodes triangular element.
DRF2D4(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the edge of the 4-nodes 2D element.

Table 6.15: Variables of the COMMON /SHFUN/

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

Table 6.15: continue in the next page

|--|

Variable	Description
DRF2D8(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the edge of the 8-nodes 2D element.
DRF3D8(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the face of the 8-nodes 3D element.
DRSH5(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the thin shell element.
DR1H10(1,J,K)	lated at the K th integration point of the 10 nodes that readral element
DPTU4(I I)	Value of the derivative along the L th local direction of the L th shape function calcu
DKIII4(I, J)	lated at the integration point of the 4 nodes thetraedral element
DRTR3(IIK)	Value of the derivative along the L-th local direction of the L-th shape function cal-
DRIK5(I,J,K)	culated at the K-th integration point of the 3-nodes triangular element (the case K-1
	indicates the element centroid)
DRTR6(LLK)	Value of the derivative along the I-th local direction of the I-th shape function cal-
	culated at the K-th integration point of the 6-nodes triangular element (the case K=1
	indicates the element centroid).
DR1D1(I)	Value of the derivative of the I-th shape function calculated at the integration point of
~ /	the beam element.
DR1D2	Not used.
DR2D4(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the 4-nodes 2D element (the case K=5 indicates
	the element centroid).
DR2D8(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the 8-nodes 2D element.
DR3D20(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the 20-nodes 3D element.
DR3D8(I,J,K)	Value of the derivative along the I-th local direction of the J-th shape function calcu-
	lated at the K-th integration point of the 8-nodes 3D element (the case K=9 indicates
	the element centroid).
GP2D4(I, J) SE2D20(I I)	I - In coordinate of the J-th integration point for the 4-hodes 2D elements.
3F3D20(1, J)	the 20 nodes 3D element
SHESH5(1 I)	Value of the L-th shape function calculated at the L-th integration point of the edge of
5111 5115(1, 3)	the thin shell element
SHFTH10(LJ)	Value of the I-th shape function calculated at the I-th integration point of the edge of
5111 11110(1,5)	the 10-nodes thetraedral element.
SHFTH4(I)	Value of the I-th shape function calculated at the integration point of the edge of the
	4-nodes thetraedral element.
SHFTR3(I,J)	Value of the I-th shape function calculated at the J-th integration point of the edge of
~ / /	the 3-nodes triangular element.
SHFTR6(I,J)	Value of the I-th shape function calculated at the J-th integration point of the edge of
	the 6-nodes triangular element.
SHF2D4(I, J)	Value of the I-th shape function calculated at the J-th integration point of the edge of
	the 4-nodes 2D element.
SHF2D8(I, J)	Value of the I-th shape function calculated at the J-th integration point of the edge of
	the 8-nodes 2D element.
SHF3D8(I, J)	Value of the I-th shape function calculated at the J-th integration point of the face of
	the 8-nodes 3D element.
SHSH5(I, J)	Value of the I-th shape function calculated at the J-th integration point of the thin shell
	element
	Table 6 15 continue in the next page

t pag

Generated on Thu Sep 25 11:12:08 2014 for NOSA-ITACA Documentation by Doxygen

6.1 Description of the COMMON blocks

Variable	Description
SHTH10(I, J)	Value of the I-th shape function calculated at the J-th integration point of thetraedral
	10-nodes element
SHTH4(I)	Value of the I-th shape function calculated at the integration point of thetraedral 4- nodes element
SHTR3(I, J)	Value of the I-th shape function calculated at the J-th integration point of triangular
	3-nodes element
SHTR6(I, J)	Value of the I-th shape function calculated at the J-th integration point of triangular 6-nodes element
SH1D1(I)	Value of the I-th shape function calculated at the integration point of the beam ele-
	ment.
SH1D2	Not used.
SH2D4(I, J)	Value of the I-th shape function calculated at the J-th integration point of the 4-nodes
	2D element (the case J=5 indicates the element centroid).
SH2D8(I, J)	Value of the I-th shape function calculated at the J-th integration point of the 8-nodes
	2D element.
SH3D20(I, J)	Value of the I-th shape function calculated at the J-th integration point of the 20-nodes
	3D element.
SH3D8(1, J)	Value of the 1-th shape function calculated at the J-th integration point of the 8-nodes
WOFTH	3D element (the case $J=9$ indicates the element centroid).
WGFIHI	Gauss integration factor calculated at the integration point of the face of the 4-hode
WGETH10(I)	Gauss integration factor calculated at the L th integration point of the face of the 10
	node thetraedral element
WGFTR2(I)	Gauss integration factor calculated at the I-thintegration point of the edge of the 3-
	node triangular element.
WGFTR3(I)	Gauss integration factor calculated at the I-thintegration point of the edge of the 6-
	node triangular element.
WGTH10(I)	Gauss integration factor calculated at the I-th integration point of t the 10-nodes
	thetraedral element.
WGTH4	Gauss integration factor calculated at the integration point of t the 4-nodes thetraedral
	element.
WGTR(I)	Gauss integration factor calculated at the I-th integration point of t the triangular ele-
Water	ment.
WGIDI	Gauss integration factor calculated at the integration point of the beam element.
WGID2(I)	Gauss integration factor calculated at the I-th integration point of the edge of 4-nodes
WC1D2(I)	2D elements.
wGID5(I)	rodes 2D element
WG2D4(I)	Gauss integration factor calculated at the Lth integration point of the 4-nodes 2D
W02D4(I)	element
WG2D8(I)	Gauss integration factor calculated at the I-th integration point of the 8-nodes 2D
	element.
WG3D20(I)	Gauss integration factor calculated at the I-th integration point of the 20-nodes 3D
	element.
WG3D8(I)	IGauss integration factor calculated at the I-th integration point of the 8-nodes 3D
	element.

Table 6.15: continue from the previous page

Table 6.15:completed

6.1.16 /SIZE/

This COMMON contains the values of the storage used by the principal arrays.

common	/size/	mcorli,	mcorlr,	mcorei,	mcorer,	msizi ,	msizr ,
*		mrec ,	lacce ,	laccei,	lasdis,	laxis ,	lboun ,
*		lcaric,	lcfric,	lcoord,	lcpres,	lcsete,	lcsetn,
*		lcsvlo,	ldamp ,	ldispi,l	dtemp, 1	Ldttmp,	leload,
*		leloaf,	leloat,	leqrhs,	lequat,	lestif,	lfext ,
*		lfext0,	lffric,	lfilm ,	lfint ,	lfint0,	lfixea,
*		lfixed,	lgeom ,	lgload,	lgstif,	lhaiso,	lhakin,
*		lhard ,	iboun ,	lickfr,	licpre,	lidefo,	ldfpst,
*		lidist,	lielpr,	liffia,	liffix,	lifilm,	lifpre,
*		liglue,	lilump,	lindnod,	linodp,	lipbw ,	liplan,
*		liprea,	liraph,	lirtie,	lisele,	lishbm,	lish5 ,
*		lisurf,	lisur0,	litie,	littem,	liuaxi,	liwset,
*		ljarea,	ljpcod,	lkfric,	llese ,	llesn ,	llnods,
*		lltype,	lmaso ,	lmatno,	lnacid,	lnacva,	lnamev,
*		lndest,	lndfeq,	lndfro,	lnhard,	lnodof,	lnodth,
*		lnpivo,	lnsete,	lnsetn,	lpmass,	lpoint,	lposgp,
*		lpresc,	lprops,	lprsca,	lraph ,	lrdist,	lrefor,
*		lrload,	lrplan,	lrsp0 ,	lrtie ,	lrttem,	lseldi,
*		lsink ,	lsurf ,	lsurf0,	ltdisp,	ltempe,	ltempi,
*		ltload,	ltreac,	lvecrv,	lvelo ,	lveloi,	lversn,
*		lverst,1	lweigp				

integer*8 msizi,msizr,mcorli,mcorlr,mcorei,mcorer

A brief description of the common variables is given in Table 6.16.

Variable	Description
LACCE	Lenght of array ACCE.
LACCEI	Lenght of array ACCEI.
LASDIS	Lenght of array ASDIS.
LAXIS	Lenght of array AXIS.
LBOUND	Lenght of array BOUND.
LCARIC	Lenght of array CARIC.
LCFRIC	Lenght of array CFRICT.
LCOORD	Lenght of array COORD.
LCPRES	Lenght of array CPRES.
LCSETE	Lenght of array CSETE.
LCSETN	Lenght of array CSETN.
LCSVLO	Lenght of array CSVLOA.
LDAMP	Lenght of array DAMP.
LDFPST	Lenght of array IDFPST.
LDISPI	Lenght of array DISPI.
LDTEMP	Lenght of array DTEMP.
LDTTMP	Lenght of array DTTMP.
LELOAD	Lenght of array ELOAD.
LELOAF	Lenght of array ELOAF.
LELOAT	Lenght of array ELOAT.
LEQRHS	Lenght of array EQRHS.
LEQUAT	Lenght of array EQUAT.

Table 6.16: Variables of the COMMON /SIZE/

Table 6.16: continue in the next page

Variable	Description
I ECTIF	Longht of array ESTIE
	Lenght of array EEVT
	Lengill of allay FEAT.
LFEAIU	Lengn of array FEATO.
	Length of array FFRIC1.
LFILM	Lenght of array FILM.
LFIN I	Lenght of array FINT.
	Lenght of array FIN10.
LFIXEA	Lenght of array FIXEA.
LFIXED	Lenght of array FIXED.
LGEOM	Lenght of array GEOM.
LGLOAD	Lenght of array GLOAD.
LGSTIF	Lenght of array GSTIF.
LHAISO	Lenght of array HAISO.
LHAKIN	Lenght of array HAKIN.
LHARD	Lenght of array HARD.
LIBOUN	Lenght of array IBOUND.
LICKFR	Lenght of array ICKFR.
LICPRE	Lenght of array ICPRES.
LIDEFO	Lenght of array IDEFO.
LIDIST	Lenght of array IDIST.
LIELPR	Lenght of array IELPR.
LIFFIA	Lenght of array IFFIA.
LIFFIX	Lenght of array IFFIX.
LIFILM	Lenght of array IFILM.
LIFPRE	Lenght of array IFPRE.
LIGLUE	Lenght of array IGLUED.
LILUMP	Lenght of array ILUMP.
LINDNOD	Lenght of array INDNOD.
LINODP	Lenght of array INODPR.
LIPBW	Lenght of array IPBW.
LIPLAN	Lenght of array IPLANE.
LIPREA	Lenght of array IPREA.
LIRAPH	Lenght of array IRAPH.
LIRTIE	Lenght of array IRTIE.
LISELE	Lenght of array ISELE.
LISHBM	Lenght of array ISHBM.
LISH5	Lenght of array ISH5.
LISURF	Lenght of array ISURF.
LISURO	Lenght of array ISURFU.
LITIE	Lenght of array ITIE.
LITTEM	Lenght of array ITTEMP.
LIUAXI	Lenght of array IUAXI.
LIWSET	Lenght of array IWSET.
LJAREA	Lenght of array JEAREA.
LJPCOD	Lenght of array JPCOD.
LKFRIC	Lenght of array KFRICT.
LLESE	Lenght of array LESE.
LLESN	Lenght of array LESN.
LLNODS	Lenght of array LNODS.
LLTYPE	Lenght of array LTYPE.

Table 6.16: continue from the previous page

Table 6.16: continue in the next page

Table 0.10:cont	inue from the previous page
Variable	Description
LMASO	Lenght of array MASO.
LMATNO	Lenght of array MATNO.
LNACID	Lenght of array NACID.
LNACVA	Lenght of array NACVA.
LNAMEV	Lenght of array NAMEV.
LNDEST	Lenght of array NDEST.
LNDFEQ	Lenght of array NDFEQ.
LNDFRO	Lenght of array NDFRO.
LNHARD	Lenght of array NHARD.
LNODTH	Lenght of array NODTH.
LNPIVO	Lenght of array NPIVO.
LNSETE	Lenght of array NSETE.
LNSETN	Lenght of array NSETN.
LPMASS	Lenght of array PMASS.
LPOINT	Lenght of array POINT.
LPOSGP	Lenght of array POSGP.
LPRESC	Lenght of array PRESC.
LPROPS	Lenght of array PROPS.
LPRSCA	Lenght of array PRSCA.
LRAPH	Lenght of array RAPH.
LRDIST	Lenght of array RDIST
LREFOR	Lenght of array REFOR
	Lenght of array RLOAD
LRPLAN	Lenght of array RPLANE
LRSPO	Lenght of array RSP0.
LRTIE	Lenght of array RTIE.
LRTTEM	Lenght of array RTTEMP.
LSELDI	Lenght of array SELDIS.
LSINK	Lenght of array SINK.
LSURF	Lenght of array SURF.
LSURF0	Lenght of array SURFO.
LTDISP	Lenght of array TDISP.
LTEMPE	Lenght of array TEMPE.
LTEMPI	Lenght of array TEMPL
LTLOAD	Lenght of array TLOAD.
LTREAC	Lenght of array TREAC.
LVECRV	Lenght of array VECRV.
LVELO	Lenght of array VELO.
LVELOI	Lenght of array VELOI.
LVERSN	Lenght of array VERSN.
LVERST	Lenght of array VERST.
LWEIGP	Lenght of array WEIGP.
MCOR1I	Total length of the integer arrays calculated by CORE1
MCOR1R	Total length of the real *8 arrays calculated by CORE1
MCOREI	MCOR1I + total length of the integer arrays calculated by CORE
MCORER	MCOR1R + total length of the real *8 arrays calculated by CORE
MREC	Number of records necessary for the file JFIL3.
MSIZI	Total length of the integer variables.
MSIZR	Total lenght of the real variables.

Table 6.16:continue from the previous page

Table 6.16:completed

6.1.17 /TIMCPU/

This COMMON contains the CPU time spent by the analysis.

common /timcpu/ cput0, cput

A brief description of the common variables is given in Table 6.17.

Table 6.17:	Variables	of the	COMMON	/TIMCPU/

Variable	Description	
CPUT CPUT0	CPU time, in seconds, used by a program run. Initial CPU time, in seconds.	
		Table 6.17:completed

6.1.18 /TITL/

This COMMON contains the title of the analysis.

common /titl/ title(70)
character*1 title

A brief description of the common variables is given in Table 6.18.

Table 6.18: Variables of the COMMON /TITL/

Variable	Description
TITLE	Alphanumeric string (maximum 70 characters) which identifies the analysis.

Table 6.18:completed

6.1.19 /TMPPST/

This COMMON contains the parameters which control the reading of a thermal post-processing file needed for calculating thermal loads..

common/tmppst/ irdtmp, inctmp, lastin, ntvar, ntnod, ntele,
* ntdof , ntgp , ntnodv

Generated on Wed May 3 09:18:00 2017 for NOSA-ITACA Documentation by Doxygen

A brief description of the common variables is given in Table 6.19.

Variable	Description
INCTMP	Number of the increment to be read from post-processing file.
LASTIN	Number of the last increment read from the post-processing file.
NTDOF	Maximum number of degrees of freedom for each node in the thermal post-processing
	file.
NTELE	Total number of elements present in the thermal post-processing file.
NTGP	Maximum number of integration points for each element in the thermal post-
NTNOD	processing life.
NINOD	Total number of nodes present in the post-processing file.
NTNODN	Number of nodal variables present in the thermal post-processing file.
NTVAR	Number of elemental variables present in the thermal post-processing file.

Table 6.19: Variables of the COMMON /TMPPST/

Table 6.19:completed

6.2 Description of the NOSA-ITACA files

This section describes all input/output files required/generated by NOSA-ITACA software, when an analysis job is going to run; these files are the following:

- jobname.crd;
- jobname.prt;
- jobname.rst;
- jobname.msh;
- jobname.t19;
- jobname.t16;
- jobname.t25;
- jobname.t26;
- jobname.med;
- jobname.sta;
- jobname_modal.t19;
- fort.83.
- jobname.1;
- jobname.2;
- jobname.3;
- jobname.4.

where "*jobname*" is the name of the job currently in execution. The last four files are generated by NOSA fem code only when an analysis requires an amount of memory large enough to be not supported by the NOSA core; in such a case (**out-of-core solution**), NOSA writes analysis data on disk, and a subdirectory **temp** (located in the directory of the job's execution) must be provided, where these files are written.

6.2.1 File "jobname.crd"

This is an ASCII file containing the input data describing the current run, in accordance with the specifications given in Nosa Keywords Reference Guide

6.2.2 File "jobname.prt"

This is the ASCII file where some results of the current run are printed. The file is structured into two parts; the first one contains a structured echo of the input data, that is:

- the principal characteristics of the run,
- the connectivities of the elements,
- the coordinates of the nodes,
- the list of the kinematic boundary conditions,
- the description of the element/node sets,
- the values of the termomechanical properties,
- the list of elemental variables to be written on the post-processing files,
- the description of the composition and of the geometry of the elements.

The second part of the file deals with the results of load increments; for each load increment and each iteration of every load increment, the following information can be printed:

- 1. information about applied loads; incremental and total loads summed over the model are printed.
- 2. information about CPU time; CPU time at the beginning and end of assembly, at the end of the solution of the system and after the stress recovering is printed.
- 3. information about solution convergence; values of the external loads, reaction forces, and residual loads are printed. Furthermore, the flag *NCHEK* is also printed, indicating whether the convergence criterion is fullfilled or not.
- 4. if the node printout is enabled, the values of nodal variables, such as generalized displacements, reaction forces and moments are printed; for dynamic analyses, velocities and accelerations are printed too.
- 5. if the element printout is enabled, the values of the elemental variables, such as stresses and strains for each integration point of the elements are printed.

6.2.3 File "jobname.msh"

This is an ASCII file where the new numeration of mesh elements, nodes, and sets is printed when the option "optimize" is used (Nosa Keywords Reference Guide).

6.2.4 File "jobname.rst"

This is a binary file containing all data required to restart a run; when a restart analysis has to be performed, as continuation of a previous analysis or a new analysis starting from the final configuration obtained from another analysis, model data (mesh, boundary conditions, loads and so on) and deformed shape configuration are read from this file; therefore, it represents a dump of all the common areas, followed by a dump of all arrays use by the current run.

6.2.5 Files "jobname.t16" and "jobname.t19"

Together with the "jobname.med", these files contain the output data required for the job and postprocessing analysis results. Jobname.t16 is a binary file, whereas jobname.t19 is an ASCII file. The main contents of these files, in order of writing, are:

- 1. The header with the principal parameters characterizing the run.
- 2. The list of the codes and names of the elemental variables to be writte on the file.
- 3. The type and the connectivity of the elements.
- 4. The coordinates of the nodes.
- 5. The nodal codes (not used by SALOME).
- 6. The information about the sets of elements and nodes.
- 7. The data on the contact geometry. After these data blocks (valid for any job analysis), the writing of the results of each load increment begins.
- 8. The header of the increment.
- 9. The results for the rigid bodies in a contact analysis (if any).
- 10. The values of the elemental variables, for each integration point of all elements; if the mesh model involves different element types with different number of integration points, the values of a field output will be written on *Ngp* gauss points for any element, with *Ngp* the maximum number of integration points. Clearly, for those elements with the number of integration points less than *Ngp* a null value of the output field is associated with the remaining integration points.
- 11. The values of the nodal variables, i.e. displacements, rotations, velocities, rotational velocities, accelerations, rotational accelerations, external forces, external moments, reaction forces, reaction moments, temperatures, external heat flux, reaction heat flux. Of course only the nodal variable consinstent with the current analysis are available.

6.2.6 Files "jobname.t25" and "jobname.t26"

These files are the ASCII and the binary form, respectively, of the temperature post-file, generated by a previous heat transfer run and to be read in the current run. The files are a simplified version of the normal post-files because, after the common parts, they contain only the values of the nodal temperature.

6.2.7 File "jobname.med"

This binary file represents the main output file used for post-processing analysis results and viewing them via NOSA-ITACA software.

6.2.8 File "jobname.sta"

The file contains all summary information about the job's run; it is an ASCII file reporting the status of the job execution, such as the initial time of the job, all iterations of every load increment, the residual force for every iteration and the corresponding convergence check, the finishing time of the run and the analysis job execution status (i.e. whether the run is completed or aborted due to errors).

6.2.9 File "jobname_modal.t19"

This file is a simplified version of the ASCII post-file written in a modal analysis run. The file contains only one increment subdivided into n subincrement, where n is the required number of eigenfrequencies. In a single subincrement only the nodal values (displacements and rotations) of an eigenvector are written.

6.2.10 File "fort.83"

This file is an ASCII file written in a modal analysis run. The file contains the nodal values (displacements and rotations) of all eigenvectors.

6.2.11 File "jobname.1"

This file is a binary dump of the arrays defining the load increments RDIST and IDIST in case of out-ofcore solution; it is located in the **temp** subdirectory.

6.2.12 File "jobname.2"

This file is a binary dump of the solution arrays EQUAT, EQRHS, NAMEV, NPIVO, NDFEQ in case of out-of-core solution; it is located in the **temp** subdirectory.

6.2.13 File "jobname.3"

This is a direct access binary file; it has a number of records equal to the number of elements, and its i-th record is a dump of the array EAREA corresponding to the i-th element. The file is located in the **temp** subdirectory.

6.2.14 File "jobname.4"

This file is a binary dump of the solution array EQRHS used in case of out-of-core resolution done without a complete elimination process. The file is located in the **temp** subdirectory.

6.3 Error Codes

This section describes the error codes associated with a job analysis abortion.

A brief description of these errors is given in Table 6.20.

Error code	Description
0	the list of errors encountered is required;
1	the total number, NPOIN, of nodes of the structure is less than or equal to zero;
2	the total number, IELEM, of elements of the structure is less than or equal to zero;
3	the number of constrained loads is less than or equal to zero;
4	the total number NMATS of different types of materials constituting the structure is
	less than or equal to zero;
6	the element type considered does not fall within the range 1 to 10;
7	the maximum number of different element types making up the structure is not within
	range (1 to 10), or else the first component of the vector NTYPE is equal to zero;
8	the element type considered has not been yet implemented;
9	the SIZING card has not been defined;
10	the TITLE card has not been assigned;
15	a node number equal to zero has been found;
16	the nodes numbering is erroneous, the matrix LNODS has an element which is nega-
	tive or greater than the maximum number of points contained in the mesh;
18	the number corresponding to a constrained node is less than zero or greater than the
	maximum number of nodes of the mesh;
19	the number relative to the constrained node currently under consideration is the same
	as the number of a previous node;
21	the interpretation of a card is impossible;
95	the number of the current element is not contained in the list of elements;
110	the coordinates of the current node are the same as those of a previous node;
111	a degree of freedom of the current node is not contained in the list;
112	a node has not been found in the matrix of the mesh connectivity;
113	the sum of the absolute values of the coordinates of an unused node is different from
	zero;
114	there is a unused node in the list of constrained nodes;
115	the number of a constrained nodes is zero.

Table 6.20: Error codes associated with an abnormal job execution

Table 6.20:completed